

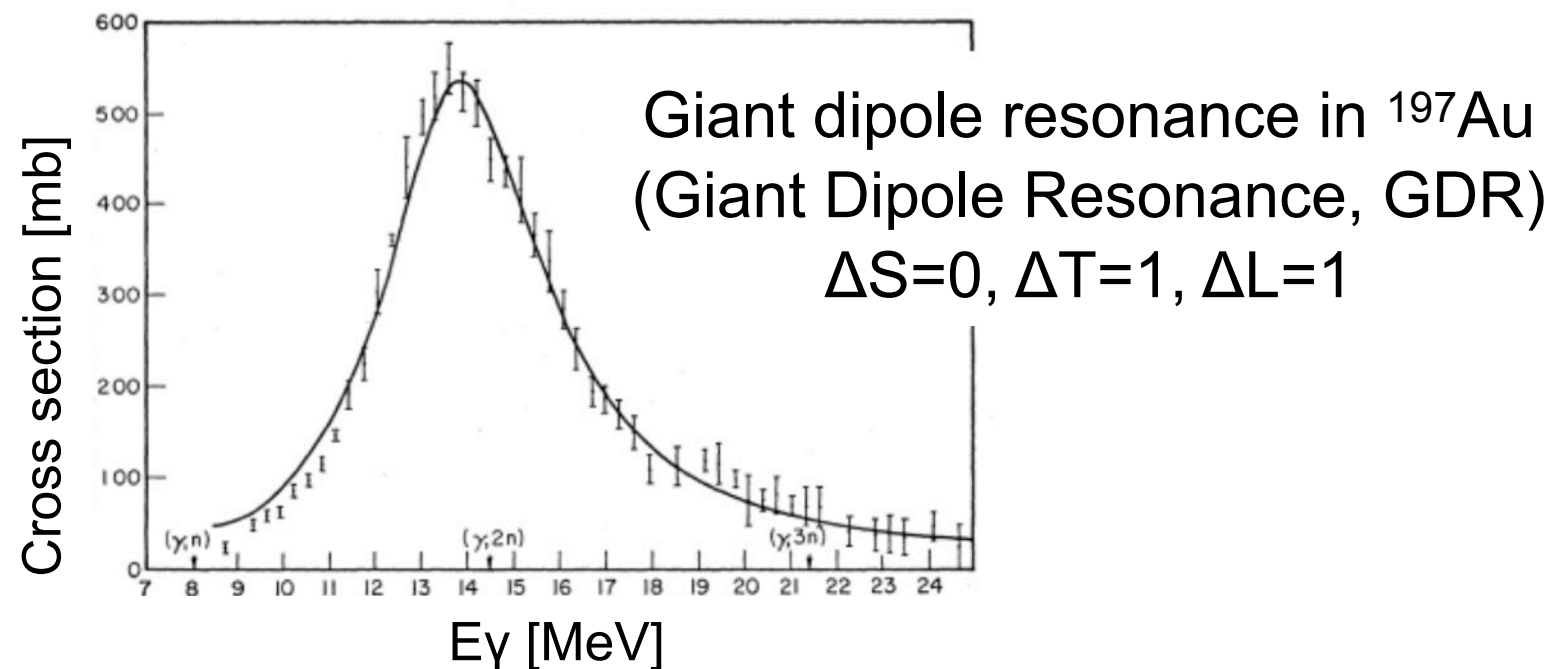
Double Gamow–Teller transition studied by charge exchange reaction of (^{12}C , $^{12}\text{Be}(0^+_2)$) at 250 MeV/nucleon

Akane Sakaue (RIKEN Nishina Center)

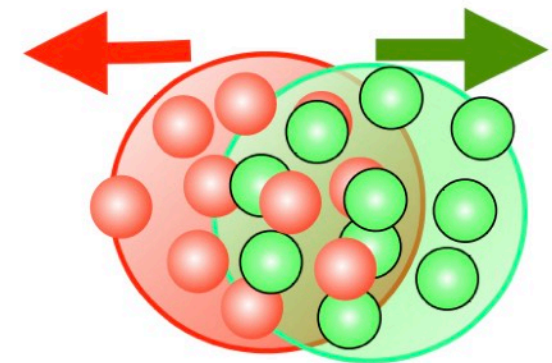
2025.08.21 NEWS colloquium

Giant resonance

- Giant resonance: collective excitation of nucleus
 - $E_x > \sim 10$ MeV
 - Oscillation of nucleus
 - Coherent excitation of 1p1h
 - Account for large fraction of sum rule value



S. C. Fultz et. al., Phys. Rev. Lett. 127, 1273 (1962)

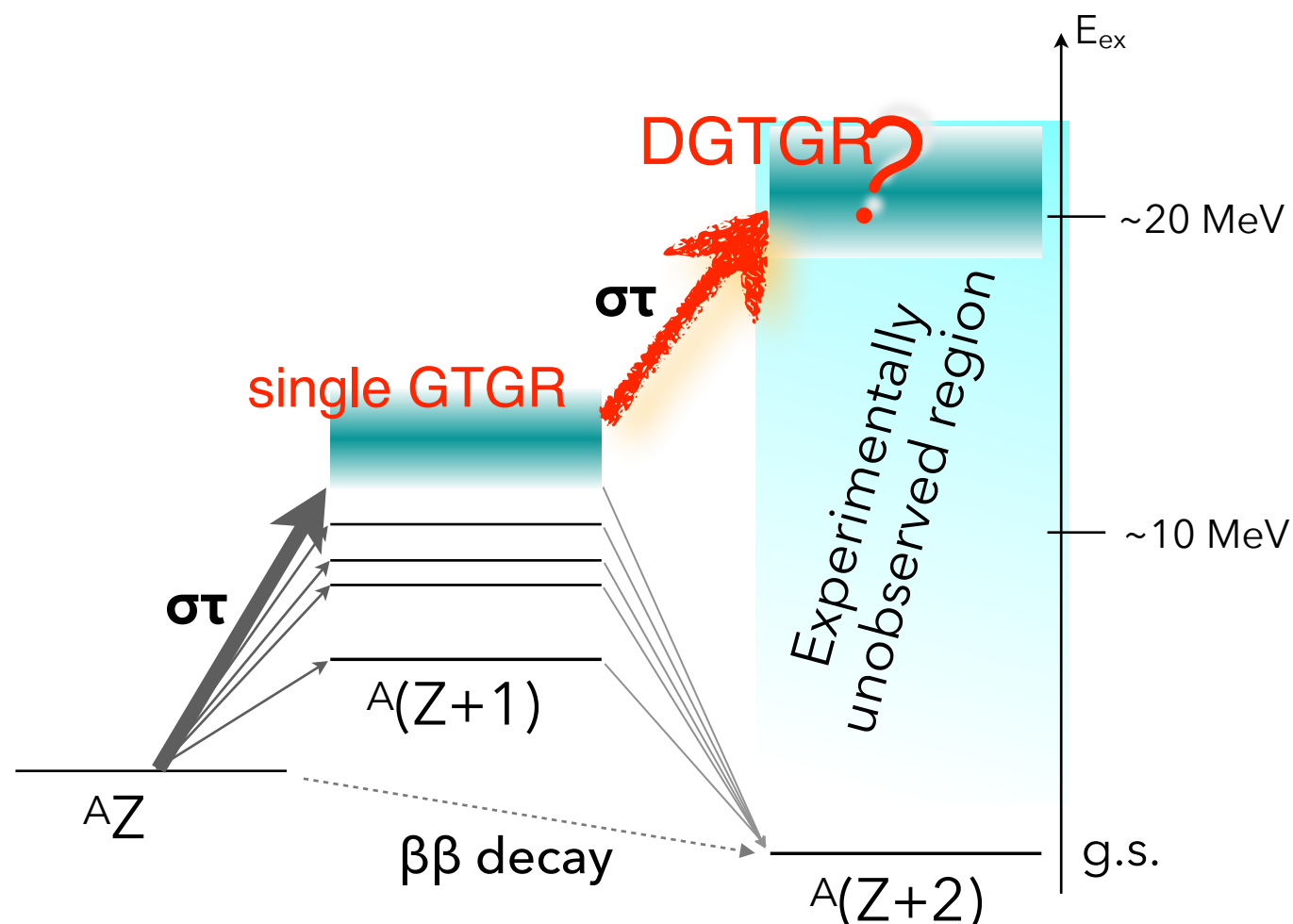


Collective motion of
protons/neutrons
out of phase

- Observed in wide range of nucleus and in various mode ($\Delta S, \Delta T, \Delta L$)

Double Gamow–Teller transition

- Gamow–Teller (GT) transition : spin $\Delta S=1$, isospin $\Delta T=1$, $\Delta L=0$
 β decay : $AZ \rightarrow A(Z+1) + e^- + \bar{\nu}_e$ (β^- decay)
- Double Gamow–Teller (DGT) transition : spin $\Delta S=1 \times 2$, isospin $\Delta T=1 \times 2$, $\Delta L=0$
 Double β decay: $AZ \rightarrow A(Z+2) + 2e^- + 2\bar{\nu}_e$ ($\beta\beta^-$ decay)



double β decay
 $\sim 0.01\%$ of sum rule value

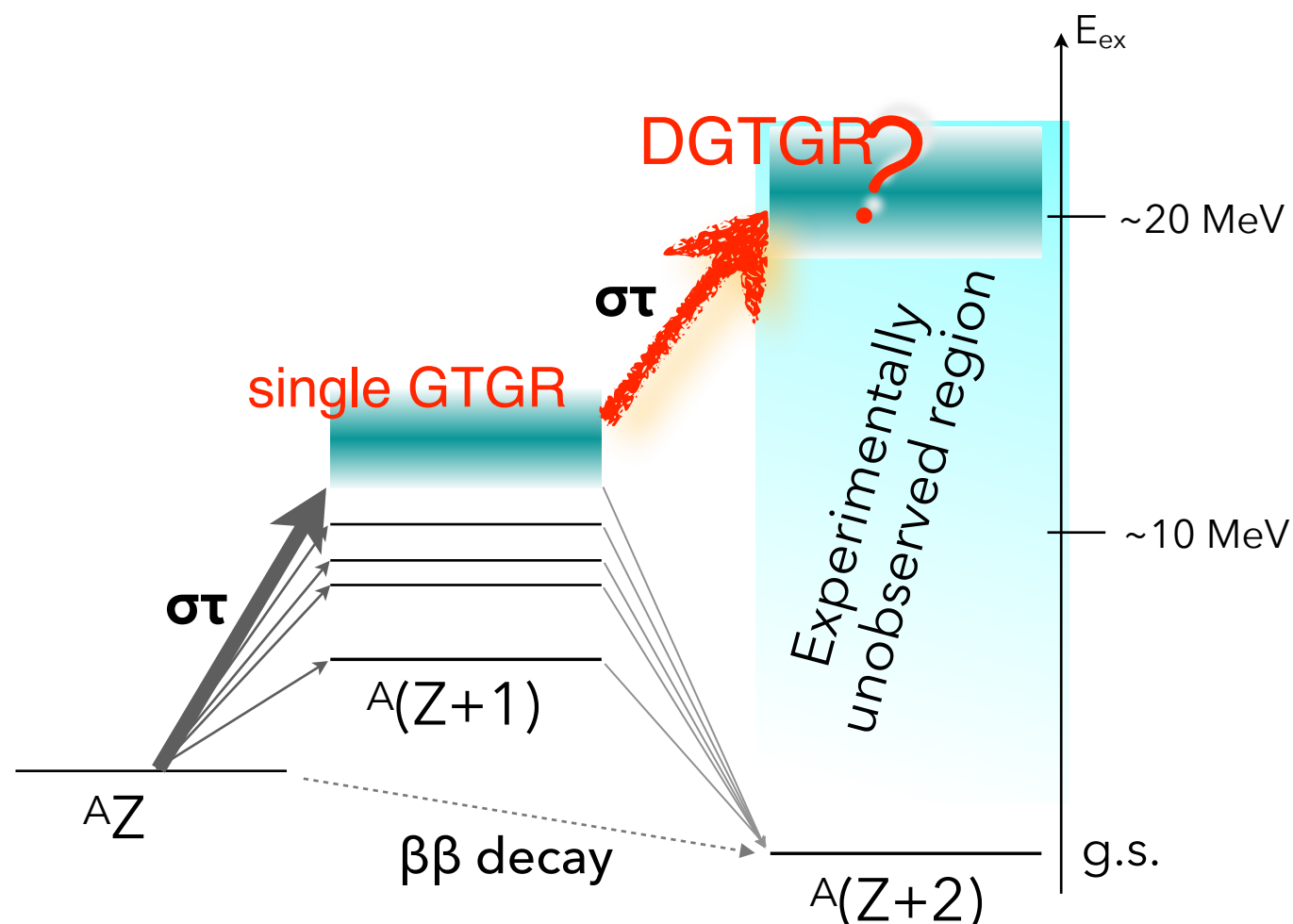
Other 99.9% is in **$E_x > \sim 10$ MeV**
 Experimentally unobserved region

Especially, it is expected to exist
 giant resonance in DGT transition
DGT giant resonance (DGTGR)

Double Gamow–Teller Giant Resonance

Get DGT response in high Ex
Observation of DGTGR

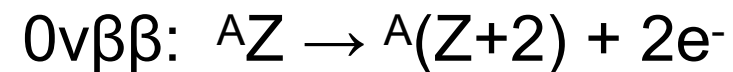
The experimental information of DGTGR will provide various insight into nuclear nature:



- Understanding of collective excitation in the spin-dependent process
 - E_c, Γ, \dots are the simple superposition of single GTGR?
- DGTGR has larger strength
 - provide information to double β decay : $0\nu\beta\beta$

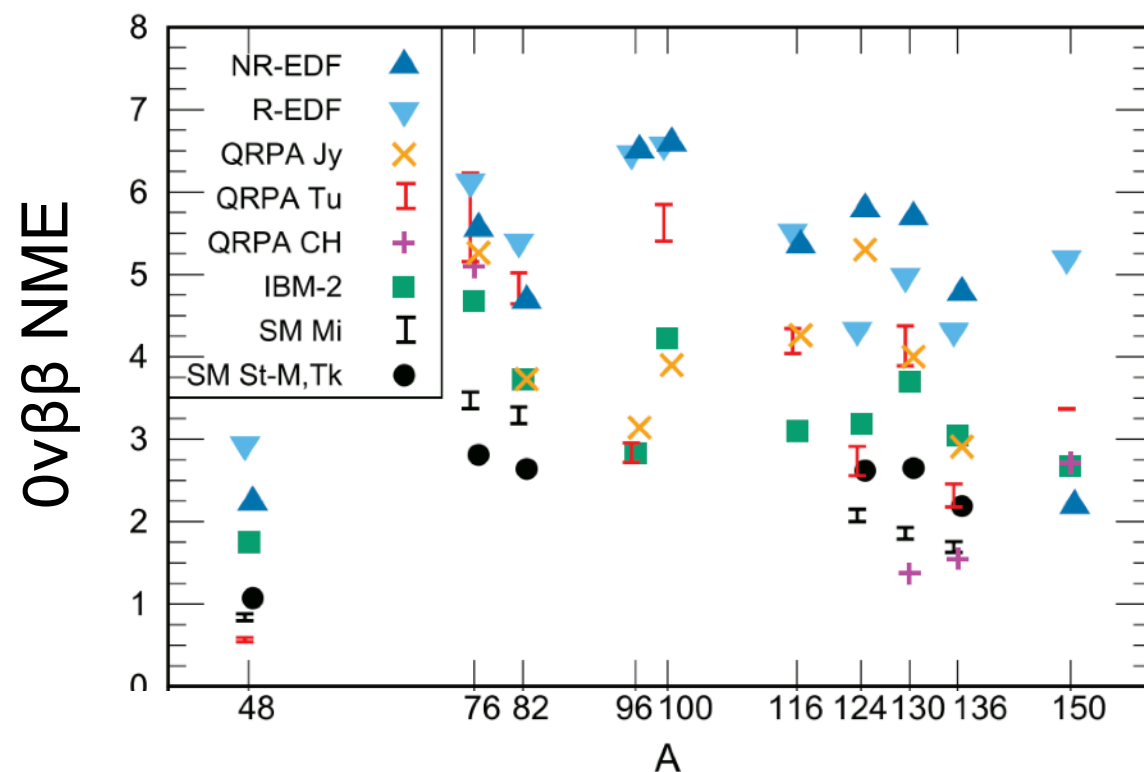
Neutrino-less double beta decay

If neutrinos are Majorana particle, **neutrino-less double beta decay ($0\nu\beta\beta$)** can occur



lifetime of $0\nu\beta\beta$ and neutrino mass : $[T_{1/2}^{0\nu}]^{-1} = G_{0\nu}(Q, Z) |M_{0\nu}|^2 m_{\beta\beta}^2$

