



NEWS DBD Hiro Ejiri Greenary Nymph 翠の精

Fundamental questions of neutrinos

Neutrinos are KEYs for new physics:



1. Lepton number violation



2. Majorana particle $\nu = \text{anti } \nu$

3. Absolute mass scale and mass spectrum

$$\text{NH } m_1 < m_2 < m_3 \quad \text{IH } m_3 < m_1 < m_2$$

3. Lepton sector CP phases,

4. Weak interactions with right-handed currents,

5. Susy-exchange mechanism . Majoron mediated weak process.

These fundamental questions of ν are studied by nuclear $\beta\beta$ decays in nuclear femto laboratories.

Unique features of DBD

1. Part. Phys. Neutrinos and weak interactions
beyond the electro-weak standard model SM
Majorana nature $\nu, \bar{\nu}$, mass scale and spectrum
Right weak current. Weak CP phases
New mechanisms SUSY, Majoron, and others
2. Exp. Low energy (a few MeV) ultra-rare ($10^{-36}/\text{sec}$)
Ultra high luminosity $10^{83} / \text{cm}^2 \text{ sec}$
3. Nucl. Phys. Nuclear matrix elements.
Sensitive to all nucleonic and non-nucleonic effects

References

- 1. Ejiri H, Suhonen J and Zuber Z 2019 Phys. Rep. 797 1
- 2. Ejiri H 2005 J. Phys. Soc Jpn. 74 2101
- 3. Vergados J, Ejiri H and Simkovic F 2012 Rep. Prog. Phys. 75 106301
- 4. Ejiri H 2019 Frontiers in Physics 10.3389/fphys. 00030
- 5. Ejiri H, 2019 J. Phys. G. Nucl. Part. Phys. 46 125202
- 5. Ejiri H 2019 MEDEX2019, AIP Conf. Proc. 2165 020007

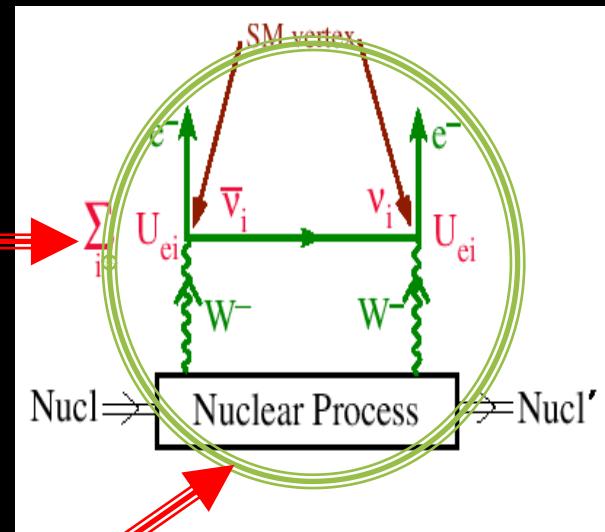
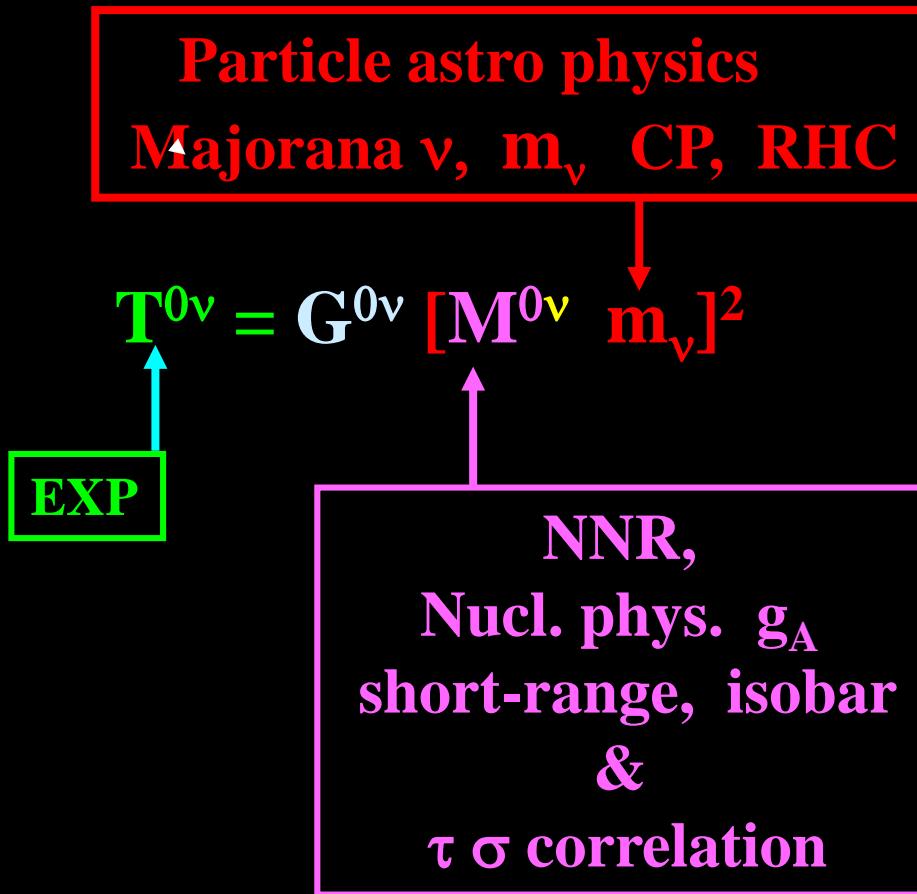


I. Introduction to DBD

Majorana neutrinos and neutrino-less $\beta\beta$ decays

$$0\nu\beta\beta \quad A = B + \beta + \beta$$

Lepton number $\Delta L=2$ beyond SM.



Experimental aspects of DBD ν -mass studies.

**I. Neutrino mass and
DBD mass sensitivity (Dec 5th)**

**II. Nuclear Physics
Nuclear matrix elements. (2020.)**

I. Neutrino mass and DBD mass sensitivity

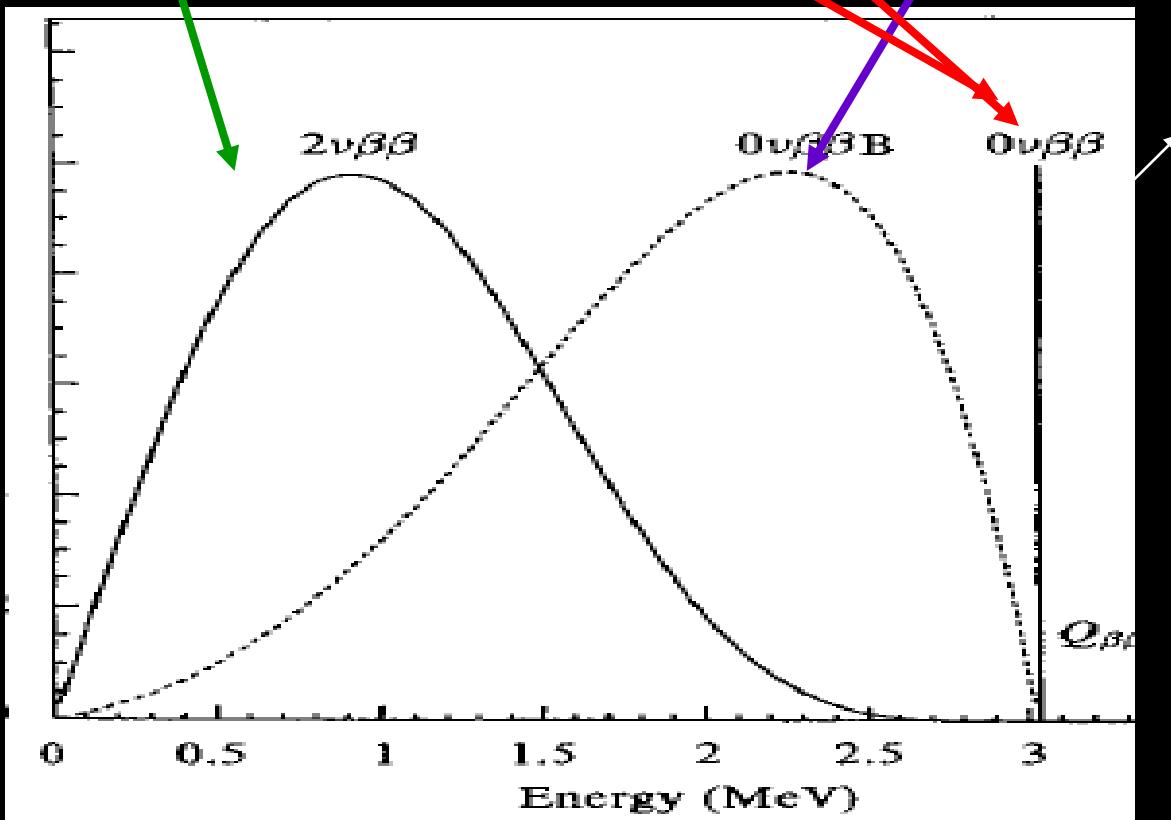
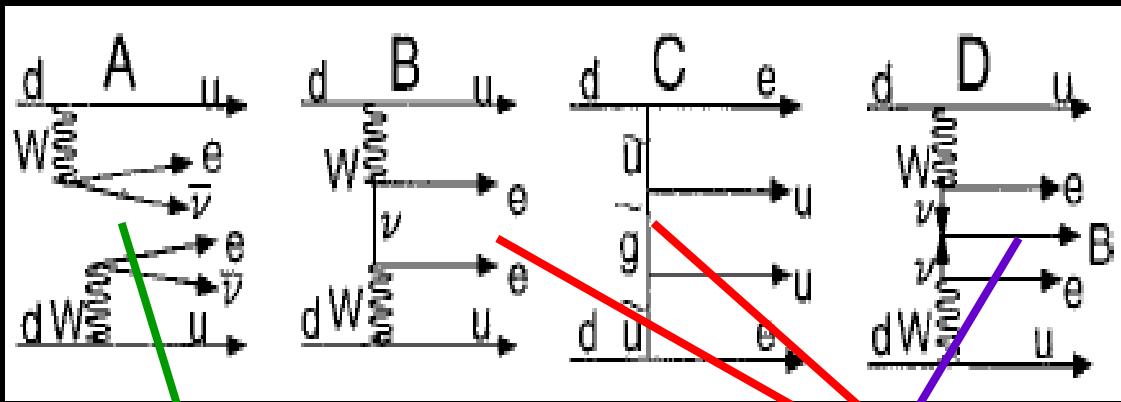
Dec. 5th

