

Search for chiral doublet in ^{79}Kr with the Hyperball2 array

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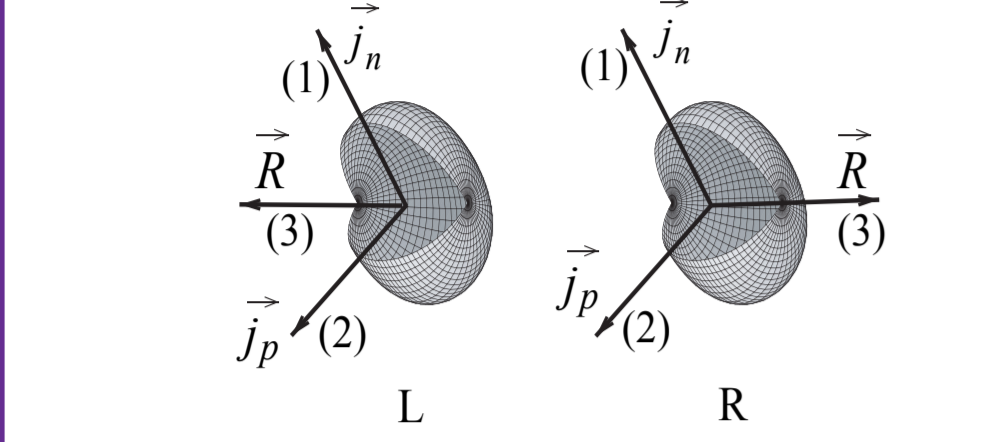
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Nuclear Chirality (Chiral Doublet)

Three perpendicular angular momenta can be formed into two systems of handedness, the right-handed or the left-handed system.

From S. Frauendorf and J. Meng, Nucl. Phys. A 617, 131 (1997).

For the mass 80 region $\pi g_{9/2} \otimes \nu g_{9/2}^{-1}$
 1-axis: long axis of the triaxial shape
 J_n : neutron-hole in a high-j shell
 2-axis: short axis of the triaxial shape
 J_p : proton-particle in a high-j shell
 3-axis: intermediate axis of the triaxial shape
 R : core rotation



Figures from T. Koike, K. Starosta, and I. Hamamoto, Phys. Rev. Lett. 93, 172502 (2004).

Chiral Symmetry breaking in Nuclei
 One of spontaneous symmetry breaking in nuclei
 Related to time reversal operator

$$[O, H] = 0$$

$$O = TR(\pi)$$

$$H|IR\rangle = \epsilon_R|IR\rangle, \quad H|IL\rangle = \epsilon_L|IL\rangle$$

$$O|IR\rangle = |IL\rangle, \quad O|IL\rangle = |IR\rangle$$

$$\epsilon_R = \epsilon_L$$

$$\begin{cases} |IM+\rangle = \frac{1}{\sqrt{2}}(|L\rangle + |R\rangle) \\ |IM-\rangle = \frac{1}{\sqrt{2}}(|L\rangle - |R\rangle) \end{cases}$$

$$H|IM\pm\rangle = \epsilon|IM\pm\rangle$$

$$O|IM\pm\rangle = |IM\pm\rangle$$

two major experimental criteria

- the observation of nearly degenerate $\Delta I = 1$ twin bands built on the same single particle configuration
- identical electromagnetic properties --- similar $B(E2)$ and $B(M1)$ values of in-band and inter-band transitions

From C. M. Petrache, E. B. Hagmann, I. Hamamoto, and K. Starosta, Phys. Rev. Lett. 96, 112502 (2006).

Observed candidate chiral doublet

	odd-odd	odd-A
A~130	$^{124}\text{Cs}, ^{126}\text{Cs}, ^{130}\text{Cs}, ^{132}\text{Cs}, ^{130}\text{La}, ^{134}\text{La}, ^{132}\text{Pr}, ^{136}\text{Pr}, ^{138}\text{Eu}, ^{140}\text{Eu}, ^{134}\text{Pr}$ (lifetime was measured) ^{132}La (lifetime was measured) ^{128}Cs (B(M1) staggering?)	^{135}Nd (B(M1) and B(E2) values between both twin bands were very similar)
A~100	$^{100}\text{Tc}, ^{102}\text{Rh}, ^{106}\text{Rh}, ^{104}\text{Rh}$ (lifetime was measured)	$^{105}\text{Rh}, ^{107}\text{Ag}, ^{103}\text{Rh}$ (lifetime was measured)
A~190	^{198}Tl	
A~80		

C. M. Petrache et al. Nucl. Phys. A 597, 106 (1996).
 T. Koike et al. Phys. Rev. C 67, 044319 (2003).
 A. A. Hecht et al. Phys. Rev. C 63, 051302 (2001).
 R. A. Bark et al. Nucl. Phys. A 691, 577 (2001).
 S. Zhu et al. Phys. Rev. Lett. 91, 132501 (2003).
 A. A. Hecht et al. Phys. Rev. C 68, 054310 (2003).
 C. Vaman et al. Phys. Rev. Lett. 92, 032501 (2004).
 P. Joshi et al. Phys. Lett. B 595, 135 (2004).
 J. Timár et al. Phys. Lett. B 598, 178 (2004).
 P. Joshi et al. Eur. Phys. J. A 24, 23 (2005).
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 S. Mukhopadhyay et al. Phys. Rev. Lett. 99, 172501 (2007).

