

Neutrino nuclear responses ,NMEs, for $\beta\beta$ and astro physics by nuclear charge exchange reaction.

Axial vector GT SD SO NMEs

Hiro Ejiri
RCNP Osaka
2016.9. NNR16 RCNP Osaka

Neutrino-less $\beta\beta$ in Nuclear Femto (fm) Lab

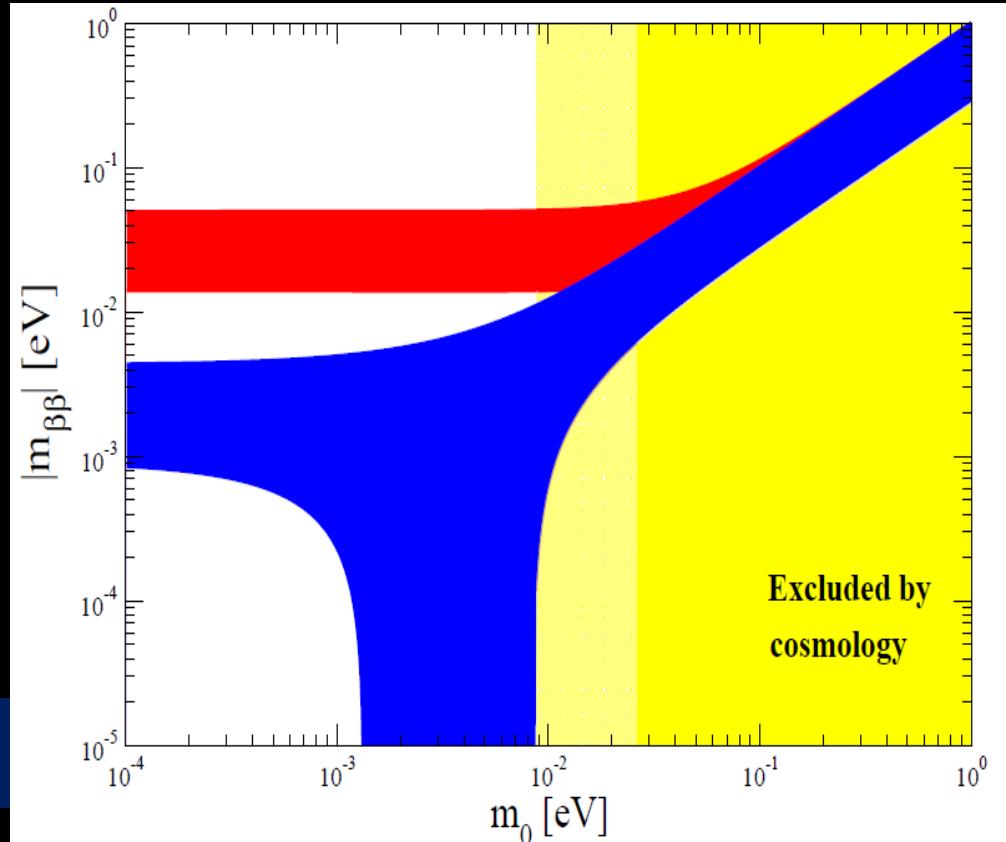
$0\nu\beta\beta \quad A = B + \beta + \beta$
Lepton number $\Delta L=2$
beyond SM.

Particle physics
Majorana ν , m_ν CP

$$T^{0\nu} = G^{0\nu} [M^{0\nu} m_\nu]^2$$

Nucl. physics. g_A
nuclear medium &
 $\tau \sigma$ correlations

Cosmology
DM
Leptogenesis



NH $m_3 \gg m_2, m_1$
IH $m_3 \ll m_2, m_1$

Nuclear matrix element NMEs

Detector ν-mass sensitivities

$$\langle m_\nu \rangle = k [M^{0\nu}]^{-1} G^{-1/2} (NT)^{-1/4} (BG)^{1/4}$$

$$M = g_A^2 M_{DA} + g_F^2 M_{DF}$$

$$M_A = \langle \sigma \tau h \sigma \tau \rangle \quad M_F = -\langle \tau h \tau \rangle$$

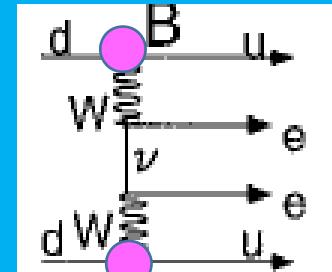
$$h \sim k / (r_1 - r_2)$$

$$T = Gm^2 M^2,$$

$$g_A^2 M_{DA} \sim \sum g_A M_B h g_A M_B$$

If $g_A M_{SB}$ is reduced to 0.7,

T to 1/3, N 1 \rightarrow 10 tons



Momentum transfer

$0\nu\beta\beta$ ν exchange

$$q \sim 1/\Delta r = 1-0.3 \text{ fm}^{-1}$$

$$\Delta l = qR = 1-2$$

$$J^\pi = 1+, 2-, 3+, 4-$$

Axial vector $M_A(J)$

$$M_A(J) = g_A \tau [\sigma \times f(r) Y_L]_J$$

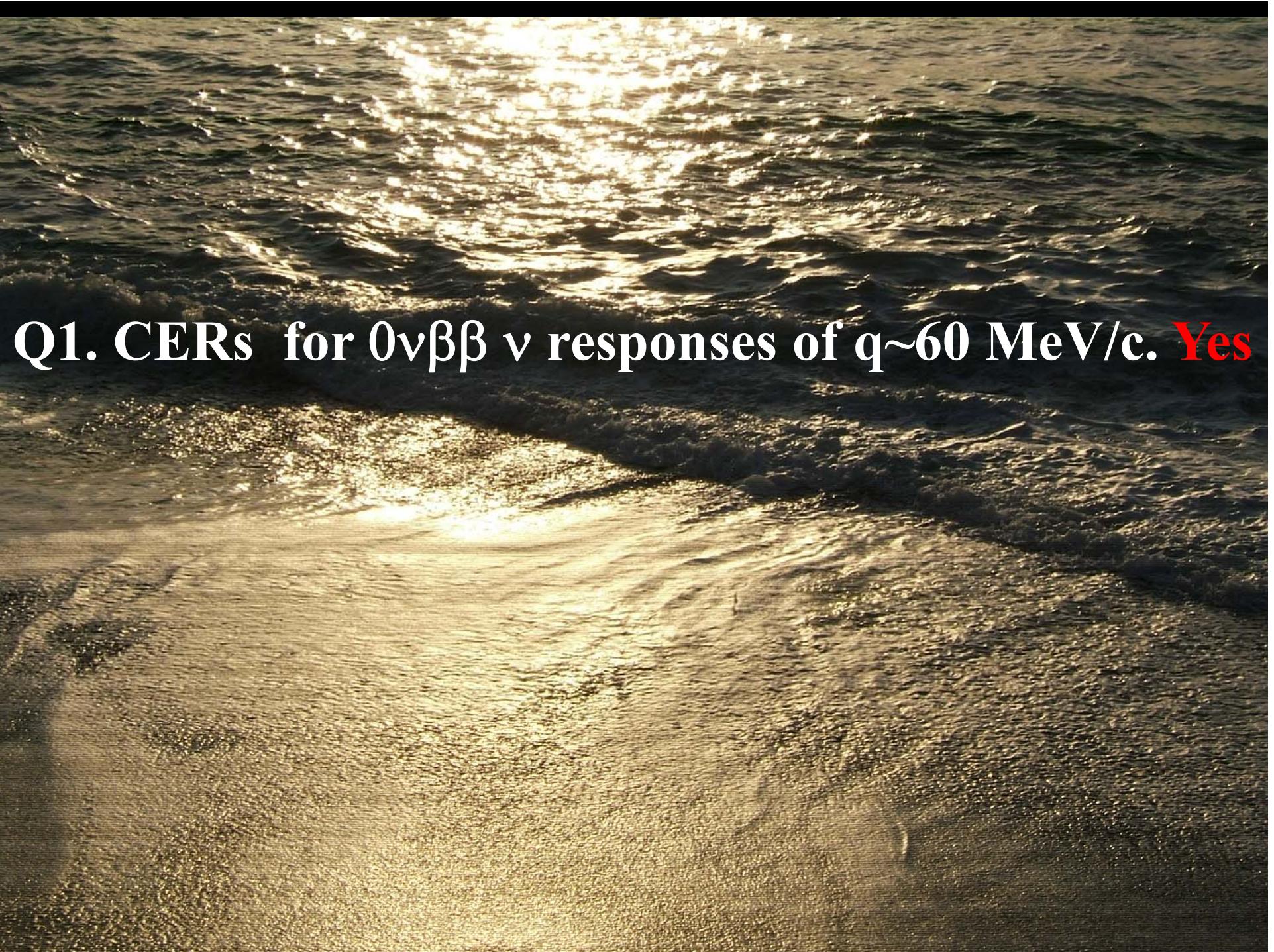
Crucial questions on NMEs for $0\nu\beta\beta$ exps.

	$2\nu\beta\beta$	$0\nu\beta\beta$
CER is possible ?	$q=0$ GT 1+ Yes	$q \neq 0$ SD 2-, 3+ No ?
NME is reduced ?	GT g_{pp} cancell Yes	Many J, not g_{pp} No ?
NMEs reflect nucl. structure ?	Sensitive to nuclear structures as it is. Yes	No sensitive, universal because of many J. No?
Solar v BGs ?	Rate is very small No	Solar v serious. No ?

If all NO, NMEs would be all large and same, no worry about NMEs

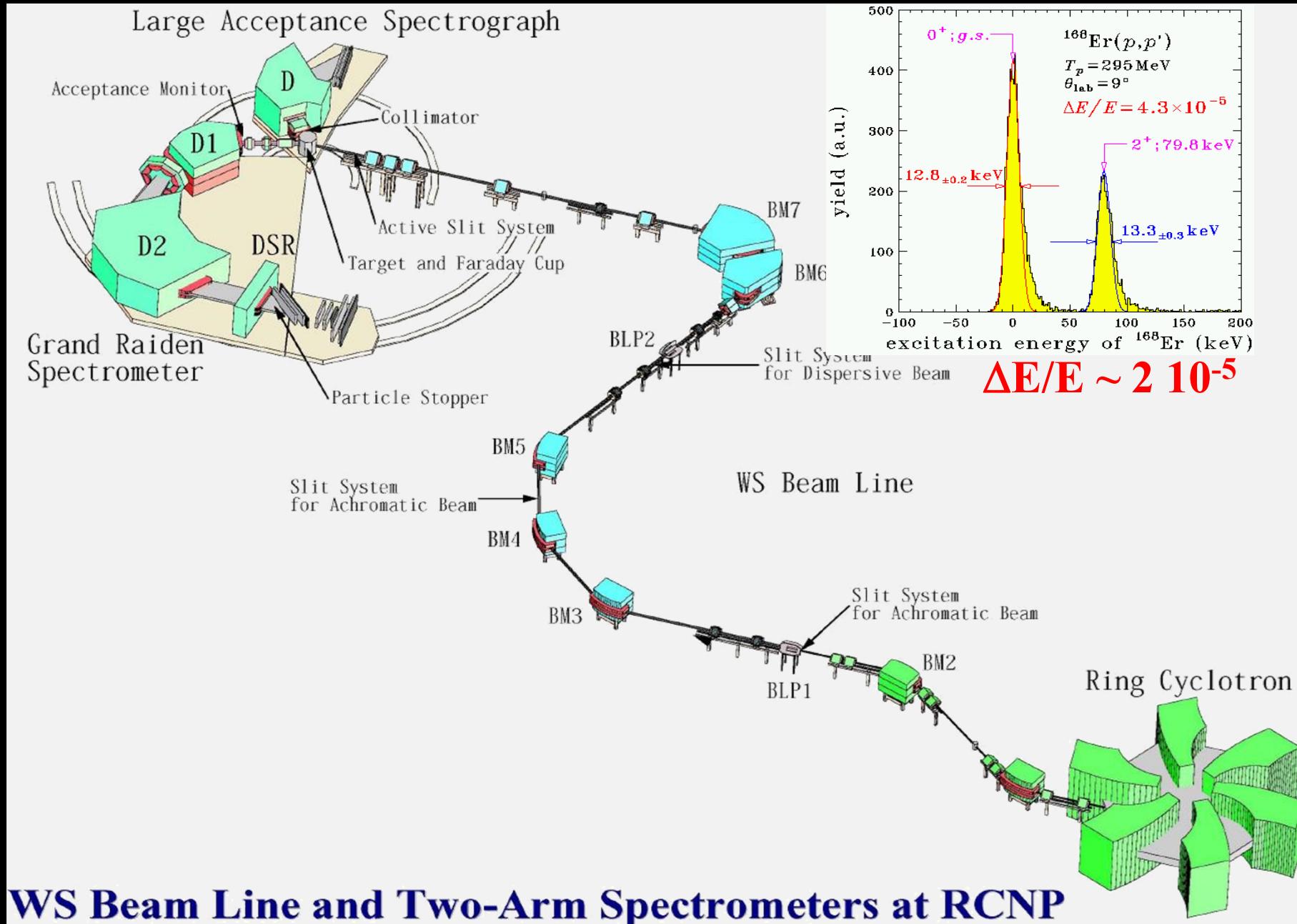
Just detectors with large N(enriched isotopes) and small BG($2\nu\beta\beta$)

We show all YES, and thus need CERs and theories to study NMEs.