- 1. What we learn by ν-less double beta decays (DBD)
- How we identify /study Majorana nature ,
- ν-mass, lepton-sector phases. and DBD mechanisms
- 2. DBD rate and the ν-mass sensitivity
- DBD experiments to access DBD and the ν-mass



II. What we learn by v-less DBD

- A. $2\nu\beta\beta$
 B. $0\nu\beta\beta$,
 D. $M\beta\beta$ -



Energy spectra to select the $0\nu\beta\beta$ 2-body kinematics

L-R symmetric model : Left right weak currents

$$T^{0\nu} = G^{0\nu} |M^{0\nu}|^2 K_{\nu R},$$

$$\begin{aligned} K_{\nu R} = & \left[\left(\frac{\langle m_\nu \rangle}{m_e} \right)^2 + C_{\lambda\lambda} \langle \lambda \rangle^2 + C_{\eta\eta} \langle \eta \rangle^2 \right. \\ & + C_{m\lambda} \frac{\langle m_\nu \rangle}{m_e} \langle \lambda \rangle \cos \phi_1 + C_{m\eta} \frac{\langle m_\nu \rangle}{m_e} \langle \eta \rangle \cos \phi_2 \\ & \left. + C_{\eta\lambda} \langle \lambda \rangle \langle \eta \rangle \cos (\phi_1 - \phi_2) \right]. \end{aligned}$$

RHC L/R weak boson mass ratio λ and mixing θ

$$\langle m \rangle = |\sum m_j U_{ej}| \quad \langle \lambda \rangle = (M_L/M_R)^2 |\sum U_{ej} V_{ej}|$$

$$\langle \eta \rangle = \tan \theta_{LR} |\sum U_{ej} V_{ej}|$$

C. Θ_{21} and E_{12} correlations to identify LHC/RHC

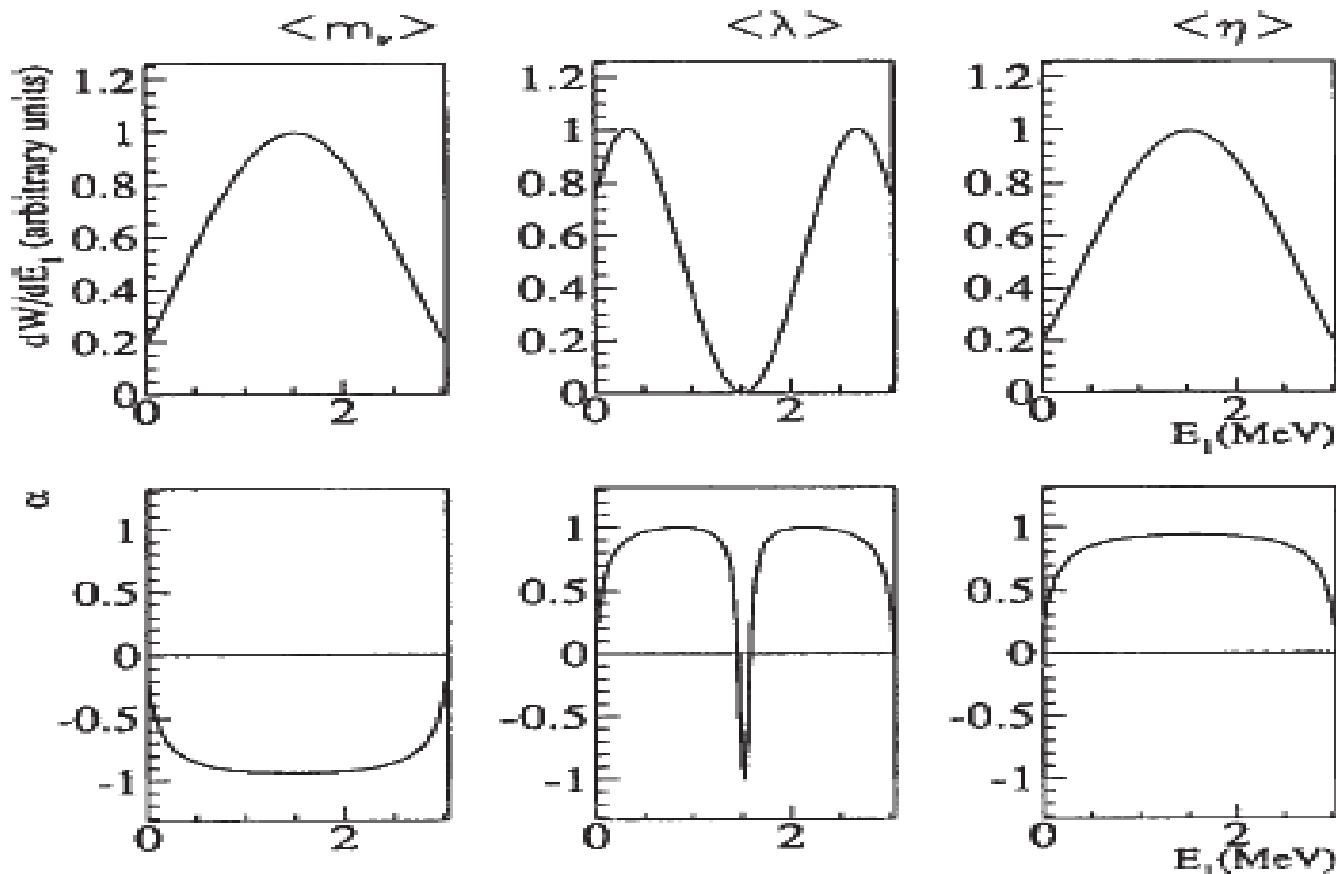


Fig. 4. Energy and angular correlations for the ^{100}Mo $0\nu\beta\beta$ process caused by the mass and right-handed current terms of $\langle m \rangle$, $\langle \lambda \rangle$ and $\langle \eta \rangle$. Top: Calculated single- β spectra. Bottom: $\beta_1 - \beta_2$ angular correlation coefficients α defined by $W(\theta_{12}) = 1 + \alpha \cos \theta_{12}$.⁴⁾

$$\langle m \rangle \sim 0.3 \text{ eV}, \langle \lambda \rangle \sim 7 \cdot 10^{-7}, \langle \eta \rangle \sim 4 \cdot 10^{-9}$$

TABLE III. Limits on the effective Majorana neutrino mass and right-handed weak current parameters with 90(68)% C.L. from the $0\nu\beta\beta$ decay of ^{100}Mo for the recent calculation of nuclear matrix element.

	$\langle m_\nu \rangle$ (eV)	$\langle \lambda \rangle$ (10^{-6})	$\langle \eta \rangle$ (10^{-8})
QRPA ^a	4.8(3.5)	4.7(3.3)	2.4(1.9)
QRPA ^b	2.1(1.5)	3.6(2.5)	2.6(1.9)
QRPA SU(3) ^c	2.4(1.7)	3.2(2.2)	2.7(2.0)
RQRPA ^d	2.5(1.8)		
RQRPA ^e	2.8(2.0)		

^aReference [28].

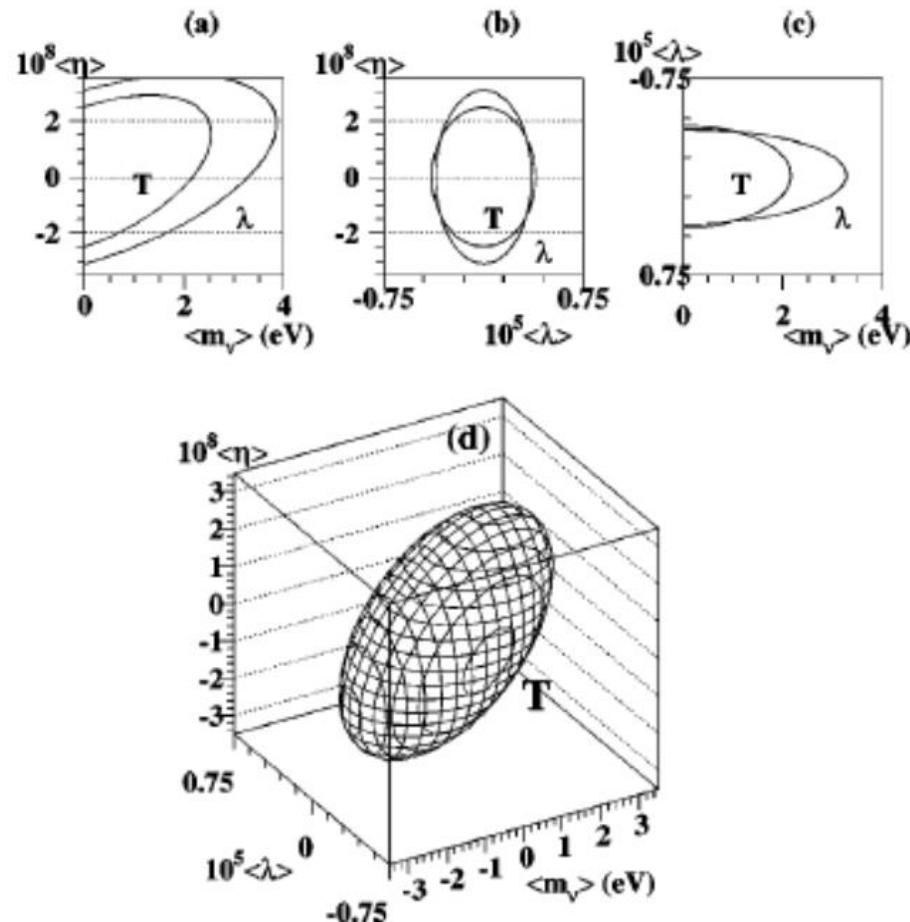
^bReference [27].

^cReference [29].

^dReference [4].

^eReference [30].