Example of spontaneous symmetry breaking in nuclei

rotational band

$$[R(\Omega), H] = 0$$

$$H|\Psi_0\rangle = \epsilon|\Psi_0\rangle$$

$$|\Psi(\Omega)\rangle = R(\Omega)|\Psi_0\rangle$$

$$H|\Psi(\Omega)\rangle = \epsilon|\Psi(\Omega)\rangle$$

$$|IM\rangle = \int f(\Omega) |IM\Psi(\Omega)\rangle d\Omega$$

$$H|IM\rangle = \epsilon|IM\rangle$$

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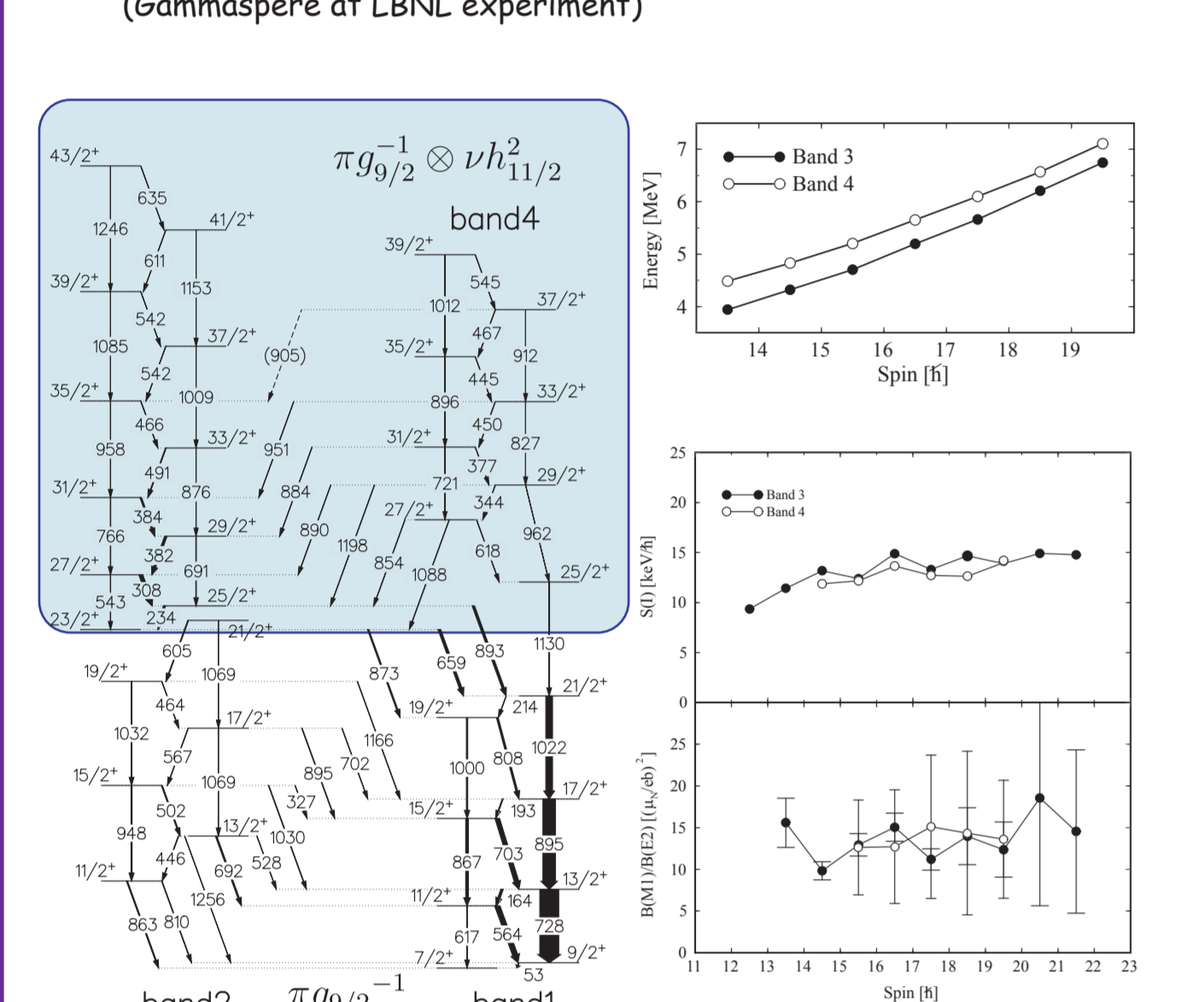
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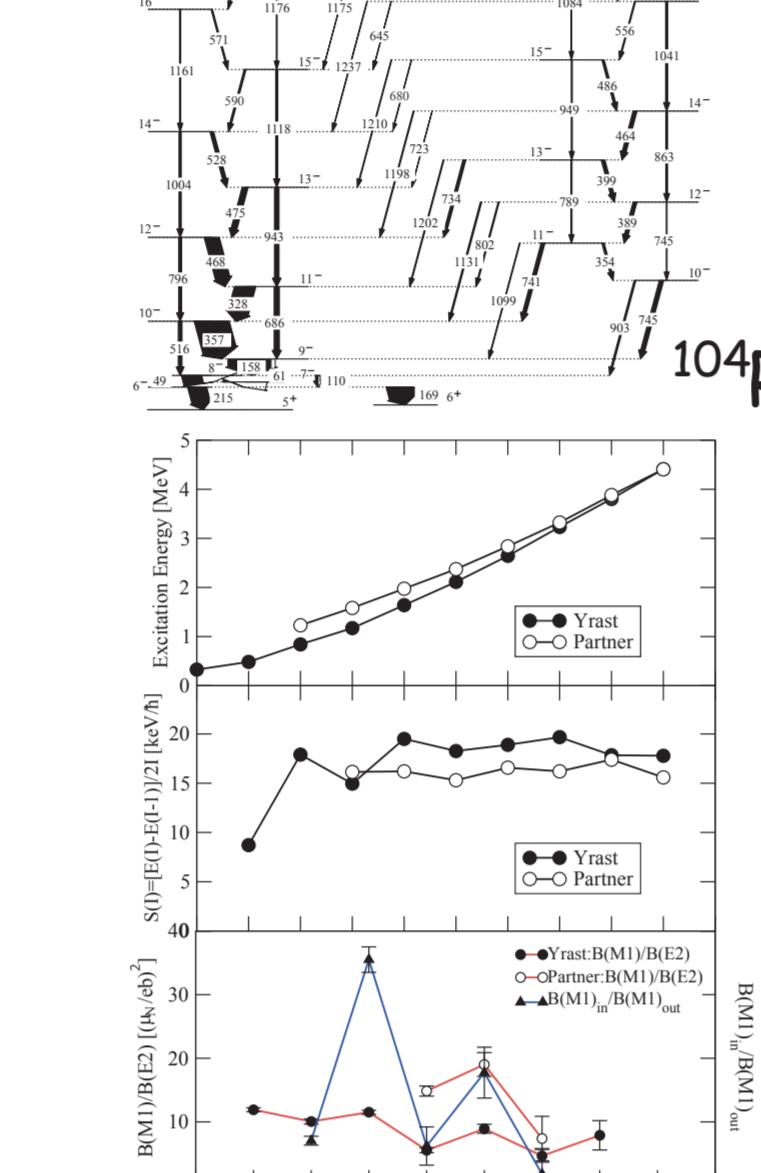
Example: Study of chiral doublet in A~100 region