$0\nu\beta\beta$ lifetime phase space factor **Nuclear Matrix Element (NME)** neutrino mass



Calculated NME has uncertainty by factor of 2~3 depending on models

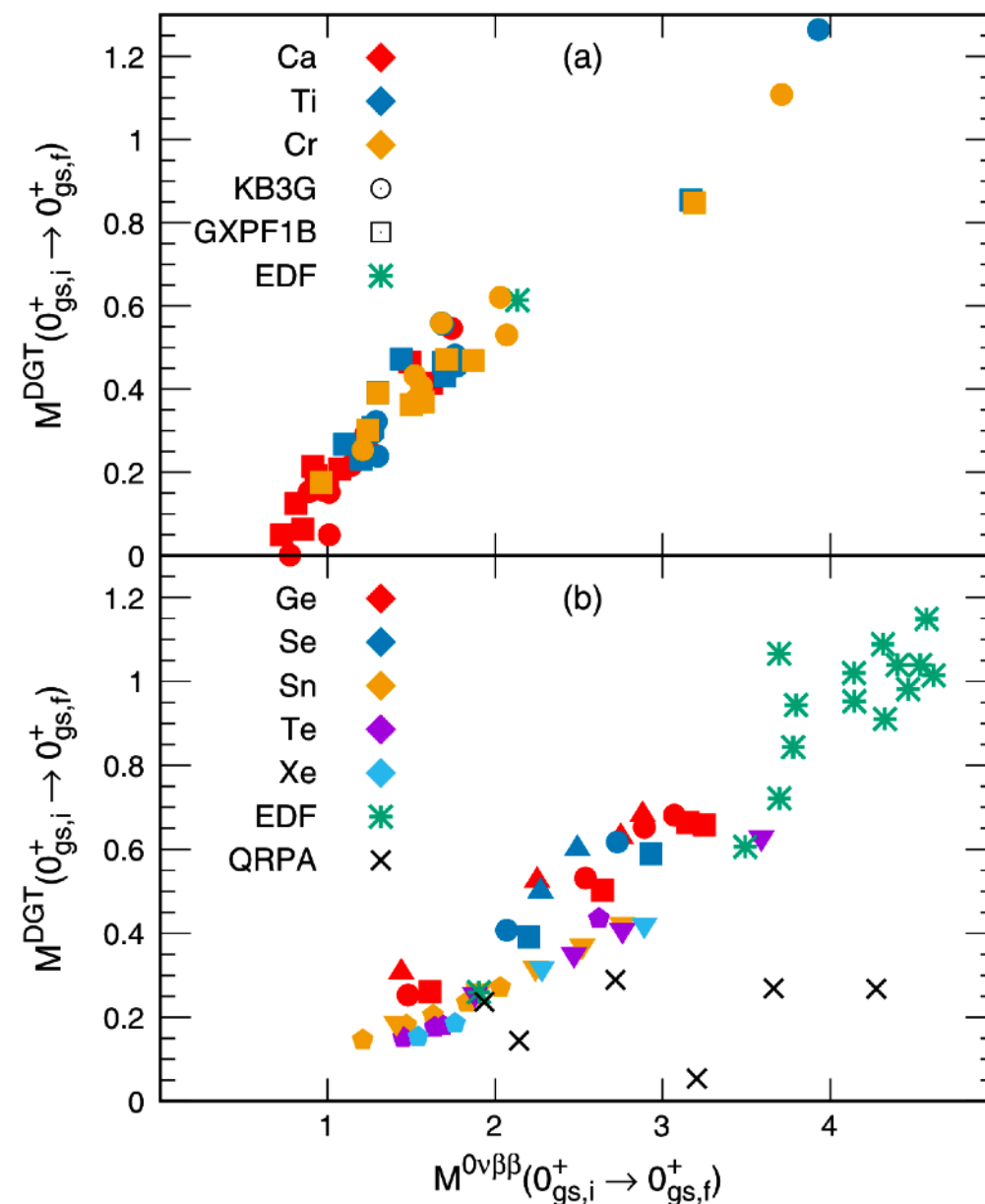
Information from experimental side is needed

DGT and $0\nu\beta\beta$ NME

information on DGT response will provide information on $0\nu\beta\beta$

● DGT NME v.s. $0\nu\beta\beta$ NME in several calculation

Shimizu, Menéndez, Yako PRL120



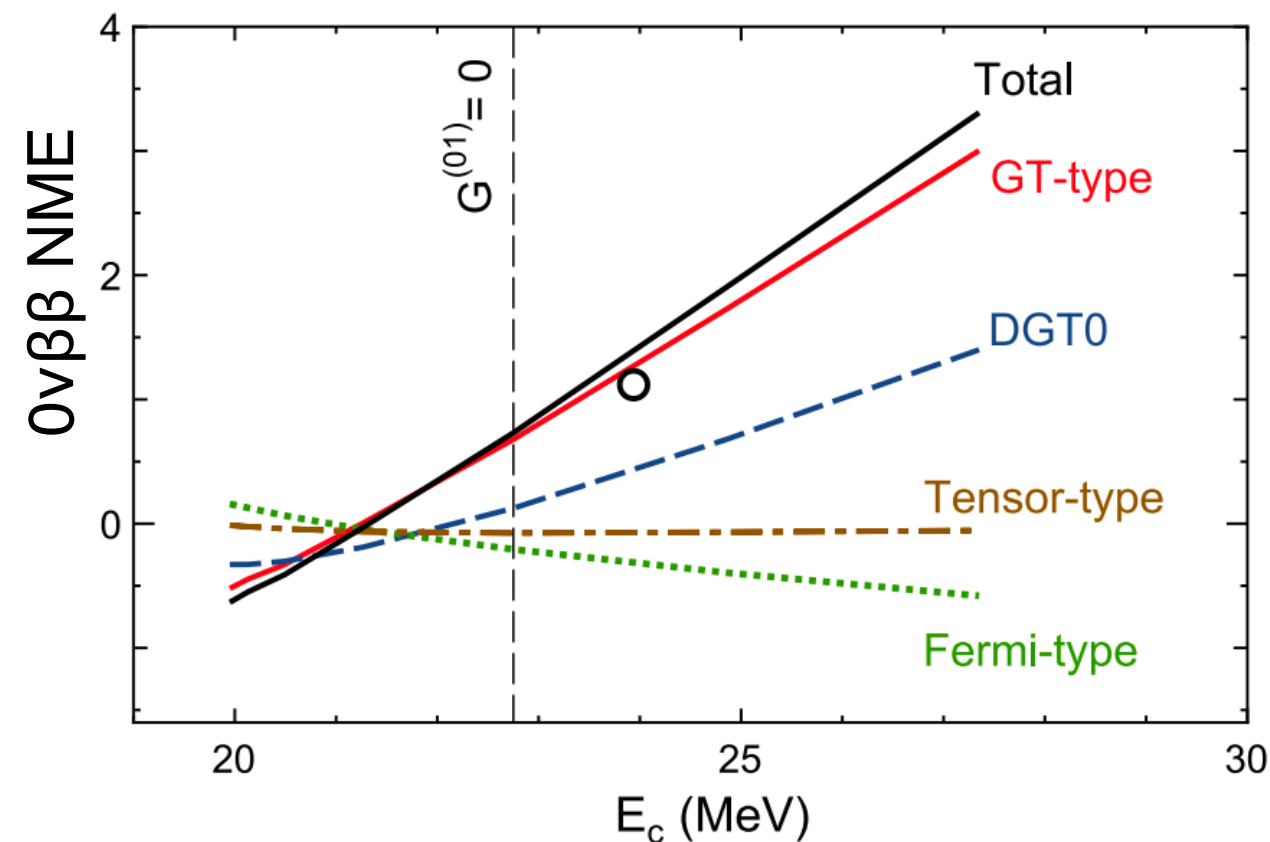
- Shell model
 - KB3G
 - GXPF1B
- EDF
- QRPA

✓ DGT NME is correlated to $0\nu\beta\beta$ NME

DGT and $0\nu\beta\beta$ NME

information on DGT response will provide information on $0\nu\beta\beta$

- $0\nu\beta\beta$ NME v.s. centroid energy of DGTGR E_c in shell model calc.



Shimizu, Menéndez, Yako PRL120

✓ DGTGR E_c is correlated to $0\nu\beta\beta$ NME

- $0\nu\beta\beta$ NME is sensitive to pairing
- E_c of DGTGR is sensitive to pairing

Observable of DGTGR will constrain $0\nu\beta\beta$ NME

Double charge exchange reaction

GT response in high excitation energy beyond β decay :
(single) Charge Exchange reaction (SCX)
e.g. (p,n), (n,p), (^3He ,t),...

DGT response in high excitation energy beyond $\beta\beta$ decay :
Double Charge Exchange reaction (DCX)

previous studies:

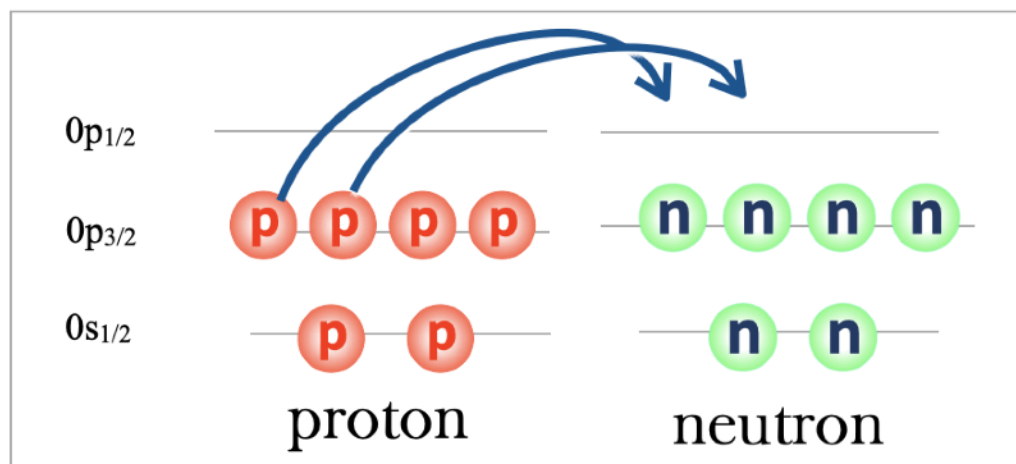
- (π^+ , π^-) @292 MeV LAMPF S. Mordechai, PRL 60, 408 (1988)
- (^{18}O , ^{18}Ne) @76 MeV/u MSU J. Blomgren, PLB 362, 34 (1995)
- (^{11}B , ^{11}Li) @69 MeV/u RCNP H. Takahisa, AIP Proc. Conf. 915, 815 (2007)

conclusive observation is not yet achieved

new probe

- (^{12}C , $^{12}\text{Be}(0^+_2)$) @~100 MeV/u

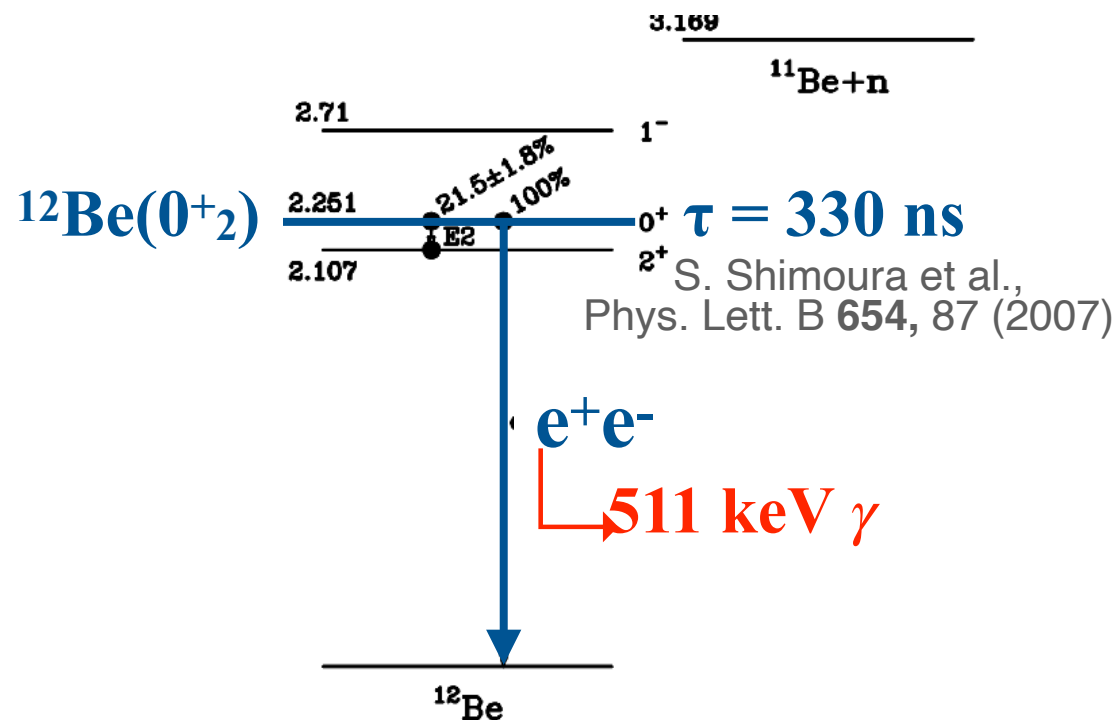
New probe: (^{12}C , $^{12}\text{Be}(0^+_{+2})$)



$^{12}\text{Be}(0^+_{+2})$: isomeric state

$E_x = 2.2 \text{ MeV}$, $\tau = 330 \text{ ns}$

- Transition between $^{12}\text{C}(0^+) \rightarrow ^{12}\text{B}(1^+) \rightarrow ^{12}\text{Be}(0^+_{+2})$ will be strong
- Spin flip transition $^{12}\text{C}(0^+) \rightarrow ^{12}\text{B}(1^+) \rightarrow ^{12}\text{Be}(0^+_{+2})$ will be main
(cf. isobaric analogue partner of $^{12}\text{Be}(0^+_{+2})$: $^{12}\text{C}(29 \text{ MeV})$)
- β^- type in the target: less affected by Pauli blocking