Q1. CERs for $0\nu\beta\beta$ ν responses of $q \sim 60$ MeV/c. Yes

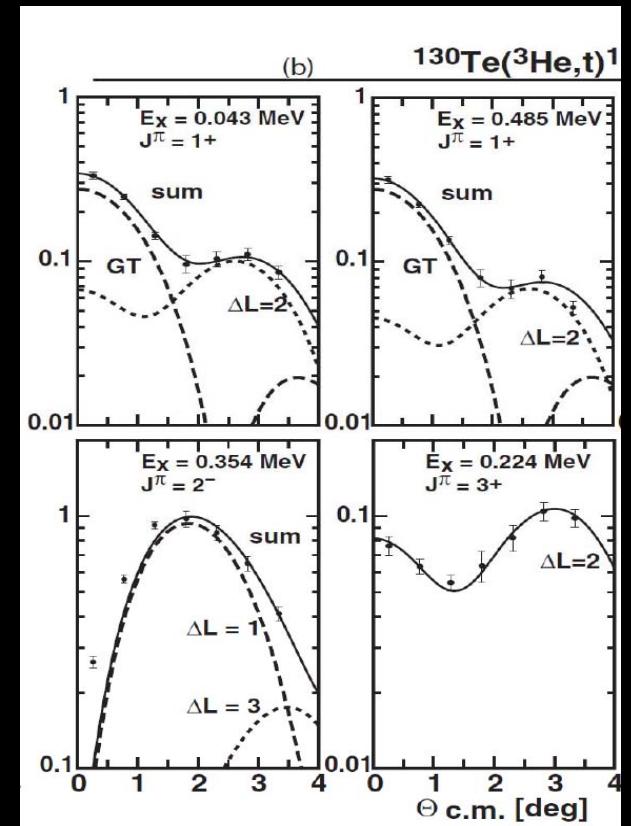
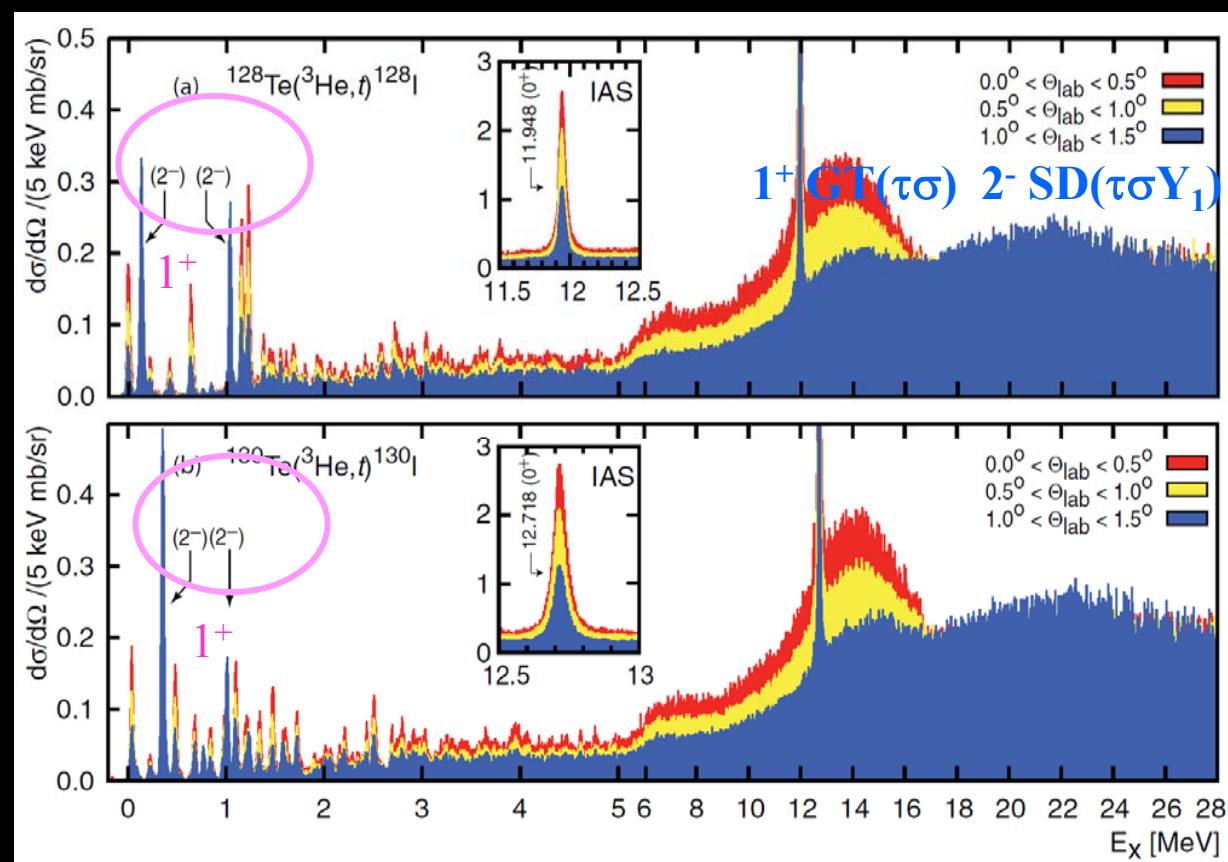
High E resolution ($^3\text{He},\text{t}$) CERs at RCNP Osaka



DBD ^{76}Ge , ^{82}Se , ^{100}Mo , ^{128}Te , ^{130}Te ^{150}Nd show GT SD SQ states.

$$\frac{d\sigma_\alpha(0^\circ)}{d\Omega} \frac{1}{K(E_i, 0) N_\alpha^D} = |J_\alpha|^2 B(\alpha),$$

$$\begin{aligned} \mathbf{B}(\alpha) &= \mathbf{M}^2, \quad \mathbf{M}(1+) = \boldsymbol{\sigma} \tau \quad \theta=0 \text{ deg., } \mathbf{p} \sim 0 \\ \mathbf{M}(2-) &= [\boldsymbol{\sigma} \tau \times \mathbf{r} \mathbf{Y}_1]_2 \quad \theta=2 \text{ deg., } \mathbf{p} \sim 60 \text{ MeV/c} \end{aligned}$$



Te: Puppe, Akimune, Frekers, Ejiri, et al. PRC 86 044603 2012
 CER EXP at RCNP Akimune, H.Ejiri, D.Frekers et al 1994- 2016.

SD NMEs $M(\text{FSQP}) = k M(\text{EXP})$.

H. Ejiri D. Frekers

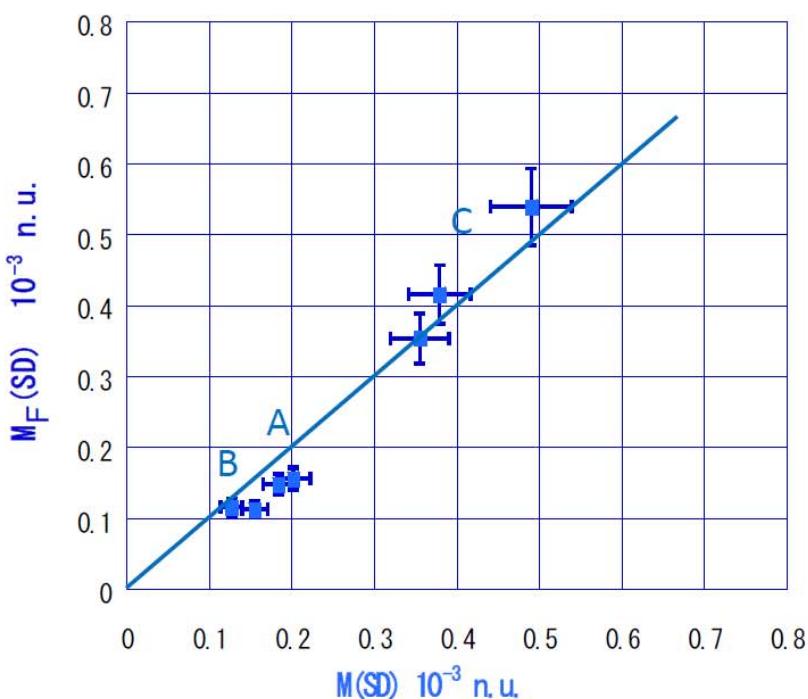
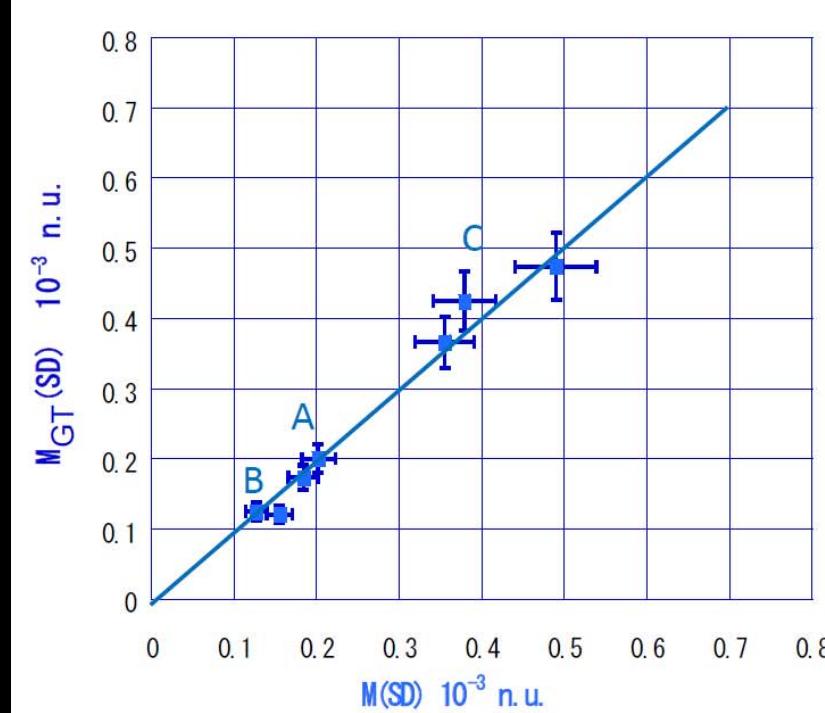
J. Physics G. Lett. 43 2016 11LT01

$$\frac{\sigma_\alpha(q, \omega)}{d\Omega} = K(E_i, \omega) f_\alpha(q) N_\alpha^D(q, \omega) J_\alpha^2 B(\alpha),$$

α denotes the Fermi, GT and SD mode excitations.

$$B_\alpha(SD) = R_\alpha B_{R\alpha}(SD) \quad M_\alpha(SD) = B_\alpha(SD)^{1/2}$$

