

# Ultracold neutron project

Feb. 20, 2007, RCNP

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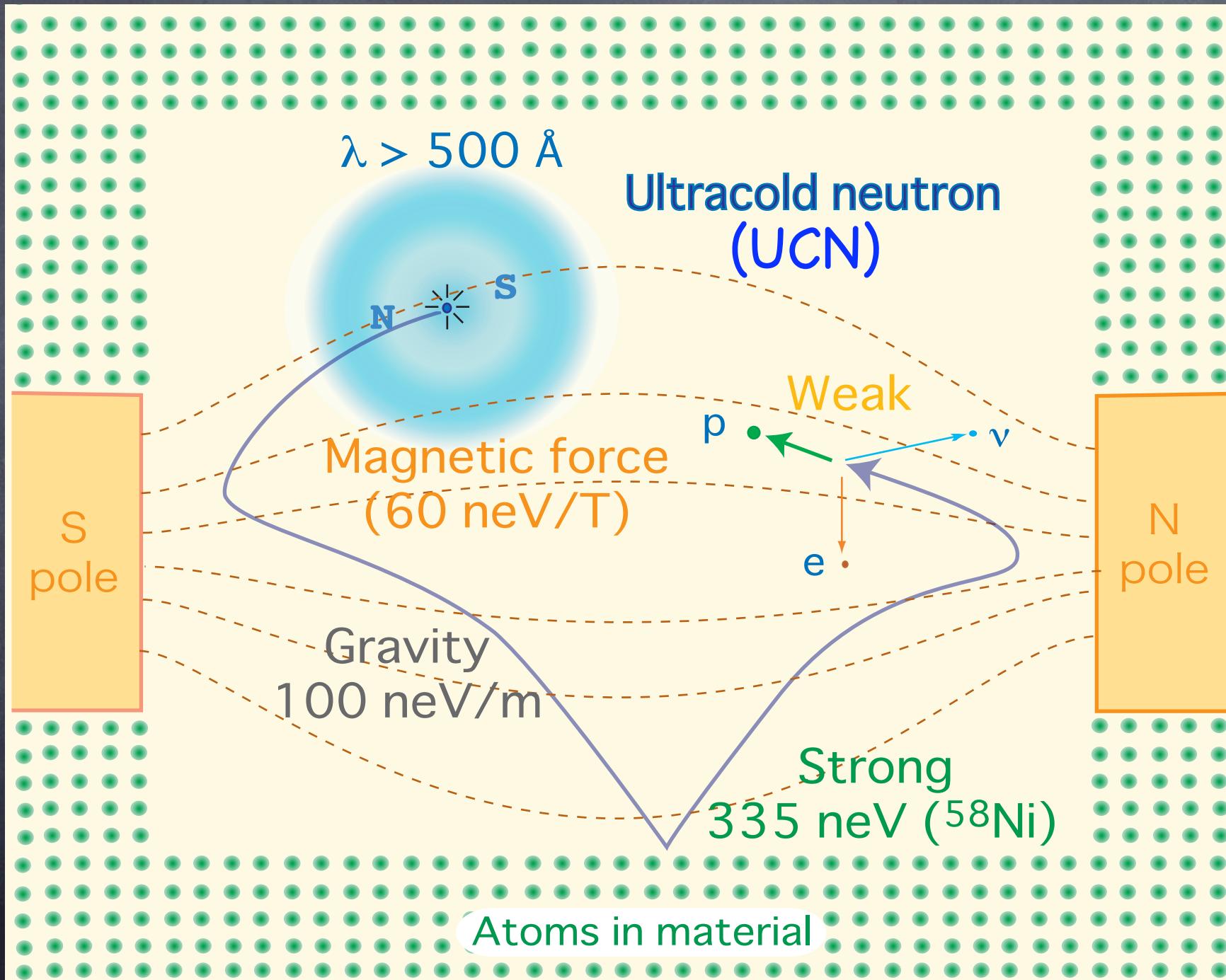
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T. Kitagaki (Tohoku)