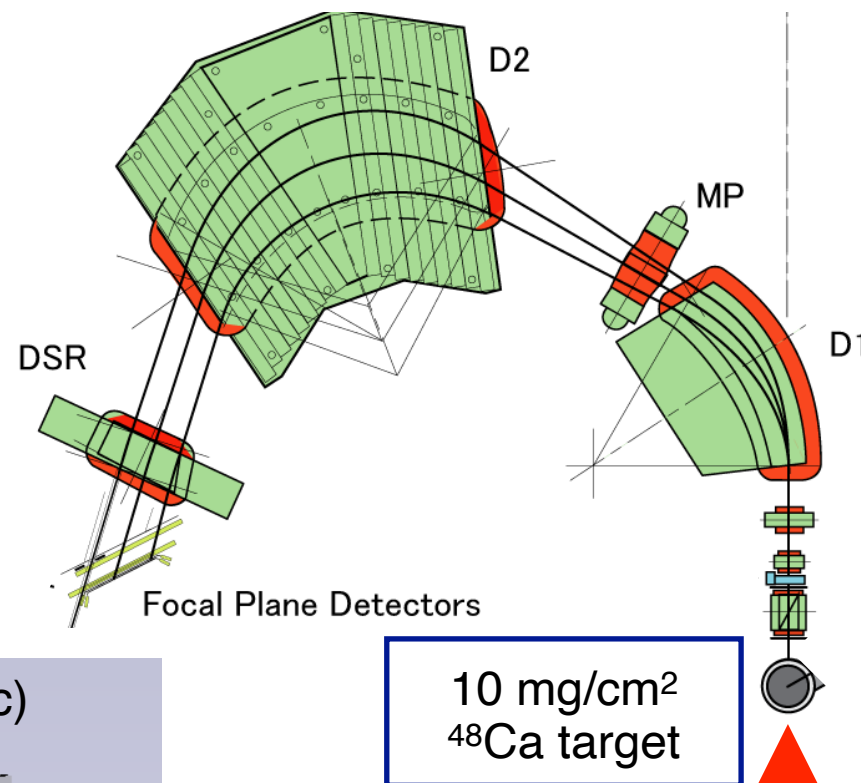
(^{12}C , $^{12}\text{Be}(0^+_{+2})$) at $\sim 200 \text{ MeV/u}$
mainly excite spin isospin flip

- De-excite with emitting e^+e^-
 $\rightarrow 511 \text{ keV delayed } \gamma\text{-ray}$

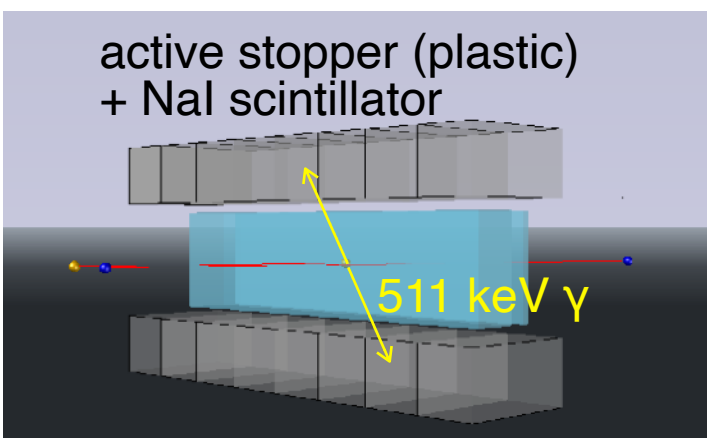
ID of final state is possible by
detecting $\gamma\text{-ray}$

Pilot experiment at RCNP

$^{48}\text{Ca}(^{12}\text{C}, ^{12}\text{Be}(0^+_2))$ at RCNP (2014, Takaki et al.)

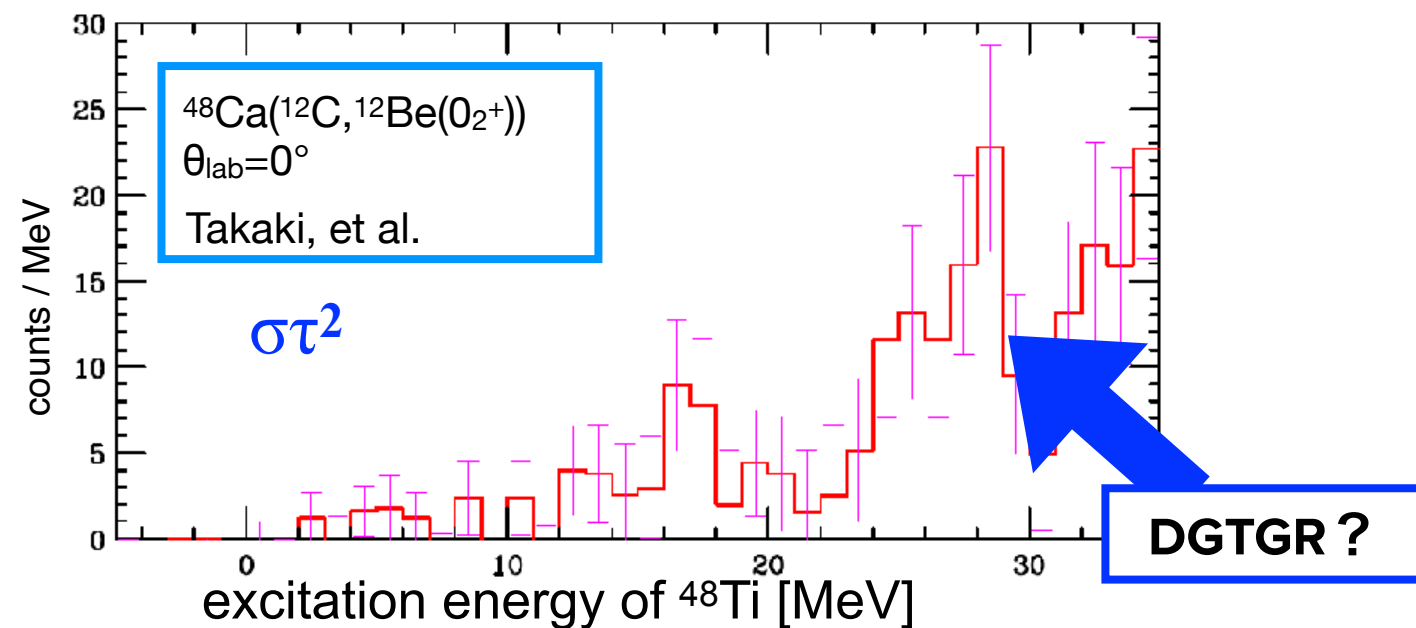
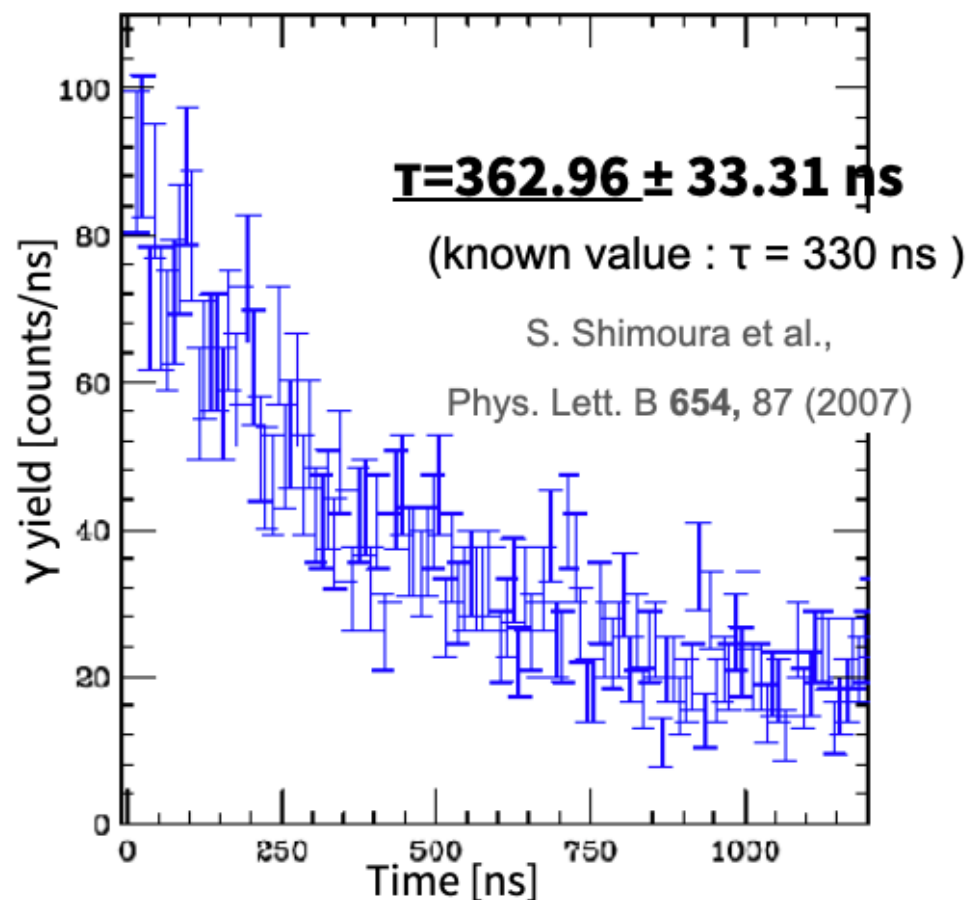


- 100 MeV/u, 16 pnA ^{12}C beam was irradiated to ^{48}Ca target
- emitted ^{12}Be was momentum analyzed by Grand Raiden spectrometer
- ^{12}Be was stopped at the active stopper (plastic scintillator)
- 511 keV γ -ray were detected by NaI scintillator array



Pilot experiment at RCNP

$^{48}\text{Ca}(^{12}\text{C}, ^{12}\text{Be}(0^+_2))$ at RCNP (2014, Takaki et al.)



- γ -ray timing reproduces the life time of $^{12}\text{Be}(0^+_2) \rightarrow$ ID of $^{12}\text{Be}(0^+_2)$ is possible
- Enhancement in the expected region in the observed cross section
- BG was serious: S:N=1:1
 - Active stopper (^{12}C) reacted with t and produced ^{11}C (β^+ emitter)
- Statistics is not enough



improved experiment at RIBF

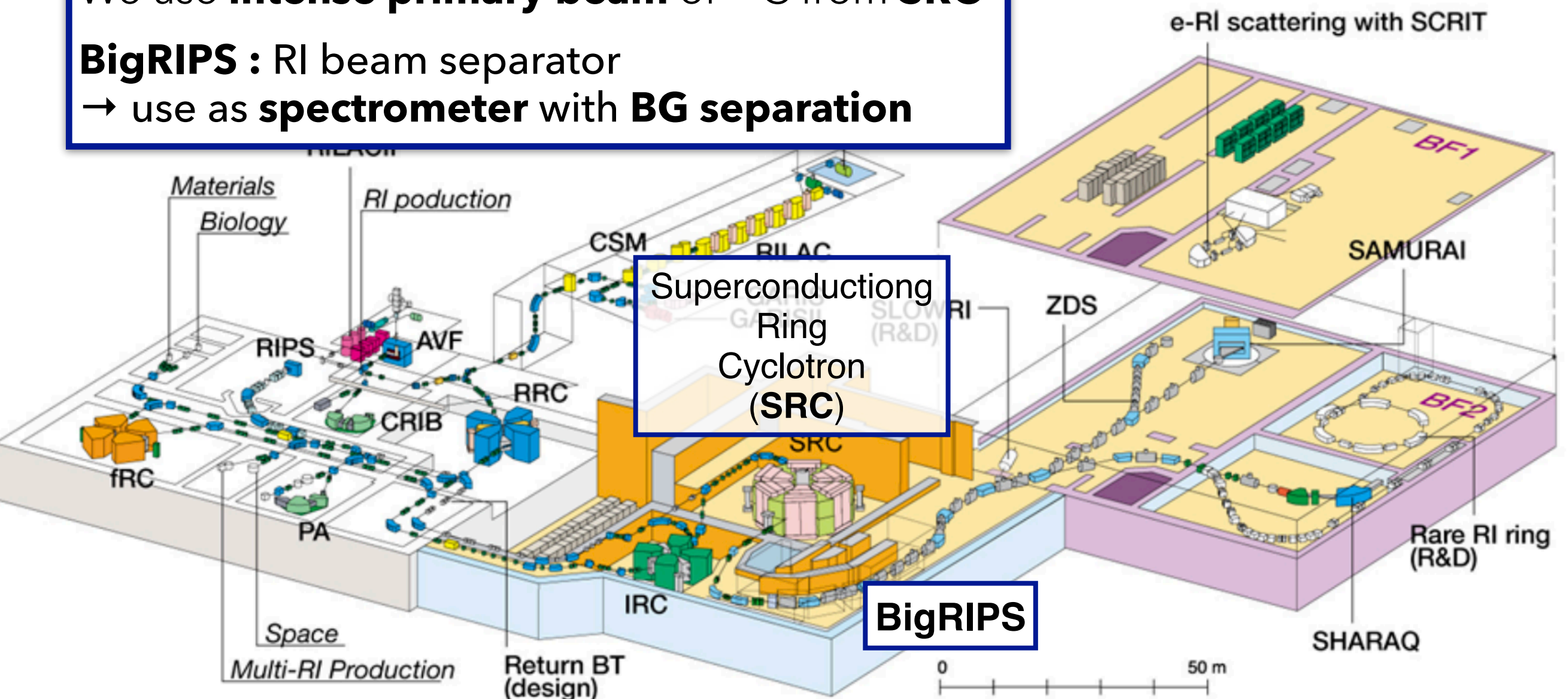
Experiment at RIBF BigRIPS

DCX measurement is performed at RI Beam Factory (RIBF), Saitama, Japan

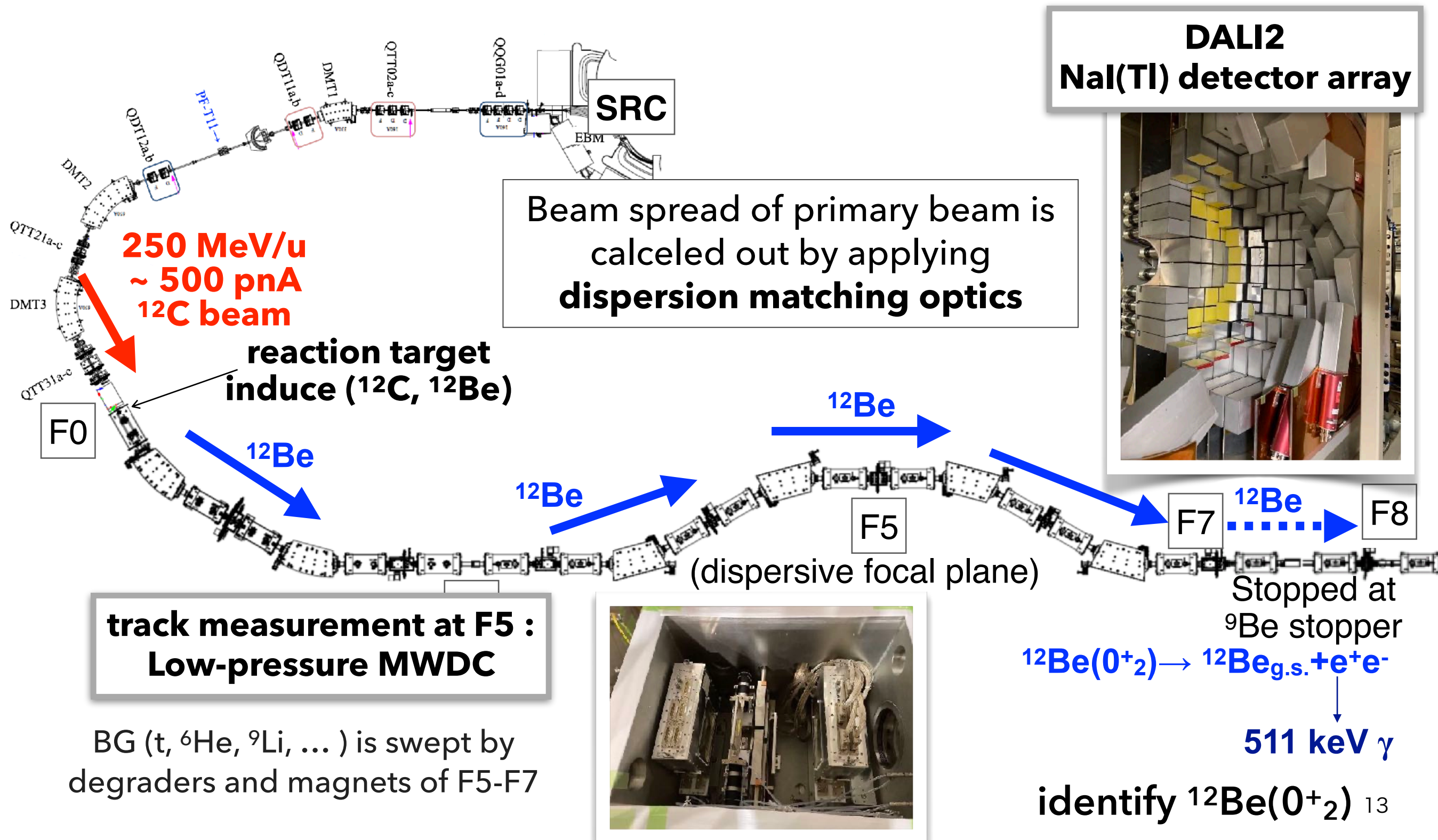
We use **intense primary beam** of ^{12}C from **SRC**