(i) Observation of nearly degenerate $\Delta I=1$ rotational bands. (Gammasphere at LBNL experiment)



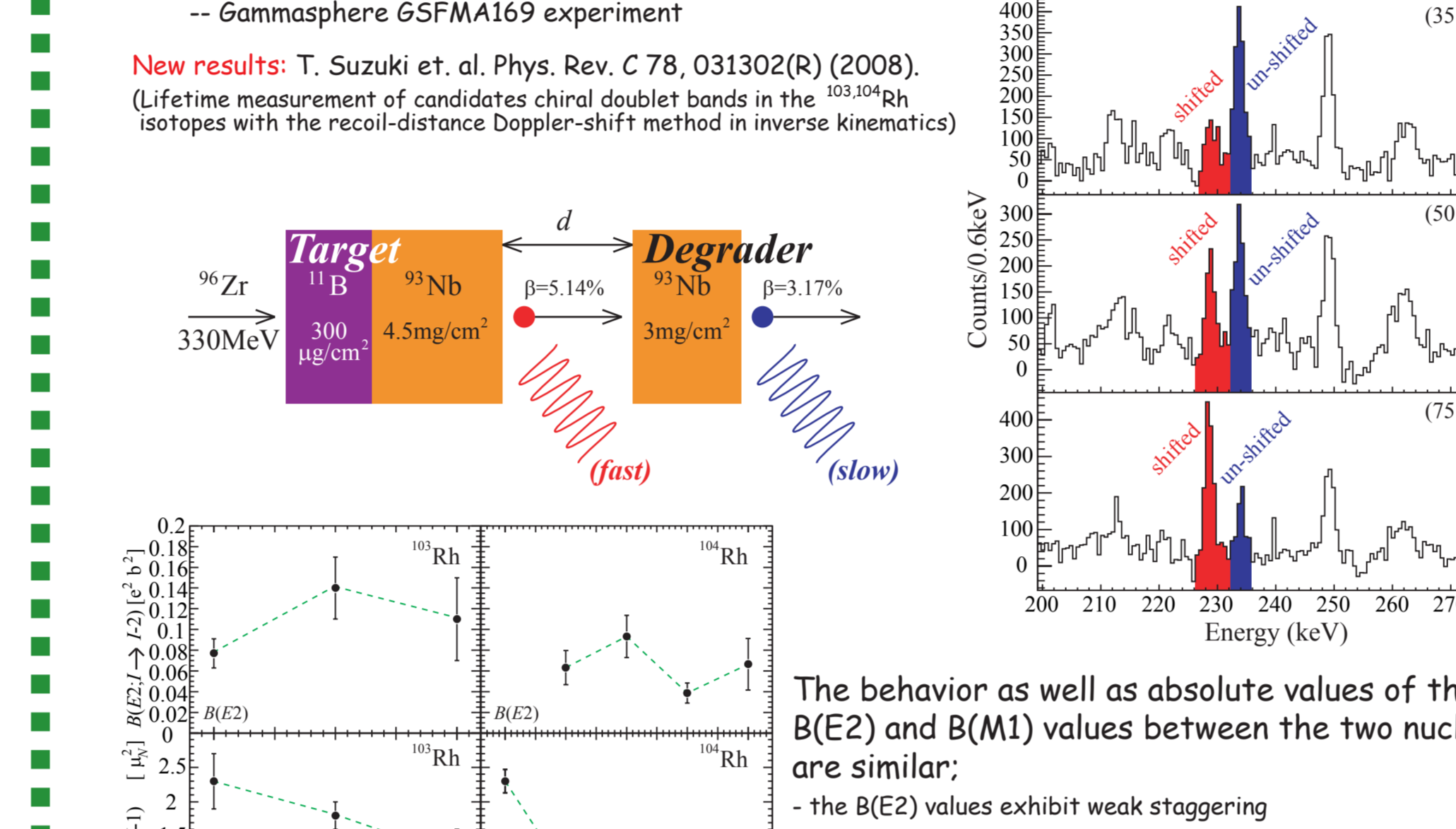
From J. Timár, C. Vaman, K. Starosta, D. B. Fossan, T. Koike, D. Sohier, I. Y. Lee, and A. O. Macchiavelli, Phys. Rev. C 73, 011301 (2006).