T. Sanuki (Tokyo)

T. Ito (Los Alamos)

# Neutron confinement



# UCN physics

Neutron is a fundamental element in the universe

Creation of matter and nucleosynthesis  
in the universe can be studied

via experiments on

1. EDM: CP violation
2. N-Nbar oscillation
3. n beta decay: lifetime and asymmetry
4. gravity
5. neutron target

# Big bang

$10^{15}$  GeV ~ 100 GeV

Creation of matter

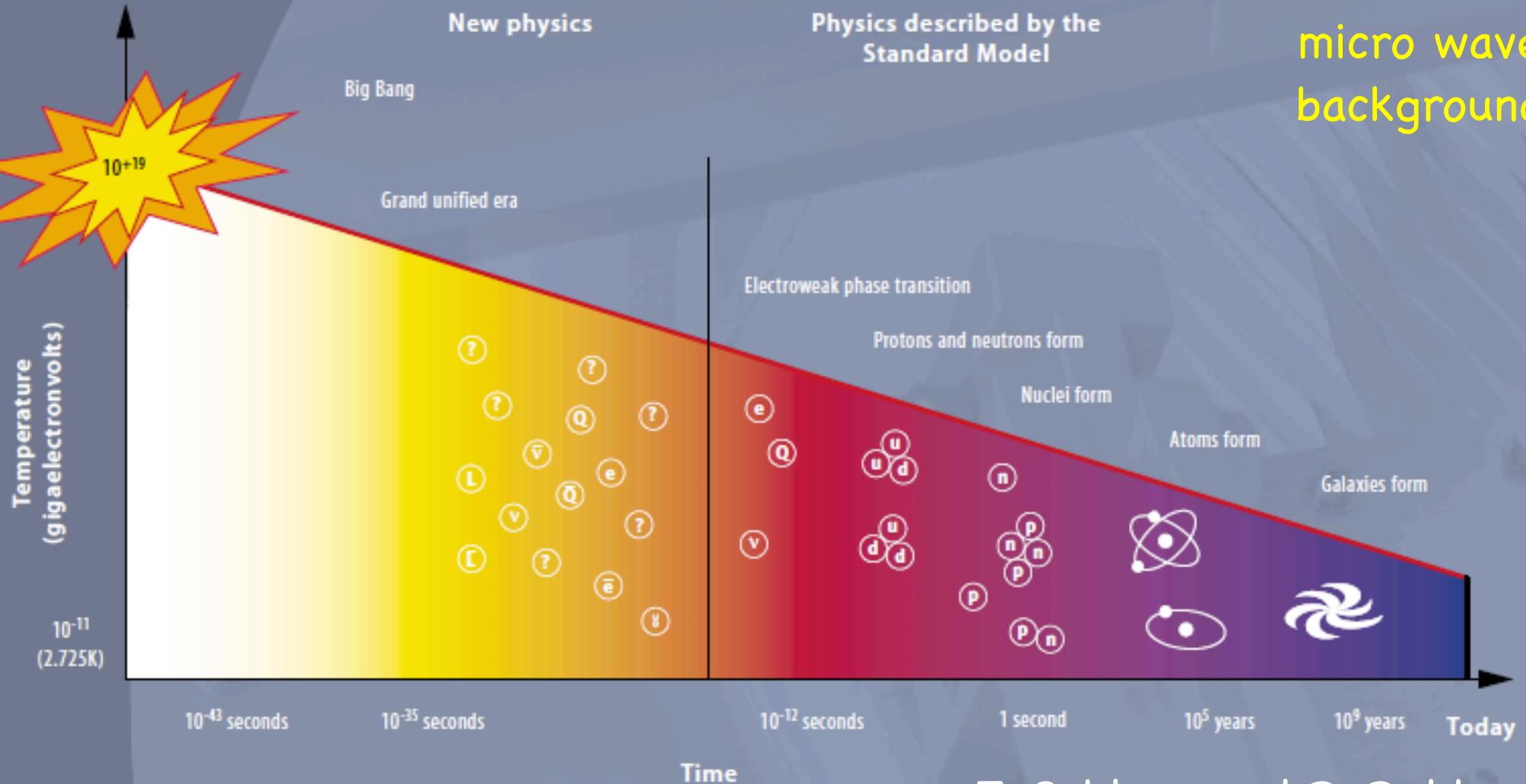
$$B = 0$$

Baryon asymmetry

New physics

Physics described by the Standard Model

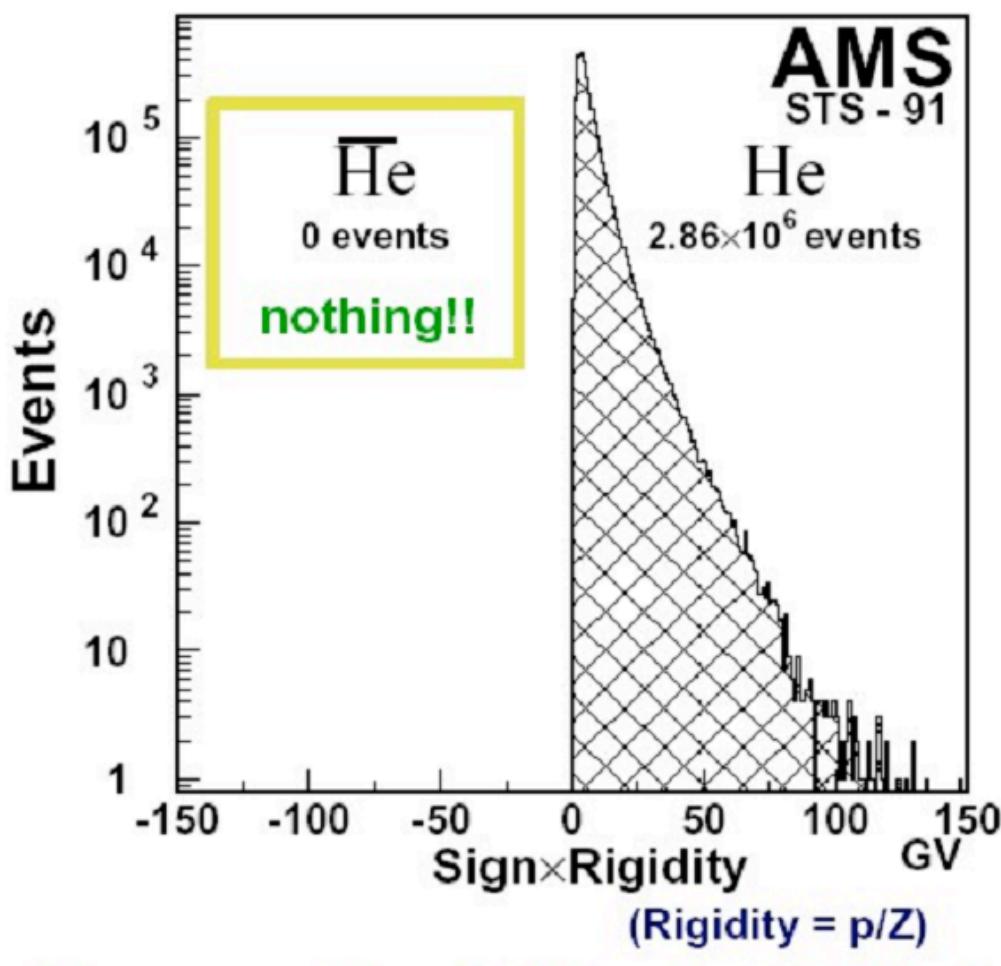
Cosmic micro wave background



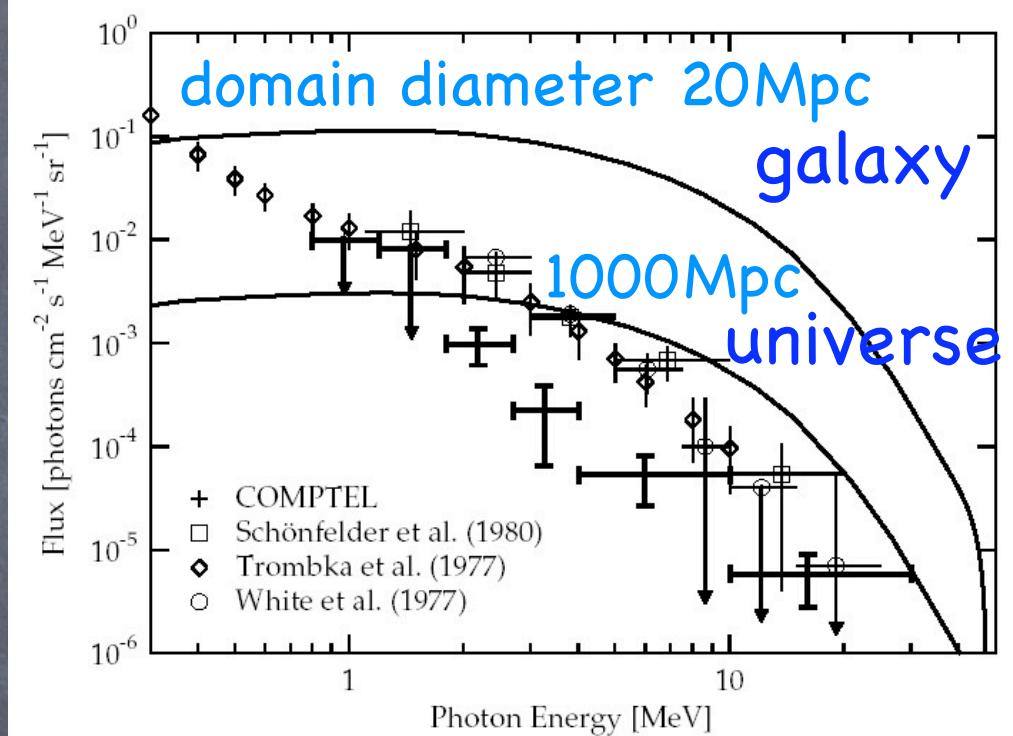
# Sakharov's condition

- ⦿ Baryon number violation
- ⦿ Departure from thermal equilibrium
- ⦿ CP violation and C violation

# No antimatter is observed



"Search for antihelium in cosmic rays"  
Phys. Lett. B461 (1999) 387.

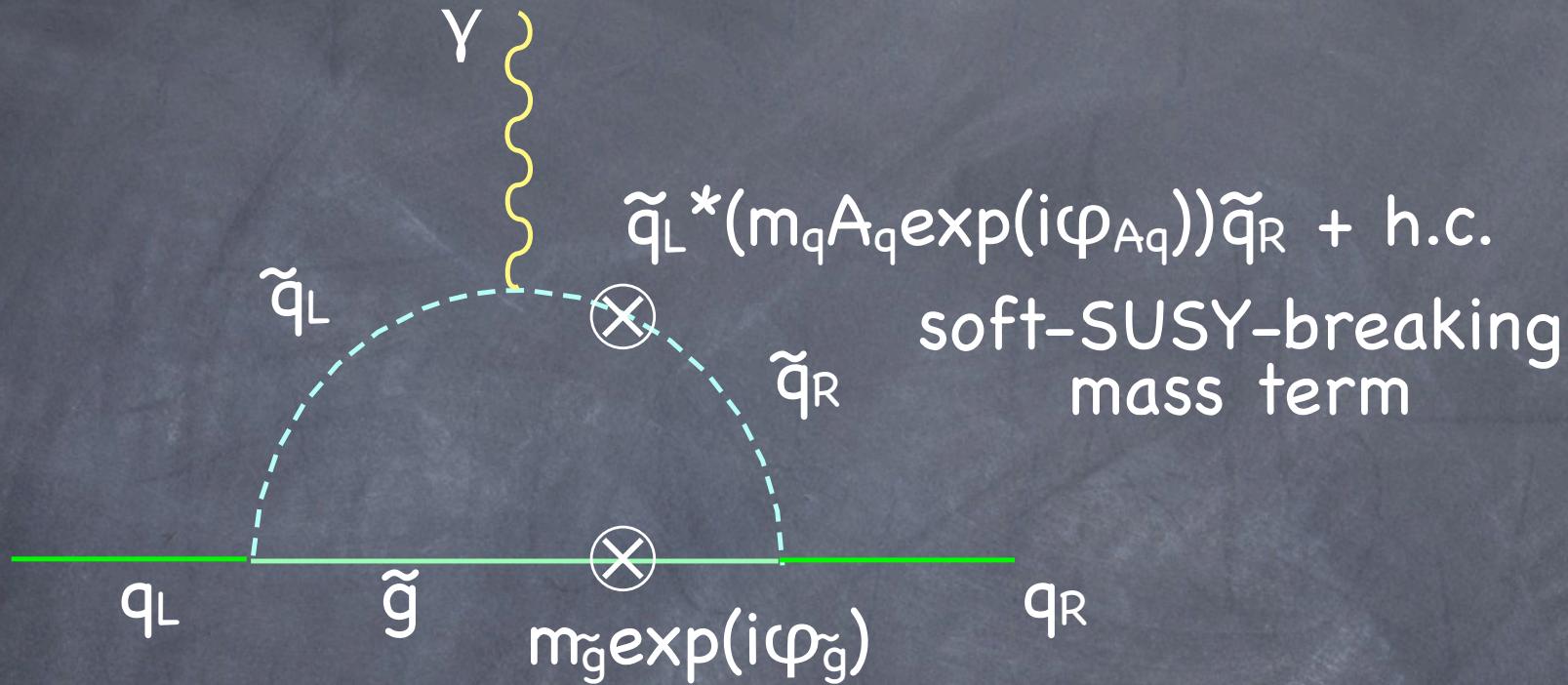


Diffuse  $\gamma$  flux from  
annihilation at domain boundary  
Astrophysical J. 495(1998)539