H. Ejiri , N. Kudomi et al ELEGANT
PR C 63 2001 065501
100Mo tracking detector



Left handed currents

Exchanges : light ν mass, heavy ν -mass, Susy
Same kinematics; E & θ distribution

Different isotopes/states with different $Q_{\beta\beta}$, $M^{0\nu}$
to identify

1. $0\nu\beta\beta$ peak/BG and
2. light- ν , SUSY $M^{0\nu} = M(m) + M(SUSY)$

J. Vergados PR 361 02 $\lambda_{111}' < 2 \sim 3 \cdot 10^{-5}$

A. Faessler,et al PRD 77 (2008) 113012

Neutrino mass and neutrino matrix

$$\begin{pmatrix} \nu_e \\ \nu_\mu \\ \nu_\tau \end{pmatrix} = \begin{pmatrix} C_{12}C_{13} & C_{13}S_{12} & S_{13}e^{-i\delta} \\ -S_{12}C_{23} - C_{12}S_{23}S_{13}e^{i\delta} & C_{12}C_{23} - S_{12}S_{23}S_{13}e^{i\delta} & S_{23}C_{13} \\ S_{12}S_{23} - C_{12}C_{23}S_{13}e^{i\delta} & -C_{12}S_{23} - S_{12}C_{23}S_{13}e^{i\delta} & C_{23}C_{13} \end{pmatrix} U_p \begin{pmatrix} \nu_1 \\ \nu_2 \\ \nu_3 \end{pmatrix}.$$

$$U_p = \begin{pmatrix} e^{i\alpha_1/2} & 0 & 0 \\ 0 & e^{i\alpha_2/2} & 0 \\ 0 & 0 & 1 \end{pmatrix}.$$

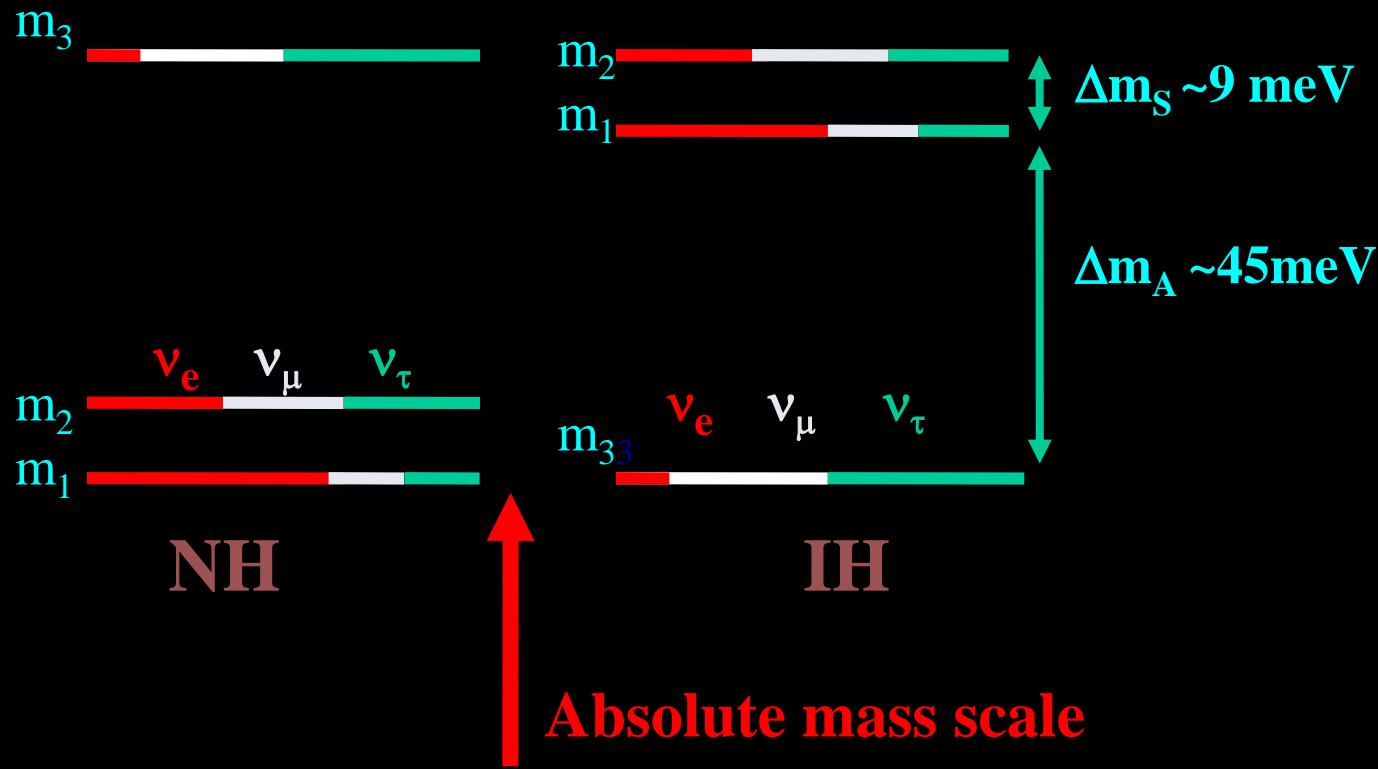
$$\Delta m^2(\text{ATM}) = (2.43 \pm 0.13) \times 10^{-3} \text{ eV}$$

$$\Delta m^2(\text{SUN}) = (7.65+0.13-0.20) \times 10^{-5} \text{ eV}^2$$

$$\tan^2 \theta_{12} = 0.452+0.035-0.033 \quad \sin^2 2\theta_{23} > 0.94$$

$$\sin^2 2\theta_{13} = 0.092 \pm 0.016 \text{ (stat)} \pm 0.005 \text{ (syst)}$$

ν -mass spectrum



$$\langle m_\nu \rangle = |\sum U_i^2 \exp(i\phi_i) m_i| \quad \phi_i = \alpha_2 - \alpha_1,$$

is given by using U_i Δm_S , Δm_A given by ν oscillations

$$T^{0\nu} = G^{0\nu} |M^{0\nu}|^2 |\langle m_\nu \rangle|^2. \quad (19)$$

The effective mass $\langle m_\nu \rangle$ is expressed using the mixing coefficients and the Majorana phases as

$$\begin{aligned} \langle m_\nu \rangle &= \left| \sum_i |U_{ei}|^2 m_i e^{i\alpha_i} \right|, \\ &= |C_{12}^2 C_{13}^2 m_1 + C_{13}^2 S_{12}^2 m_2 e^{i\phi_2} + S_{13}^2 m_3 e^{i\phi_3}|, \end{aligned} \quad (20)$$

where $\phi_2 = \alpha_2 - \alpha_1$ and $\phi_3 = -\alpha_1 - 2\delta$ are the phases for $|m_2\rangle$ and $|m_3\rangle$ with respect to $|m_1\rangle$. They are either 0 or π in the case of CP conservation.

IH in case of small m_3

$$\langle m \rangle \sim m(\text{ATM}) (1 - \sin^2 2 \theta_{12} \sin^2 \alpha_{12})^{1/2}$$

$$\theta_{12} \sim 34 \text{ deg} \quad \theta_{13} \sim 8.5 \text{ deg. .}$$

Phase difference $\phi_2 = \alpha_{12}$ = to be measured .

0– $\pi/2$: $m = 50\text{-}15$ meV need $\Delta m \sim 5$ meV, and

NME $\Delta M \sim 15\%$ to get the phase difference $\pi/4$

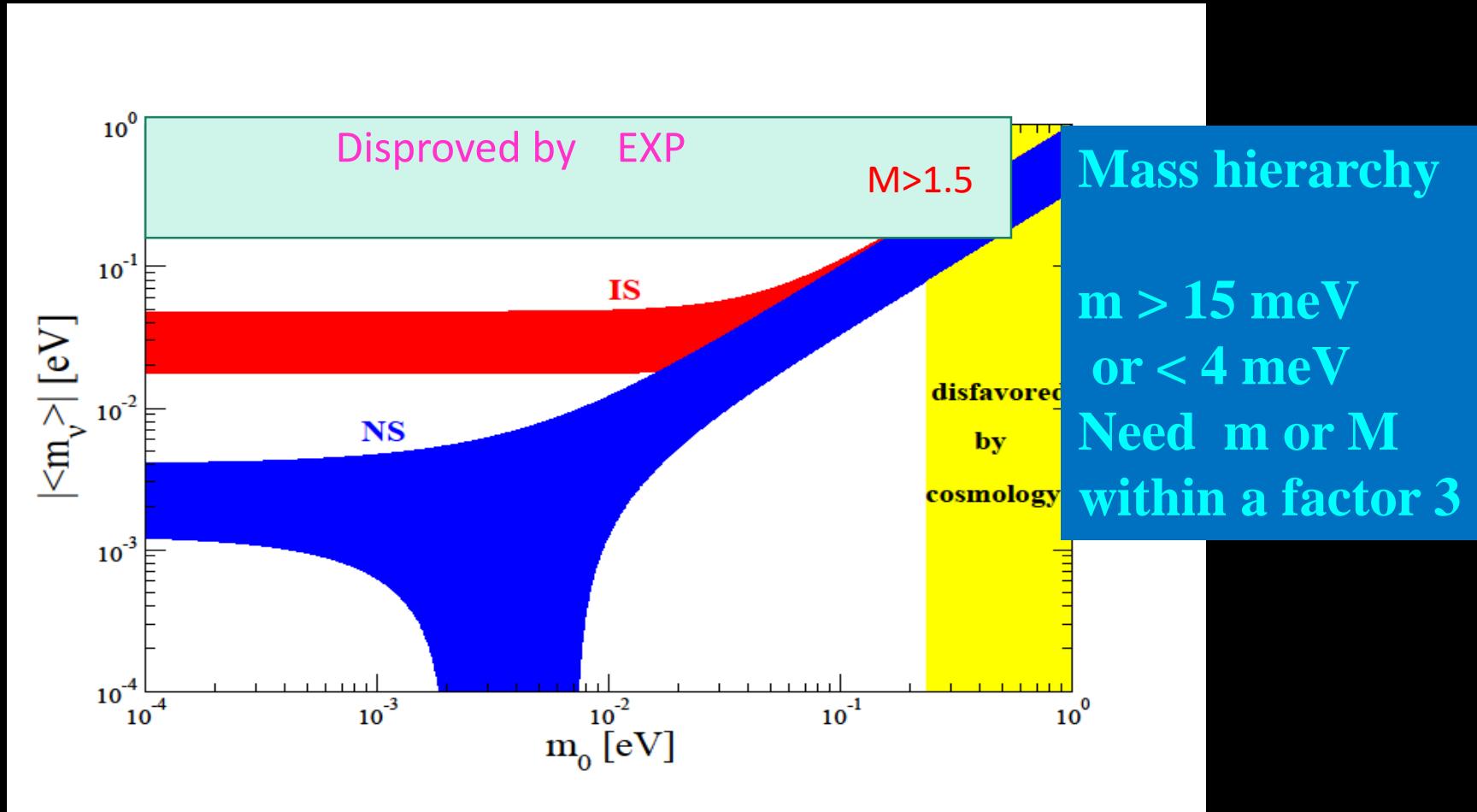
NH in case of small m_1

$$\langle m \rangle \sim m(\text{Sun}) (\sin^2 \theta_{12})$$

$$m(\text{ATM}) (\sin^2 \theta_{13}) \exp(-2\alpha_2) = 1.5\text{-}4 \text{ meV}$$

Phase difference α_2 : $m = 4\text{-}1.3$ meV need $\Delta m \sim$ meV, and NME $\Delta M \sim 15\%$ to get the phase α_2

$\langle m_\nu \rangle = |\sum U_{ij}^2 \exp(i\phi_i) m_i|$ $\phi_2 = \alpha_2 - \alpha_1$, $\phi_3 = -\alpha_2 - 2\delta$
 is given by using U_{ij} Δm_S , Δm_A given by ν oscillations.