(ii) identical electromagnetic properties -- Gammasphere GSFMA169 experiment



From C. Vaman, D. B. Fossan, T. Koike, K. Starosta, I. Y. Lee, and A. O. Macchiavelli, Phys. Rev. Lett. 92, 032501 (2004).

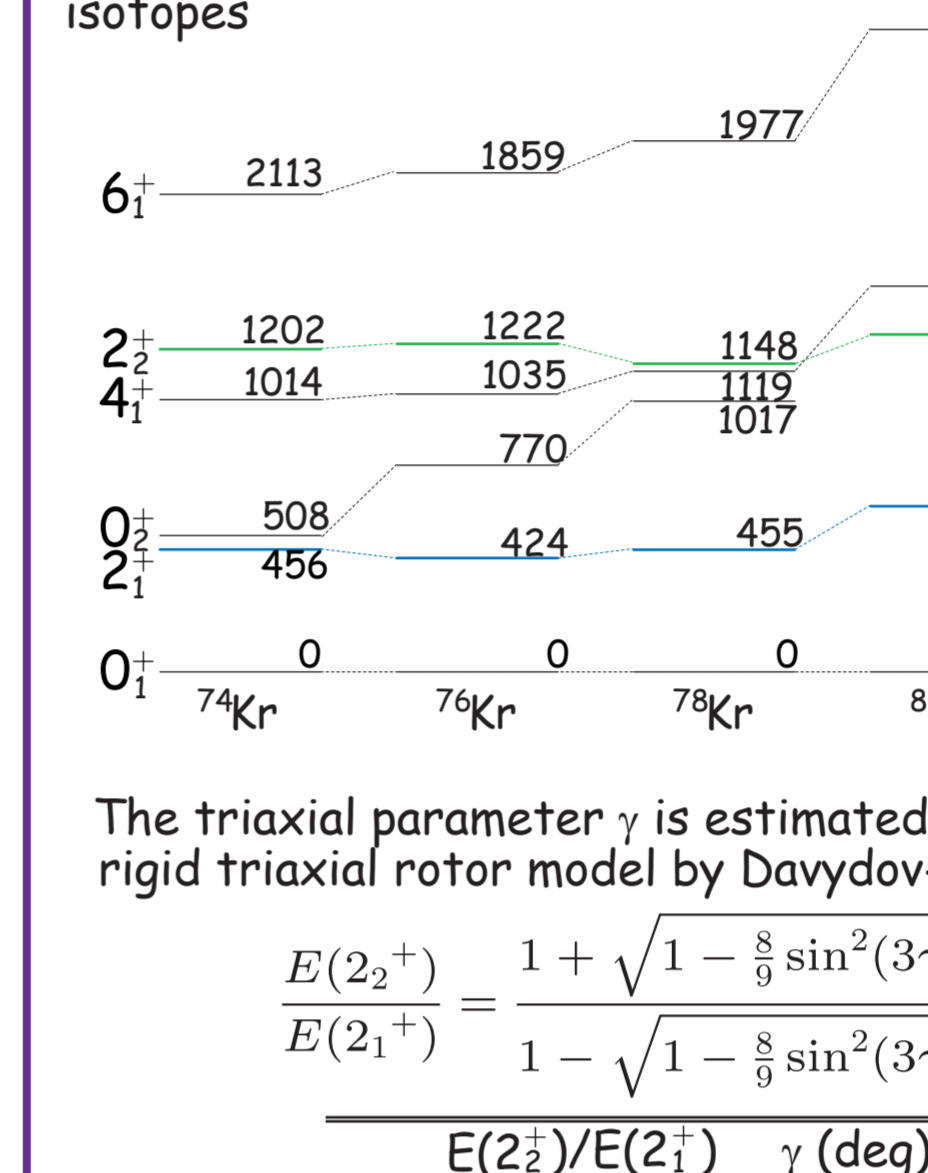
New results: T. Suzuki et al. Phys. Rev. C 78, 031302(R) (2008). (Lifetime measurement of candidates chiral doublet bands in the $^{93,104}\text{Rh}$ isotopes with the recoil-distance Doppler-shift method in inverse kinematics)