# Extension of standard model

- ⦿ Baryon asymmetry:  $(N_B - N_{\text{anti}B})/N_Y \sim 10^{-10}$ ,  
but  $10^{-25}$  in standard model
- ⦿ SUSY  
Explain the baryon asymmetry of  $10^{-10}$   
Solve hierarchy problem  
Include quantum gravity

# EDM in SUSY

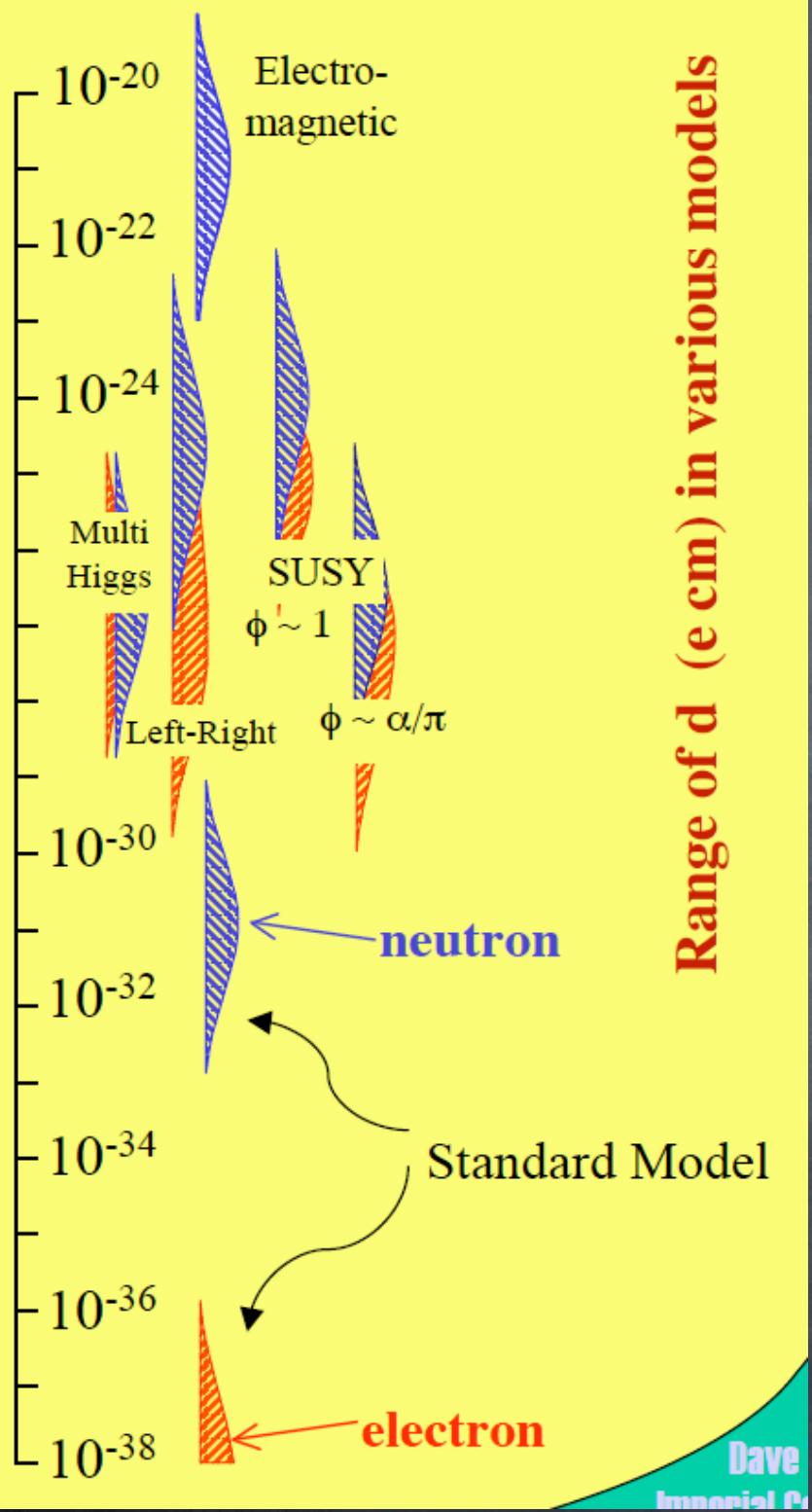


Barr 1993, Fortson, Sanders, Barr 2003

[ Weinberg 1989: 1. EDM operator of  $d_n \bar{\Psi} \gamma_5 \sigma_{\mu\nu} \Psi F^{\mu\nu}$ , 2. dimensional analysis (Manohar and Georgi 1984), 3. renormalization factor ]

$$d_q = eQ(\alpha_s/18\pi)m_q |A_q/m_{\tilde{g}}|^3 |\sin(\varphi_{Aq}-\varphi_{\tilde{g}})| f$$

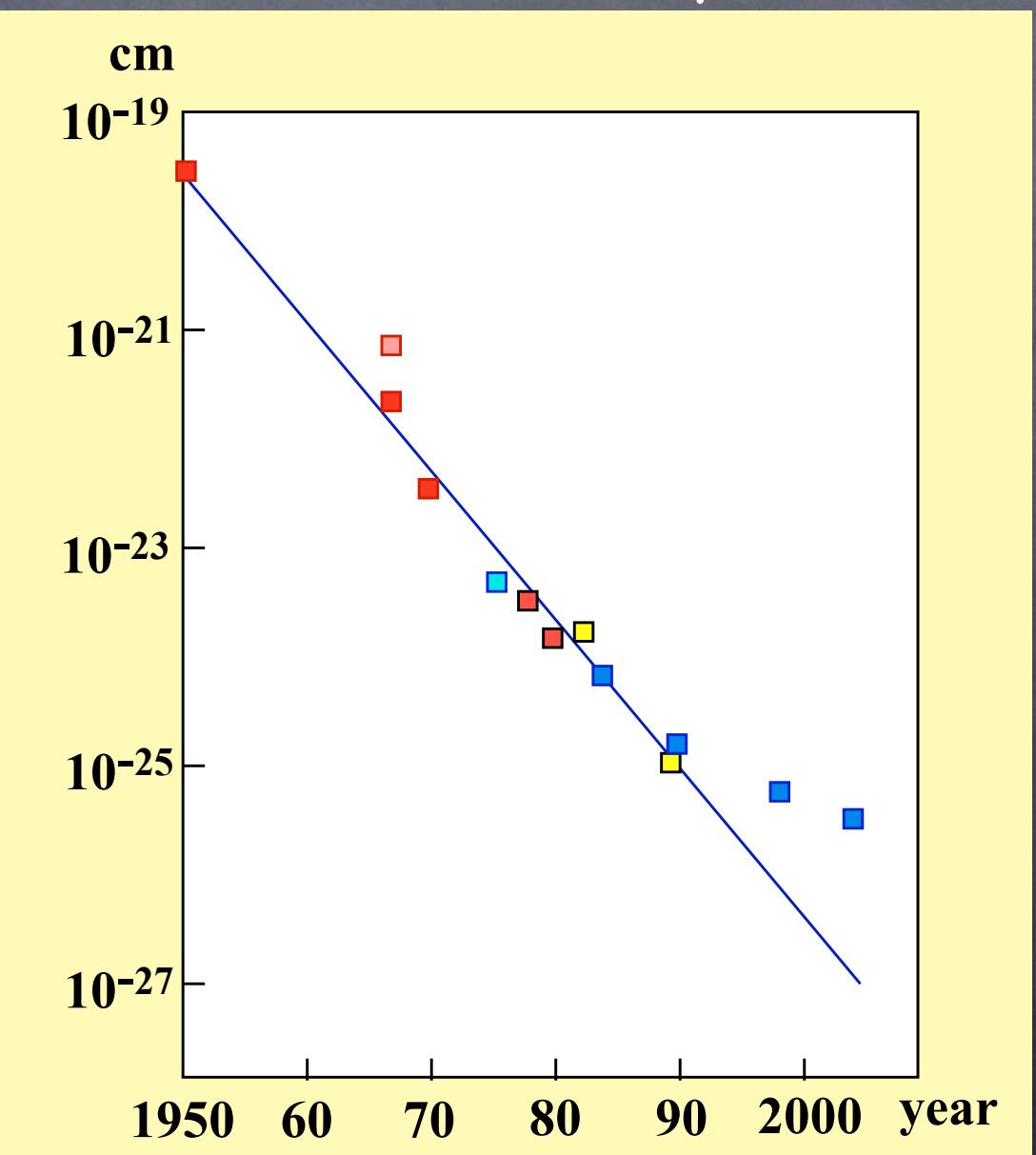
$$d_n \sim \epsilon_q \times (2.4 \times 10^{-24} \text{ } e \cdot \text{cm}), \epsilon_q \sim \sin(\varphi_{Aq}-\varphi_{\tilde{g}})$$