BigRIPS : RI beam separator

→ use as **spectrometer** with **BG separation**

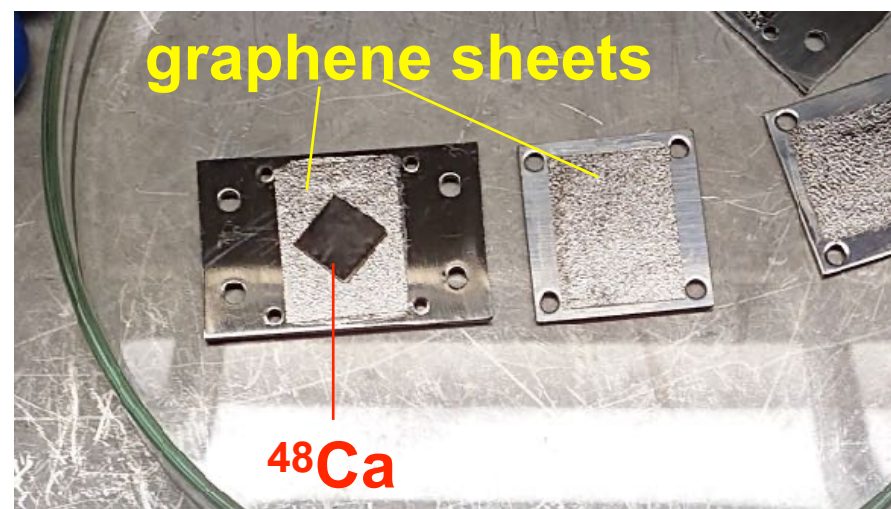


Measurement of (^{12}C , $^{12}\text{Be}(0^+_2)$) at RIBF BigRIPS



First experiment at RIBF

- **The first experiment at RIBF was performed in 2021**
 - Target : ^{48}Ca (10 mg/cm² foil)
 - Double magic nucleus
 - Double beta decaying nucleus (cf. CANDLES experiment)
 - Information of single GT resonance is available
 - The target was protected with graphene sheets
 - Thermal conductivity is enhanced → reduce the damage due to irradiation
 - Prevent from oxidation and nitrization when installing



^{48}Ca target

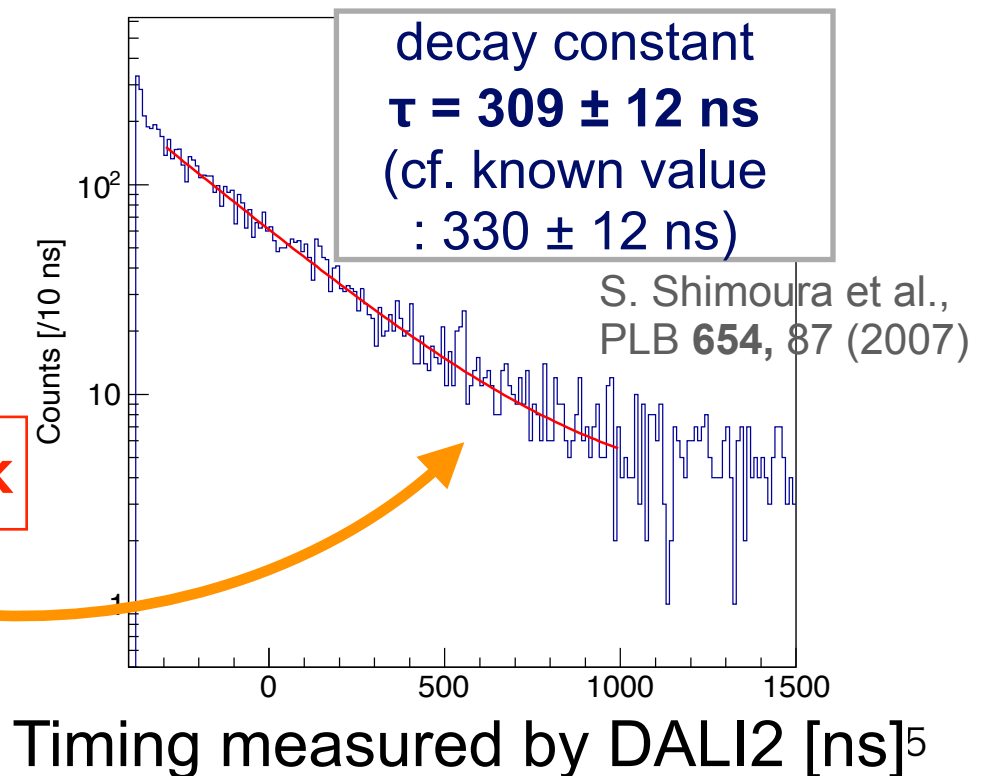
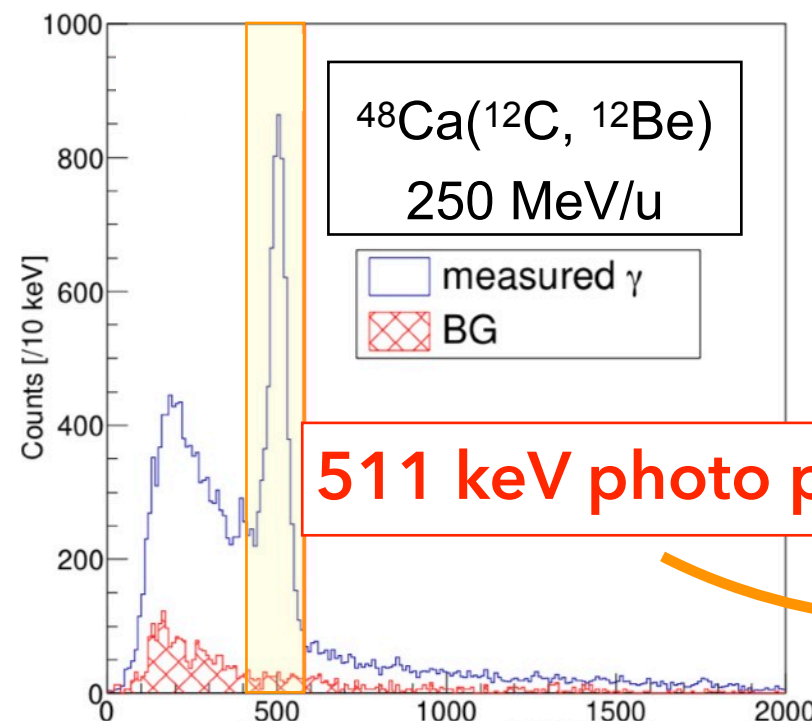
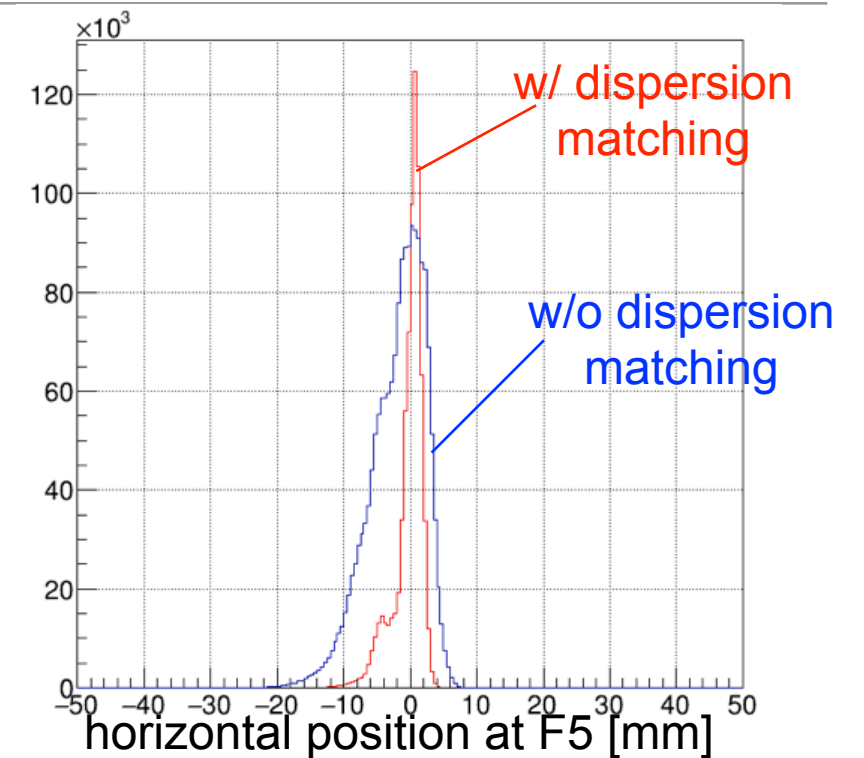
Achievement in the first experiment

✓ Dispersion matching

$\Delta p/p \sim 0.06\%$ (w/o DM) $\rightarrow 0.026\%$ (w/ DM)
Sufficient excitation energy resolution (1.5 MeV)
was achieved

✓ Detection of $^{12}\text{Be}(0^+_2)$ events successfully identified $^{12}\text{Be}(0^+_2)$

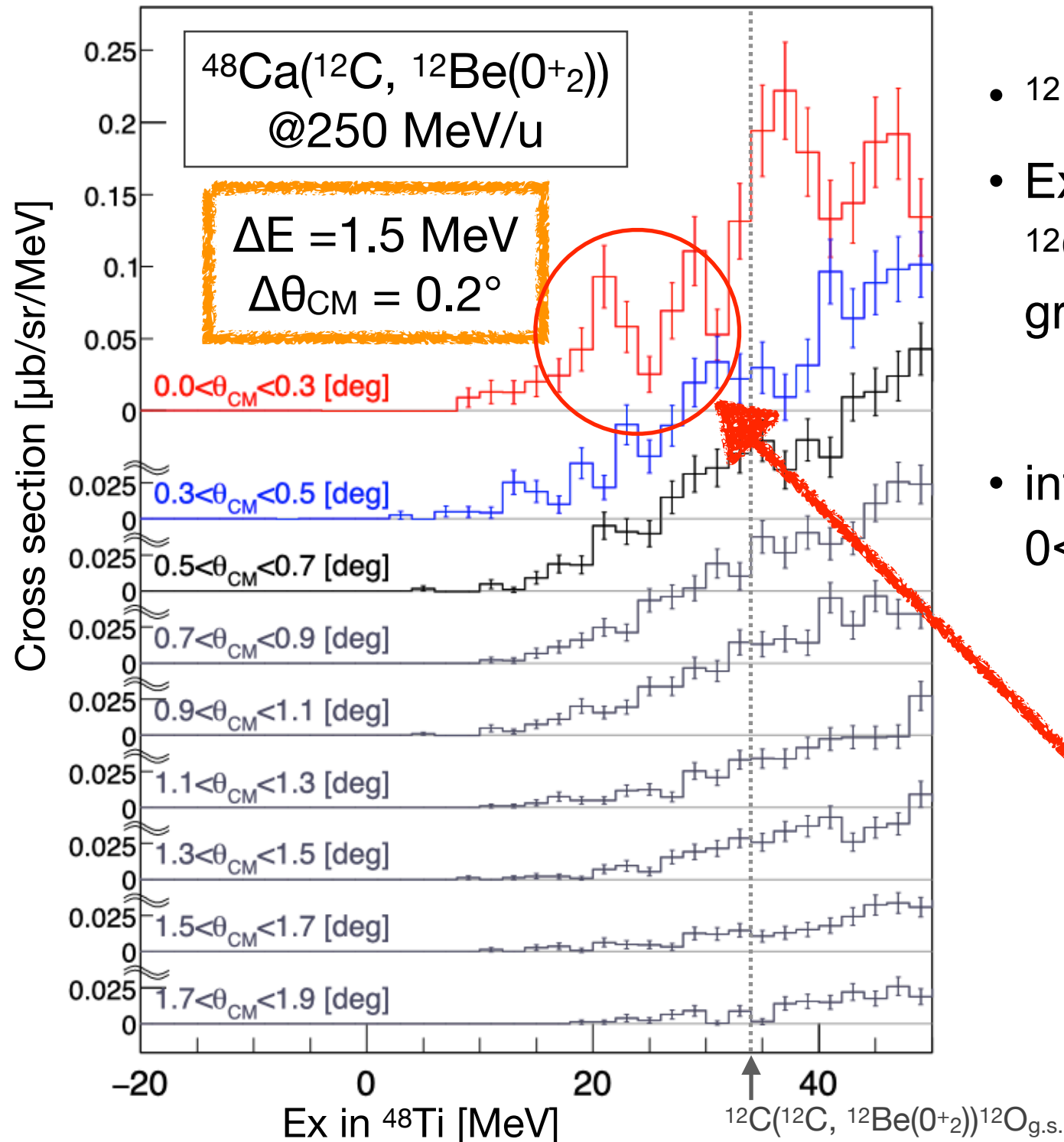
BG : acc. coin of ^{12}Be
and room BG γ
- S:N $\sim 9:1$
low BG
(cf. 1:1 at RCNP)



Energy measured by DALI2 [keV] Timing measured by DALI2 [ns]⁵

Energy spectra of $^{48}\text{Ca}(^{12}\text{C}, ^{12}\text{Be}(0^+_2))^{48}\text{Ti}$