The behavior as well as absolute values of the $B(E2)$ and $B(M1)$ values between the two nuclei are similar:
 - the $B(E2)$ values exhibit weak staggering
 - the $B(M1)$ values decrease monotonically with increasing spin
 Chiral Doublet \rightarrow B(M1) staggering
 B(E2) staggering \rightarrow What causes staggering?

Krypton isotopes

Partial level scheme of even-even krypton isotopes



The triaxial parameter γ is estimated from rigid triaxial rotor model by Davydov-Fillippov.

$$E(2_2^+) = 1 + \sqrt{1 - \frac{8}{9} \sin^2(3\gamma)}$$

$$E(2_1^+) = 1 - \sqrt{1 - \frac{8}{9} \sin^2(3\gamma)}$$

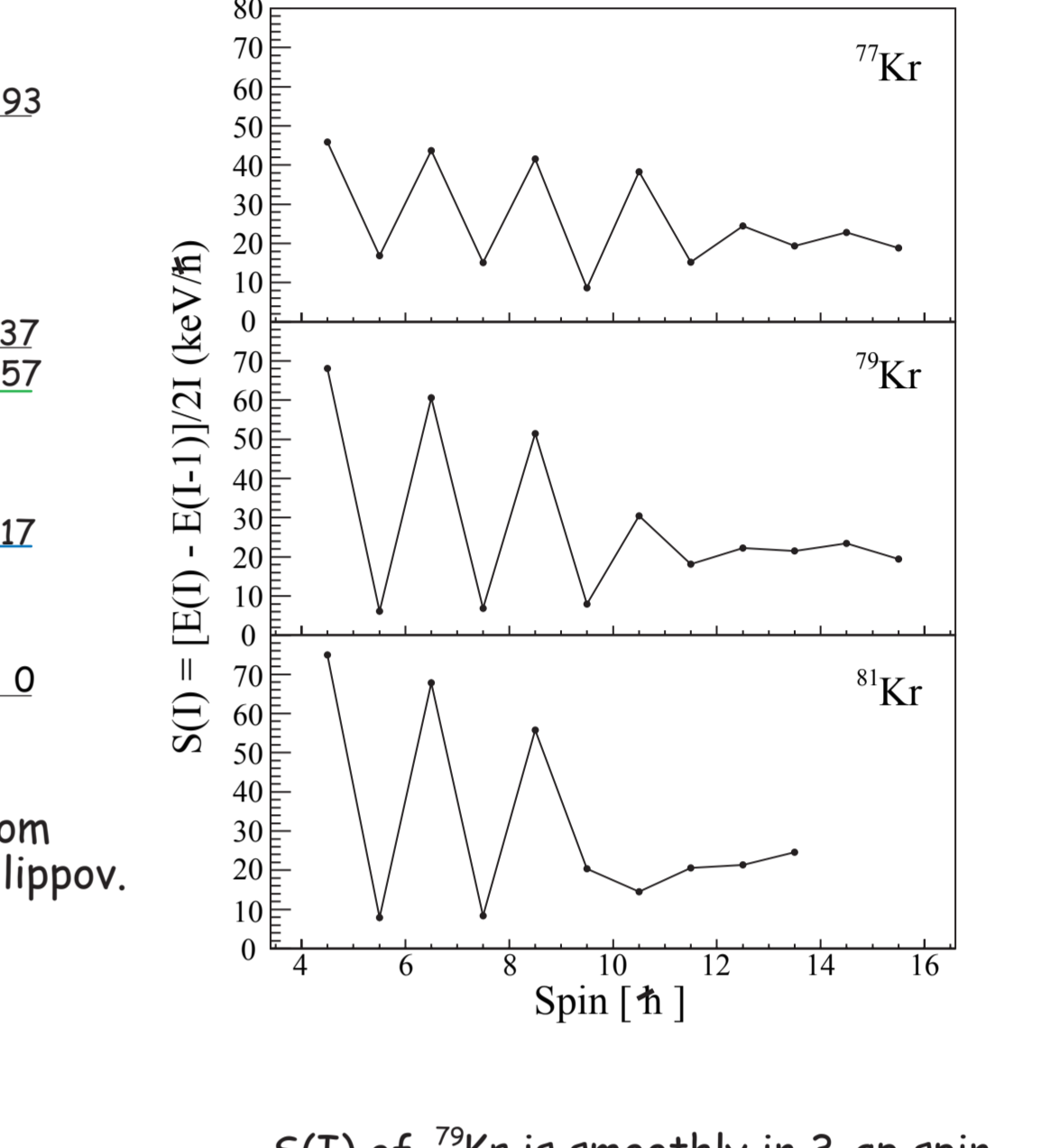
$$E(2_2^+)/E(2_1^+) \quad \gamma \text{ (deg)}$$