# Theory

# EDM

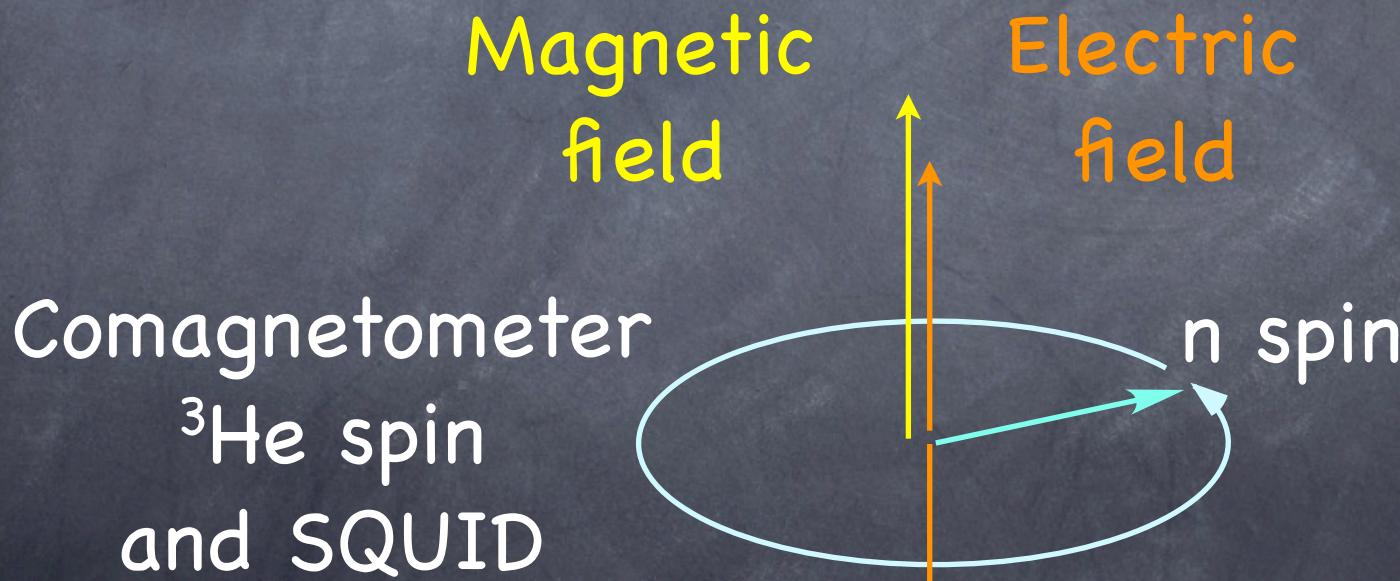
# Experiment



# EDM measurement

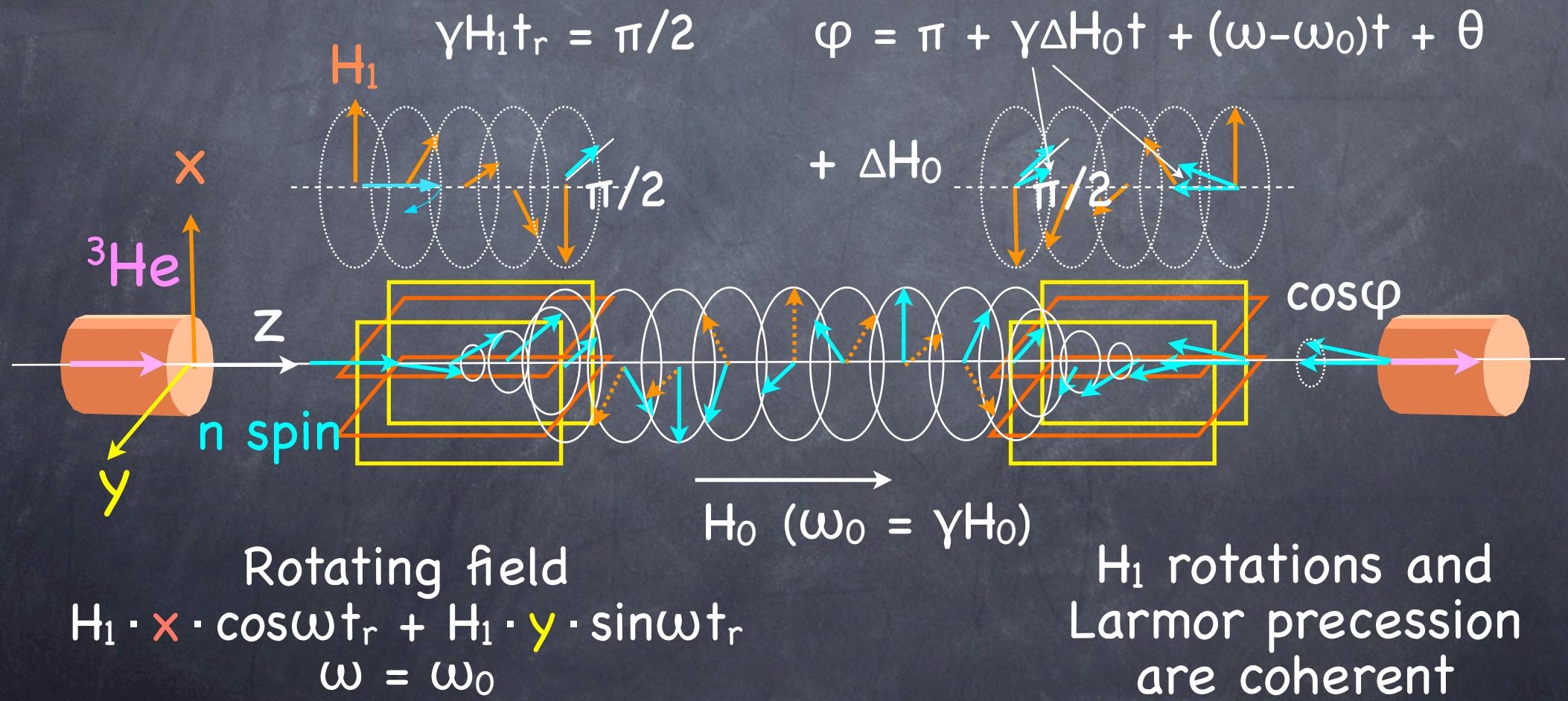
$$\mathcal{H} = -(\mu H + d_n E)$$

dynamical phase is measured  
by means of a polarimetry

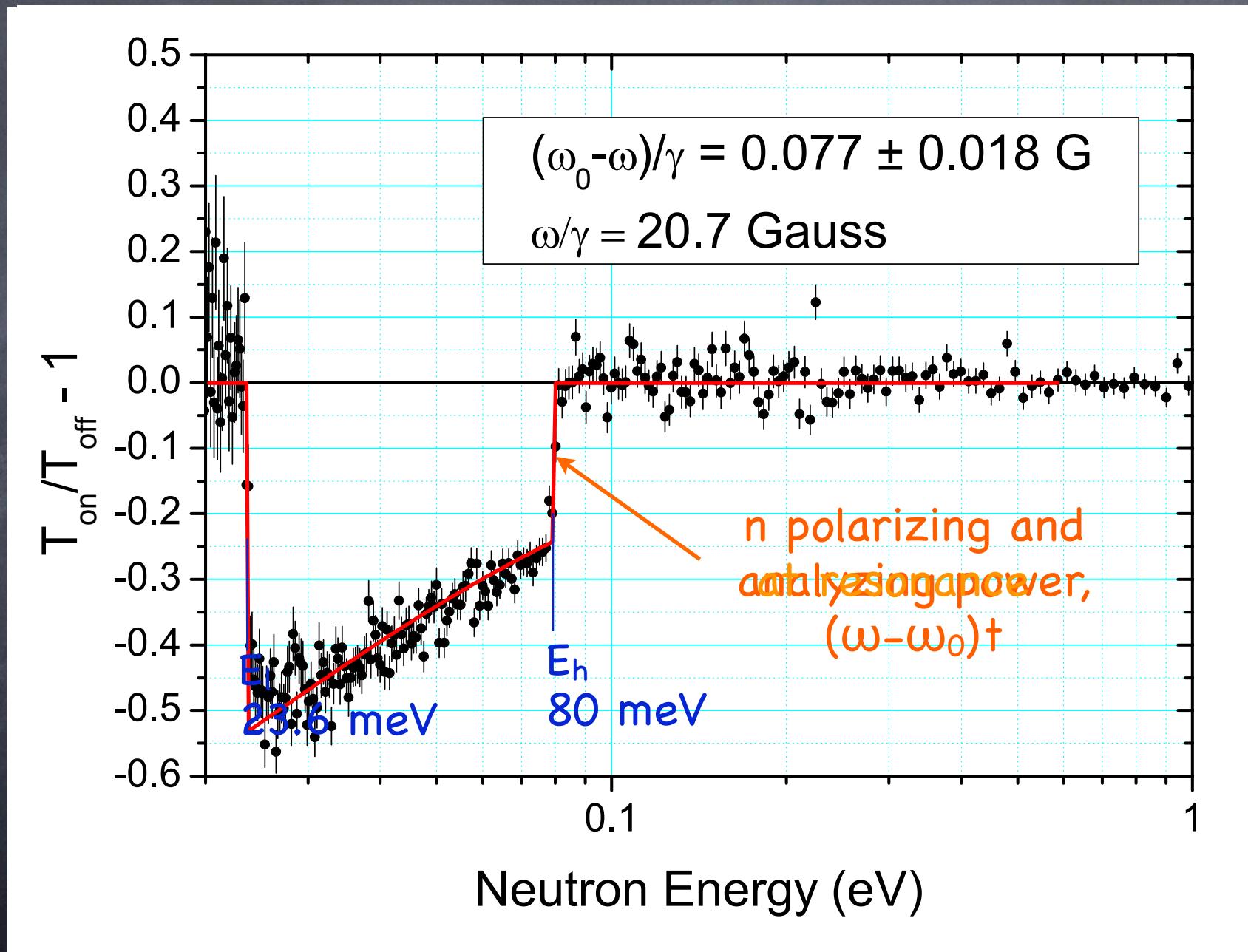


# Ramsey resonance

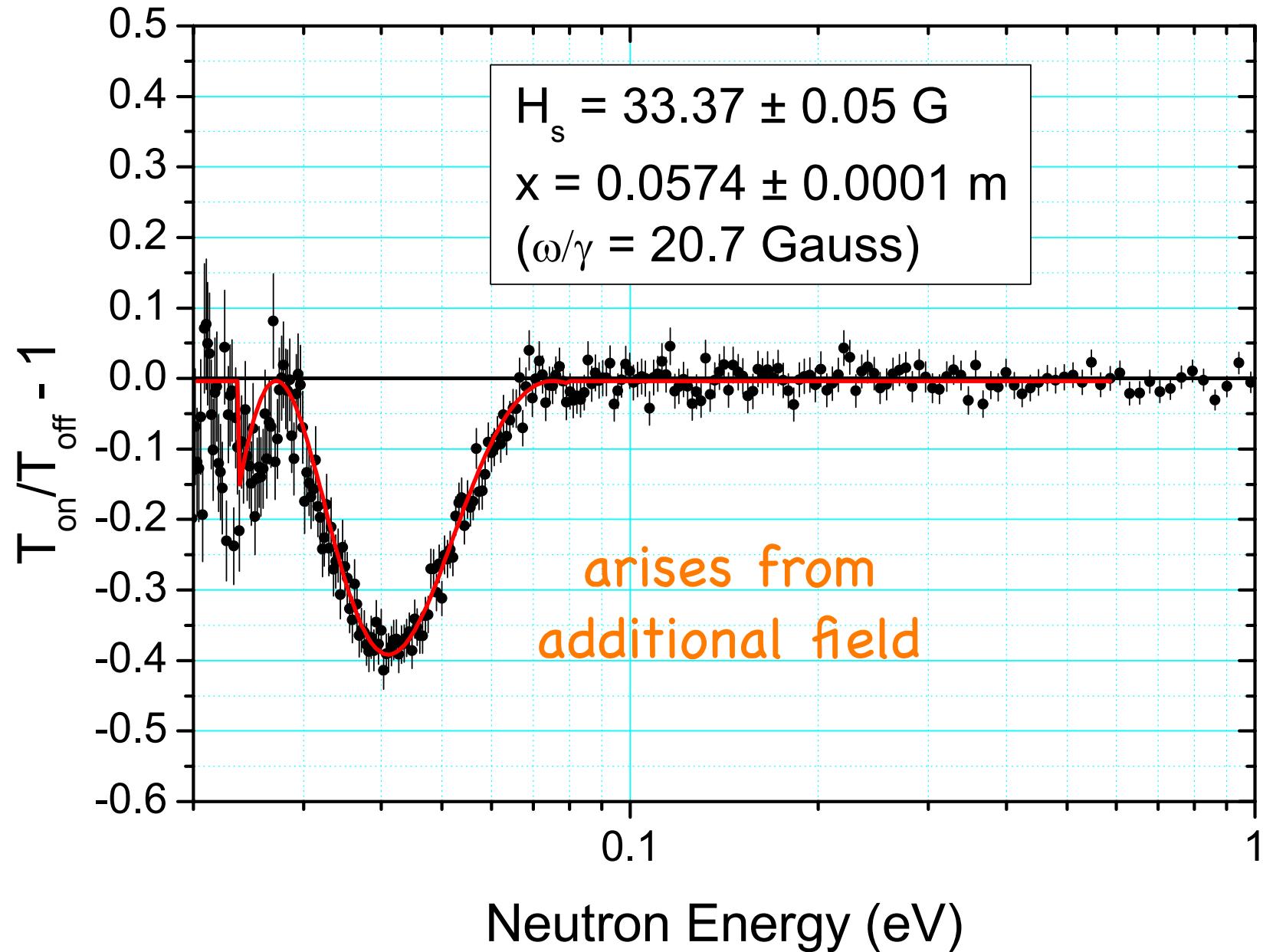
Phys. Lett. A in press, available online 8 Dec. 2006



# Results for $\varphi = \pi + (\omega - \omega_0)t$



$$\varphi = \pi + \gamma \Delta H_0 t$$



# EDM with UCN

UCN can be confined in a bottle  
long precession time in E

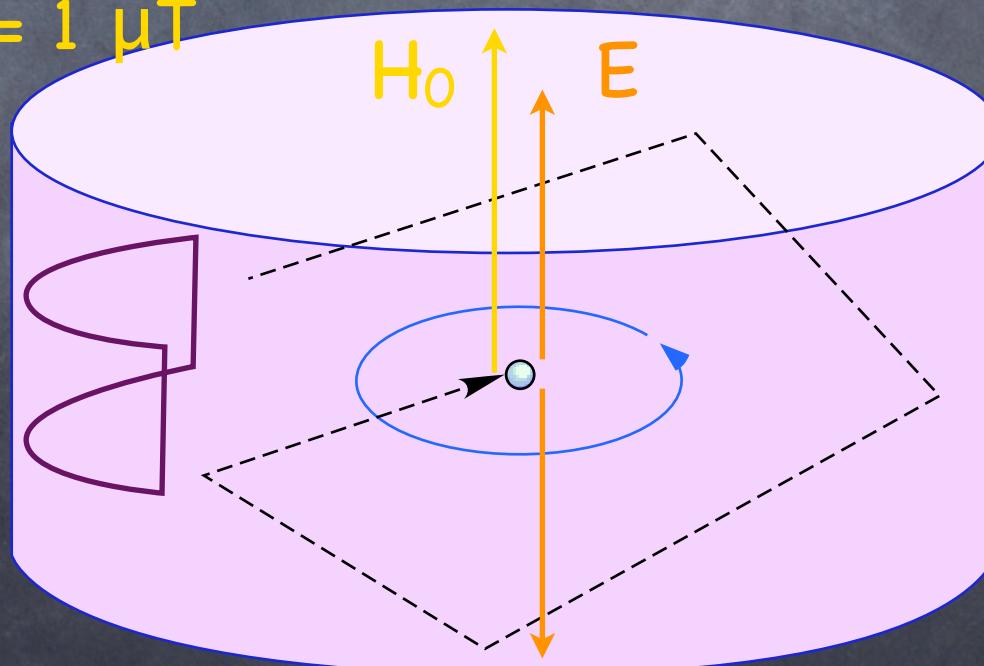
$$\exp(-i\mu H_0/\hbar \cdot t)$$

$$\partial H_0 / \partial z < 1 \text{ nT/m}$$

$$\text{at } H_0 = 1 \text{ }\mu\text{T}$$

pick up of  
 $^3\text{He}$  precession  
with SQUID  
magnetometer

$$\exp(-id_n E/\hbar \cdot t)$$



# Precision EDM measurement

Comagnetometer for leakage current effect  
Homogeneous field

$$\delta d_n = \hbar / \{2E t_c \sqrt{mN}\}$$

$t_c$ : coherent time, N: number of n in EDM cell

m: number of measurement

$\delta d_n \sim 10^{-28}$  cm: SUSY, Multi-Higgs, Left-Right

$E = 50$  kV/cm,  $t_c = 130$  s,

$\rho = 300$  UCN/cm<sup>3</sup> in 8L

# N-Nbar

- Baryon asymmetry

If EW phase transition is 2nd order,

$\Delta |B - L| \neq 0$  at grand unified scale,  
Kuzmin, Phys.Lett. (1985)