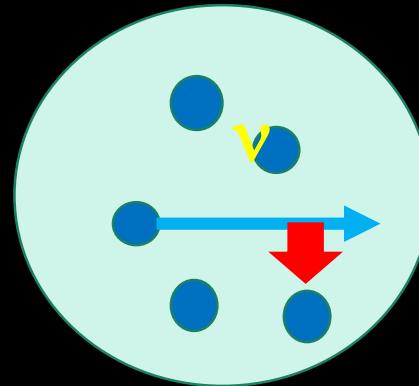
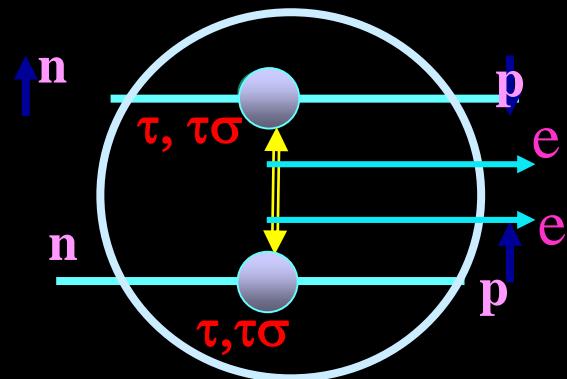
J. Vergados, H. Ejiri, F. Simkovic, Rep. Prog. Phys. 75 (2012) 106301.

H. Ejiri, J. Phys. Soc. Jpn. 74 (2005) 2101.

Why DBD : $\sigma \sim 10^{-83} \text{ cm}^2$ $T \sim 10^{-36}/\text{sec}$

A femto (10^{-15}cm) nuclear collider

Luminosity $L \sim 10^{76}/\text{cm}^2/\text{sec} = 3 \cdot 10^{83}/\text{cm}^2/\text{y}$



3 ton 10^{30} neutrons with 1/3
light velocity in a bahn area

Cross section = 10^{-83} cm^2
in case of IH 20 meV M=2

III DBD mass sensitivity and DBD exps to access the v-mass



Key Elements for DBD

$$T^{0\nu} = G^{0\nu} [M \ m]^2 \quad m = \text{light Majorana } \nu \text{ mass}$$

Experiment gives a limit or a value for $[M \ m]$

or $M \longleftrightarrow m$ if M or m is known

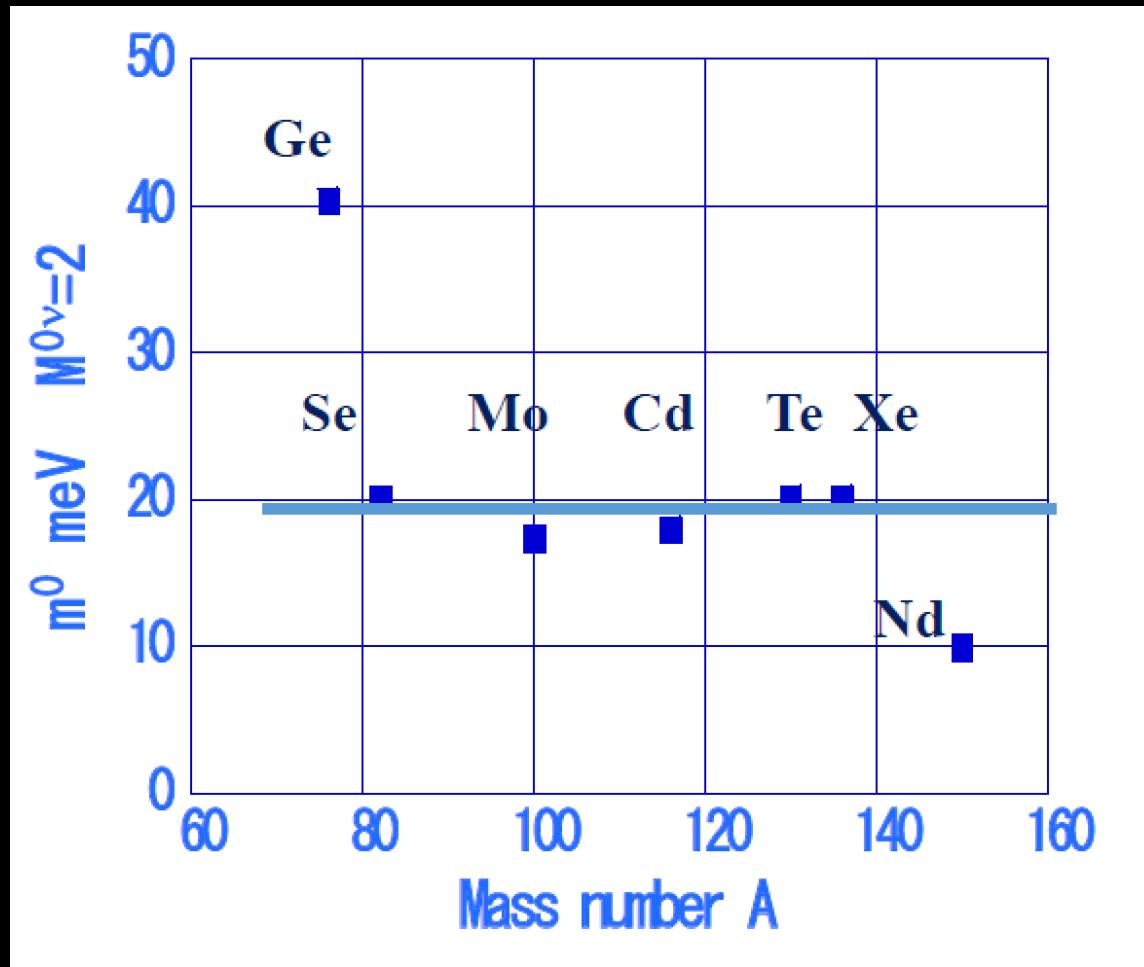
$$T^{0\nu} = [m/m_0]^2 \quad m_0 = \text{unit mass to give 1 /ton year}$$

$$= k / [M (G^{0\nu})^{1/2}]$$

$$\sim 20\text{-}40 \text{ meV} (2/M)$$

$$(T)^{-1} = (m/m_0)^2 \quad \text{Rate } / t \text{ y} \quad m = m_0 = k/M \quad M = NME$$

In case of $M=2$: Ton scale is required, $2n$, isobar ?



Key Elements for DBD

m_m = Neutrino mass to be detected.