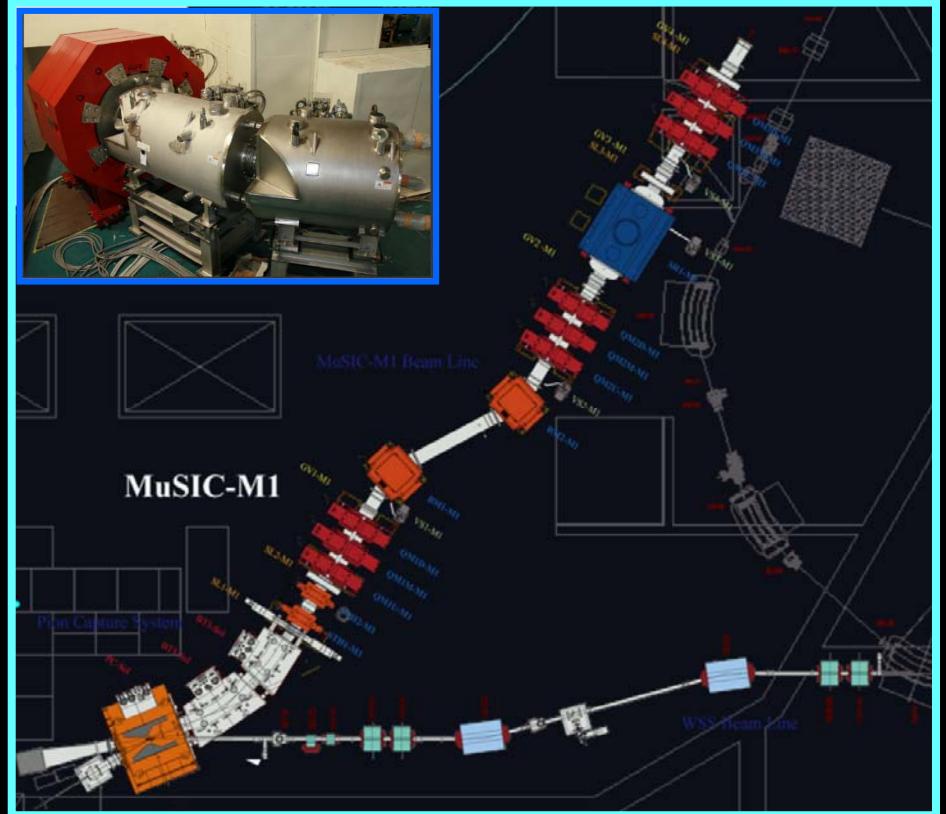
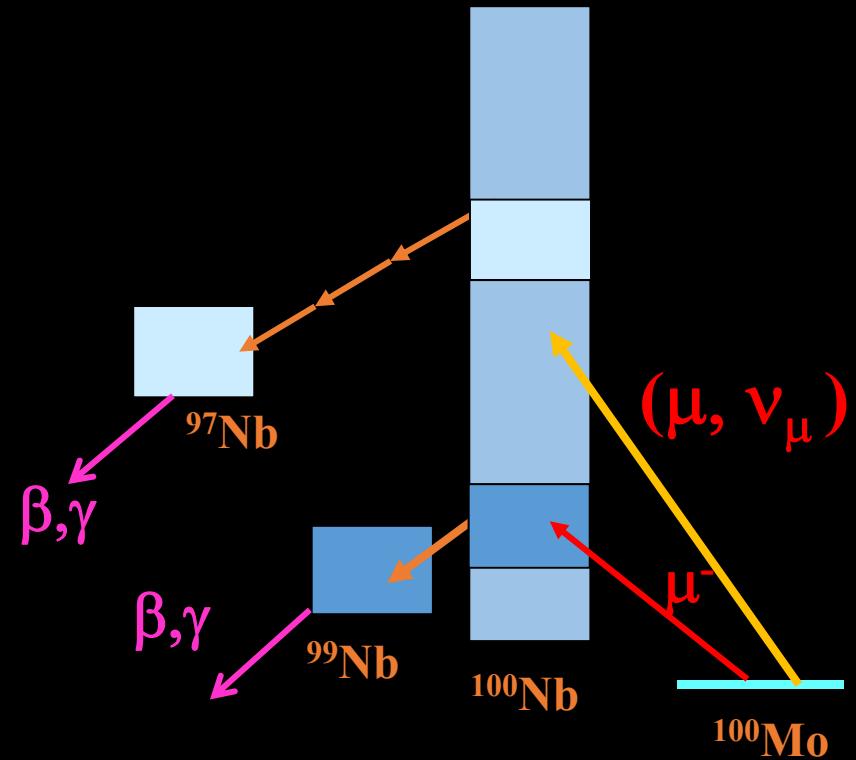
$$B_{R\alpha}(SD) = \left[\frac{d\sigma_{SD}(\theta_1)}{d\Omega} \right] \left[\frac{d\sigma_\alpha(\theta_0)}{d\Omega} \right]^{-1} B(\alpha),$$



SD NMEs with $k \sim 0.25 g_A$ from ft data in neighboring nuclei.

Exps in May on SD with Akimune Ejiri, Frekers et al. Sept 30th

CER (μ, v_μ , xn γ) $v - \tau(\beta) +$ responses with $q \sim 50-60$ MeV/c



γ_i from $^{100-i}\text{Nb}$ gives relative strength & life time the absolute strength

H. Ejiri Proc. e- γ conference Sendai 1972

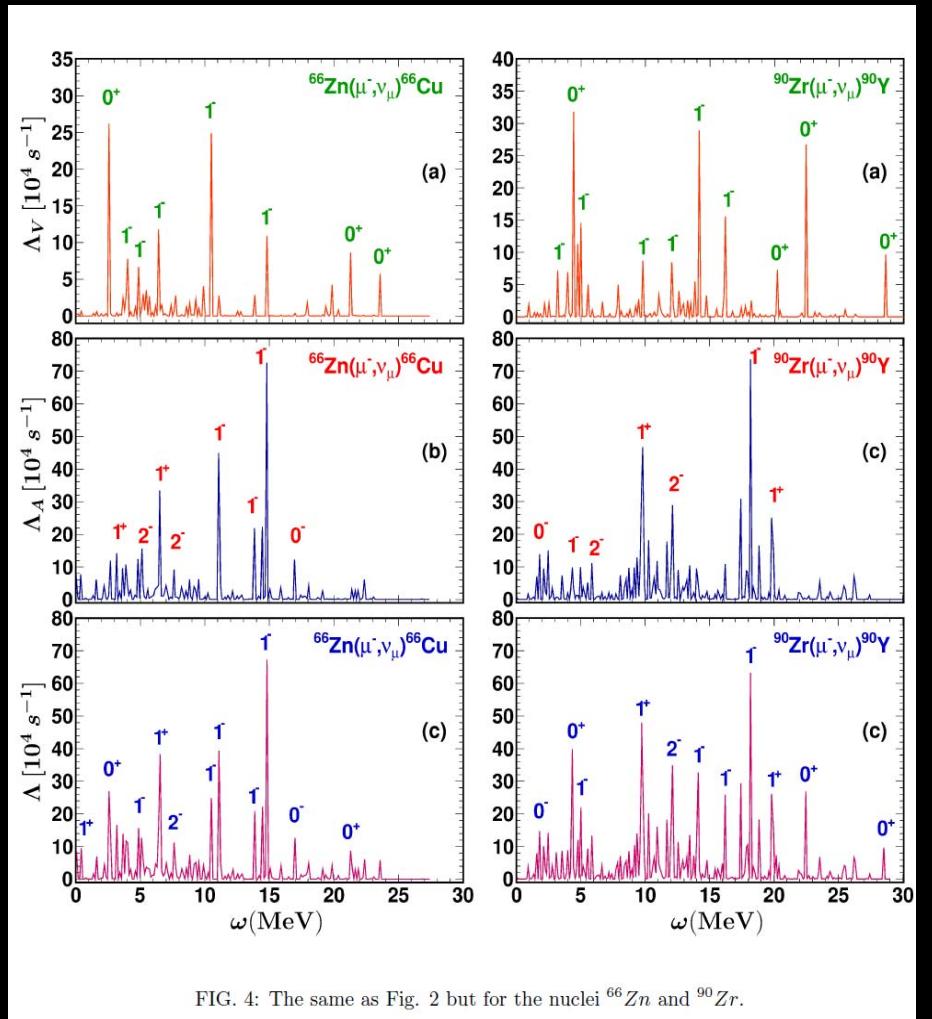
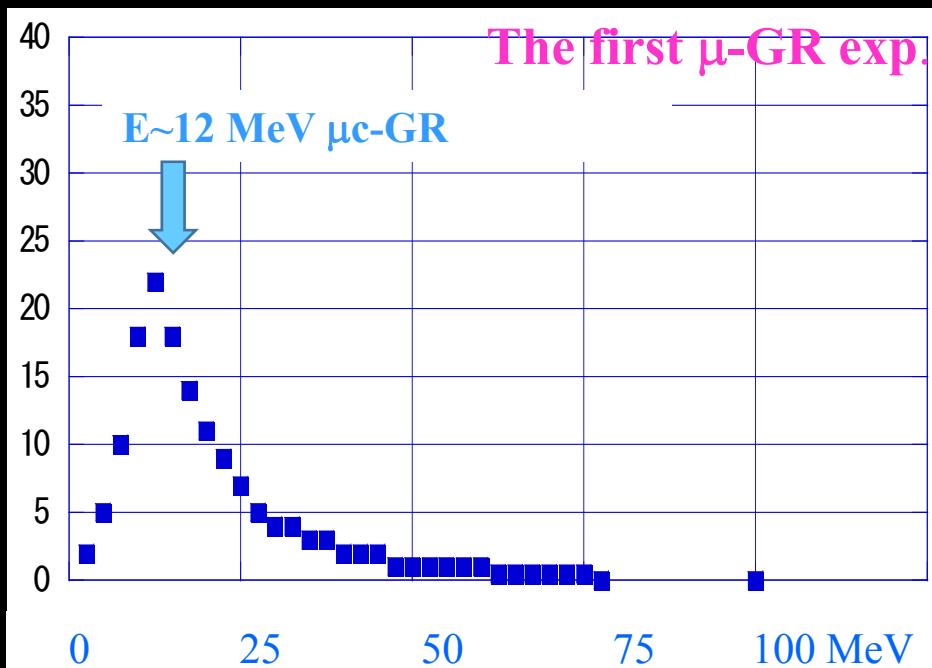
I. Hashim PhD Thesis 2015; I. Hashim H. Ejiri , NNR14, MXG16

Observed isotope population J-PARC MLF

agrees with calculation with
 μ - GR as given below.

H. Ejiri et al. JPSJ 84 044202 2013

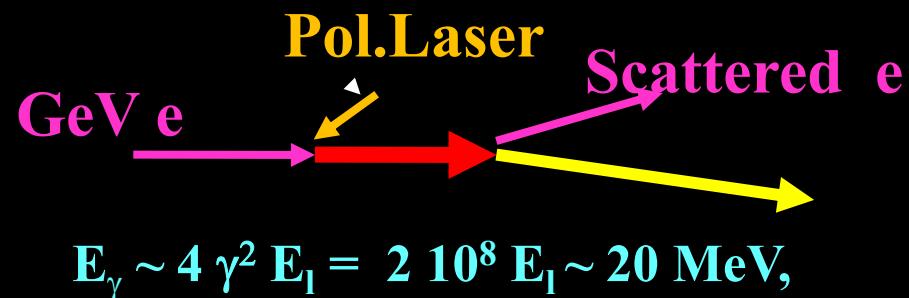
I. Hashim PhD Thesis 2015



Haris Kosmas

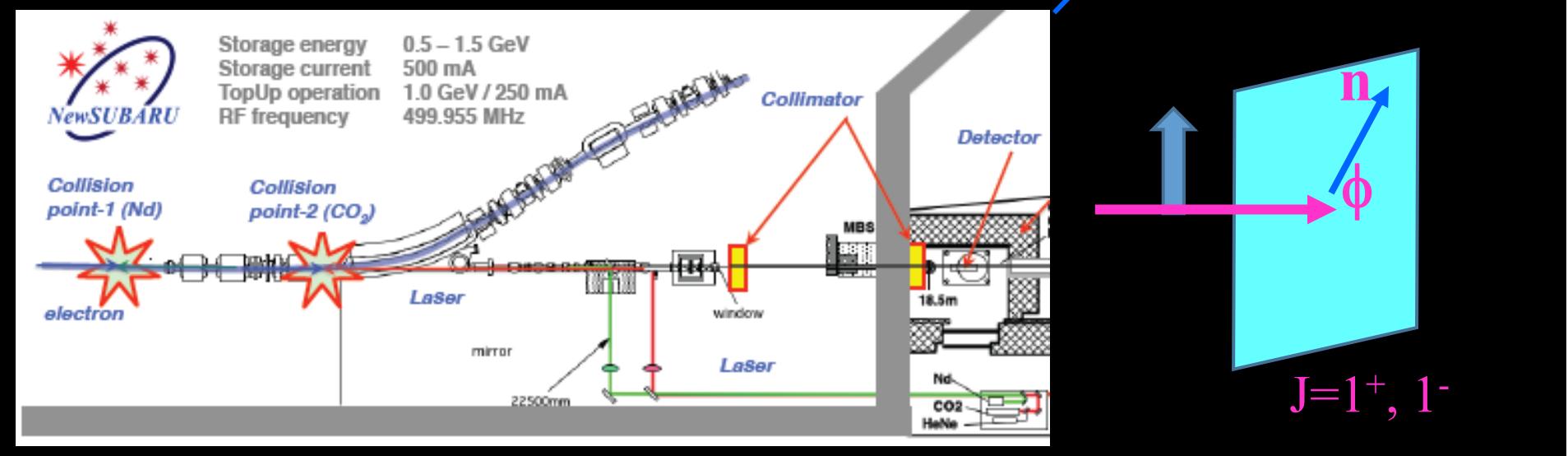
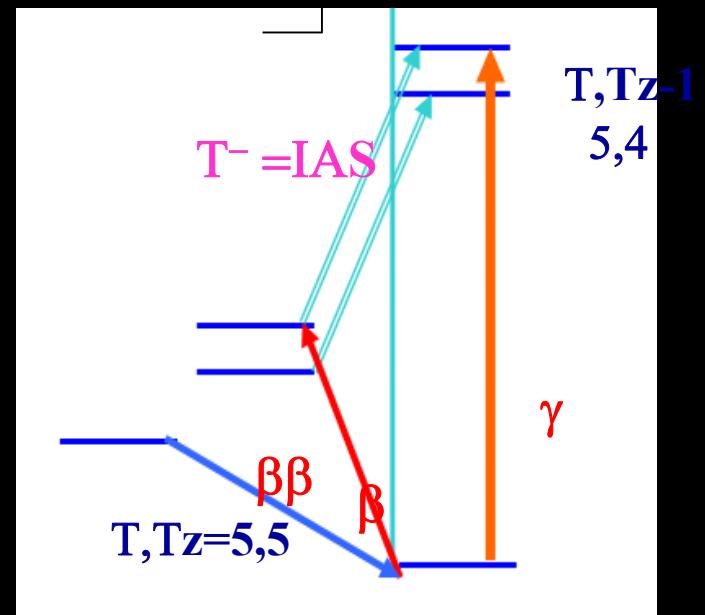
LEPS Photon probe