N-Nbar:  $\Delta B = 2, \Delta L = 0$

Nucleon decay:  $\Delta B = 1, \Delta L = 1, \Delta |B - L| = 0$

# Some $\Delta(B-L) \neq 0$ nucleon decay modes (PDG'04)

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(B-L) $\neq 0$ modes	Limit at 90% CL	S/B	Experiment'year
$p \rightarrow \nu \bar{\nu} e^+$	$> 1.7 \times 10^{31}$ yr	152/153.7	IMB'99
$p \rightarrow \nu \bar{\nu} \mu^+$	$> 2.1 \times 10^{31}$ yr	7/11.23	Fréjus'91
$n \rightarrow e^+ e^- \nu$	$> 2.57 \times 10^{32}$ yr	5/7.5	IMB'99
$n \rightarrow \mu^+ \mu^- \nu$	$> 7.9 \times 10^{31}$ yr	100/145	IMB'99
$n \rightarrow \nu \bar{\nu} \bar{\nu}$	$> 1.9 \times 10^{29}$ yr	686.8/656	SNO'04
$n \rightarrow \bar{n}$	$> 7.2 \times 10^{31}$ yr	4/4.5	Soudan-II'02
$nn \rightarrow \nu \bar{\nu}$	$> 4.9 \times 10^{25}$ yr		Borexino'03

e.g. for  $p \rightarrow \nu \bar{\nu} e^+$  with a lifetime  $> 1.7 \times 10^{31}$  yr  
 Super-K should detect  $\sim 430$  events/yr

$n \rightarrow e^+ e^- \nu$  mode with highest limit

$n \rightarrow \nu \bar{\nu} \bar{\nu}$   $\Delta B = -1$  mode with lowest limit

$nn \rightarrow \nu \bar{\nu}$   $\Delta B = -2$  mode with lowest limit

$n \rightarrow \bar{n}$  mode with highest future potential ?

# Theories with $n \leftrightarrow \bar{n}$ , no B-L=0 nucleon decay

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$$\tau_{N-\bar{N}} \sim 10^9 - 10^{10} \text{ s}$$

- Connection with neutrino mass physics via seesaw mechanism

*K. Babu and R. Mohapatra, PLB 518 (2001) 269*

*B. Dutta, Y. Mimura, R. Mohapatra, PRL 96 (2006) 061801*

- Connection to low quantum gravity scale ideas

*G. Dvali and G. Gabadadze, PLB 460 (1999) 47*

*S. Nussinov and R. Shrock, PRL 88 (2002) 171601*

*C. Bambi et al., hep-ph/0606321*

- Baryogenesis models at low-energy scale

*A. Dolgov et al., hep-ph/0605263*

*K. Babu et al., hep-ph/0606144*

# Neutron-Antineutron Oscillations: Formalism

$$(\alpha/\hbar)^2/[(\alpha/\hbar)^2 + \omega^2/4] \cdot \sin[(\alpha/\hbar)^2 + \omega^2/4]^{1/2} t$$

$$\Psi = \begin{pmatrix} n \\ \bar{n} \end{pmatrix} \quad \text{mixed n-nbar QM state}$$

$\alpha$ -mixing amplitude

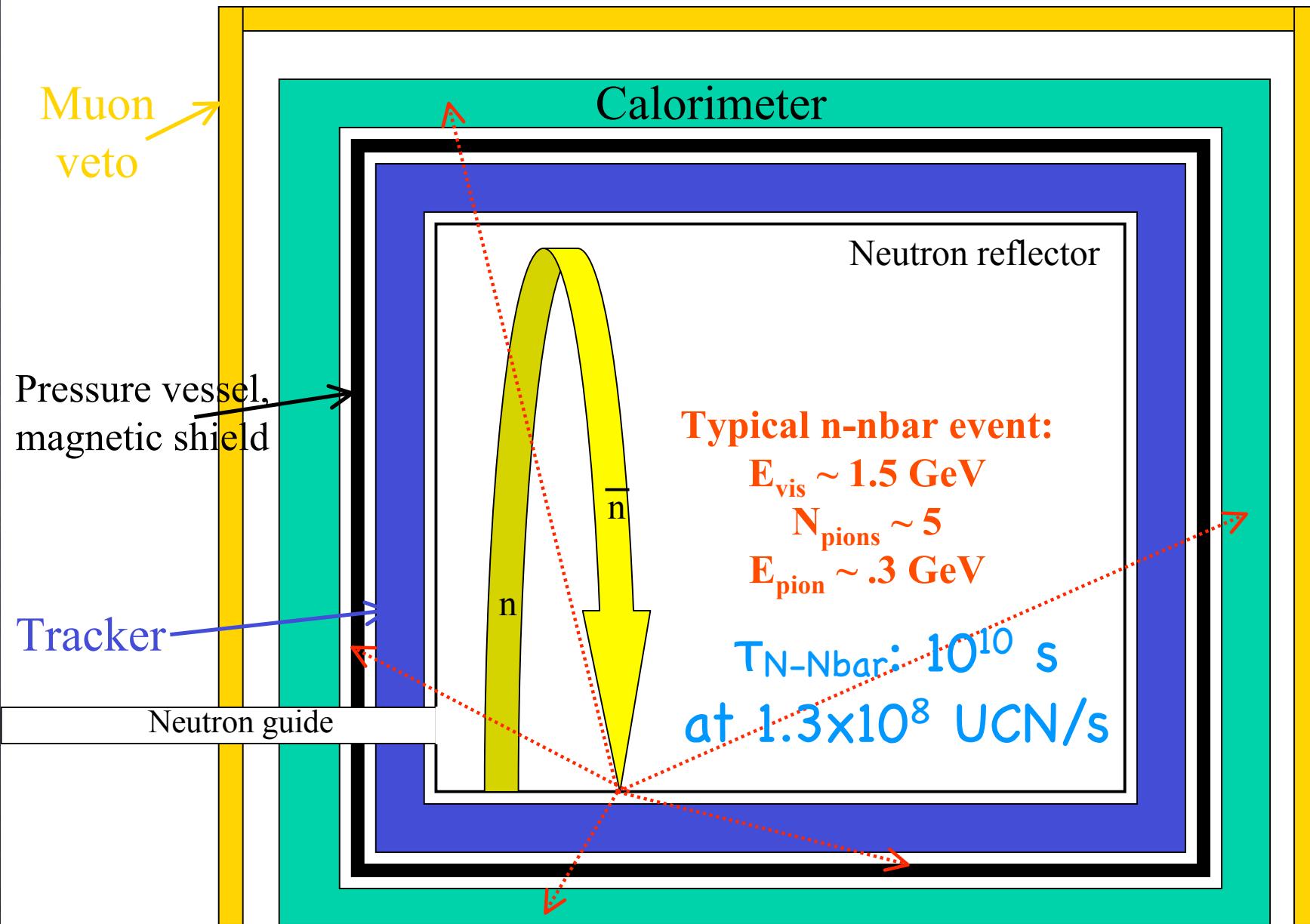
$$H = \begin{pmatrix} E_n & \alpha \\ \alpha & E_{\bar{n}} \end{pmatrix} \quad \text{Hamiltonian of the system}$$

$$E_n = m_n + \frac{p^2}{2m_n} + U_n \quad ; \quad E_{\bar{n}} = m_{\bar{n}} + \frac{p^2}{2m_{\bar{n}}} + U_{\bar{n}}$$

**Important assumptions :**

- $\alpha(n \rightarrow \bar{n}) = \alpha(\bar{n} \rightarrow n) = \alpha$  (i.e. T-invariance)
- $m_n = m_{\bar{n}}$  (CPT not violated)
- magnetic moment  $\mu(\bar{n}) = -\mu(n)$  as follows from CPT

# Possible apparatus for the “neutrons in the bottle” experiment



# Neutron $\beta$ decay

## ⦿ Lifetime

Nucleosynthesis at big bang:  ${}^4\text{He}$  abundance etc.

p-p chain:  $\text{p} + \text{p} \rightarrow \text{D} + e^+ + \nu_e$  ( $\text{n} \rightarrow \text{p} + e^- + \nu_e$ )