Ex distribution of cross section

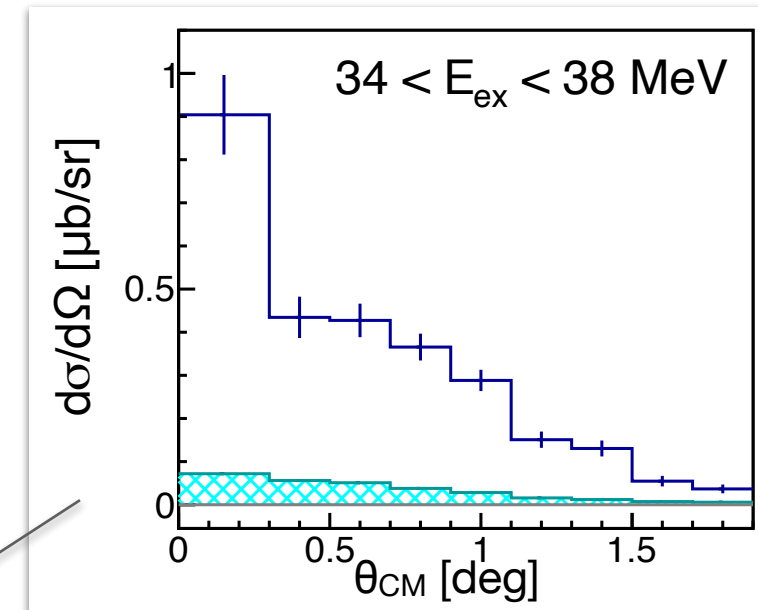
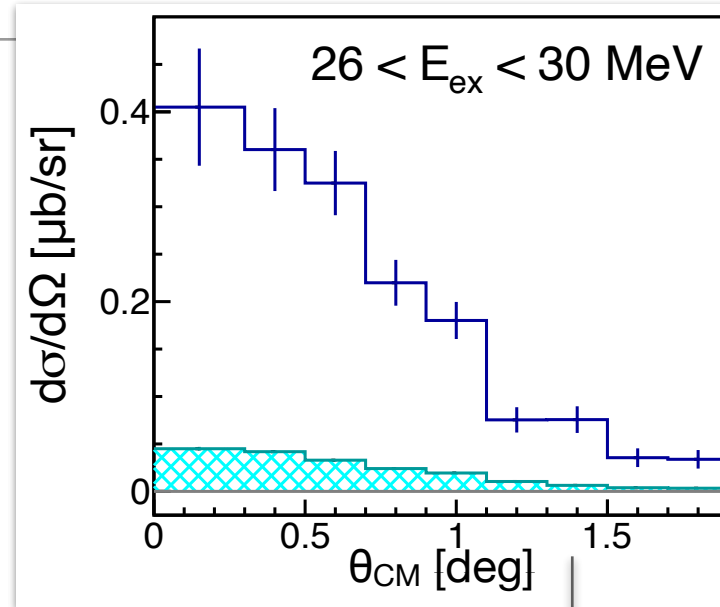
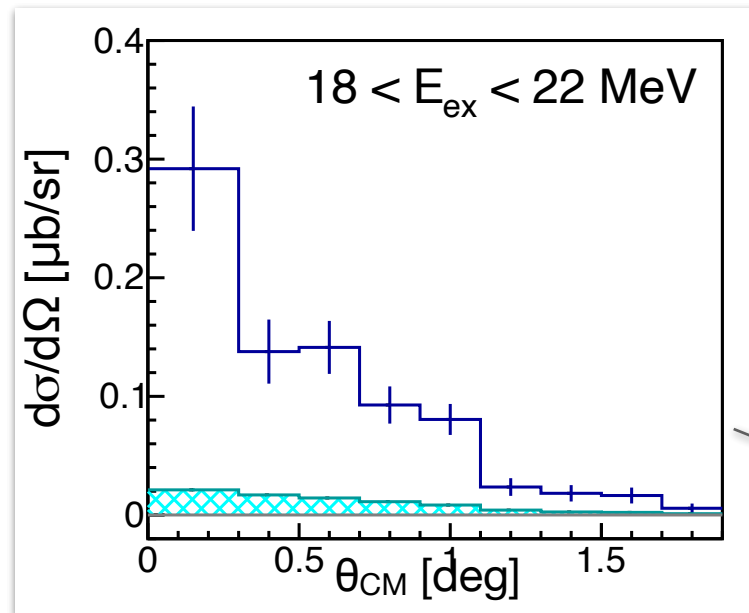


- $^{12}\text{Be}(0^+_2)$ events are selected by gating γ -data
- Ex > 34 MeV is contaminated by $^{12}\text{C}(^{12}\text{C}, ^{12}\text{Be}(0^+_2))^{12}\text{O}$ event coming from graphene sheet on the target ($\sim 6 \pm 2\%$)
- integrated cross section in $0 < \theta_{\text{CM}} < 0.3^\circ$, $0 < \text{Ex} < 34 \text{ MeV}$: 1.33 ± 0.12 (stat.) $\mu\text{b}/\text{sr}$
- systematical error $\sim 40\%$

Forward peaking structure

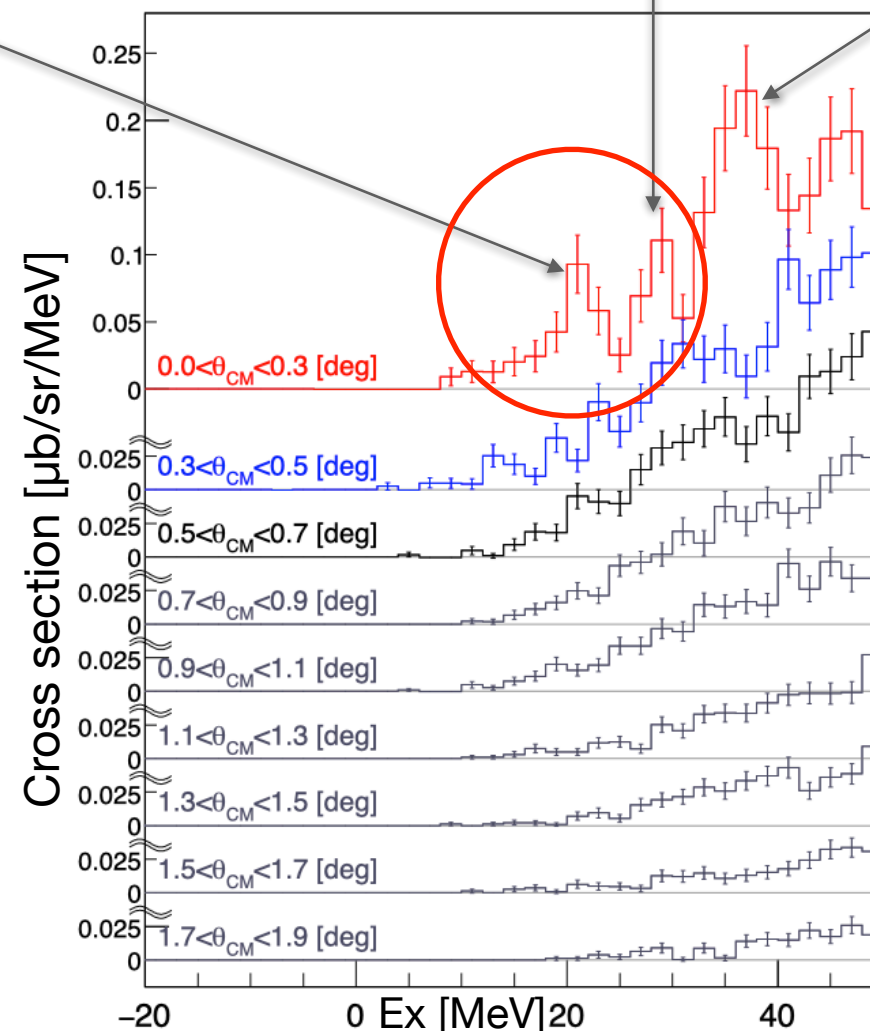
Energy spectra of $^{48}\text{Ca}(^{12}\text{C}, ^{12}\text{Be}(0^+_2))^{48}\text{Ti}$

Angular distribution



Forward peaking :
characteristics of DGT
($\Delta L=0$)

Candidate for DGTGR



Calculation of DCX

Angular distribution for DCX is estimated by **coupled channel calculation** with ECIS97

- initial state: $^{12}\text{C}(0^+) + ^{48}\text{Ca}(0^+)$
- intermediate state: $^{12}\text{B}(1^+) + ^{48}\text{Sc}(1^+)$ are considered as each channel
- final state: $^{12}\text{Be}(0^+) + ^{48}\text{Ti}(0^+)$

outline of the calculation :

- transition form factor is obtained by folding microscopic transition using FOLD
- global optical potential by T. Furumoto

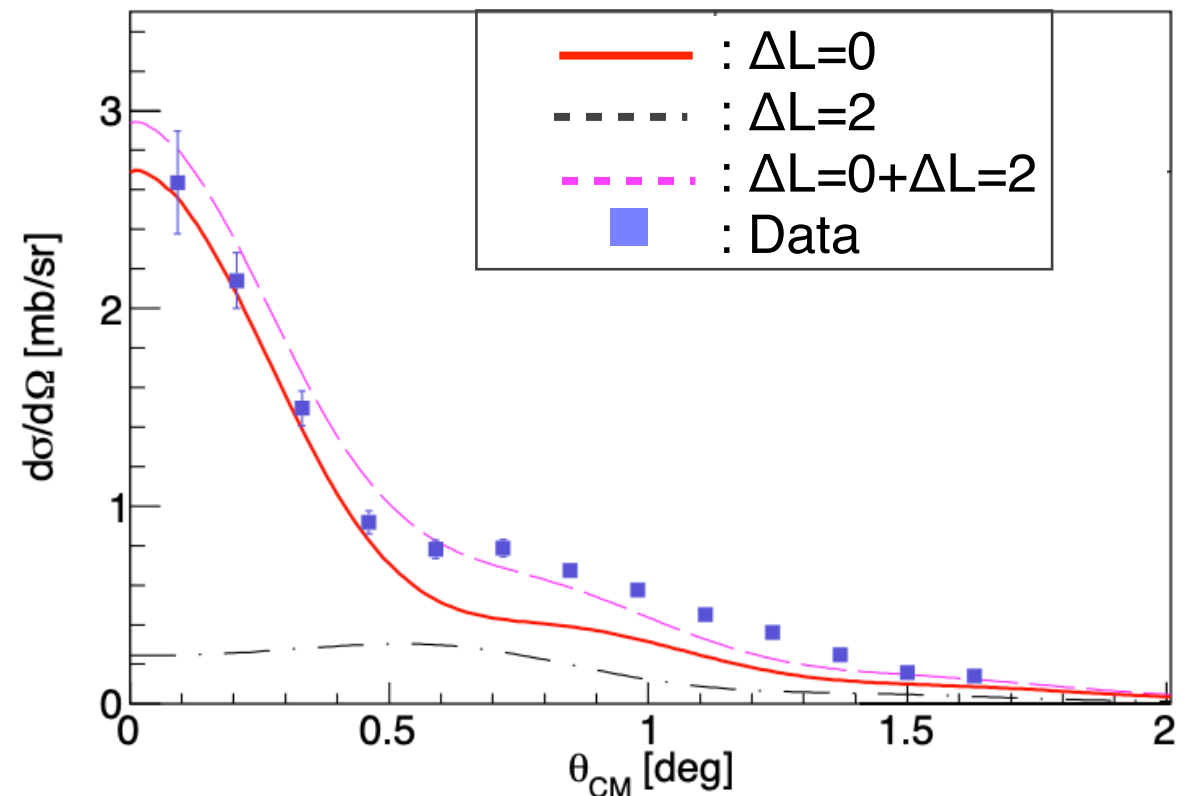
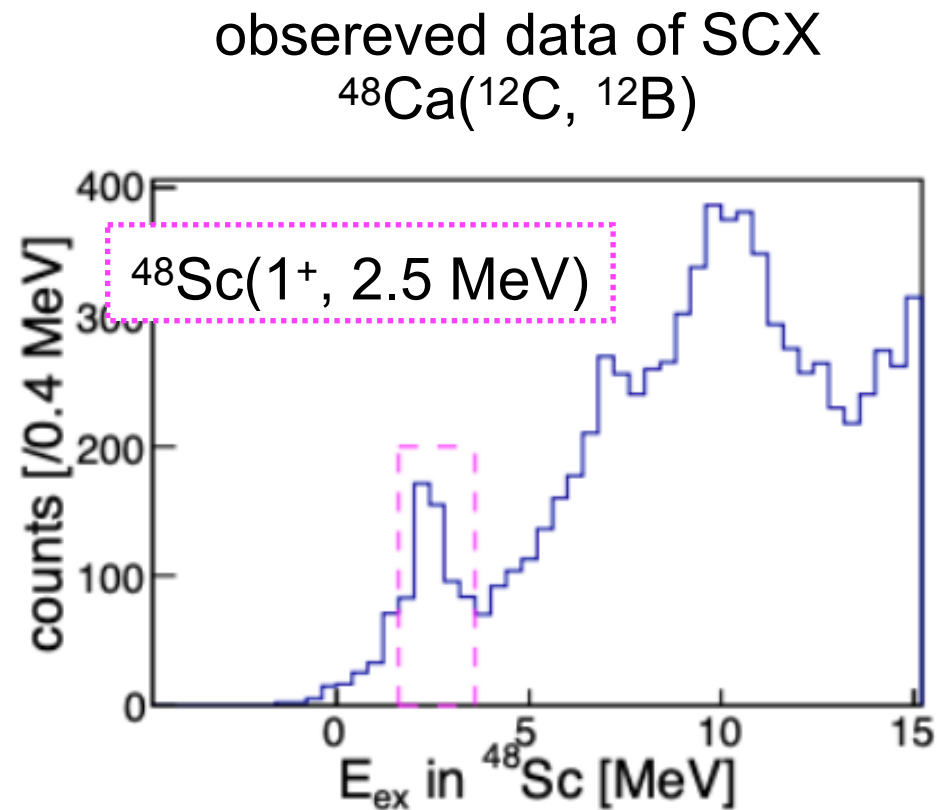
3 types of ΔL :

- $\Delta L_{\text{DCX}}=0$: $[\Delta L=0] \otimes [\Delta L=0]$ **DGT-like**
- $\Delta L_{\text{DCX}}=1$: $[\Delta L=1] \otimes [\Delta L=0]$
- $\Delta L_{\text{DCX}}=2$: $[\Delta L=2] \otimes [\Delta L=0]$

Angular distribution of SCX & DCX

single charge exchange

The consistency of the calculation was checked with SCX data



observed distribution is well described with
 $\Delta L=0+\Delta L=2$

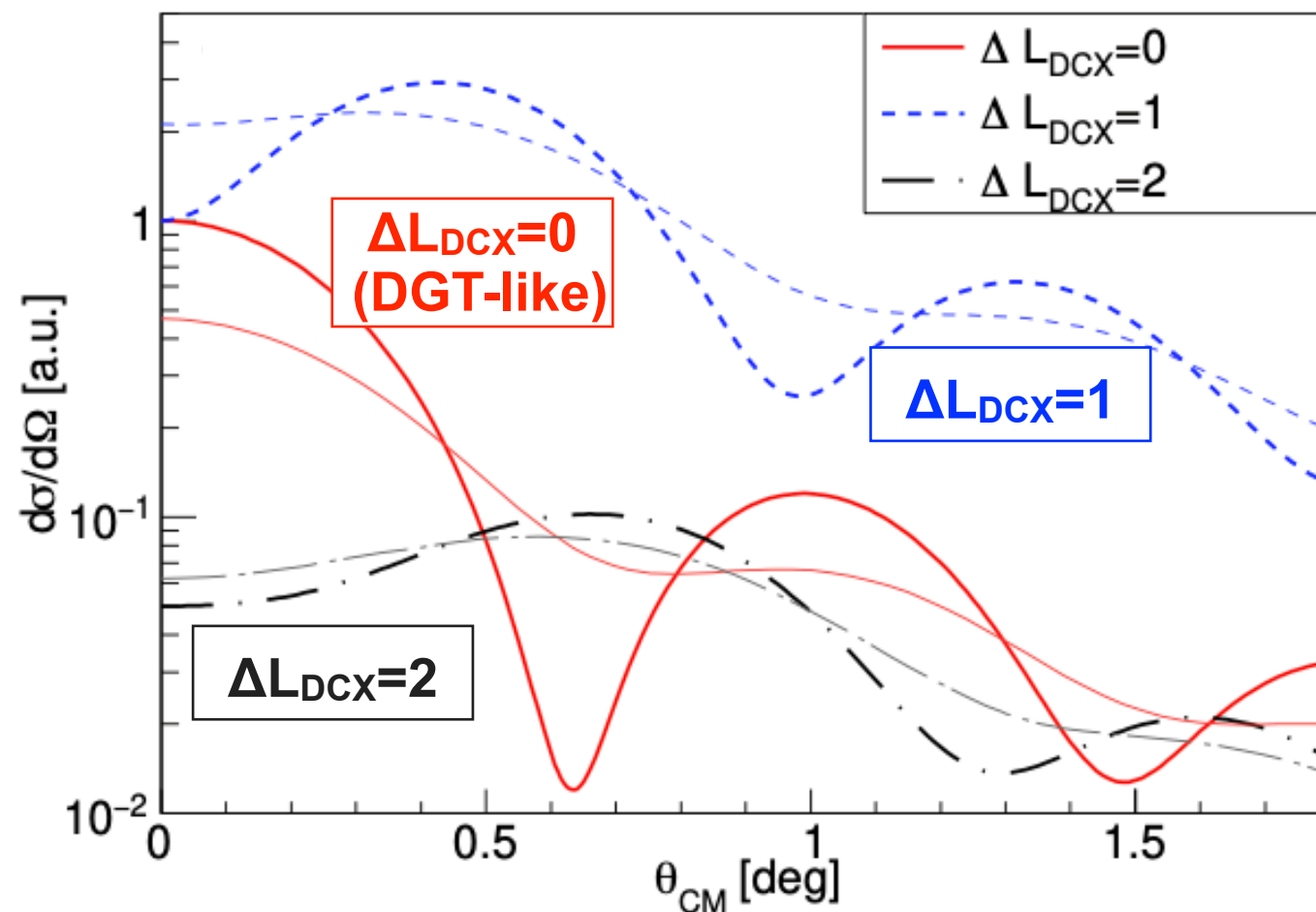
$B(\text{GT})=1.4$ (known value: 1.09 ± 0.01)