$$^{74}\text{Kr} \quad 2.64 \quad 23.8$$

$$^{76}\text{Kr} \quad 2.88 \quad 22.7$$

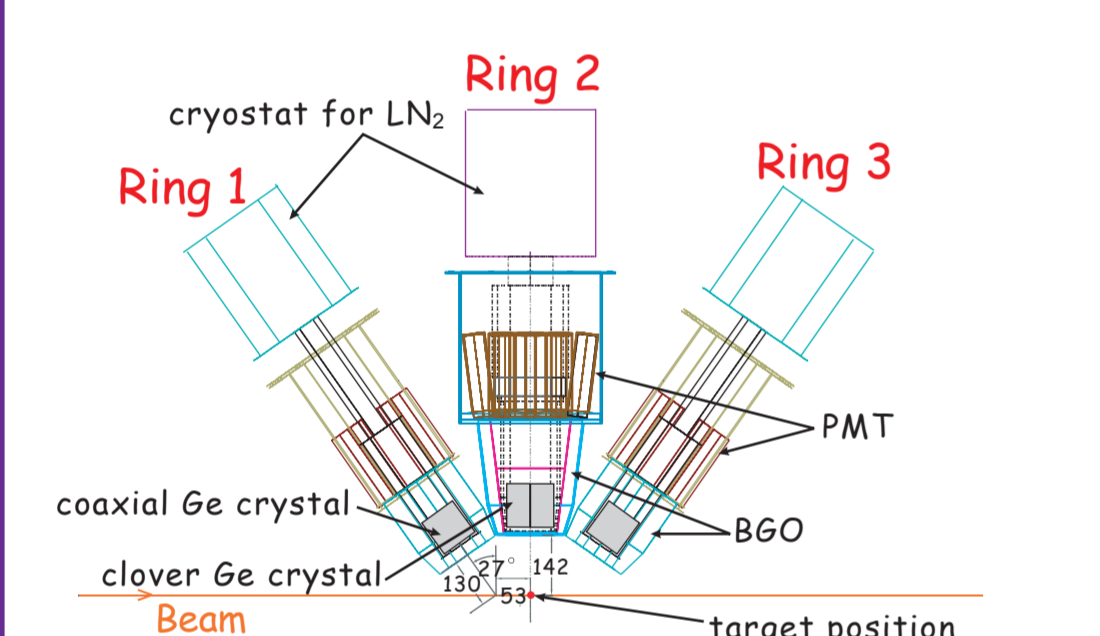
$$^{78}\text{Kr} \quad 2.52 \quad 24.3$$

$$^{80}\text{Kr} \quad 2.04 \quad 28.4$$



$S(I)$ of ^{79}Kr is smoothly in 3-qp spin region, and triaxiality is expected.

Array geometry of Hyperball2

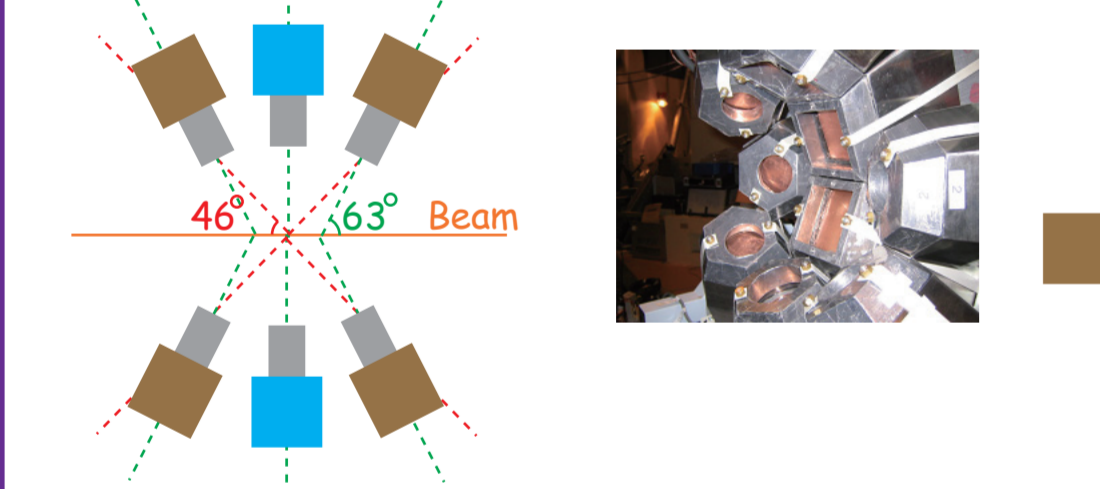


- Detectors
 Ring 1, 3
 6 clover type Compton-suppressed Ge detectors in each ring
 Ring 2
 6 clovers and 2 co-axial type Compton-suppressed Ge detectors