Signal > BG

$$T^{0\nu} NT = [m_m/m_0]^2 NT > (BG)^{1/2} = (BNT)^{1/2}$$

NT= Isotope ton and year B= BG/ton year

$$m_m = m_0 d$$

d=2 $[B/NT]^{1/4}$ detector sensitivity, $\varepsilon \sim 0.5$

$$m_m = 2 m_0 [B/NT]^{1/4} \text{ in case of } \varepsilon = 0.5$$

$$m_0 = k/M = 20, M = 2, B = 1, NT = 16, m_m = 20 \text{ meV}$$

Why Nuclear Matrix element M

1. Get ν -mass $m = [1/M] [T_{1/2} G]^{-1/2}$

2. Detector mass sensitivity

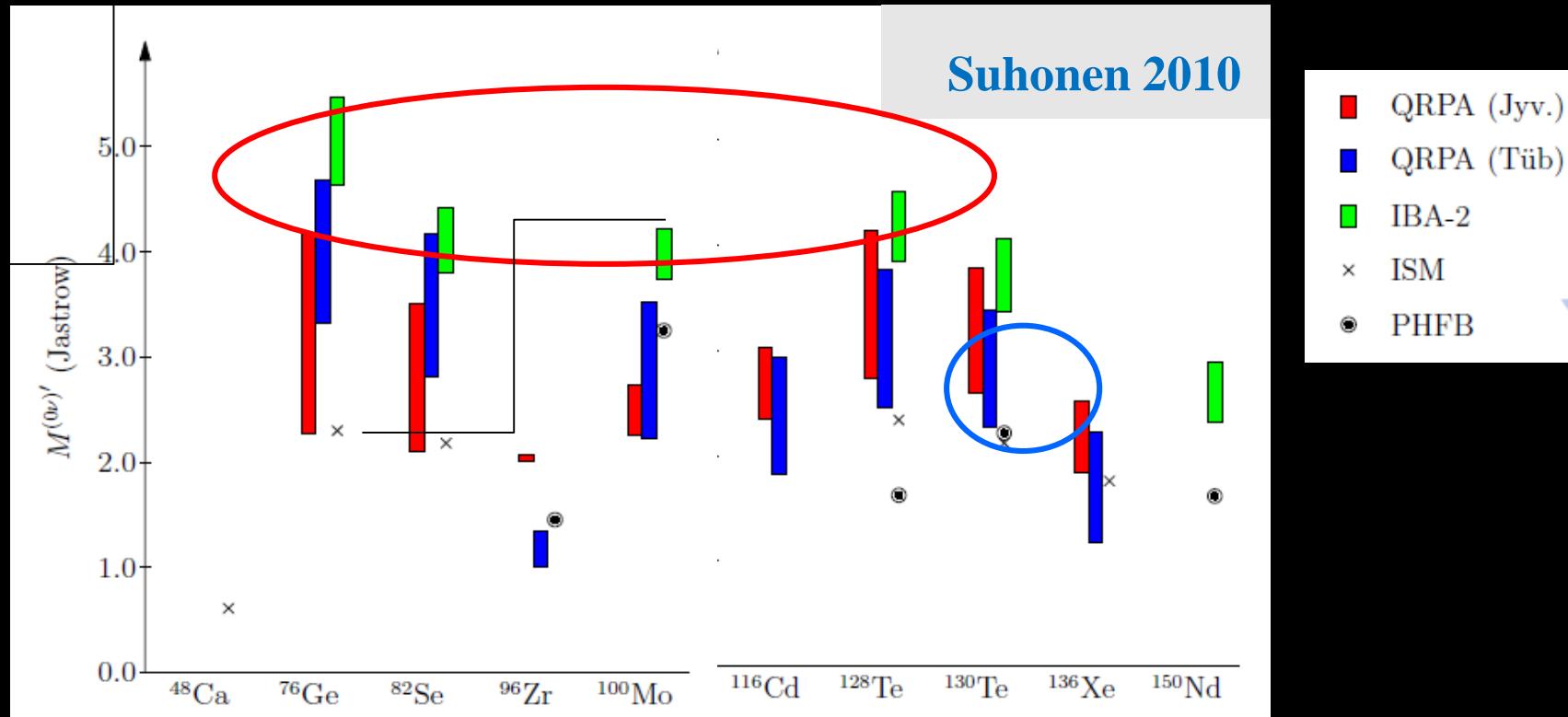
$$m = k m_0 / M [B/N]^{1/4} \quad m_0 \text{ for } S=1/ty$$

- $M = NME$, $B = BG/ty$ $N = \text{Isotope mass ton}$
- M Factor 3 in M is equivalent to
- Factors 100 less in BG or 100 more in N tons

3. Theoretical M : factor 10 uncertainty

- Need experimental input to M

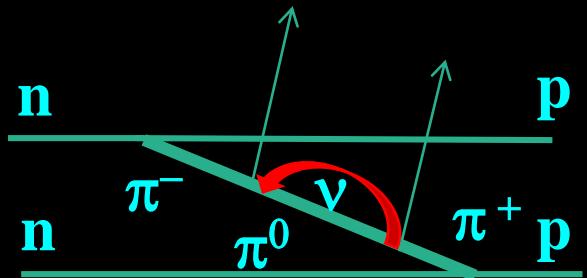
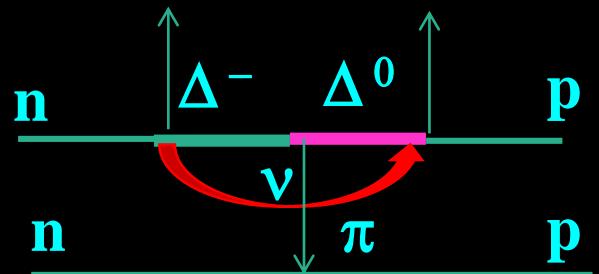
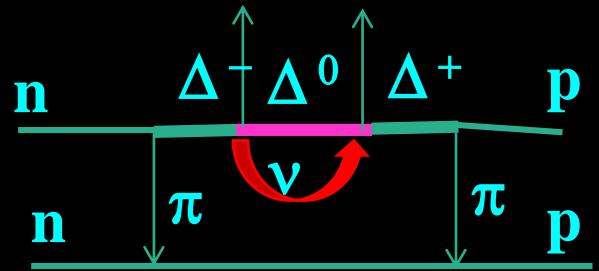
NMEas are very sensitive to nuclear models and parameters



Experimental inputs are crucial, NEXT NEWS in Jan

Hadronic (Δ , π) *

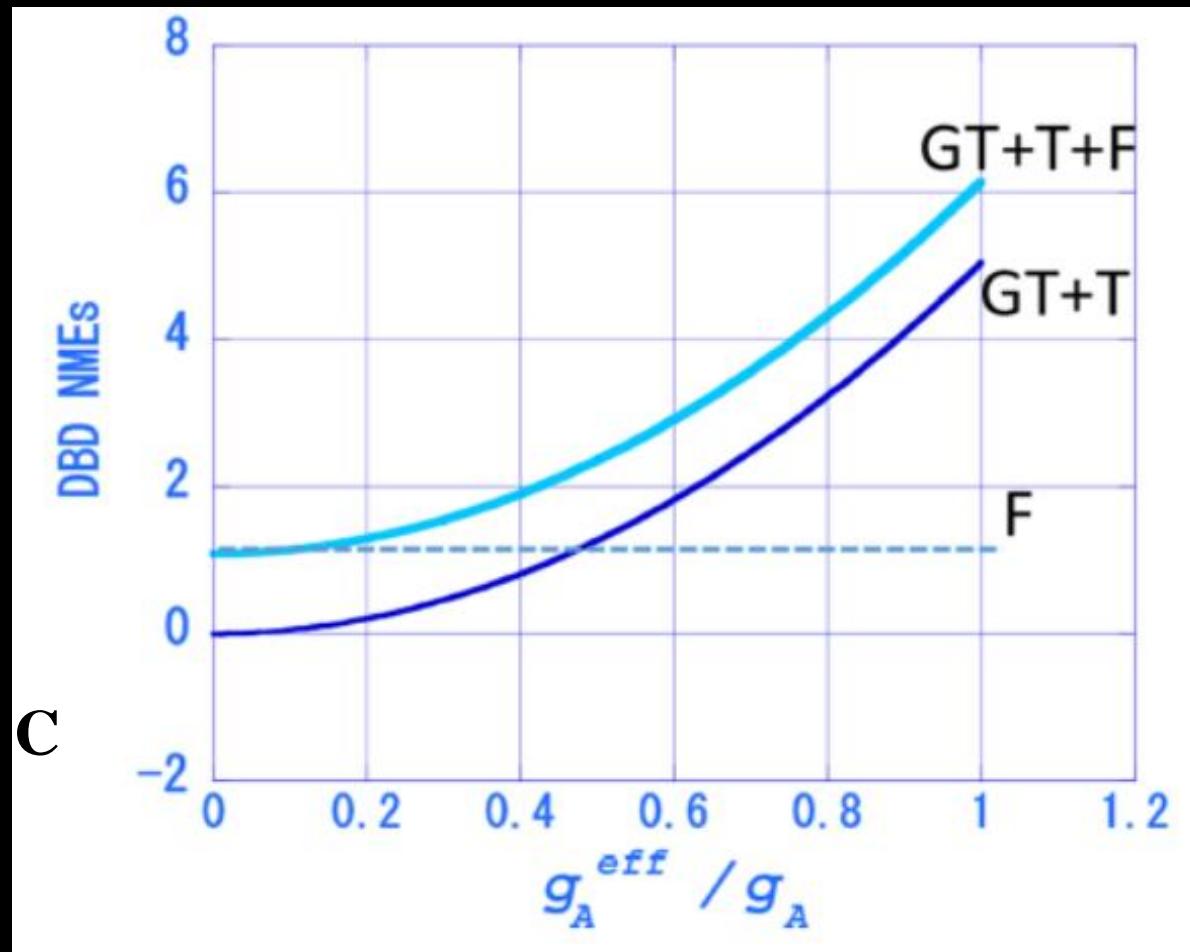
Effect on low $\beta\beta$ $0^+ - 0^+$
 $P(\Delta)^2 \sim (10^{-2})^2 \sim 10^{-4}$



*Pontecorvo; Haxton, Stephenson, Kotani Doi .

$$M^{0\nu} = \left[\frac{g_A^{eff}}{g_A} \right]^2 [M_M^{0\nu}(GT) + M_M^{0\nu}(T)] + \left[\frac{g_V}{g_A} \right]^2 M_M^{0\nu}(F),$$