Laser electron photon Sources



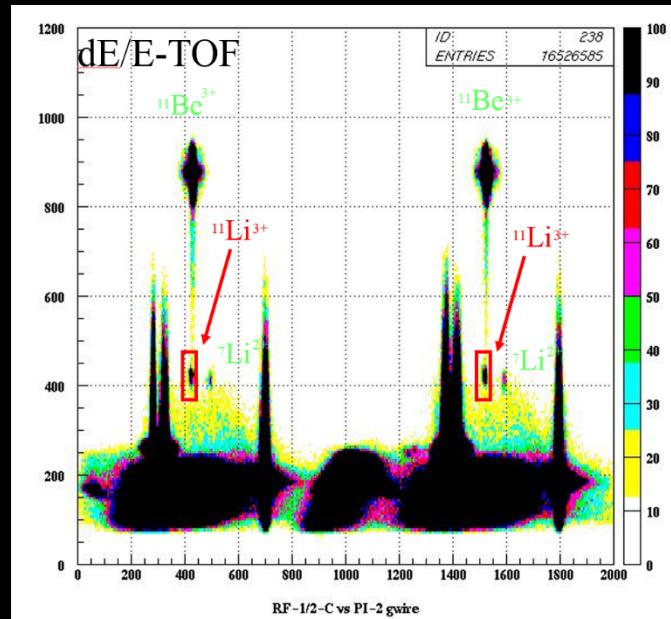
β^+ responses via IAS γ
 $\langle f | g M_\beta | i \rangle = g/e (2T)^{1/2} \langle f | em_\gamma | I \rangle$

H. Ejiri PRL 21 '68
H. Ejiri, A. Titov PR C 88 '13



Double charge exchange reaction *

RCNP 0.9 GeV ^{11}B , ^{11}Li

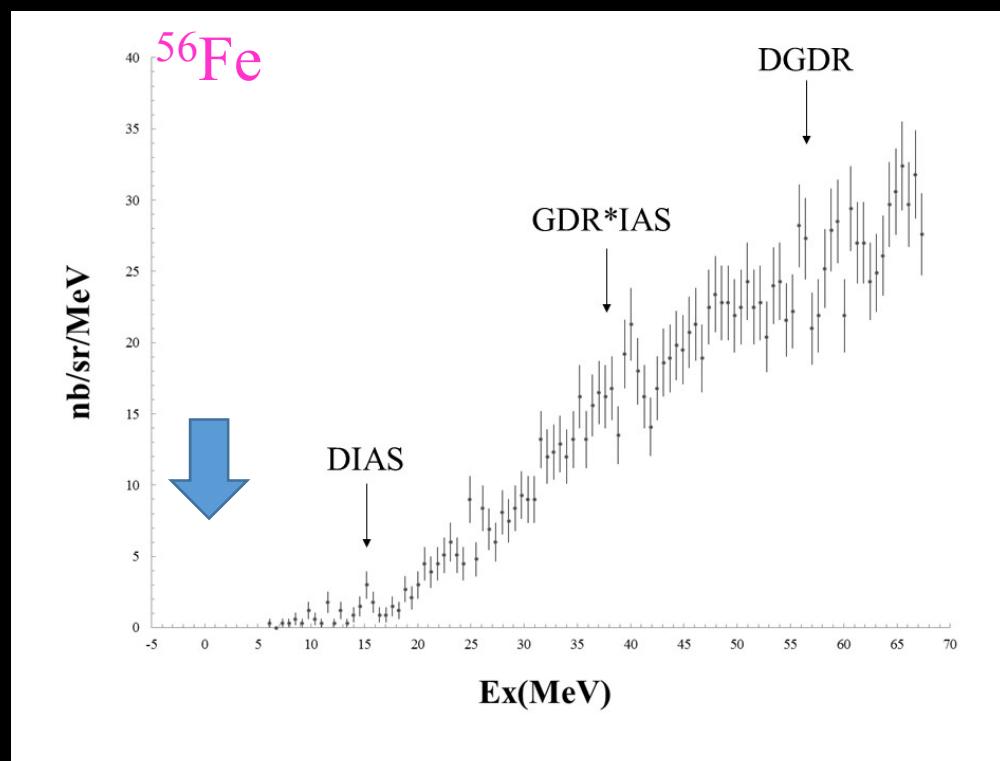
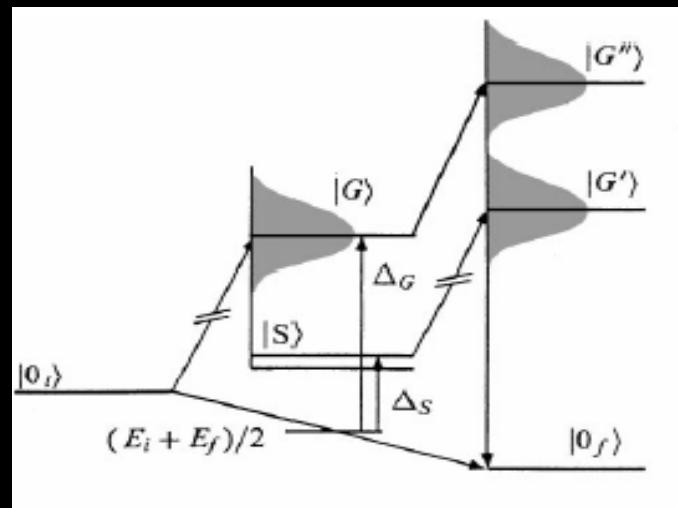


^{13}C strengths at low high states

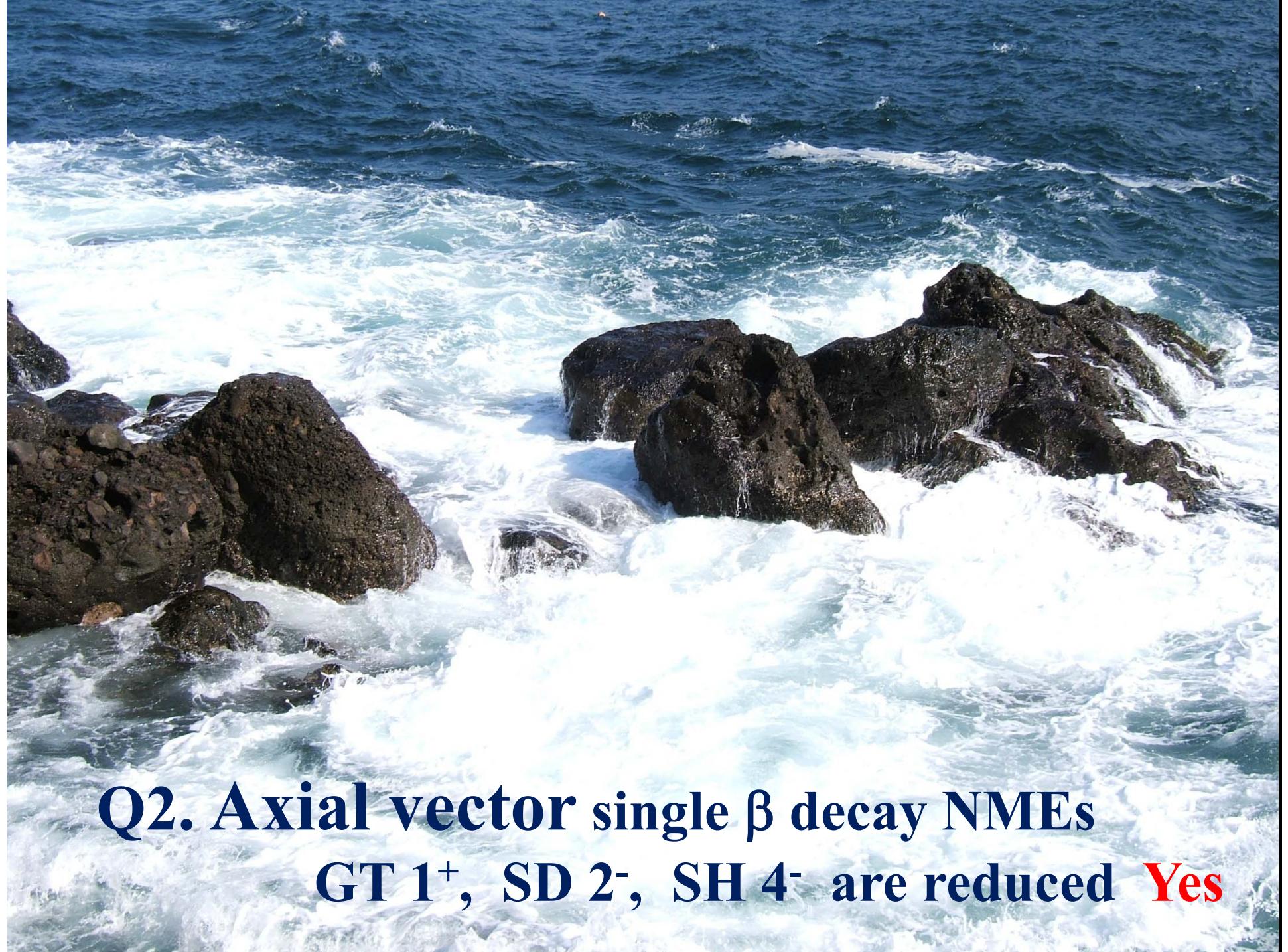
^{56}Fe no low states, mostly GRs

$\Sigma B(\text{GT})$ low < 0.1 $B(\text{GT})$ GR

$\Sigma B(\text{GTGT})$ low < 0.01 $B(\text{GTGT})$ GR



Takahisa Ejiri et al 2010



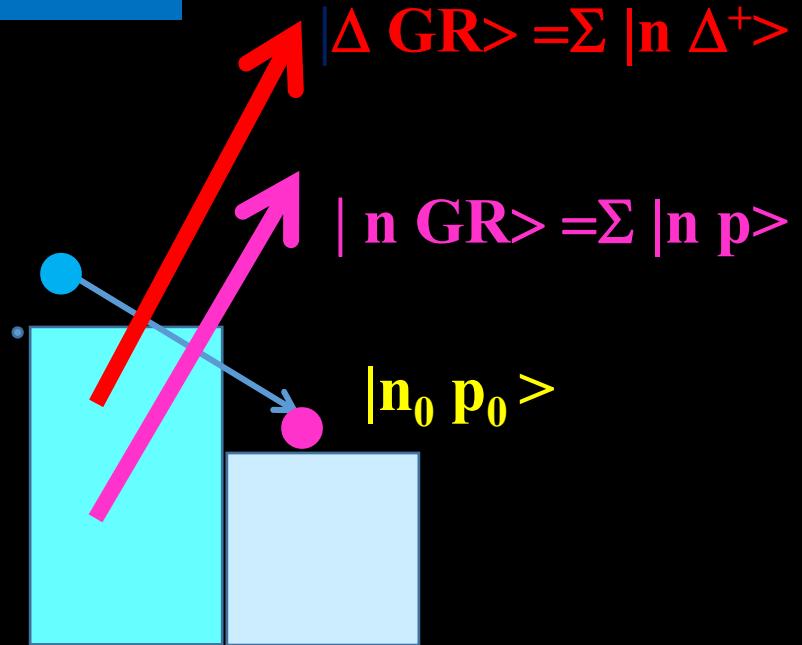
**Q2. Axial vector single β decay NMEs
GT 1⁺, SD 2⁻, SH 4⁻ are reduced Yes**

Schematic view of $\beta\beta$ and GR

Ejiri Fujita PR 34 85 1978

1. n_0 and p_0 are on the ground 0^+ at Fermi surface.