E.-W. Grewe et al., PRC 76, 054307 (2007)

– absolute value of cross section is reproduced within $\sim 30\%$

Angular distribution of SCX & DCX

Double charge exchange



✓ $\Delta L_{\text{DCX}}=0$ is forward-peaking

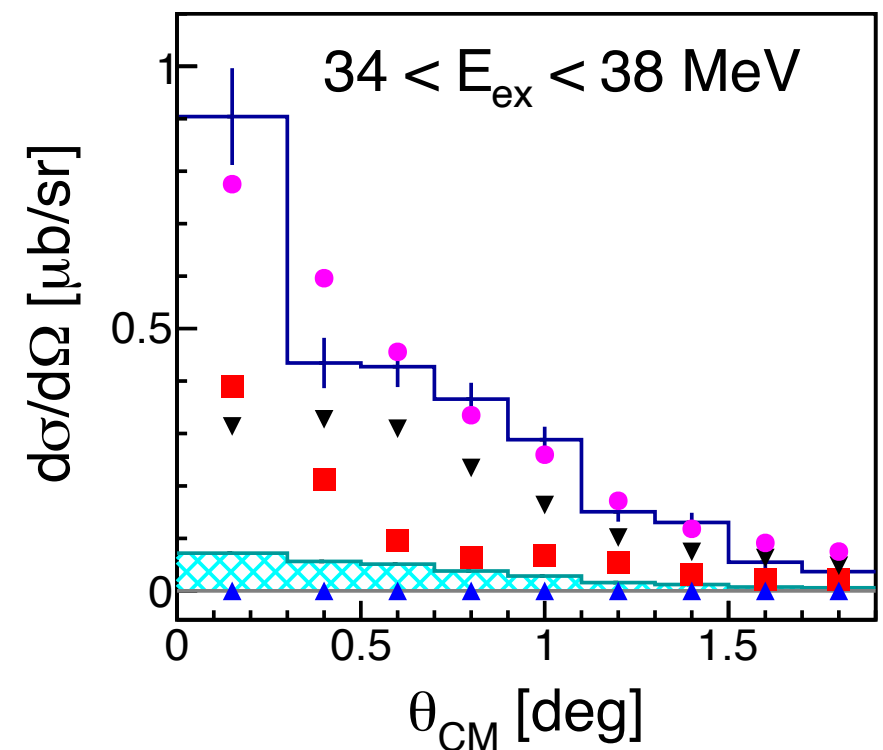
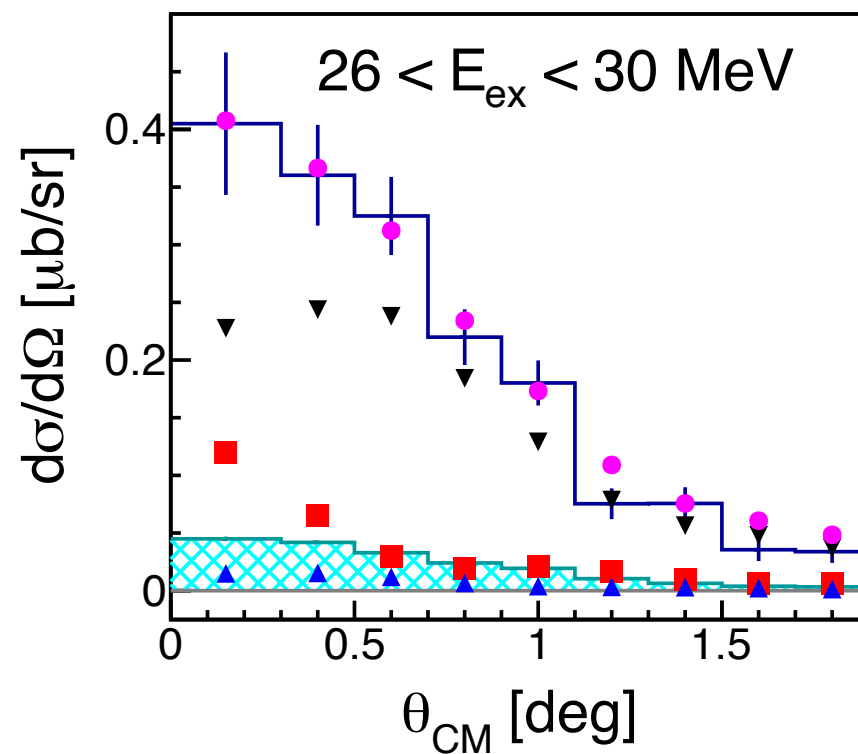
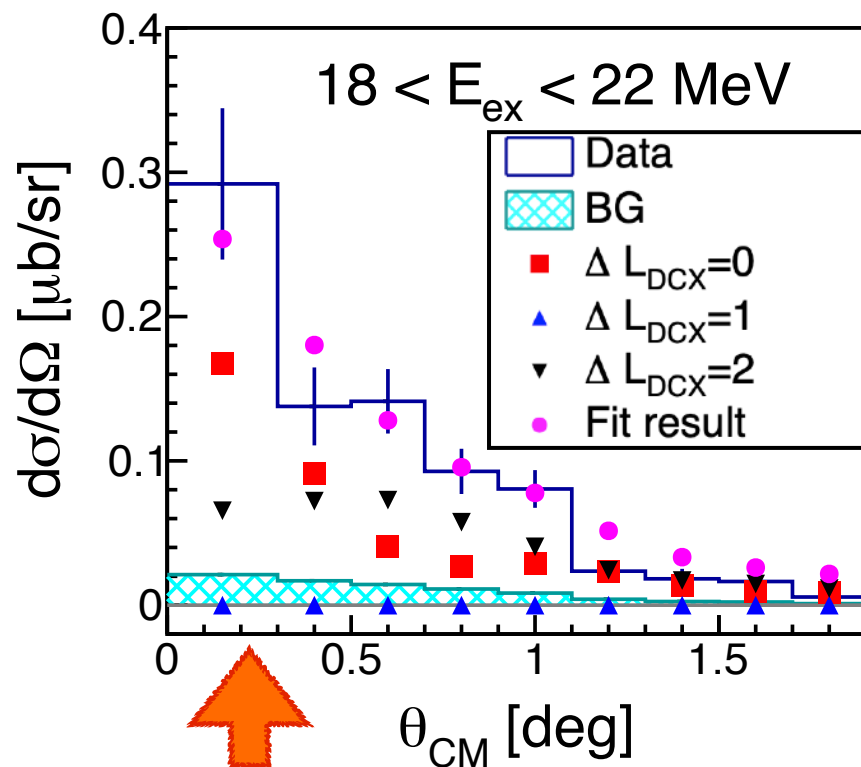
(Thin line: smeared by angular resolution)

Decomposition of measured angular distribution

Observed angular distributions are decomposed by linear combinations of $\Delta L_{DCX}=0, 1, 2$

Example of decomposition in several energy bins:

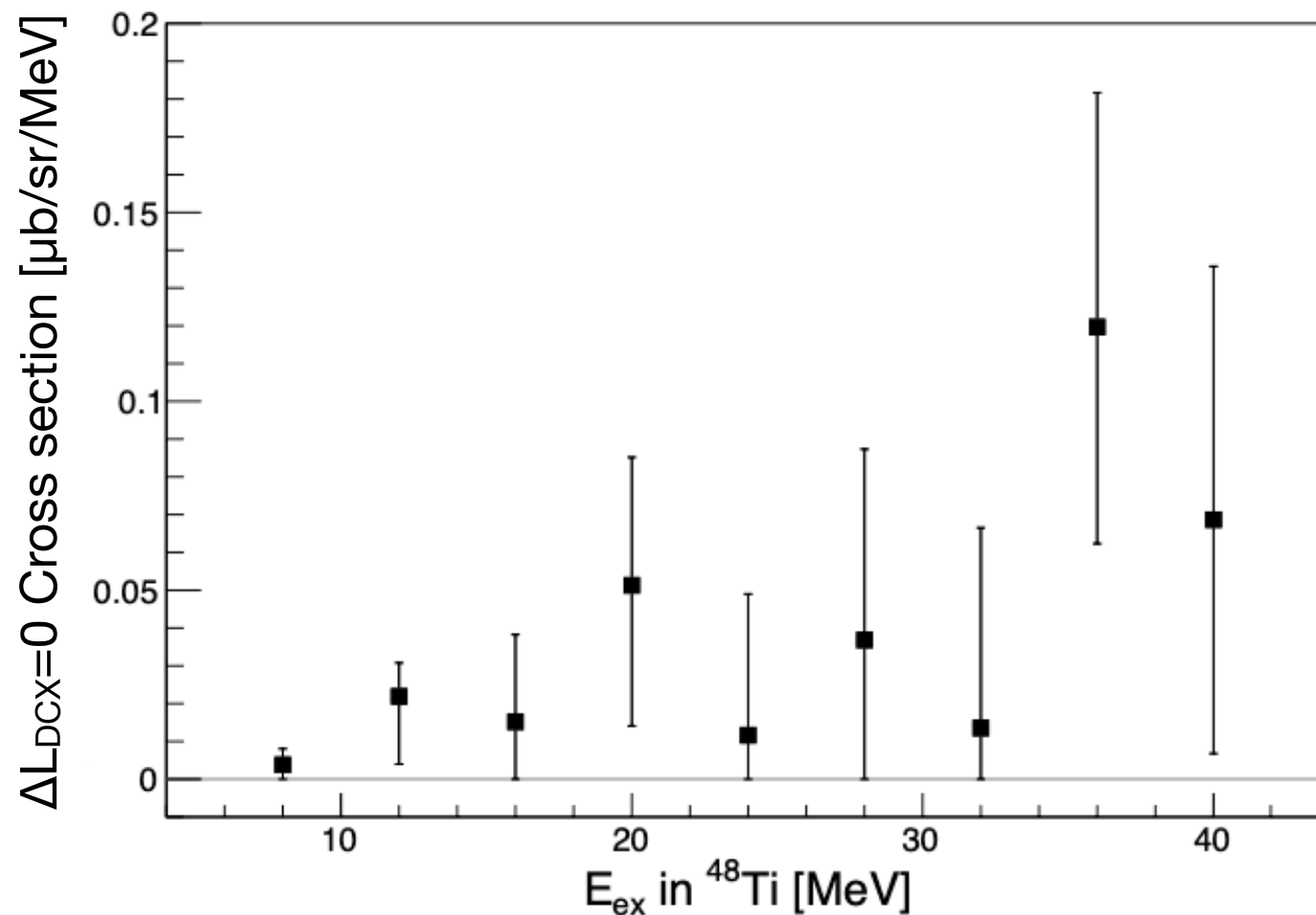
■ : $\Delta L_{DCX} = 0$
● : Fit result



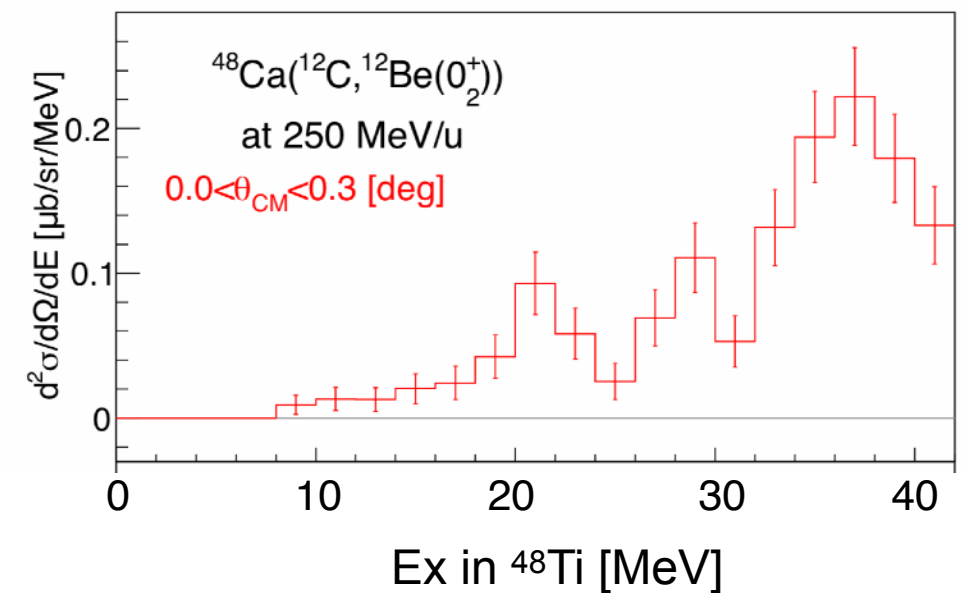
60±50% of observed cross section is $\Delta L_{DCX}=0$

Extracted cross section of $\Delta L_{DCX}=0$

Energy distribution of extracted $\Delta L_{DCX}=0$
cross section at 0-0.3°



Observed cross section at 0-0.3°



$\Delta L_{DCX}=0$ cross section is $0.50^{+0.35}_{-0.11}$ $\mu\text{b/sr}$ in 0-34 MeV
38⁺²⁶₋₈% of observed cross section is $\Delta L_{DCX}=0$

Double Gamow–Teller transition strength

- Proportionality relation between cross section at 0 deg and B(GT)

$$\sigma(0^\circ) = \hat{\sigma}_{\text{GT}} F(q, \omega) B(\text{GT})$$

$$\text{Gamow-Teller transition strength } B(\text{GT}) = \frac{1}{2J_i + 1} \left| \langle f \| \sigma \tau \| i \rangle \right|^2$$

$$\left(\begin{array}{l} \hat{\sigma}_{\text{GT}} \text{ (unit cross section) : proportional coefficient} \\ F(q, \omega) : \text{kinematical dependence} \end{array} \right.$$

- Proportionality relation between cross section at 0 deg and B(DGT) is assumed :

$$\sigma(0^\circ) = \hat{\sigma}_{\text{DGT}} F(q, \omega) B(\text{DGT})$$

$$\text{Double Gamow-Teller transition strength } B(\text{DGT}) = \frac{1}{2J_i + 1} \left| \langle f \| (\sigma \tau)^2 \| i \rangle \right|^2$$

Extraction of B(DGT) from the data

Proportional relation is assumed: $\sigma(0^\circ) = \hat{\sigma}_{\text{DGT}} F(q, \omega) B(\text{DGT})$

B(DGT) is factorized on the heavy ion reaction : $B(\text{DGT}) = B_{\text{target}}(\text{DGT}) * B_{\text{projectile}}(\text{DGT})$

$$\frac{d\sigma}{d\Omega}(0^\circ) = \hat{\sigma}_{\text{DGT}} F(q, \omega) B_{\text{target}}(\text{DGT}) B_{\text{projectile}}(\text{DGT})$$

$^{48}\text{Ca} \rightarrow ^{48}\text{Ti}$ $^{12}\text{C} \rightarrow ^{12}\text{Be}$

$\Delta L_{\text{DCX}}=0$ cross section at 0°

- $B_{\text{projectile}}(\text{DGT})$ is deduced by assuming single intermediate state:

$$B_{^{12}\text{C}(0+) \rightarrow ^{12}\text{Be}(0+2)}(\text{DGT}) = B_{^{12}\text{C}(0+) \rightarrow ^{12}\text{B}(1+)}(\text{GT}) * B_{^{12}\text{B}(1+) \rightarrow ^{12}\text{Be}(0+2)}(\text{GT})$$