M(α) by
pnQRPA
 ^{76}Ge



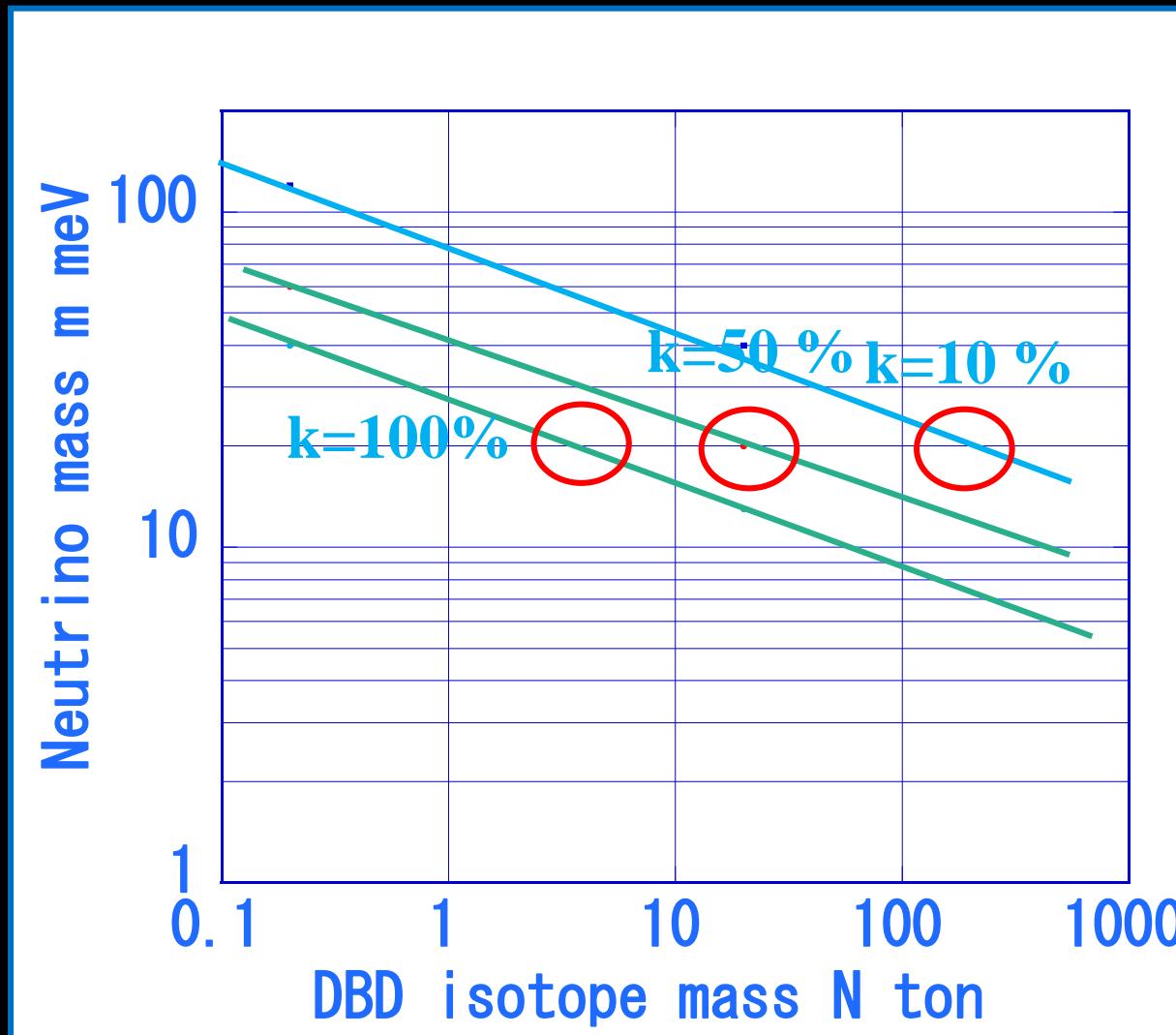
$g_A^{eff} / g_A = 0.5$ leads to reductions 0.25 for $M(GT)$,
0.4 for $M^{0\nu}$, 0.16 for DBD rate, ~ 40 for detector mass



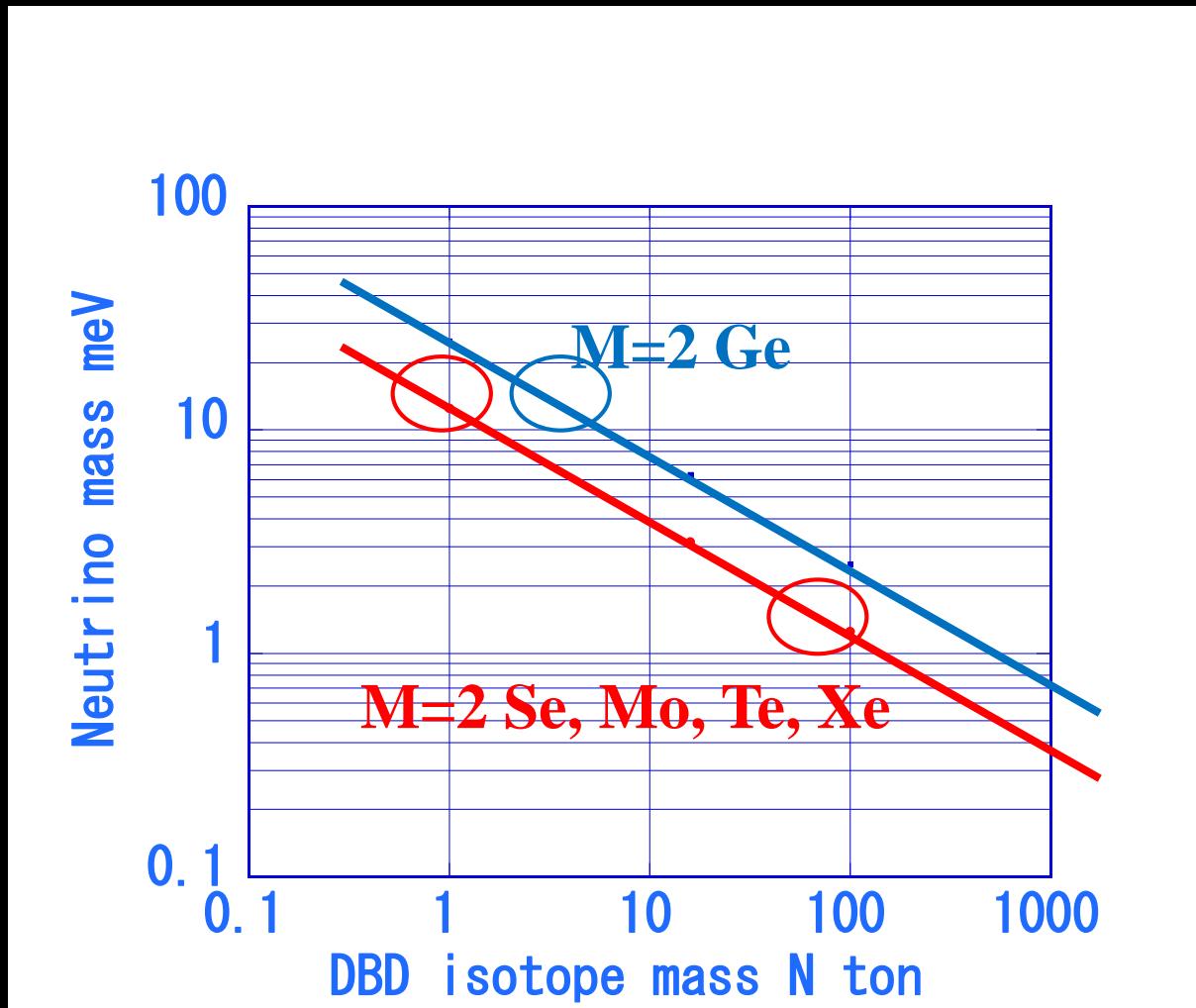
Detectors to access the IH mass

2019/12/6

Enrichment k $m=2m_0 k^{-1/2} (B/NT)^{1/4}$
 $B=1/\text{ty}$ $T=5 \text{ y}$ $m_0=20 \text{ meV}$, IH 20 meV