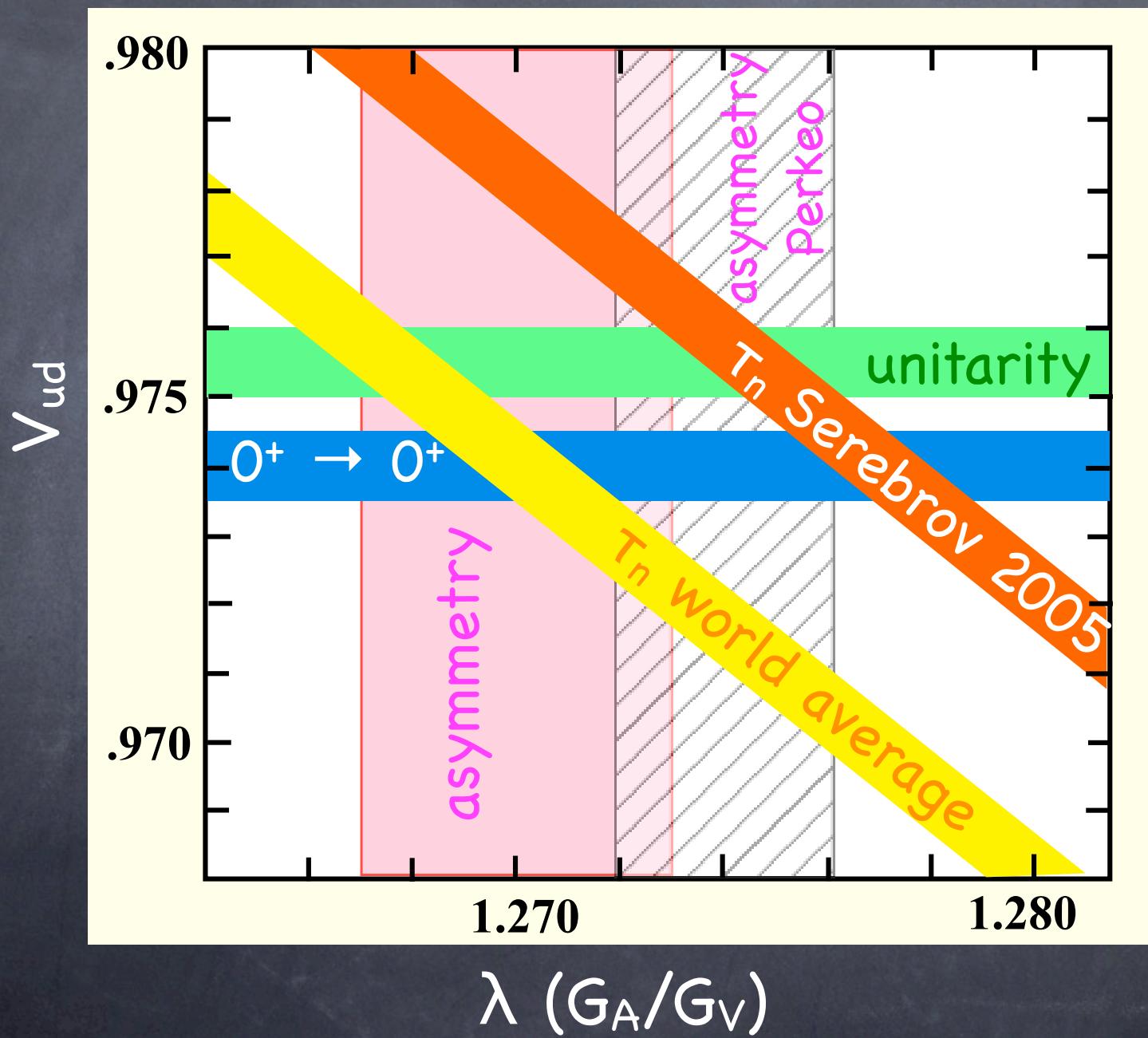
## ⦿ Asymmetry + lifetime

$G_V$  and  $G_A$

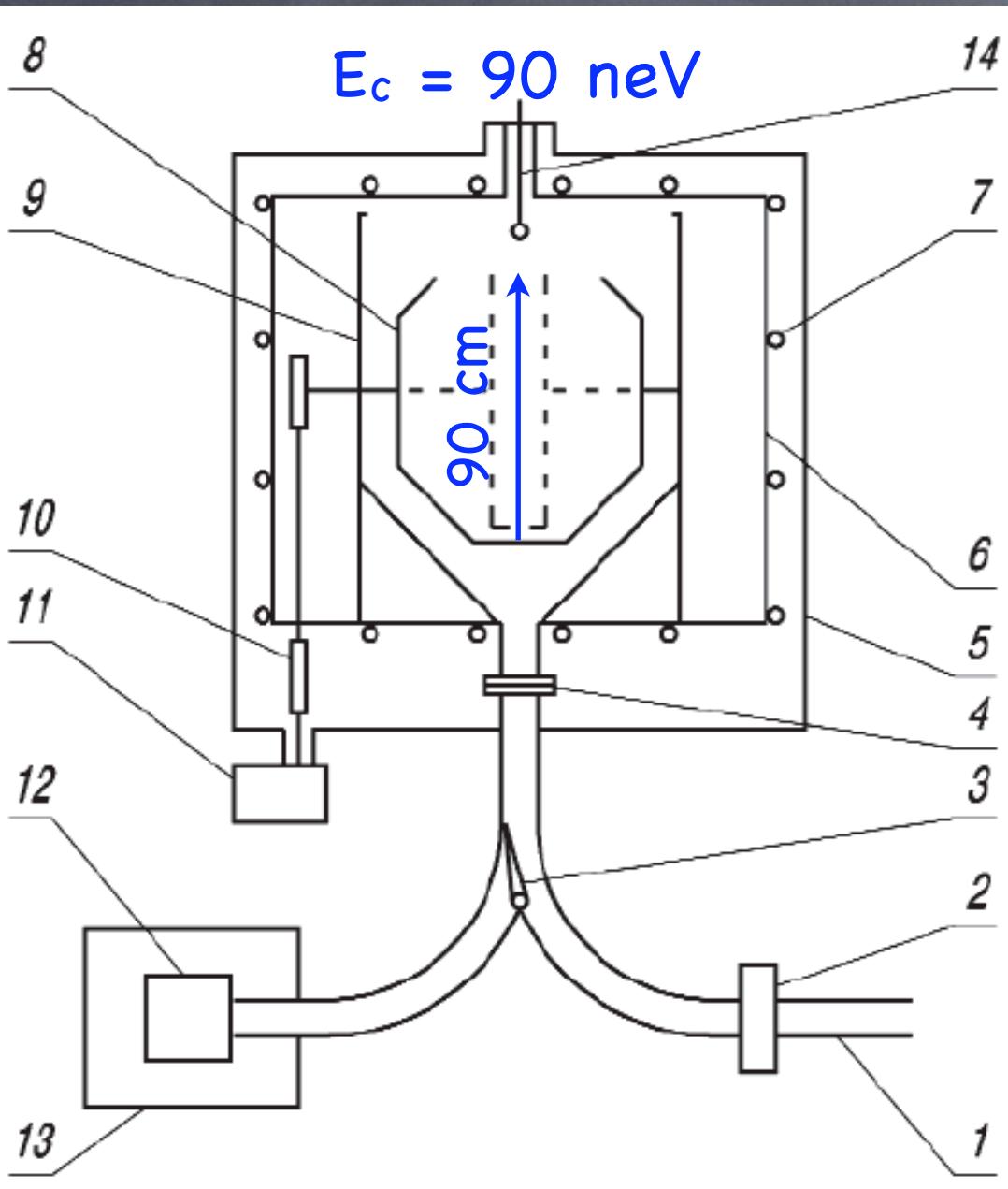
Unitarity:  $G_V = G_F \cdot V_{ud}$

$$|V_{ud}|^2 + |V_{us}|^2 + |V_{ub}|^2 = 1$$

# $G_V$ and $G_A$



# n lifetime



$\tau_n = 878.5 \pm 0.8 \text{ s}$   
Serebrov et. al,  
Phys.Lett.B605(2005)72

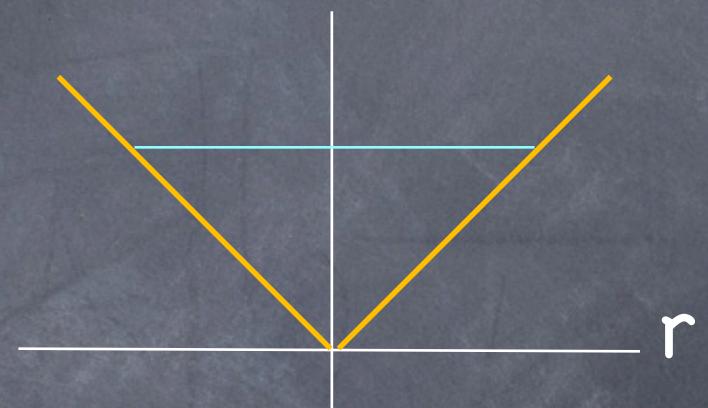
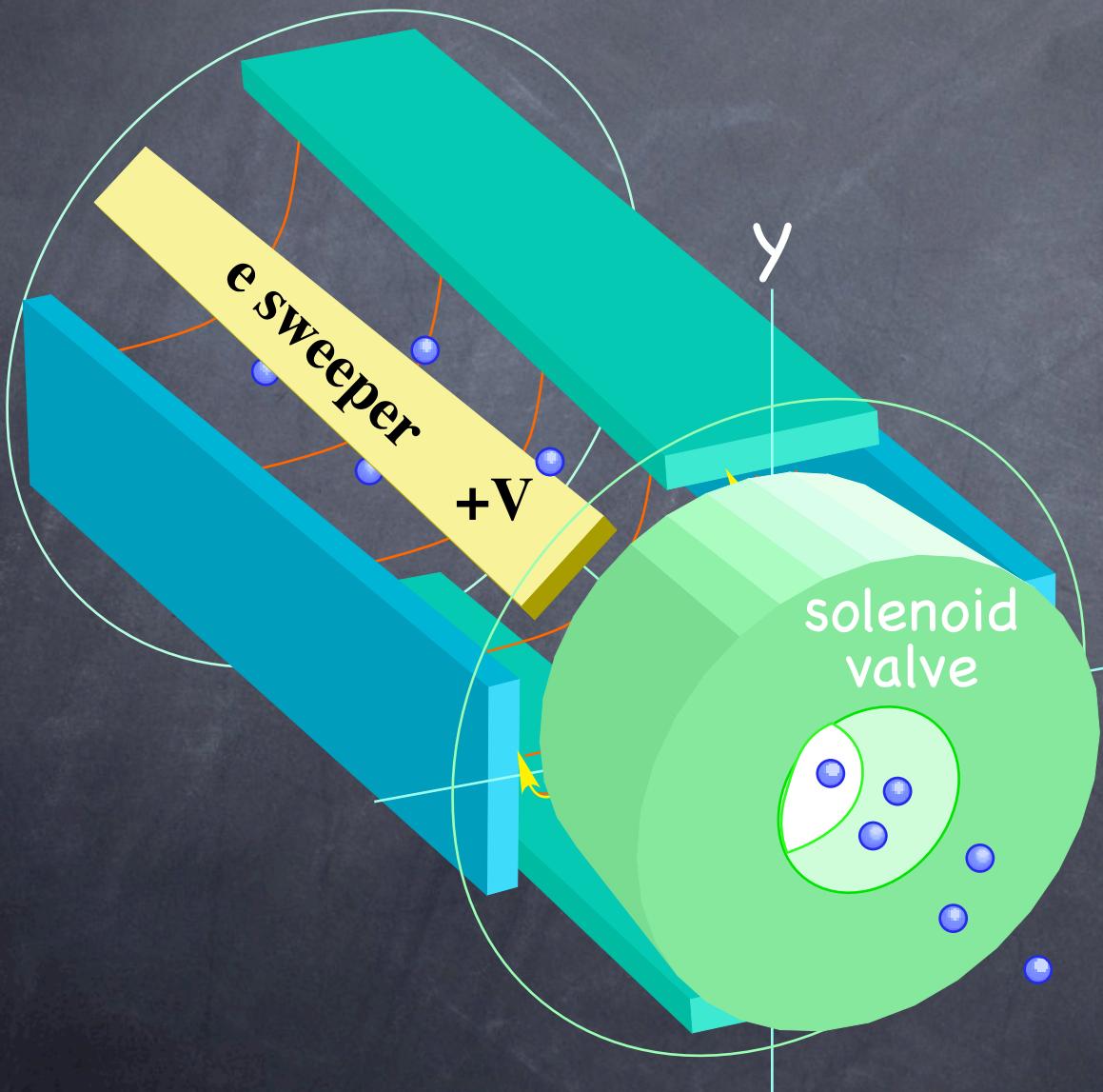