F. Ajzenberg-Selove, Nucl. Phys. A 506, 1 (1990)

R. Meharchand et al., Phys. Rev. Lett. 108, 122501 (2012).

- σ_{DGT} and $F(q, \omega)$ are obtained by ECIS

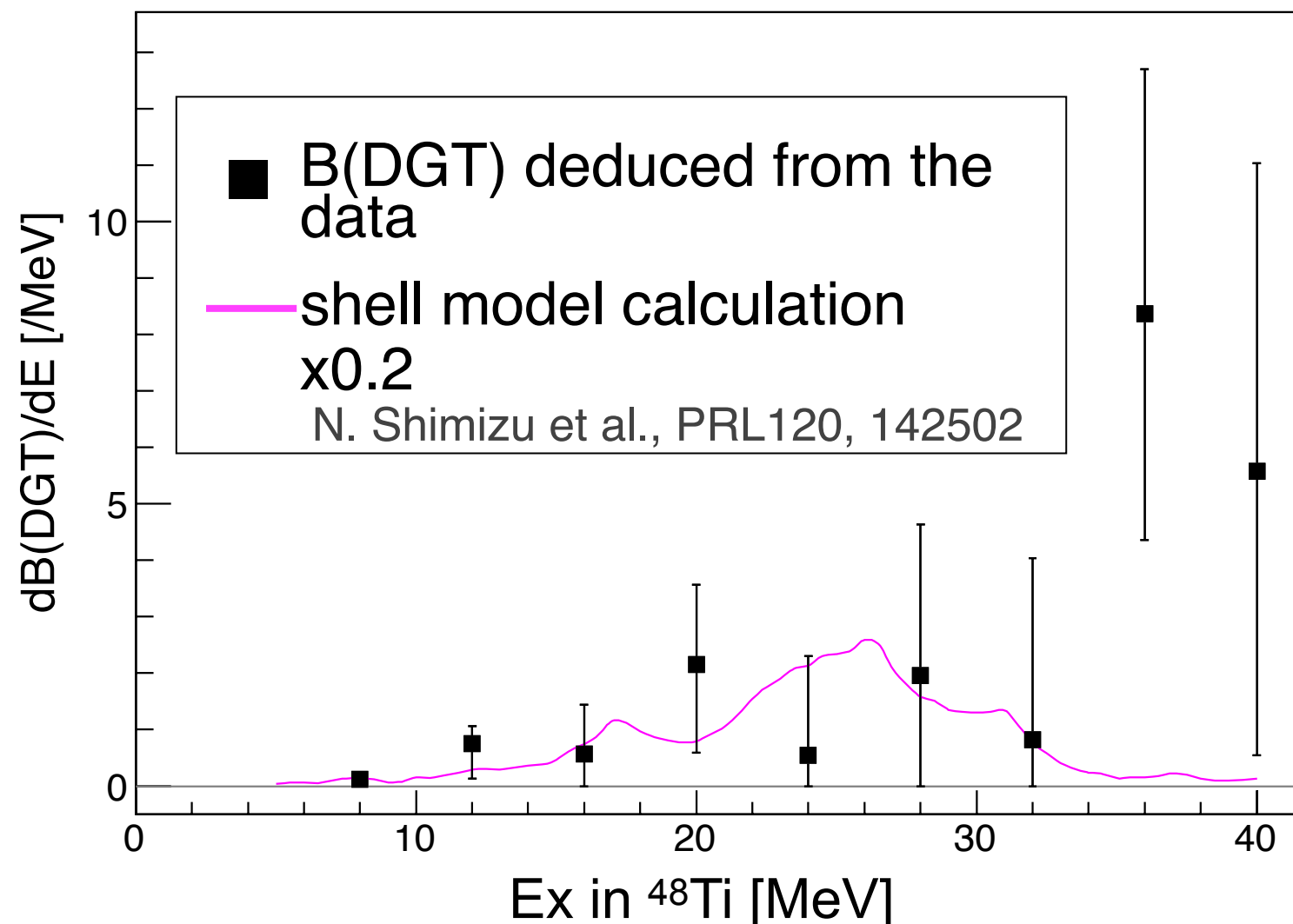
Extraction of B(DGT) from the data

$$\frac{d\sigma}{d\Omega}(0^\circ) = \hat{\sigma}_{\text{DGT}} F(q, \omega) B_{\text{target}}(\text{DGT}) B_{\text{projectile}}(\text{DGT})$$

$\Delta L_{\text{DCX}}=0$ cross section at 0°

$^{48}\text{Ca} \rightarrow ^{48}\text{Ti}$

Ex distribution of B(DGT)



Other possibility than DGT transition

In the extraction of $\Delta L_{DCX}=0$ components, other transitions with similar angular distribution to the DGT are not excluded

e.g. IsoVector Spin Monopole (IVSM) ($\hat{O}_{IVSM}^{\pm} = \sum_i \sigma_i \tau_i^{\pm} r_i^2$) \rightarrow IVSM \otimes GT, IVSM \otimes IVSM,...

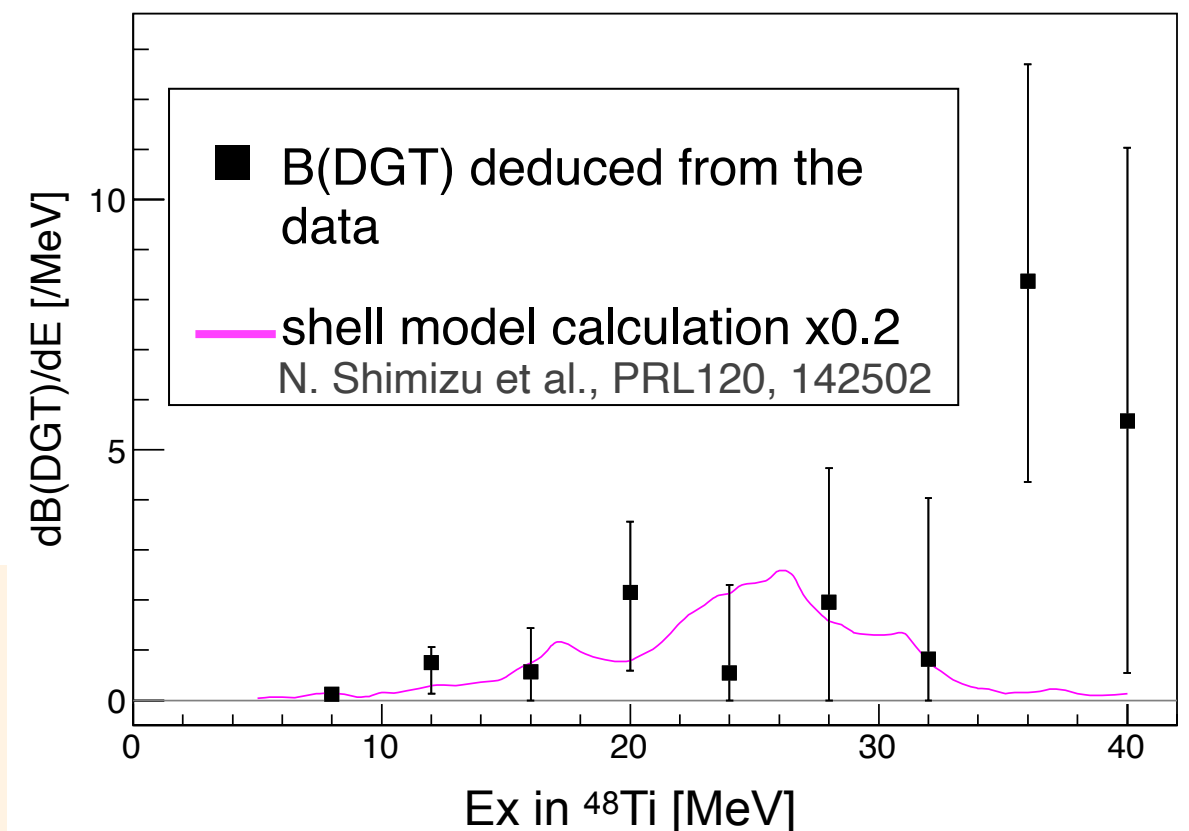
Consider the expected energy where these modes emerges

● Energy expected by adding E in single resonances

- DGTGR : E~28 MeV
- E_{IVSM \otimes GT}~39 MeV
- E_{IVSM \otimes IVSM}~50 MeV

● Prediction by shell model is distributed at Ex < 35 MeV

- 0 < E < 34 MeV
→ DGT
- E > 34 MeV
→ IVSM \otimes GT, DIVSM?
or DGTGR is pushed out to higher E?



Further study is needed for interpretation

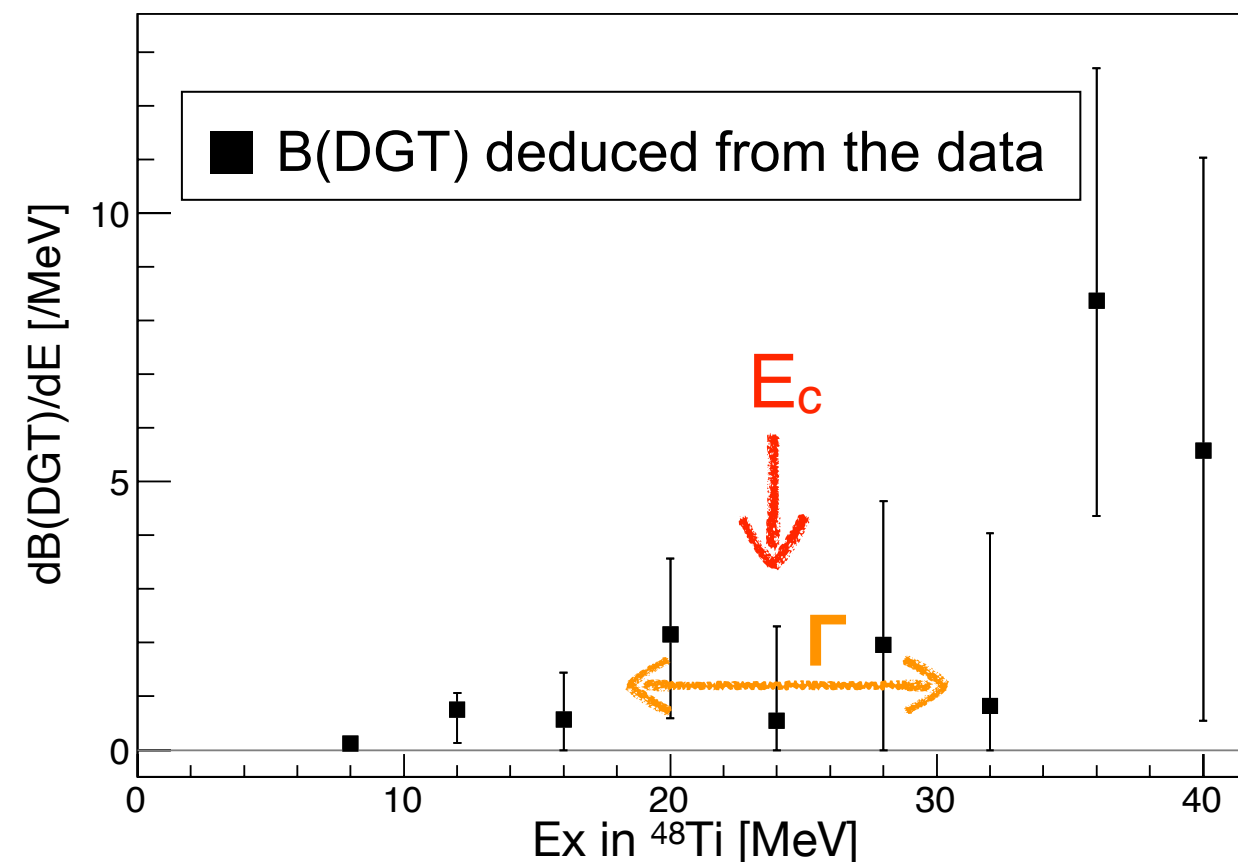
DGT transition strength in Ex=0–34 MeV

Sum, centroid energy, width of B(DGT) in $0 < Ex < 34$ MeV is evaluated

$$S = 28^{+22}_{-7}, \quad E_c = 23 \pm 3 \text{ MeV}, \quad \Gamma = 6 \pm 1 \text{ MeV}$$

($22^{+17}_{-6}\%$ of sum rule value)

$$S = \sum_i B_i(\text{DGT}) \quad E_c = \frac{\sum_i E_i B_i(\text{DGT})}{\sum_i B_i(\text{DGT})} \quad \Gamma = \frac{\sum_i (E_i - E_c) B_i(\text{DGT})}{\sum_i B_i(\text{DGT})}$$