2. $\tau\sigma$ GR : coherent sum of many ($N \sim 30$) $\sum |n^{-1}p\rangle$
 Δ GR: coherent sum of many ($N=100$) $\sum |n^{-1}\Delta^+\rangle$



4. They mix destructively via repulsive interaction as
 $|np\rangle = |n_0 p_0\rangle - \varepsilon |n\tau\sigma GR\rangle - \delta |\Delta GR\rangle$

GR and other effects are uniform, and are given by experimental renormalization of $M=k^{eff} M^0 (QP)$

$$k^{eff} = k^{eff} (\tau\sigma) \times k^{eff} (\Delta) = [1/(1+\chi_{\tau\sigma})] [1/(1+\chi_M)]$$

GT 1⁺ 2⁻, 4⁻ $\tau\sigma$ axial vector NMEs reductions

$$M_{\text{exp}} < M_{\text{qp}}$$

$$M^m_{\text{exp}} = k M_{\text{qp}}$$

$$k = 0.2 - 0.3 = k_{\tau\sigma} k_{\text{NM}}$$

$$M^m_{\text{QRPA}} = k_{\tau\sigma} M_{\text{QP}}$$

$$k_{\tau\sigma} \sim 0.4 \quad \text{NN} \quad \tau\sigma$$

$$M^m_{\text{exp}} = k_{\text{NM}} M_{\text{QRPA}}$$

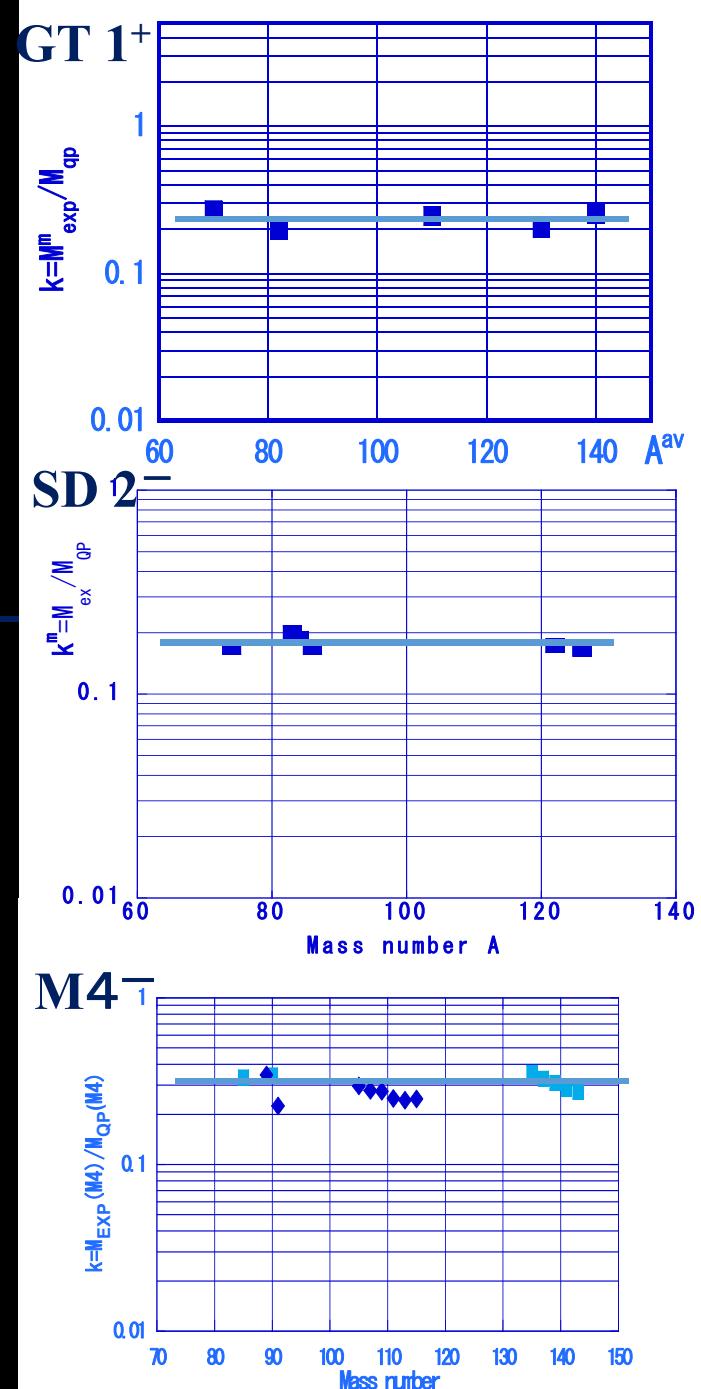
$$k_{\text{NM}} \sim 0.6 = g_A^{\text{eff}} / g_A \quad N \Delta \text{NM}$$

H. Ejiri J. Suhonen J. Phys. G. 42 2015 055201

H. Ejiri N. Soucouli, J. Suhonen PL B 729 27

L. Jokiniemi J. Suhonen H. Ejiri (Sept. 29th)

arXiv 1604.04399v1



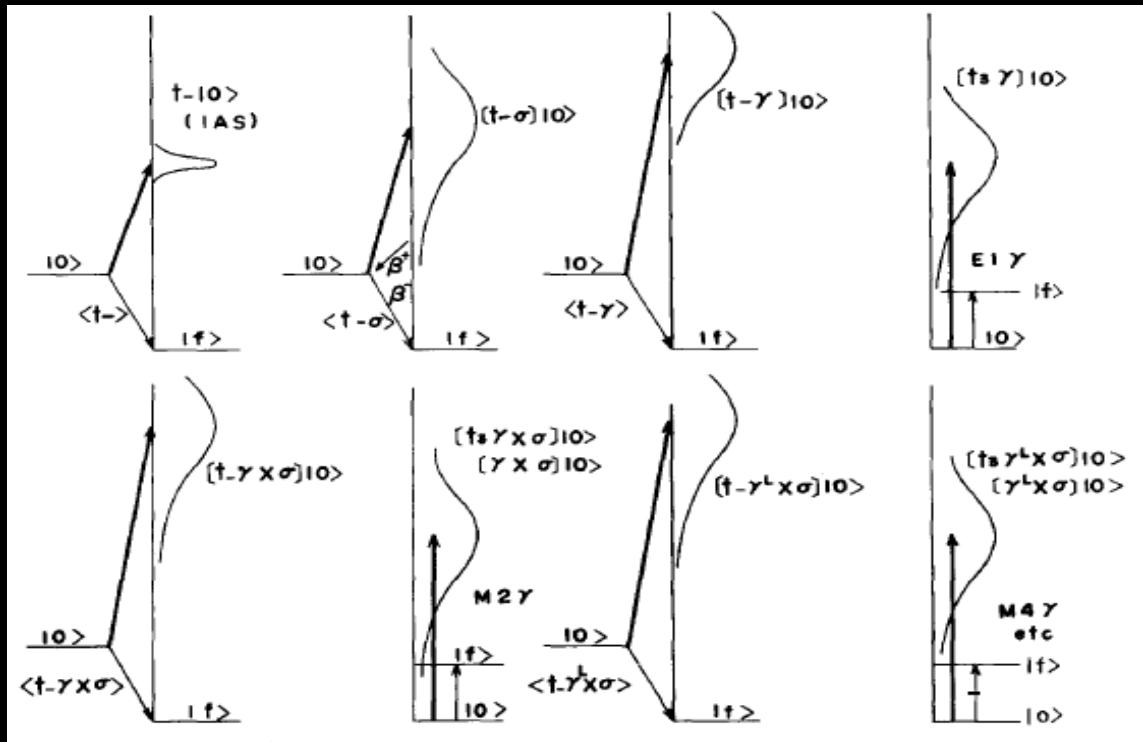
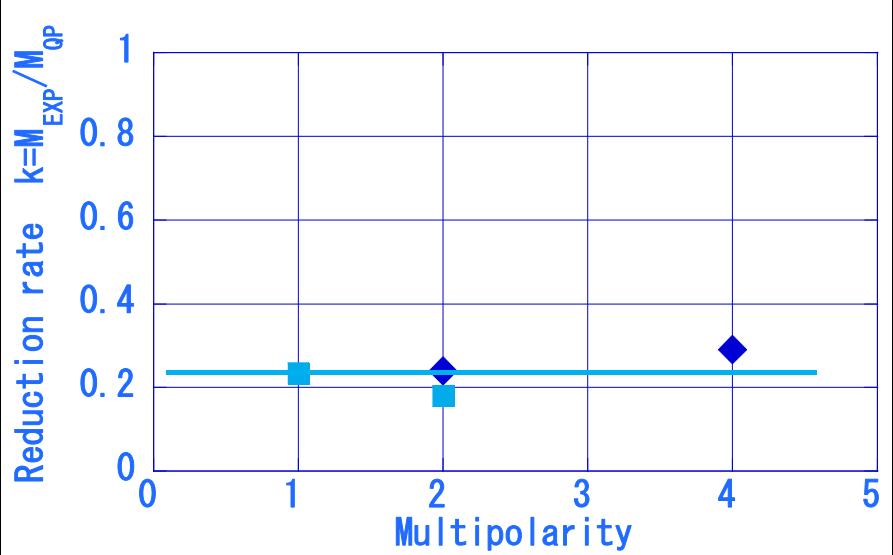
Universal reductions

$$M(SL) = \langle \tau^\pm (\sigma \times r^l Y_l) \rangle_J$$

Use $M(EXP) = k M(QP)$

$k \sim 0.25-0.30$ for $J=1,2,4$

Exp. NME, NO Quenching.