- Total photo peak efficiency: ~ 5% @ 1.3 MeV
 - Energy Resolution: 2.2 keV @ 1.3 MeV

- Polar angles: 46, 90, 134 deg
 The detector center in Ring 1 and 3 sees off-center, 5.3 cm from a target position. The lead collimators of these rings are designed so that Ge detector look into target.

- Azimuthal angles
 Ring 1, 3
 0, 60, 120, 180, 240, 300 deg
 Ring 2
 22.5, 67.5, 112.5, 157.5, 202.5, 247.5, 292.5, 337.5 deg



Detector for Hyperball2 and Compton-suppression

Germanium detectors
 - normal type (14 detectors)
 crystal: n-type 70mm \times 70mm (coaxial)
 relative efficiency: 60%
 - clover type (6 detectors)
 crystal: n-type
 each 45mm \times 45mm \times 71mm (coaxial)
 relative efficiency:
 each 20% or 120% with added-back
 - Both detectors have low-gain transistor-reset preamplifier.
 threshold level: 150MeV energy deposit
 dead-time due to reset: 20 μ s

On-line Compton-suppression with Tohoku Universal Logic (TUL) modules

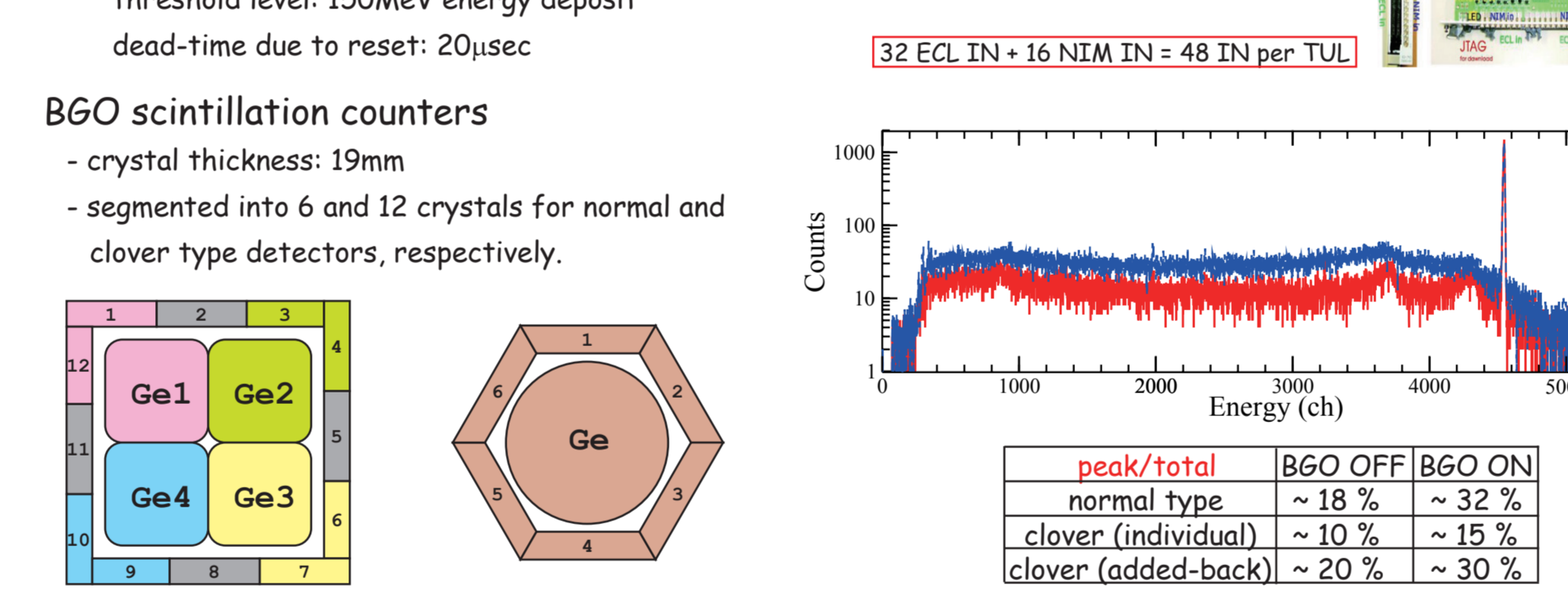
Ge 1 \times (BGO1) U (BGO2) U (BGO1) U (BGO12)
 Ge 2 \times (BGO2) U (BGO3) U (BGO4) U (BGO5)
 Ge 3 \times (BGO5) U (BGO6) U (BGO7) U (BGO8)
 Ge 4 \times (BGO8) U (BGO9) U (BGO10) U (BGO11)
 BGO 2, 5, 8, 11 are shared!