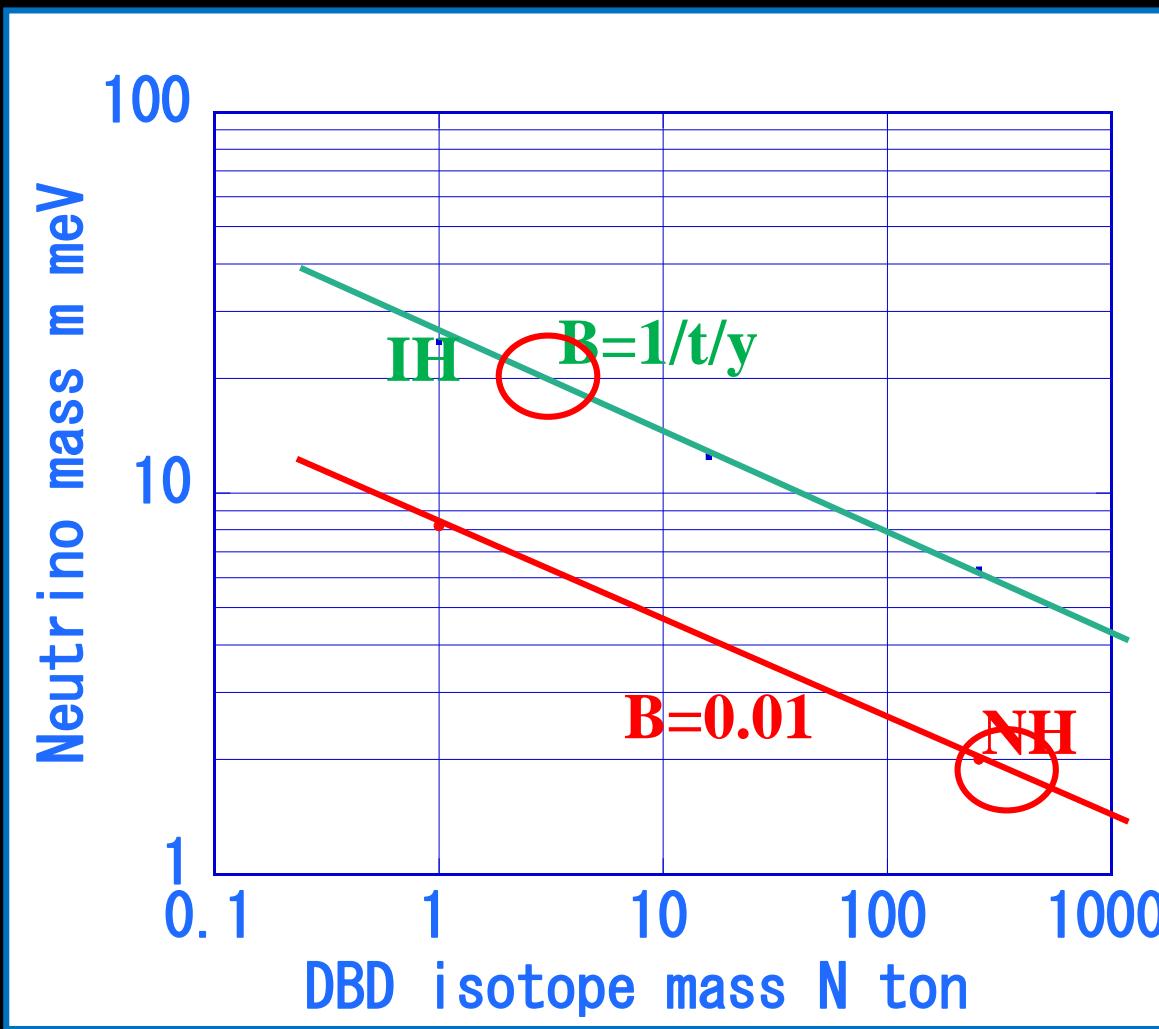


N ton and m meV in T=5 year Y=3 counts, B=0



$N \sim 1$ to cover IH and $N \sim 100$ for NH even $BG=0$

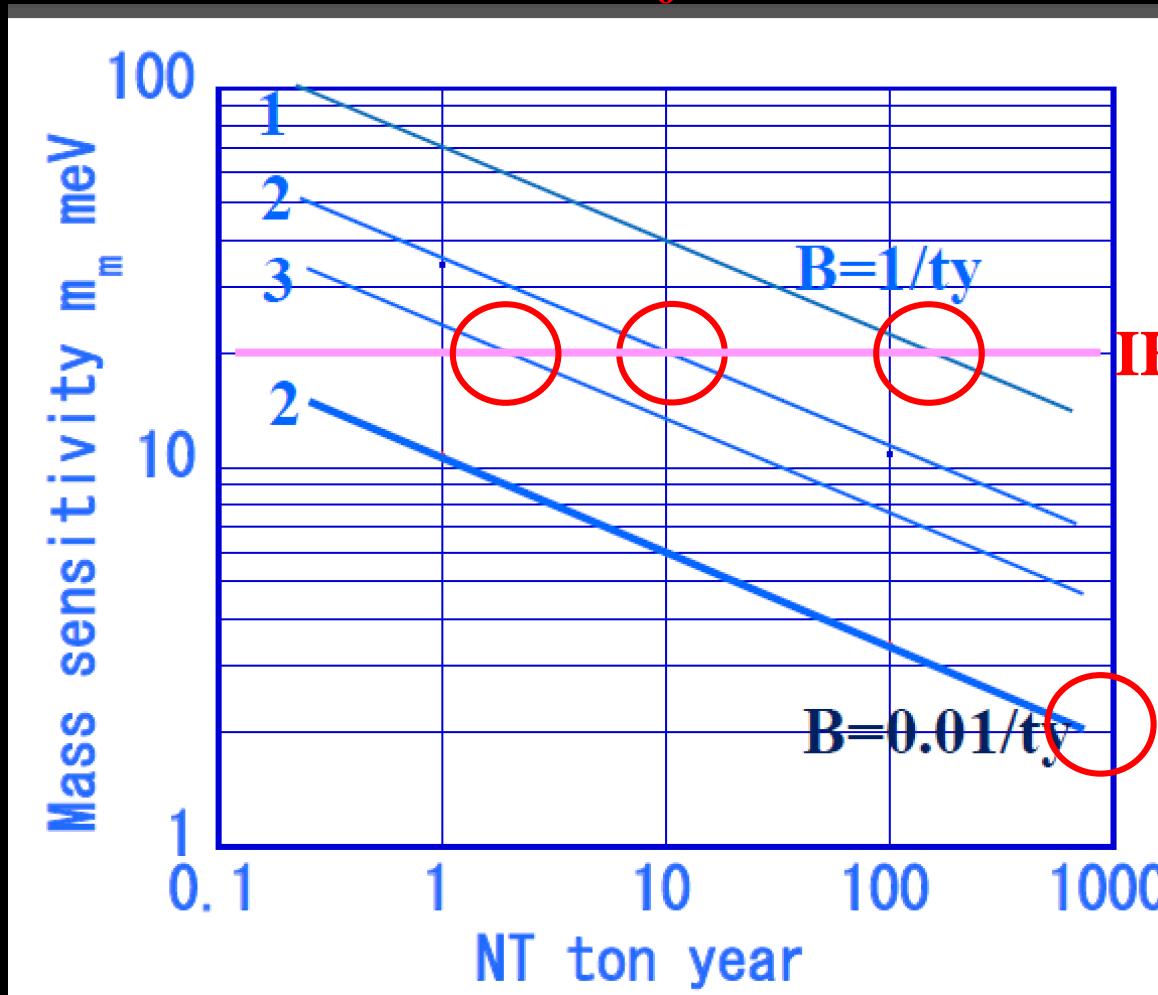
N for $M=2$ $T=5$ year $BG=1 /ty$ $B=0.01 / t y$



DBD $0\nu\beta\beta$ NMEs and DBD mass sensitivity

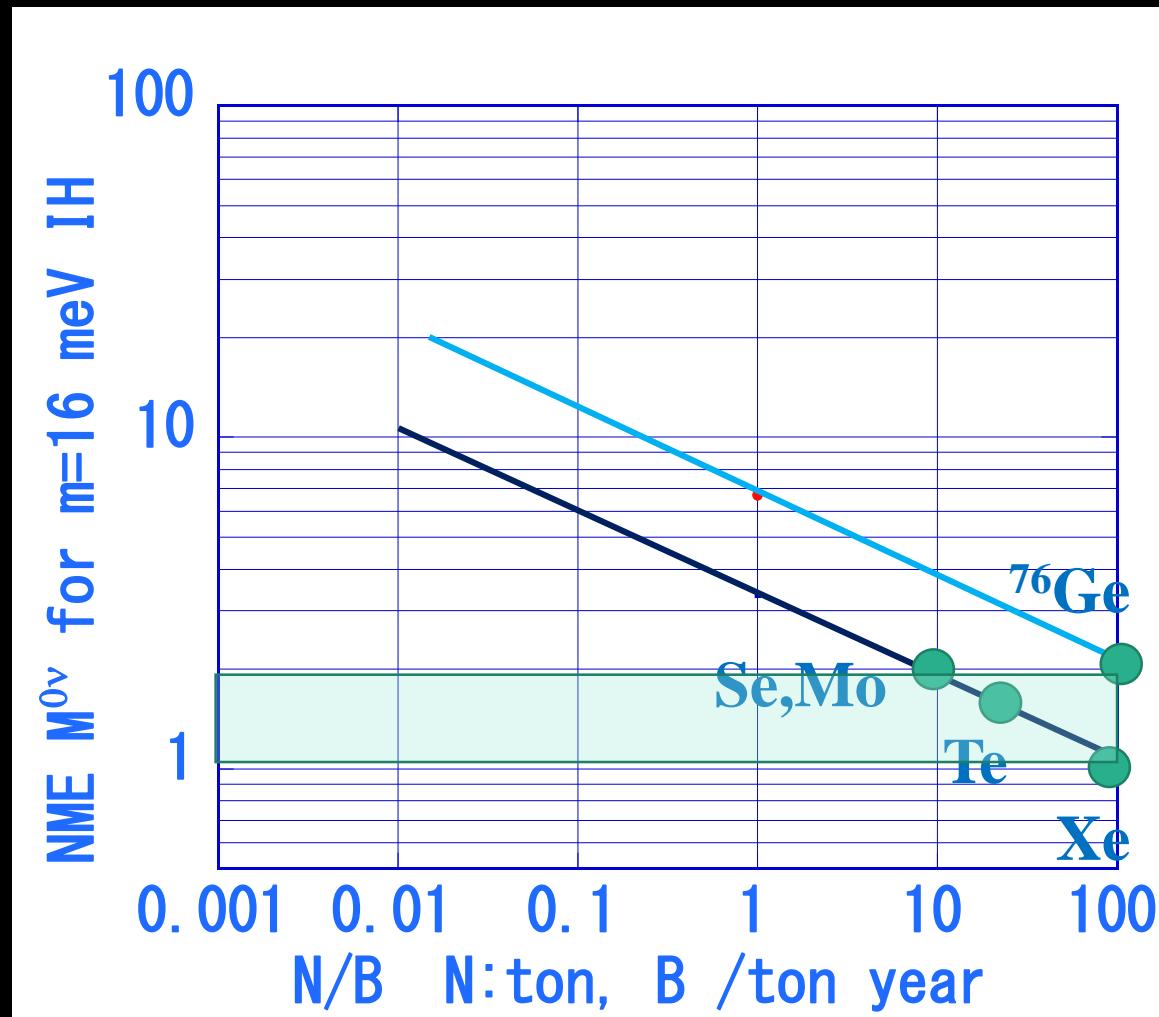
$$m = k [m_0] [B/N]^{1/4}$$

$$M^{0\nu} = k^2 M(\text{QRPA}) \sim 2, m_0 = 18 \text{ meV} \quad \varepsilon \sim 0.5$$



IH 20 meV

NME versus N Isotope and B (BG) for IH=16 meV T=5 y exp.

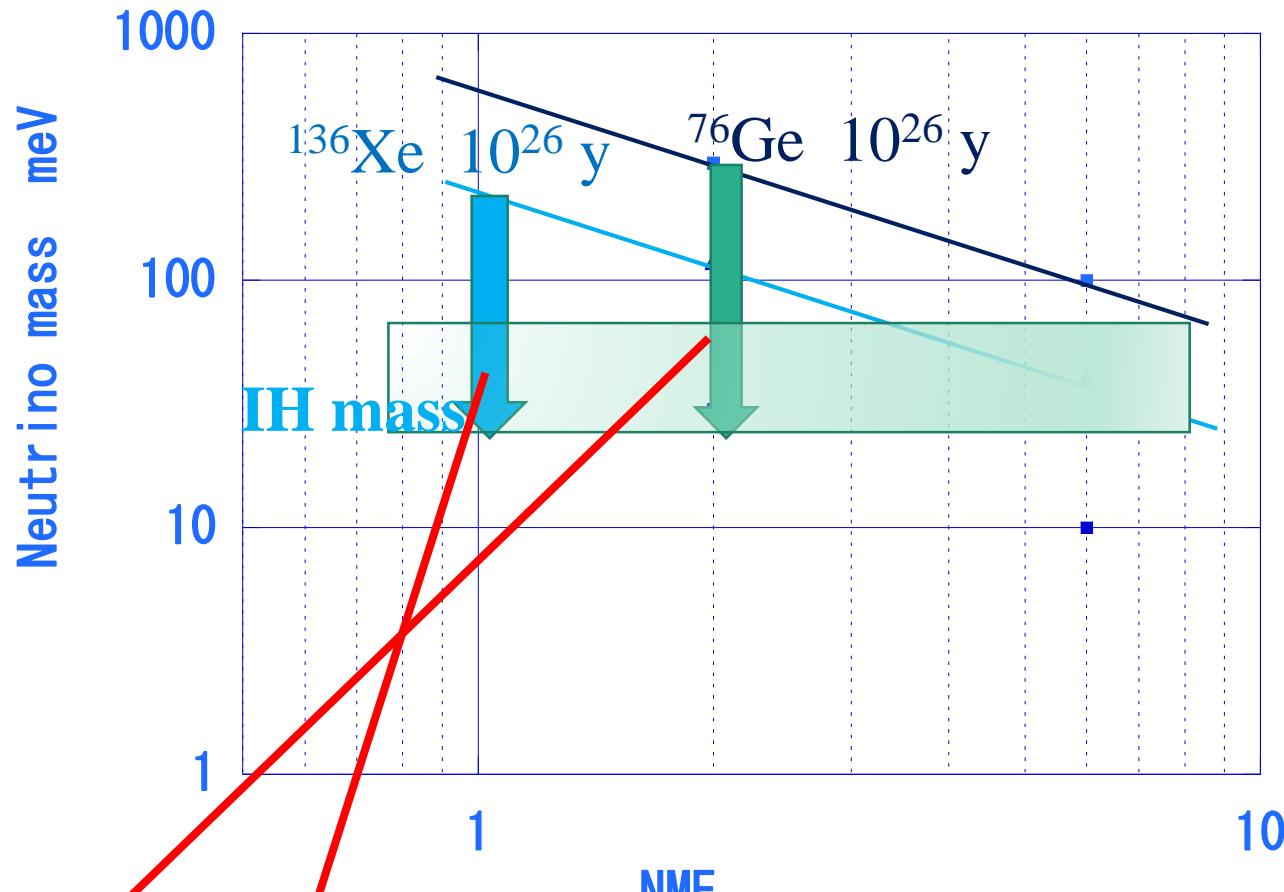


^{76}Ge $M \sim 2$ $N/B \sim 100$ $N \sim 10 \text{ t} \quad B \sim 0.1 \text{ /t y}$