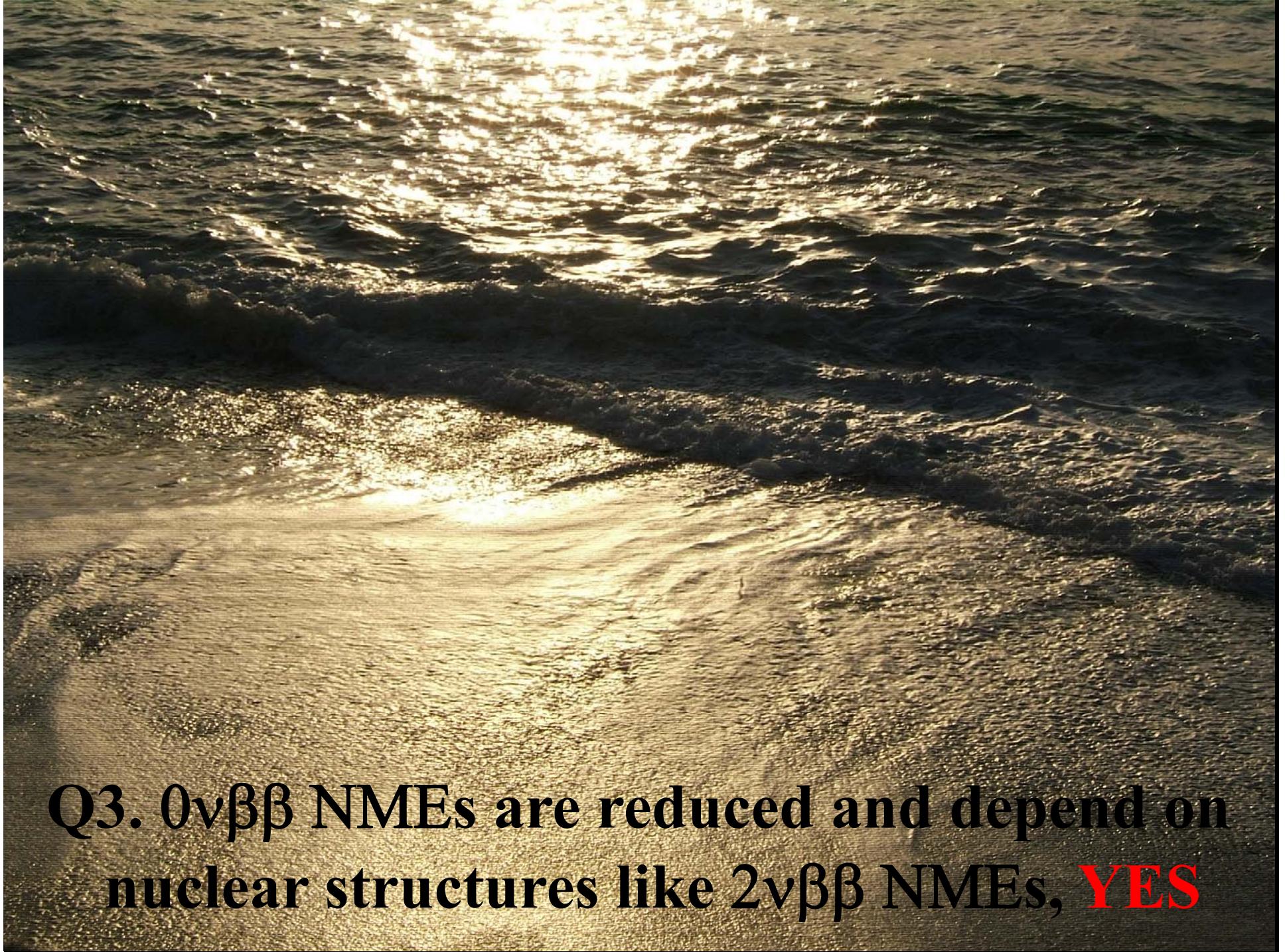


$$k = k(\tau\sigma) \quad k(NM) \sim 0.3$$

$$k = k(\tau\sigma) \sim 0.5 \quad \tau\sigma \text{ GR}$$

$$K(NM) \sim g_A^{\text{eff}}/g_A \sim 0.6$$

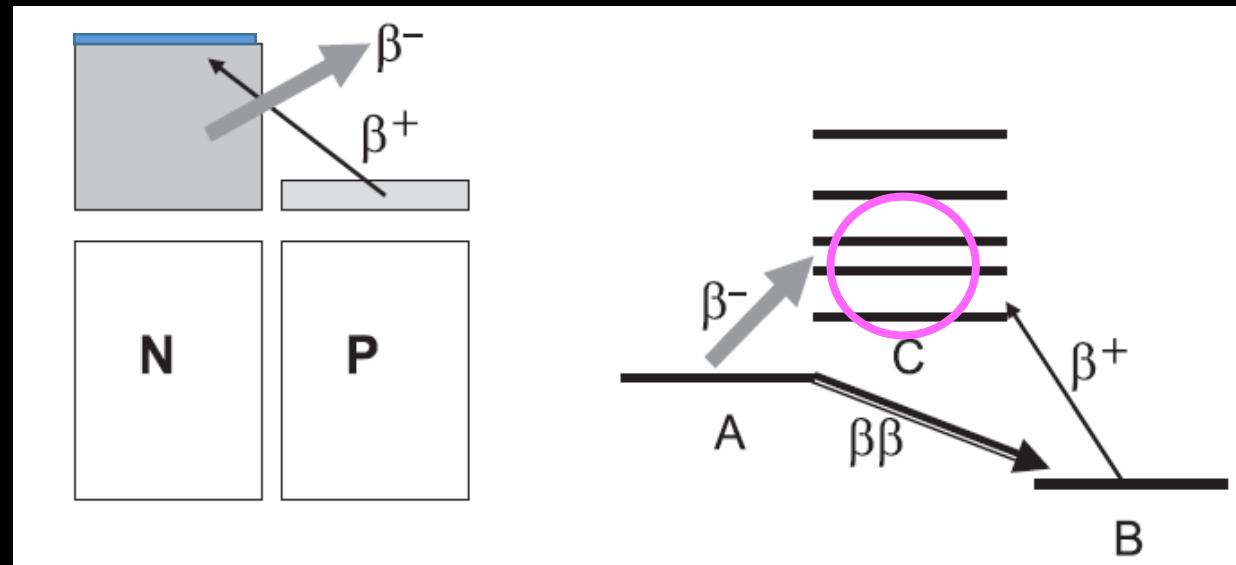
Δ isobar GR



Q3. $0\nu\beta\beta$ NMEs are reduced and depend on
nuclear structures like $2\nu\beta\beta$ NMEs, **YES**

FSQP: Fermi Surface Quasi Particle Model *

Ground state 0^+ (nn) \rightarrow 0^+ (pp), n and p are Fermi surface QP



$$M^{2\nu\beta\beta} = \sum_k M^-_k M^+_k / \Delta_k \quad \text{FSQP} \quad \text{No GT GR *}$$

$$M^-_k = (k_{ij}^{\text{eff}})_i m_{ij} V_n U_p, \quad M^+_k = (k_{ij}^{\text{eff}})_f m_{ij} U_n V_p, \quad (k_A^{\text{eff}})^2 \sim (0.23)^2 = 0.05$$

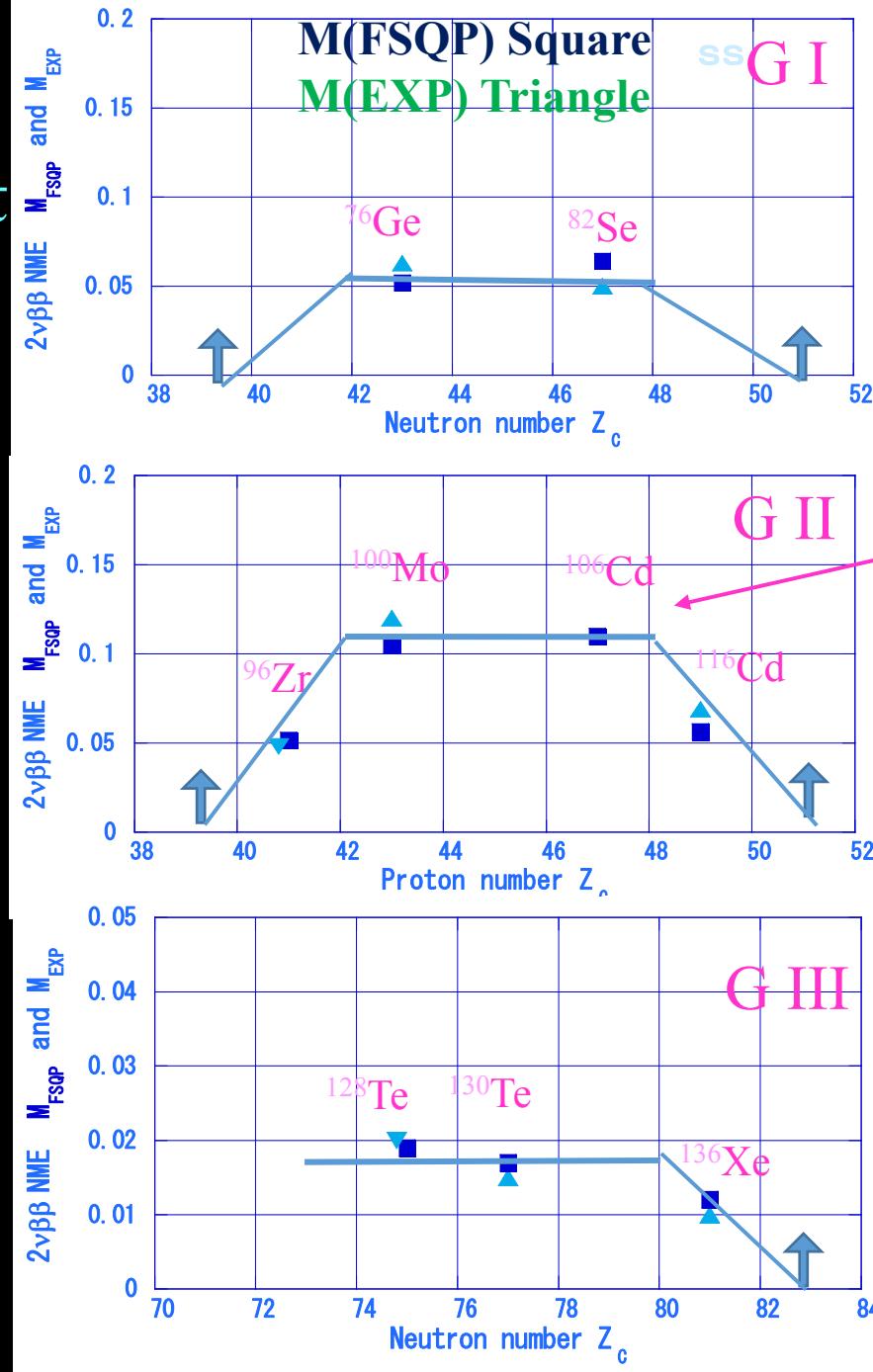
Both vacancy & occupancy in non-closed shell nuclei

* H. Ejiri et al. J. Phys. Soc. Japan Lett. 65 (1996) 7; JPSJ 78 (2009)

$2\nu\beta\beta$ matrix element

Shell closure effect
at $N \sim 82, 50$

No room for β decay
proton to neutron



^{76}Ge is not small.

$2p_{1/2}-2p_{3/2}$

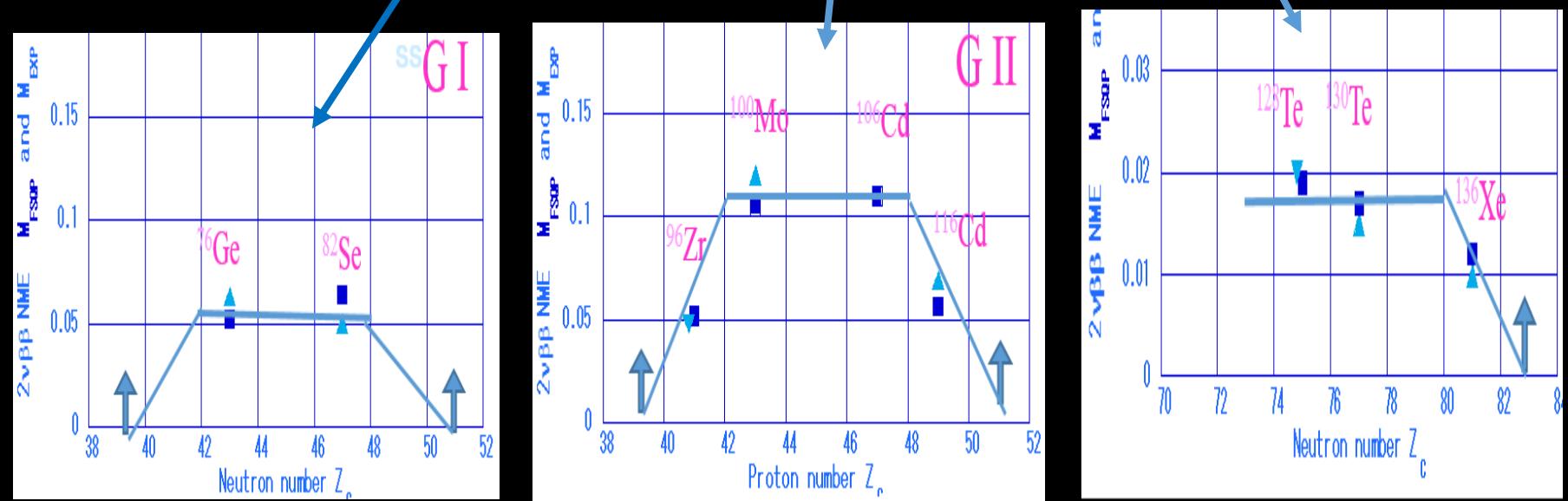
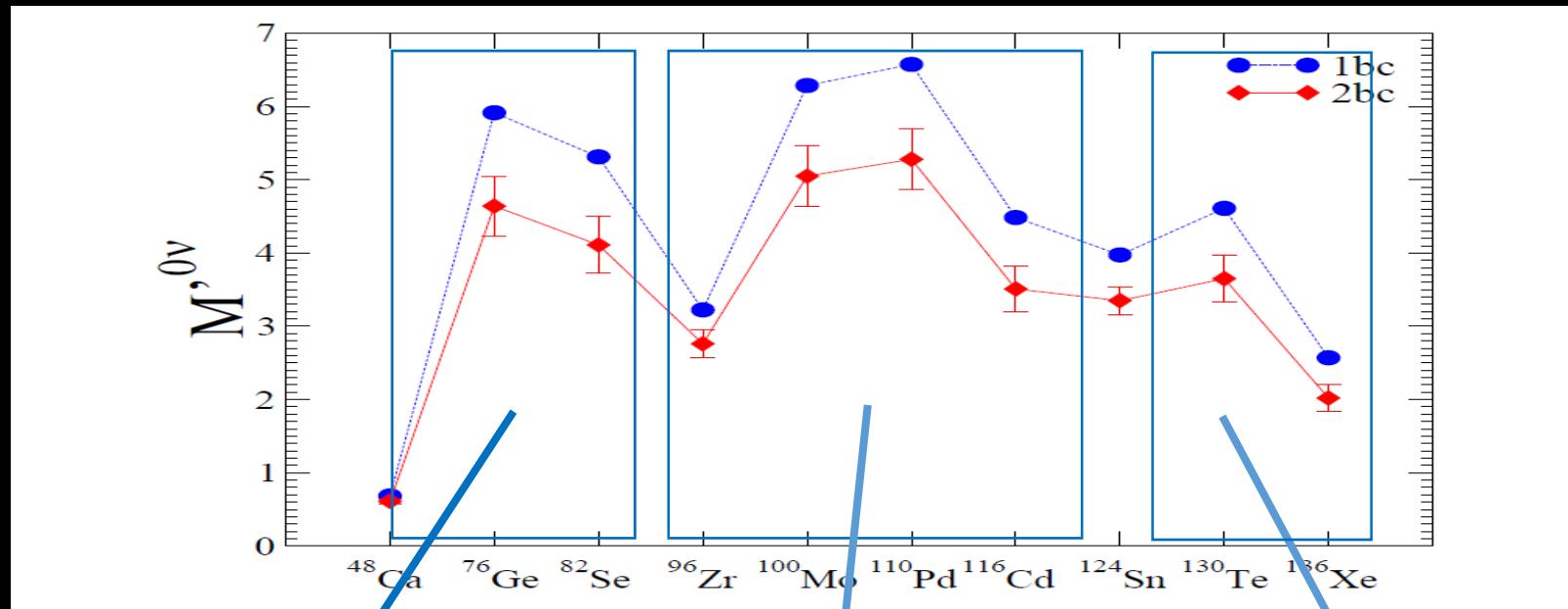
^{106}Cd predicted
 $T_{1/2}(\text{ECEC}) = 5.2 \cdot 10^{22}$