B(DGT) has been first evaluated in high Ex region

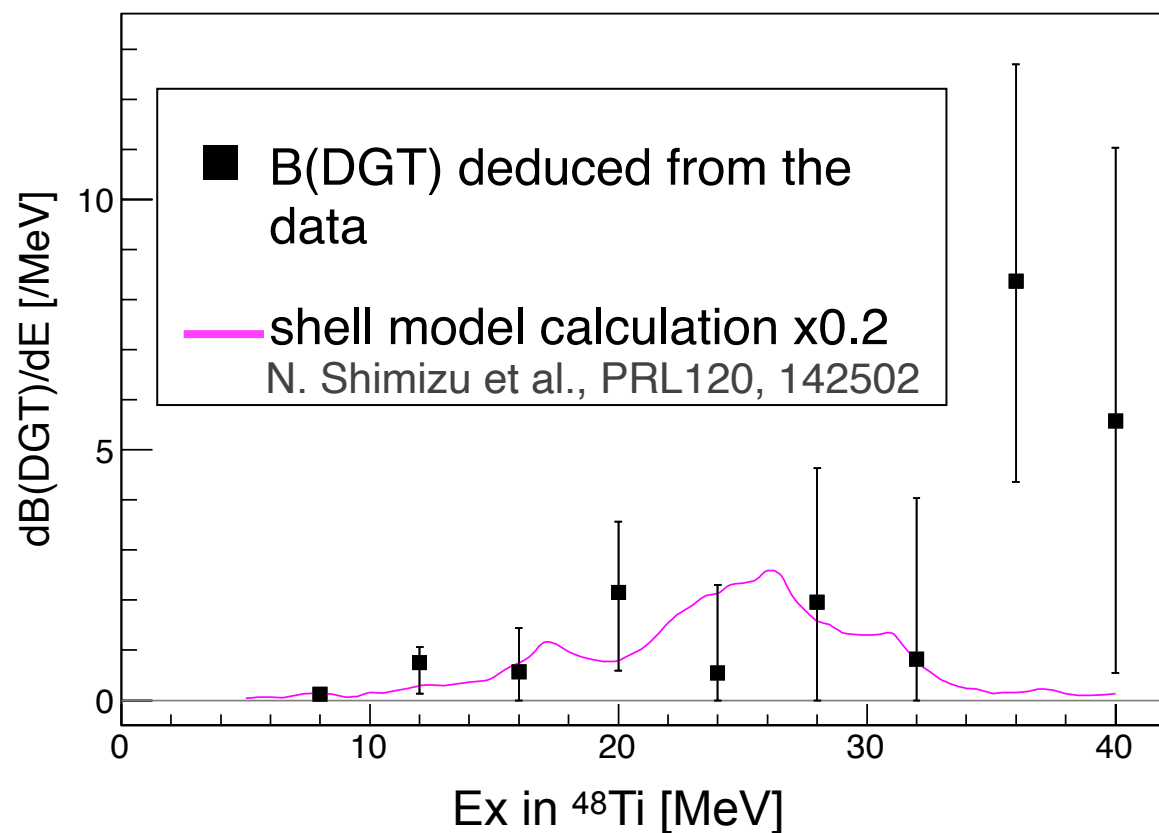
Ec of DGTGR and NME

Sum, centroid energy, width of B(DGT) in $0 < E_x < 34$ MeV is evaluated

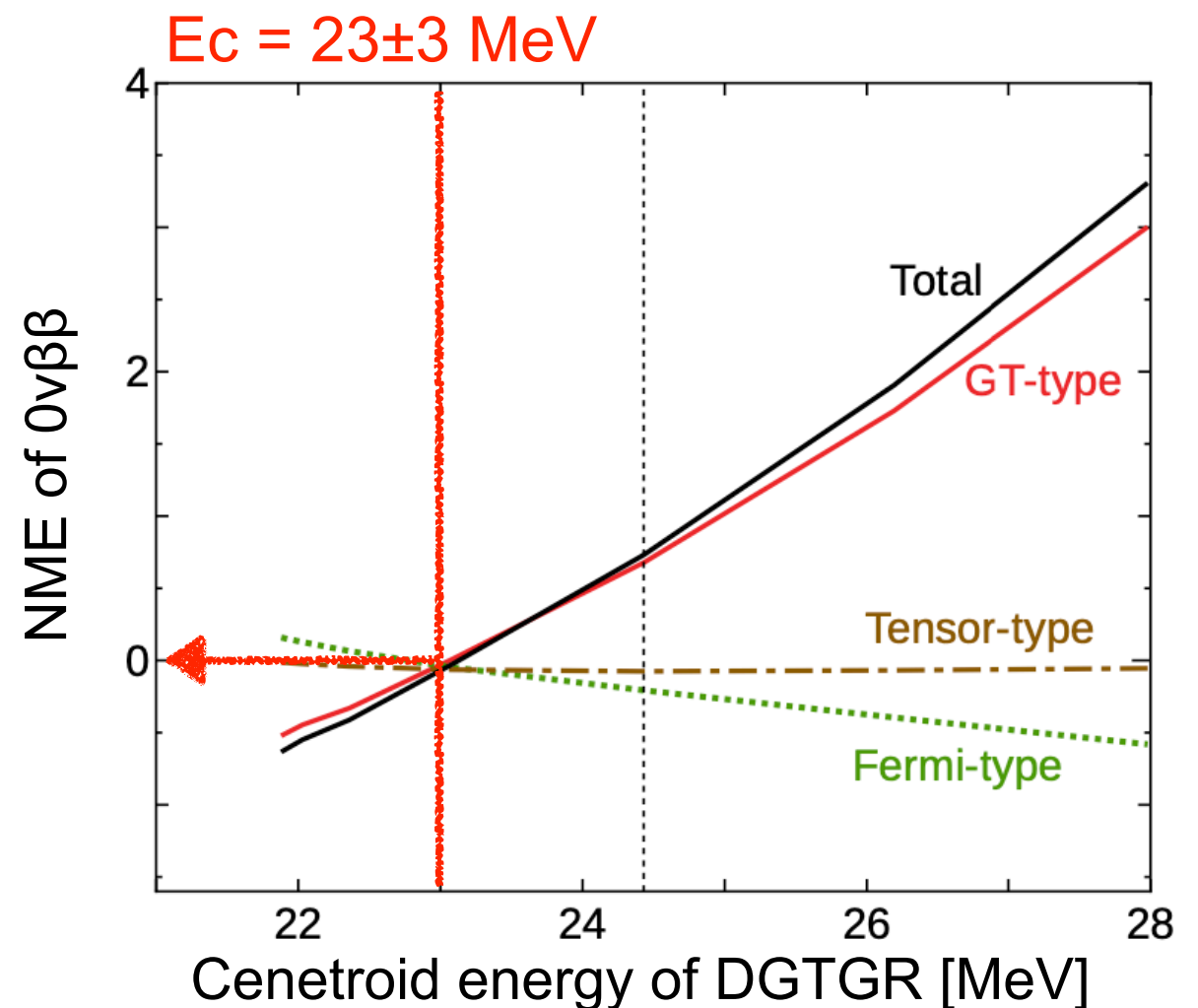
$$S = 28^{+22}_{-7}, \quad E_c = 23 \pm 3 \text{ MeV}, \quad \Gamma = 6 \pm 1 \text{ MeV}$$

($22^{+17}_{-6}\%$ of sum rule value)

Centroid energy of DGTGR $E_c \leftrightarrow$ NME of $0\nu\beta\beta$



$$\sqrt{NME} = 0 \pm 2$$



N. Shimizu, J. Menéndez, K. Yako Phys. Rev. Lett. 120, 142502

N. Shimizu, Private communication

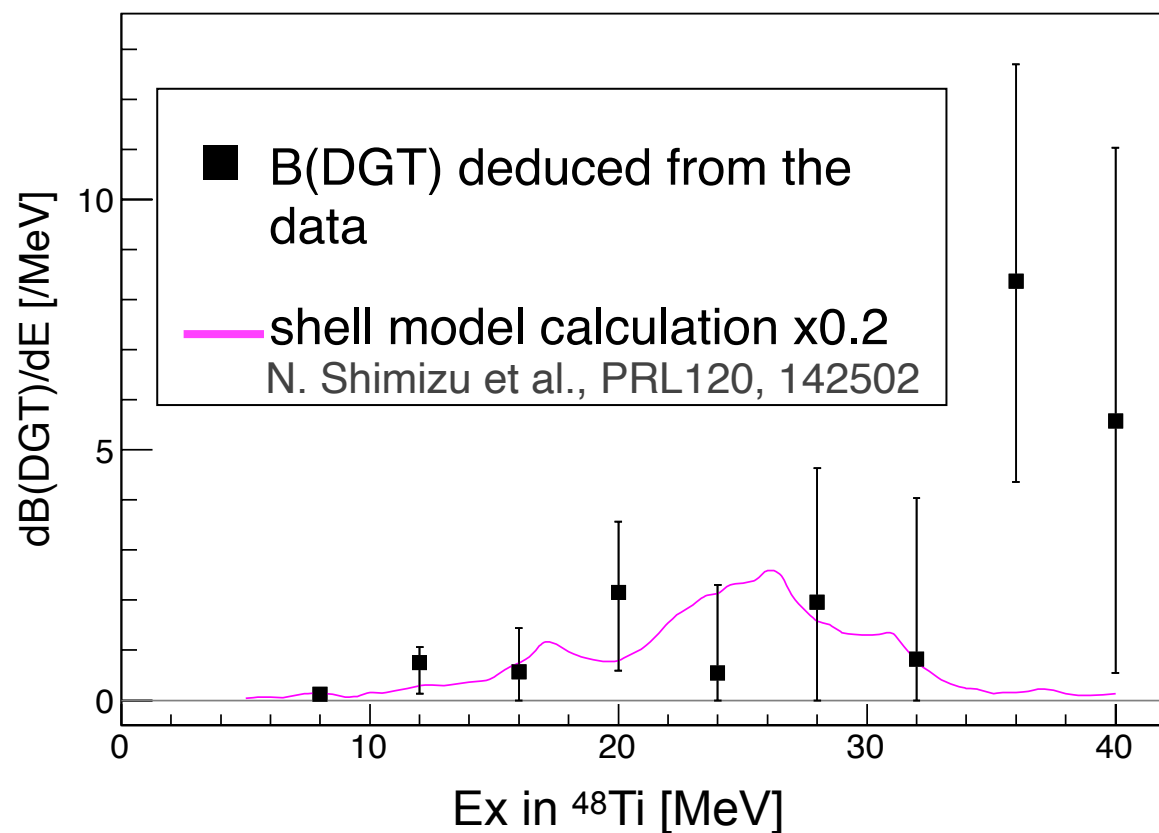
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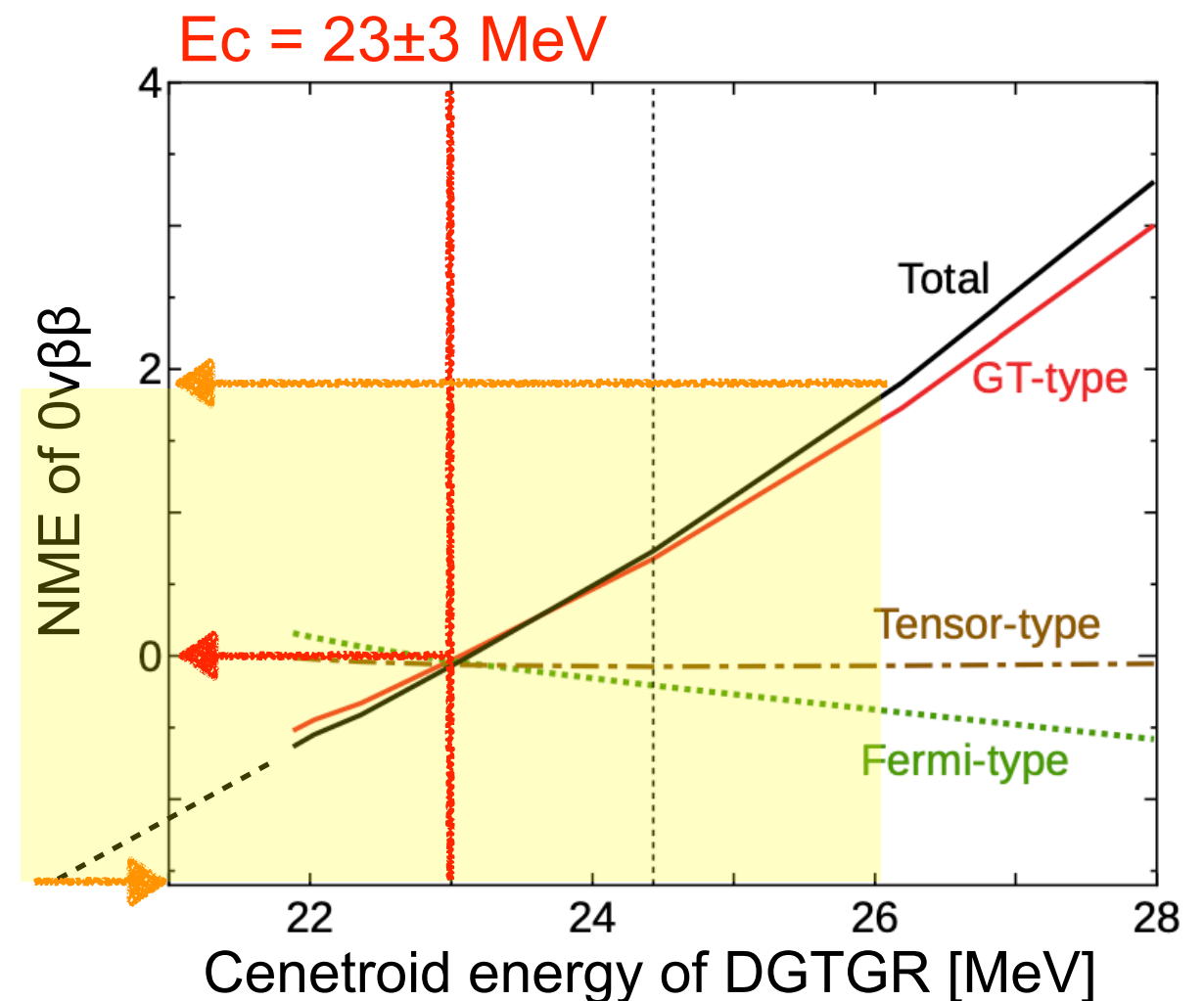
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Centroid energy of DGTGR $E_c \leftrightarrow$ NME of $0\nu\beta\beta$



$$\sqrt{\text{NME}} = 0 \pm 2$$



N. Shimizu, J. Menéndez, K. Yako Phys. Rev. Lett. 120, 142502

N. Shimizu, Private communication

Possible to constrain NME by experiment of DCX

Future plan

The first (^{12}C , $^{12}\text{Be}(0^+_2)$) experiment at RIBF for ^{48}Ca

- DGT at $E_x > 10$ MeV was measured with high resolution and low BG
- Candidate for the DGTGR was observed
- DGT strength was evaluated
- statistics is not enough - specific discussion is not yet achieved

High statistics experiment will provide more clear information on DGT

- Next plan: Using target with large cross section
 - Transition strength $\propto 2(N-Z)(N-Z+1)$
H. Sagawa and T. Uesaka, PRC 94, 064325 (2016)

→ Next target: ^{136}Xe

- Transition strength $\sim ^{48}\text{Ca} \times 13$,
cross section $\sim \times 4$ considering distortion
- Magic neutron number
- Target nucleus of KamLAND-Zen

nuclide	$2(N-Z)(N-Z+1)$
^{48}Ca	112
^{76}Ge	264
^{82}Se	364
^{96}Zr	480
^{100}Mo	480
^{116}Cd	760
^{128}Te	1104
^{130}Te	1300
^{136}Xe	1512
^{150}Nd	1740
^{238}U	5724

Future plan - ^{136}Xe target

In order to realize ^{136}Xe measurement,
Gas target is to be installed in F0

- Gas is filled in the cell with window
- develop in collaboration with pionic atoms group (Itahashi et al.)

Gain comparing ^{48}Ca experiment:

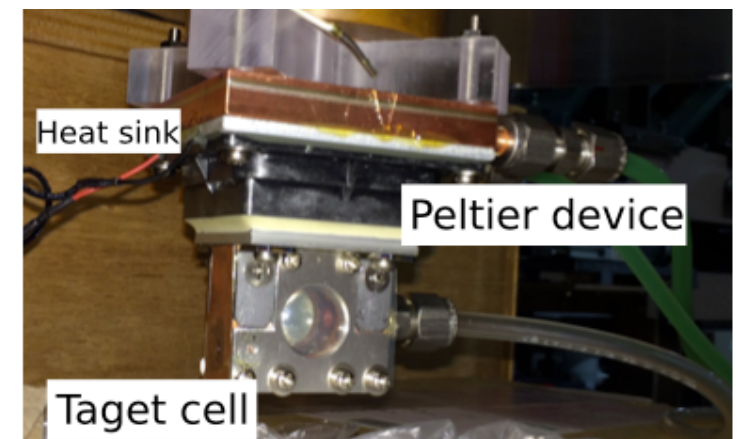
- cross section x4
- optimization of setup x2 yeild
- thick target x2.5 yield

➡ **20 times statistics**

- If data taking time x2
(cf. ^{48}Ca measurement ~ 1.5days)

➡ **40 times statistics → $\Delta E_c = 0.8 \text{ MeV}$**

Plan : FY2025 submit proposal
FY2026 complete development of gas target
FY2027- ^{136}Xe measurement



example of the gas target
(developed at RCNP)



F0 chamber and target holder
(for solid target)

Summary

- Double Gamow–Teller giant resonance (DGTGR) will provide various insight to the nuclear nature, including NME of $0\nu\beta\beta$
- DGT in high E_x is examined by double charge charge reaction of (^{12}C , $^{12}\text{Be}(0^+_2)$)
- The first experiment at RIBF was performed in 2021 for ^{48}Ca target
 - DCX was measured with $\Delta E_x=1.5$ MeV, $\Delta\theta_{\text{CM}}=0.2^\circ$ with low BG: 1.33 ± 0.12 $\mu\text{b/sr}$ in 0-34 MeV at the most forward angle
 - Forward peaking structure was observed around $E_x=20$ MeV
- **Candidate for DGTGR**
 - DGT strength was evaluated by using angular distribution
 - Sum of the strength = $22^{+17}_{-6}\%$ of sum rule value, $E_c = 23\pm3$ MeV, $\Gamma = 6\pm1$ MeV
 - The result shows the possibility of constraining $0\nu\beta\beta$ NME by experiment of DCX
- Next plan: ^{136}Xe target
 - Development of gas target is now ongoing
 - Higher statistics experiment $\rightarrow \Delta E_c = 0.8$ MeV
 - We will get more clear information on DGT response