12 BGO + 1 Ge = 13 TUL IN channels
 \rightarrow 78 TUL IN channels for 6 clovers

32 EQL IN + 16 NIM IN = 48 IN per TUL

BGO scintillation counters
 - crystal thickness: 19mm
 - segmented into 6 and 12 crystals for normal and clover type detectors, respectively.

peak/total BGO OFF BGO ON
 normal type ~ 18% ~ 32%
 clover (individual) ~ 10% ~ 15%
 clover (added-back) ~ 20% ~ 30%



The experiment

Reaction: $^{70}\text{Zn}(^{13}\text{C}, 4n)^{79}\text{Kr}$

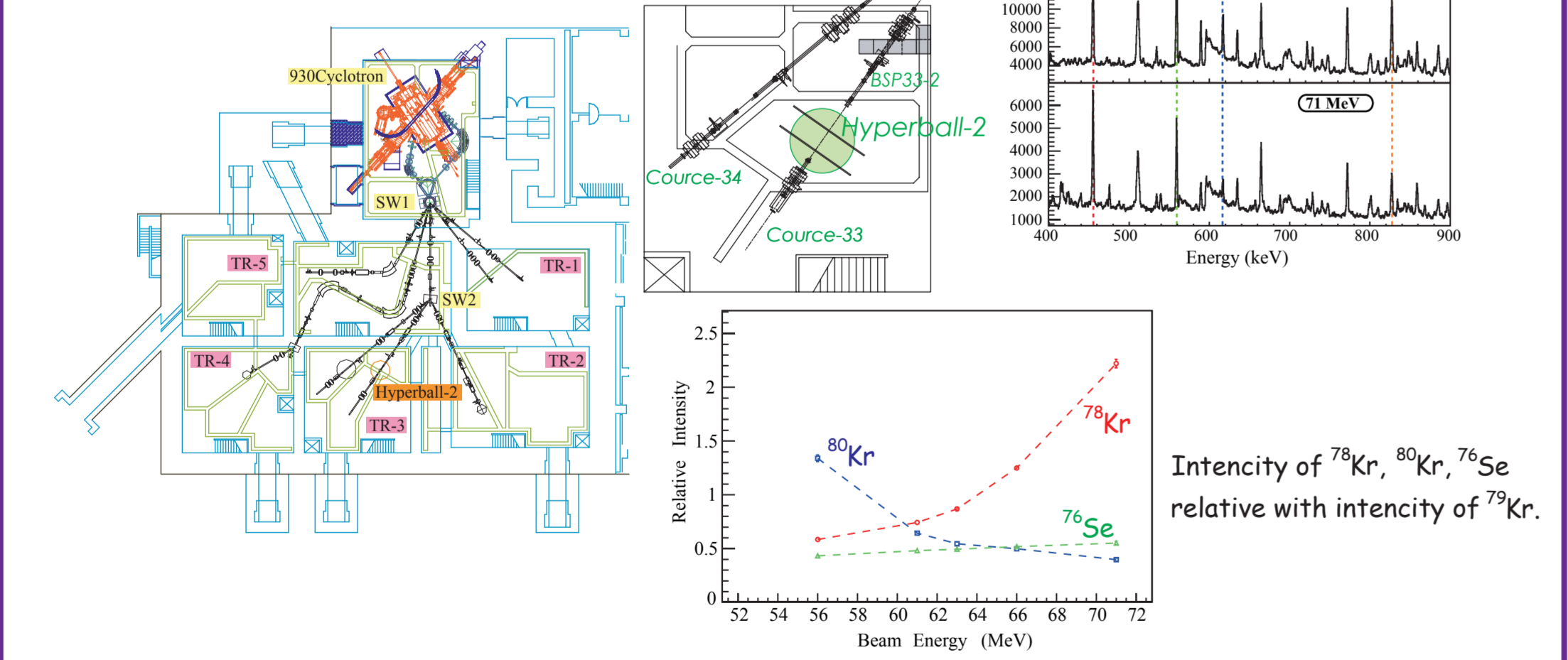
Beam energy: 65 MeV (obtained from 930 cyclotron at Tohoku Univ.)

(The beam energy was determined from excitation function measurement at Stony-Brook)

Target: stacks of two 500 $\mu\text{g}/\text{cm}^2$ self supporting enriched (70%) ^{70}Zn .

γ -ray detection: The Hyperball2 array

Triple or higher coincidence



Intensity of ^{79}Kr , ^{80}Kr , ^{76}Se relative with intensity of ^{79}Kr .

Linear Polarization analysis

Linear polarization can be extracted with clover detectors to determine whether the transition is electric or magnetic.

(Sign of P can be known without knowing sensitivity Q)

$$P = \frac{1}{Q} \frac{N_{\perp} - N_{\parallel}}{N_{\$$