$1g_{7/2}-1g_{9/2}$



$2d_{3/2}-2d_{5/2}$

QRPA $0\nu\beta\beta$ NMEs show the shell-closure effects as $2\nu\beta\beta$ NMEs



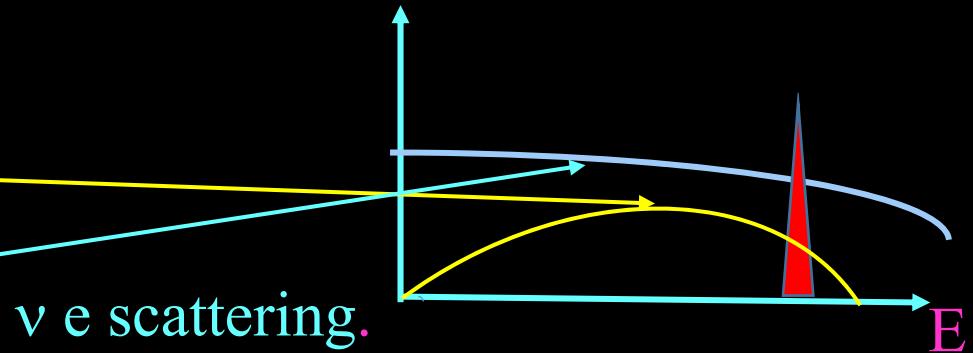
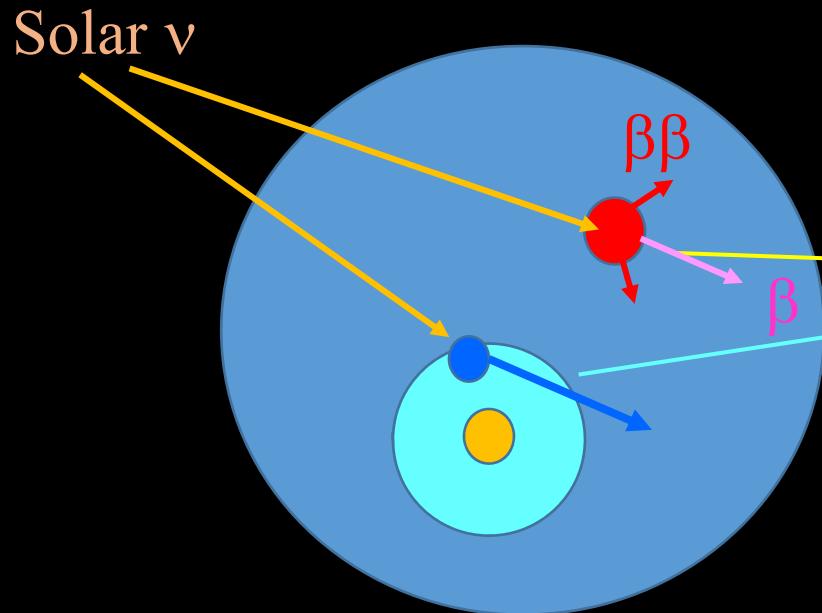
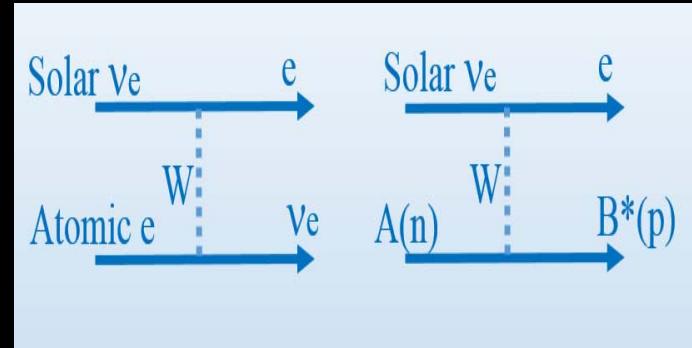
Q4. Solar v DBD interaction is serious, Yes



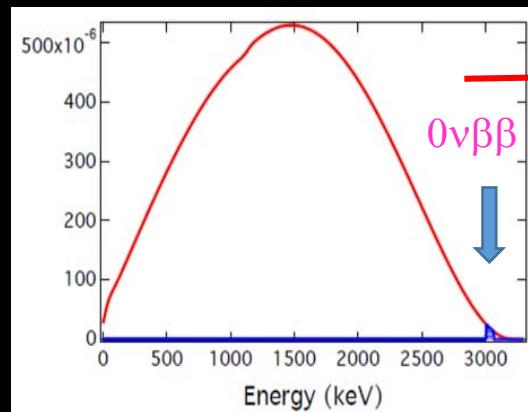
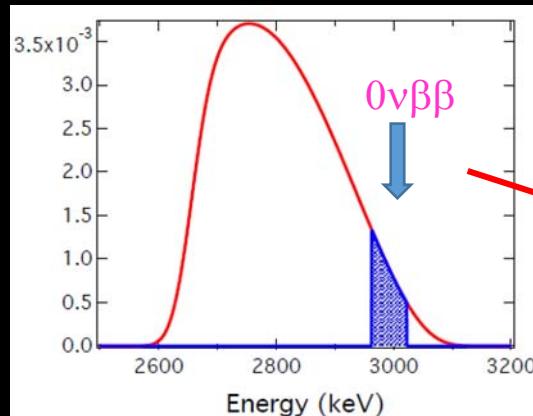
A view from the Ejiri-weekend house

Solar- ν interactions with nuclei and atomic electrons in DBD detectors are serious BGs

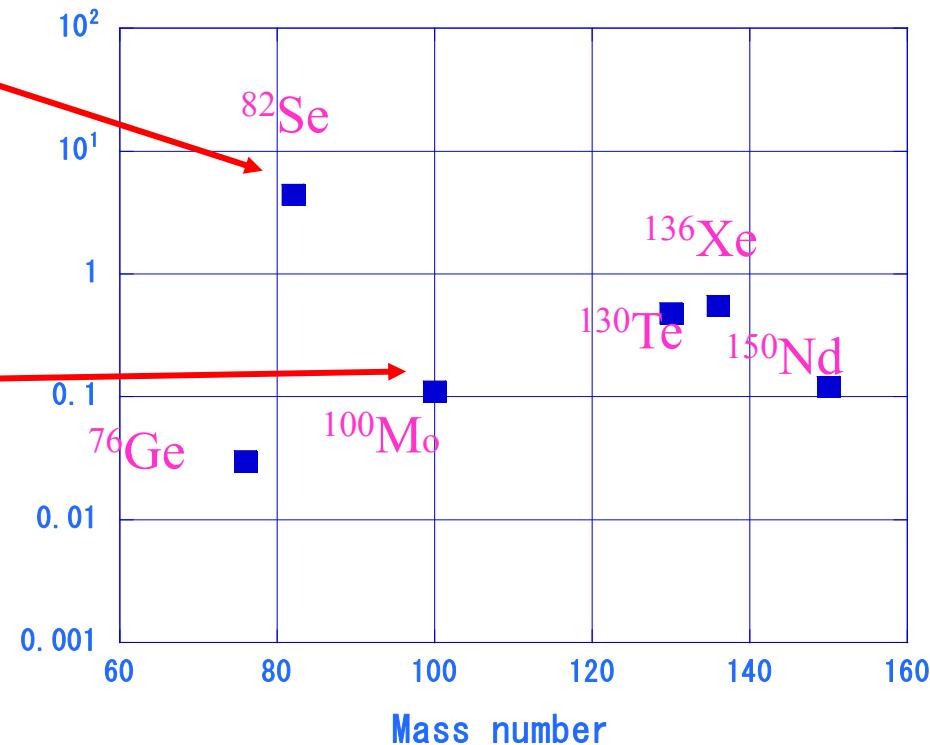
- Solar ν unavoidable.
 - BG rate need to be $< \beta\beta$ signal rate
 - E-resolution is a key element
- Solar ν response by CERs



DBD rates for IH mass are $0.5\text{-}0.9 / \text{t y}$ except 0.2 for ^{76}Ge
 Thus solar ν BG should be $<0.2\text{-}0.3 / \text{t y}$ except <0.1 for ^{76}Ge