Se, Mo $M \sim 2$ $N/B \sim 10$ $N \sim 30 \text{ t} \quad B \sim 0.3 \text{ / t y}$

Xe $M \sim 1$ $N/B = 100$ $N \sim 30 \text{ t} \quad B \sim 0.3 \text{ / t y}$

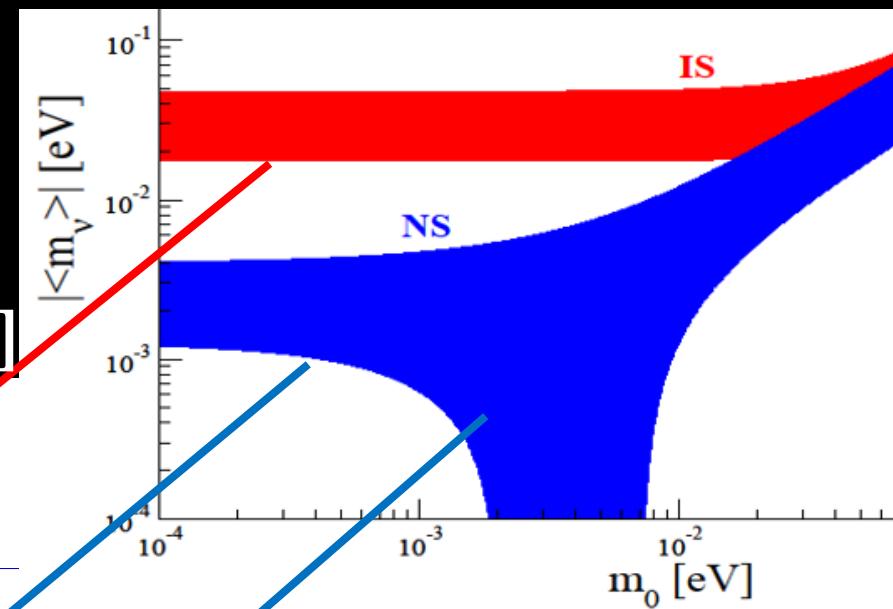
Limits on [Mass × NME] < k/T_{1/2}



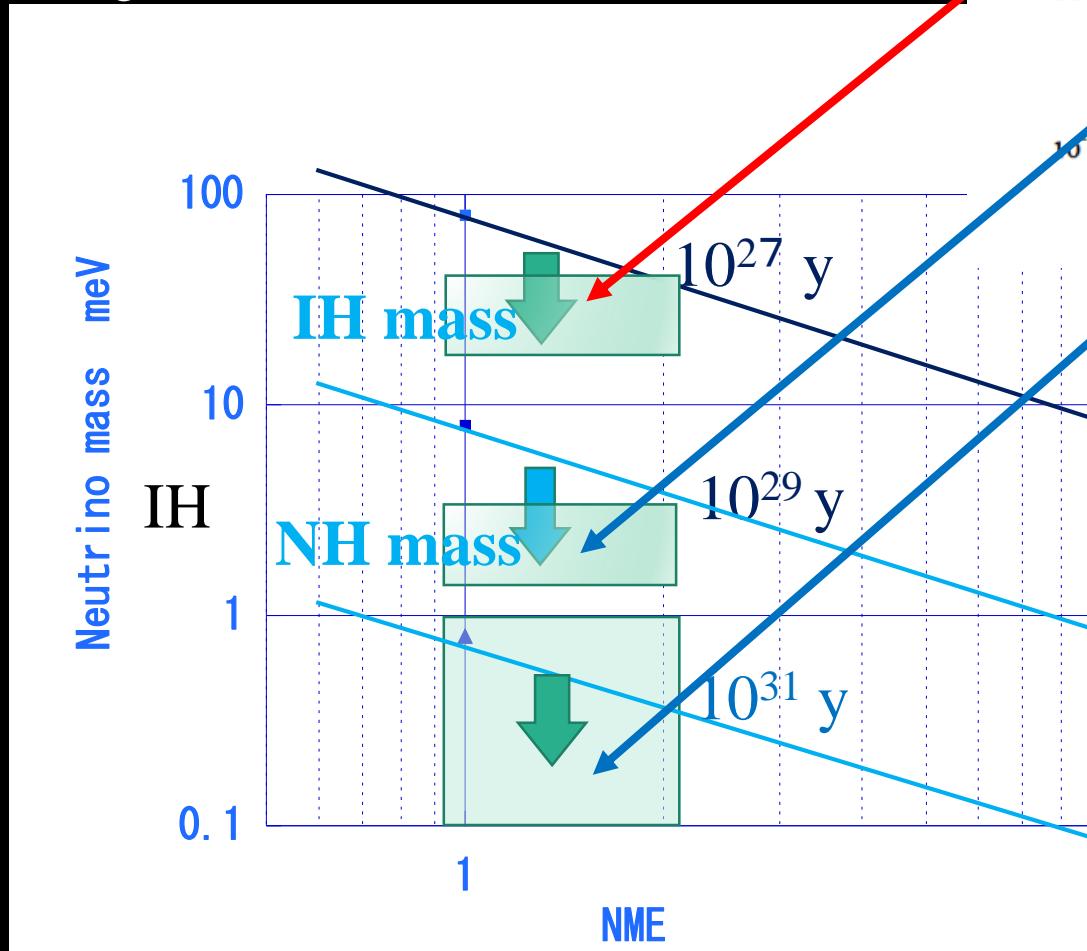
To reach IH mass = 16 meV,

factor 20 and 12.5 in mass and $1.6 \cdot 10^5$ and $2.4 \cdot 10^4$ in NT/B

A. Non-zero $0\nu\beta\beta$: Majorana and $[\text{Mass} \times M^{0\nu}]$



B. Limits on $T_{1/2}$ Dirac or Maj. limit on $[\text{Mass} \times \text{NME}]$



$m_0 = 20 \text{ meV} (2/M^{0\nu})$
Se, Mo, Te, Xe

Detectors to access the IH mass

Isotope Ton Centrifugal separation

Ge, Se, Mo, Xe

Sub.ton Laser separation Nd

BG per ROI= Energy resolution

$B < 0.1/t$ y Ge R=0.1 %

$B < 1/t$ y Bolometer R=0.5 %

NME M= 2 -1 Ge, Mo, Te, Xe

Lig. Scintilator $B \sim 1/R / t y$ R is concentration %

Ejiri Zuber 2016 J. Phys. G. 43 045201

Isotope	$\beta\beta(2\nu) \tau_{1/2}$ years	$Q_{\beta\beta}$ MeV	S_t (SNU)	B_{SB} events/t y	$B_{2\nu}$ events/t y
^{82}Se	9.2×10^{19} [17]	2.992	368	4.42	0.15
^{100}Mo	7.1×10^{18} [17]	3.034	539	0.11	1.56
^{130}Nd	8.2×10^{18} [17]	3.368	524	0.12	1.00
^{76}Ge	1.93×10^{21} [18]	2.039	6.3	0.03	0.005
^{130}Te	6.9×10^{20} [17]	2.528	33.7	0.48	0.01
^{136}Xe	2.19×10^{21} [17]	2.468	68.8	0.55	0.003

Possible DBD detector with IH mass 20 meV

Yes Majorana and IH and mass No Dirac or NH

- $m = k m_0 / M [B/N]^{1/4} m_0$ for $S=1/ty$
 - $M = NME = g_A^2 M(\text{QRPA})$
 - $B = BG/ty \quad N = \text{Isotope mass ton}$

m_0	In case M	$BG/t\gamma$	$N \text{ ton } /5\gamma$	Isotope A
40	2	0.1	3	Ge 76
20	1.5	1	6	Se 82
20	2	1	2	Mo 100
20	1-2	1	30-2	Xe 136

Search for the rare peak/events among huge BGs

Very low energy very rare events and multi mechanisms

I Energy sum spectrum $E=E(\beta 1)+E(\beta 2)$ with good E resolution

Find $0\nu\beta\beta$ peak (discovery potential) for lepton number 2

Huge single β BG peak in ROI (region of interest)

Two DBD isotopes to avoid accidental coincidence with BG peak

II Two beta E and angle correlations (like ELEGANT, MOON)

Identify $\beta 1$ and $\beta 2$, left-handed / right-handed currents

One DBD isotope suggested by I sum spectrum

What to do : Concentration of DBD powers

1. Enriched isotopes $k>80\%$ multi-tons

Centrifugal separation

**2. E resolution $< 1\%$ to avoid $2\nu\beta\beta$ and solar
and single- β BG**

**3. Select two isotopes , one from Se/Mo and one
from Te/Xe to identify the peak.**

**4. Experimental studies of NMEs with $p \sim 80$
MeV/c by $(^3\text{He},t)$ and (μ,xn) CERs**

5. R&D for MOON/ELEGANT for 2β and L/R.



Thanks for your attention