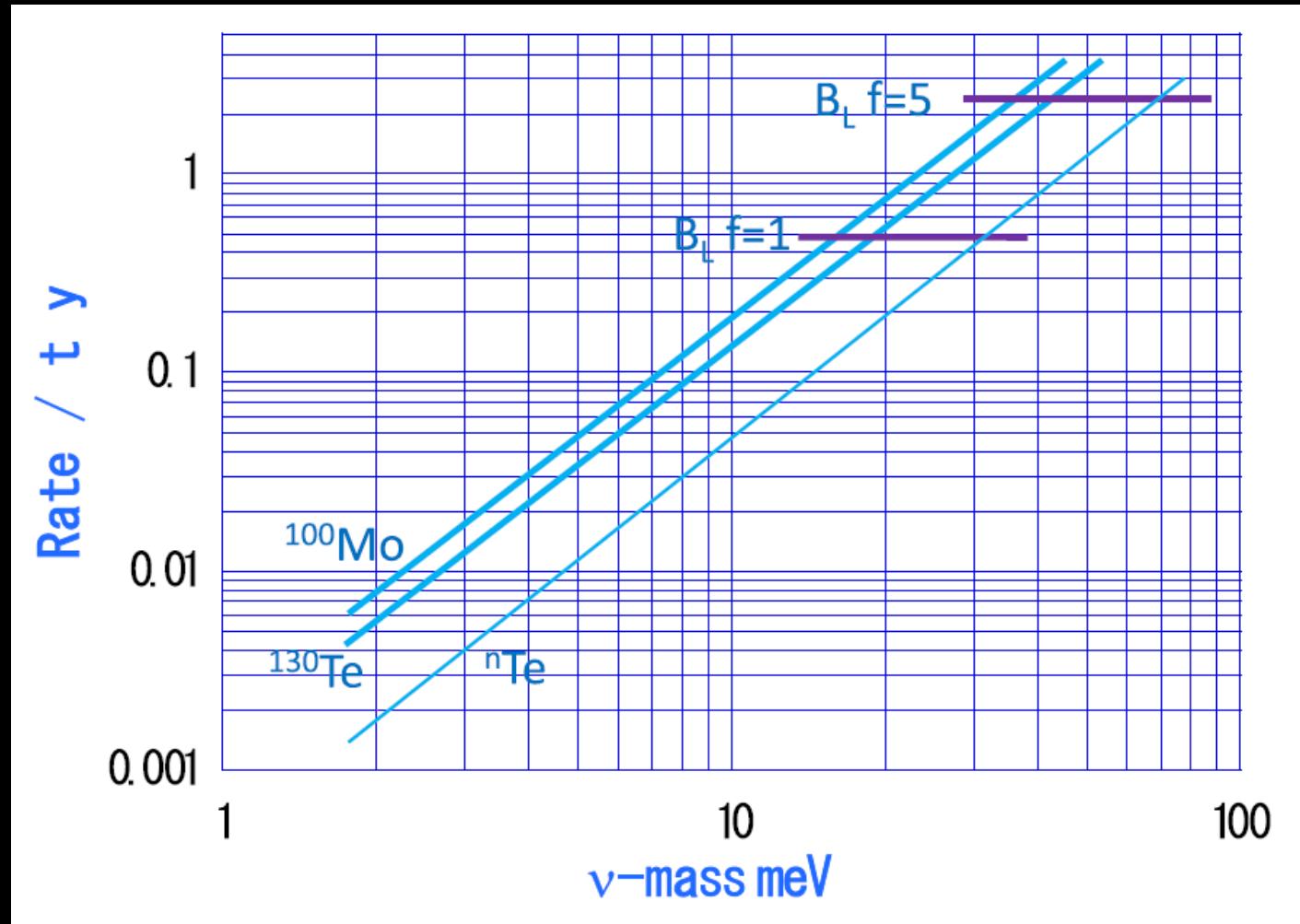


Solar ν single β decay BG /t y with $\delta=1\%$



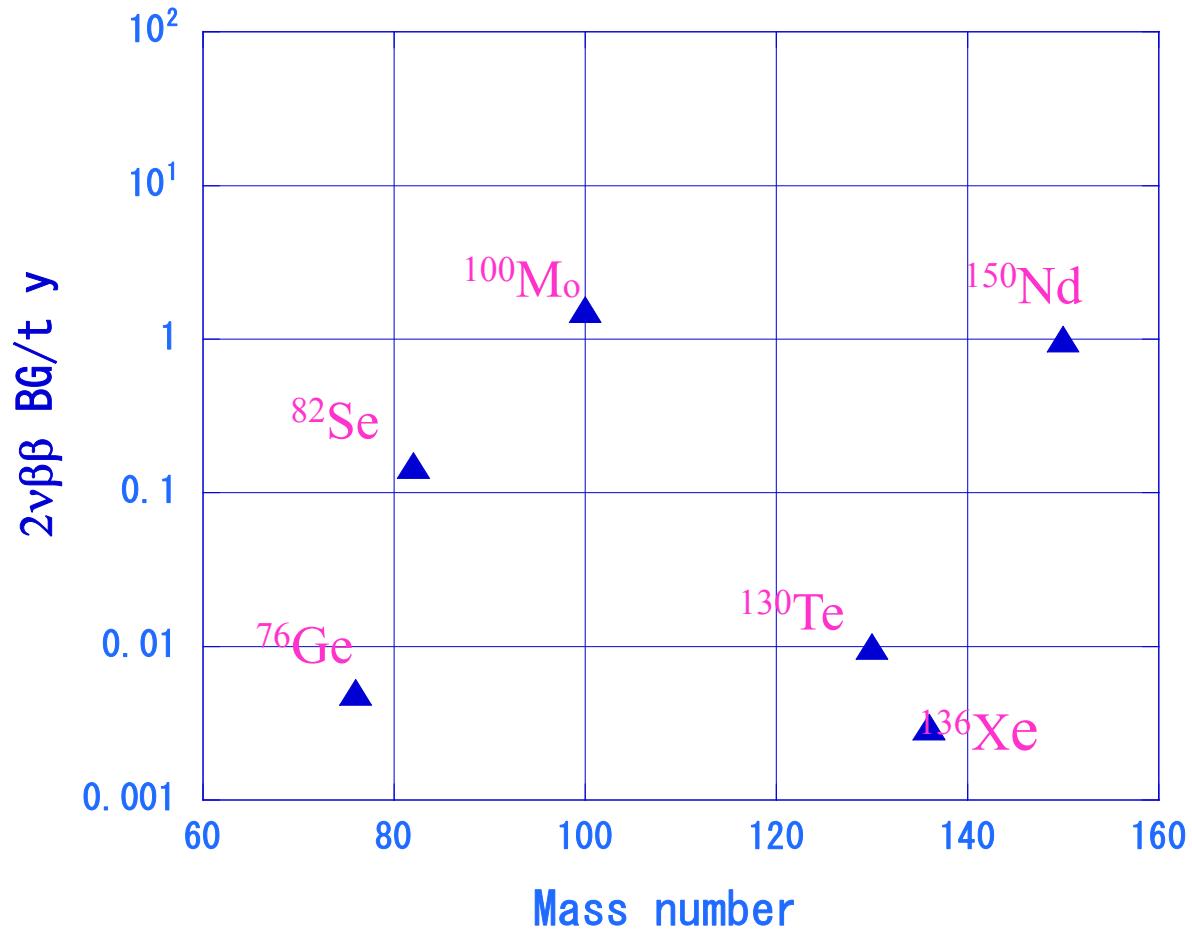
^{82}Se detector $\delta < 0.1\%$, and ^{130}Te ^{136}Xe $\delta < 1\%$ bolometers.
 No plastic, liquid, ionization chambers.

Solar- ν on atomic electrons in liquid scintillators



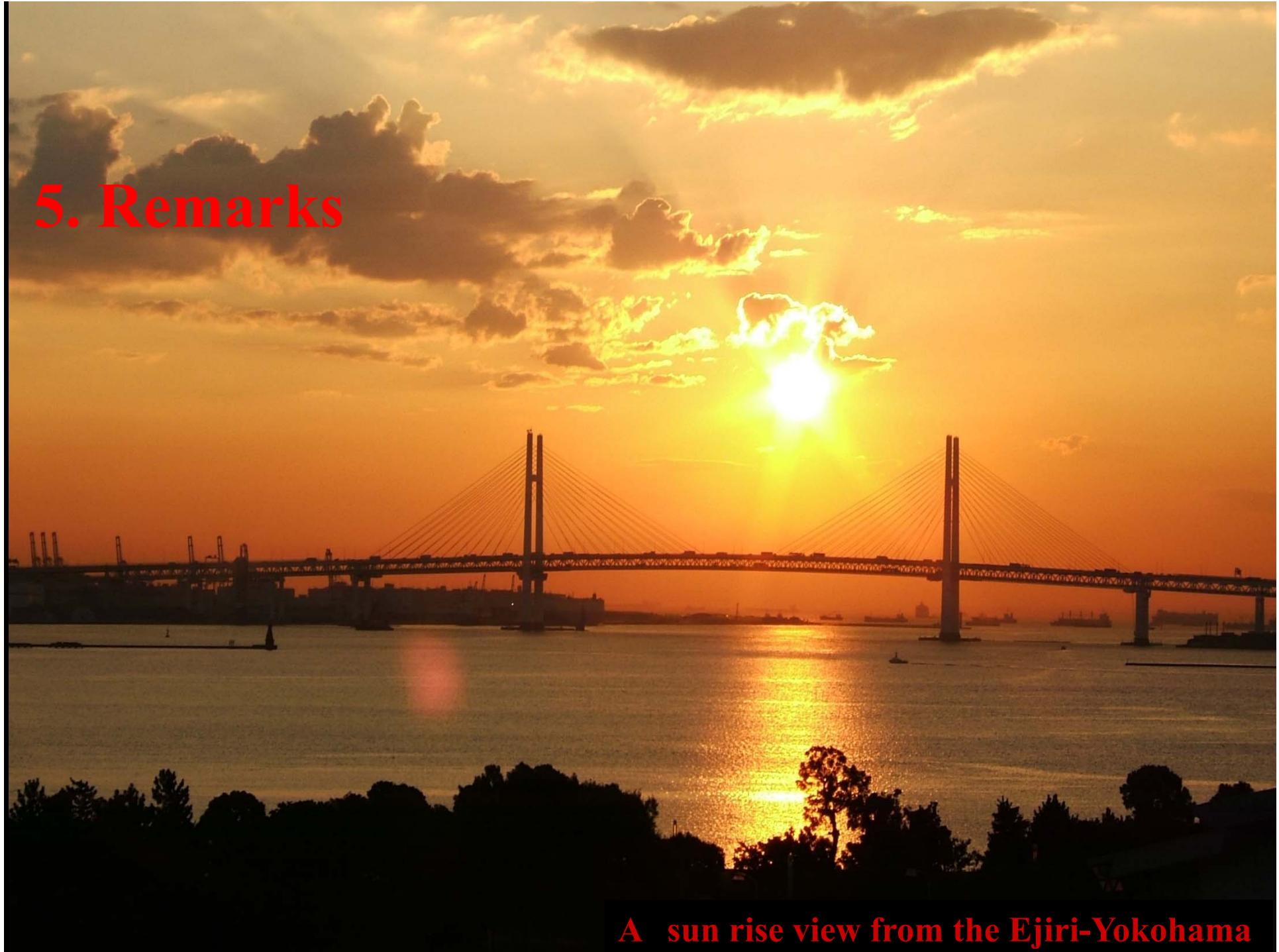
$f = \delta/R$ with δ energy resolution and R DBD isotope concentration,
In case of $f=5$, $R=1\%$, $\delta=5\%$, BG ~ 2.5 . Need $f=1$, $R=1\%$ $\delta=1\%$

$2\nu\beta\beta$ BG rate with $\delta=2\%$



$^{100}\text{Mo}, ^{150}\text{Nd}$ $\delta < 1.5\%$, ^{82}Se $\delta < 3\%$
for $2\nu\beta\beta$ BG < DBD rates. No scintillators

5. Remarks



A sun rise view from the Ejiri-Yokohama

Crucial questions for ν mass studies by $0\nu\beta\beta$.

	$2\nu\beta\beta$	$0\nu\beta\beta$
CER possible ?	$q=0$ GT 1+ Yes	$q \neq 0$ SD 2-,3+ Yes
Reduced NME	GT g_{pp} accident. Yes	Many J, not g_{pp} Yes
NME reflects Nucl. structure	NMEs depend on nucl.structure Yes	All J states involved. No dep. Yes
Solar ν BG	Rate is too small No	Solar ν serious. Yes

So far, all are No, and no worry about NMEs and nuclear physics.

Now, all are Yes, we needs exp/theory works for NMEs,

Effect of 30% of NMEs (works) ~ 10 tons of DBD isotopes, 300 M \$.

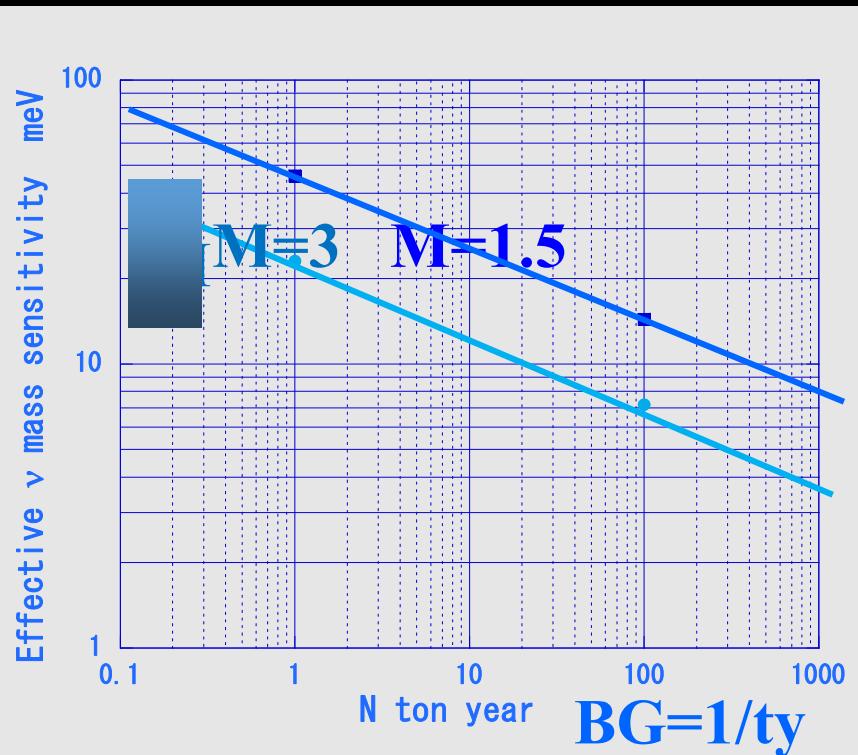
Isotope	A (%)	$Q_{\beta\beta}$ (MeV)	$G^{0\nu}$ (10^{-14} y)	$T_{1/2}^{0\nu-\text{exp}}$ (10^{24} y)	NME	$ \langle m_\nu \rangle $ eV (eV)	Future experiments
^{48}Ca	0.19	4.276	7.15	0.014 [237]	ISM EDF	19.1 7.0	CANDLES
^{76}Ge	7.8	2.039	0.71	19 [36, 227, 228]	ISM, EDF (R)QRPA EDF	0.51, 0.31 (0.20, 0.32) (0.26, 0.35)	GERDA
	7.8	2.039	0.71	22 [42]	ISM, EDF (R)QRPA EDF	0.47, 0.29 (0.18, 0.30) (0.24, 0.32)	—
	7.8	2.039	0.71	16 [229, 230]	ISM, EDF (R)QRPA EDF	0.55, 0.34 (0.22, 0.35) (0.28, 0.38)	MAJORANA
^{82}Se	9.2	2.992	3.11	0.36 [38, 234, 235]	ISM, EDF (R)QRPA EDF	1.88, 1.17 (0.76, 1.28) (1.12, 1.49)	SuperNEMO MOON
^{100}Mo	9.6	3.034	5.03	1.0 [38, 234]	EDF (R)QRPA EDF	0.46 (0.38, 0.73) (0.62, 1.06)	MOON AMoRE
^{116}Cd	7.5	2.804	5.44	0.17 [238]	EDF (R)QRPA	1.15 (1.20, 2.16)	COBRA CdWO_4
^{130}Te	34.5	2.529	4.89	3.0 [231, 232, 239]	ISM, EDF (R)QRPA EDF	0.52, 0.27 (0.25, 0.43) (0.33, 0.46)	CUORE
^{136}Xe	8.9	2.467	5.13	5.7 [40]	ISM, EDF (R)QRPA	0.44, 0.23 (0.17, 0.30)	EXO, NEXT KamLAND-Zen
^{150}Nd	5.6	3.368	23.2	0.018 [38, 240]	EDF (R)QRPA	4.68 (2.13, 2.88)	SuperNEMO SNO+ DCBA

LUMUNEU CUPID Li_2MoO_4

Exp.requirements to reach the IH 45-15

$$\langle m_\nu \rangle = k [M^{0\nu}]^{-1} G^{-1/2} (NT)^{-1/4} (BG)^{1/4}$$

1. $g_A M^{0\nu} \sim 3 \rightarrow 1.5$, $G \sim 4$,
 $NT \sim 1 \rightarrow 15$ ty for IH
2. $N \sim 1\text{-}10$ ton enriched N
Not close to magic nuclei.
3. $\delta < 0.01$ to reduce
 $2\nu\beta\beta$ & solar ν BG
4. Particle ID ($\beta/\gamma/\alpha$) to reach $BG \ll 1/t$ y



^{76}Ge SSD, CUPID, ^{100}Mo scintillation bolometers,

Thank you for your attention



Ejiri-weekend house at Shounan