7 $\sigma$   
difference

$\tau_n = 885.7 \pm 0.8 \text{ s}$   
PDG

# $T_n$ in a magnetic bottle

$$\delta T_n / T_n \leq 10^{-4}$$

magnetic potential



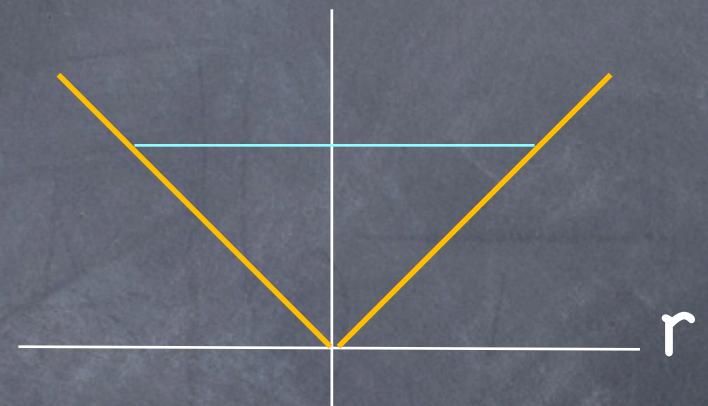
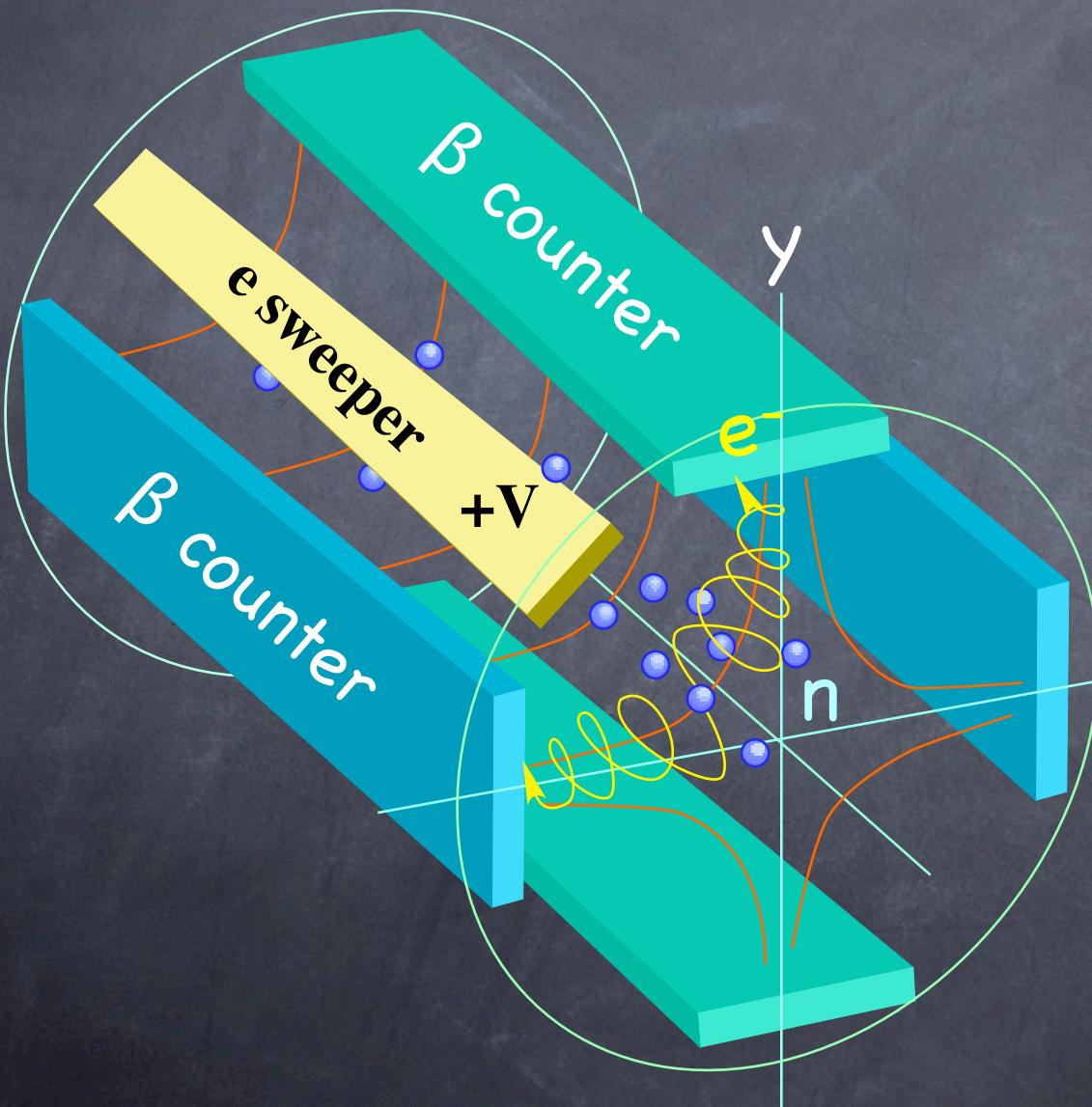
X no wall loss  
negligible Majorana transition

UCN filling

# $\tau_n$ in a magnetic bottle

$$\delta\tau_n/\tau_n \leq 10^{-4}$$

magnetic potential

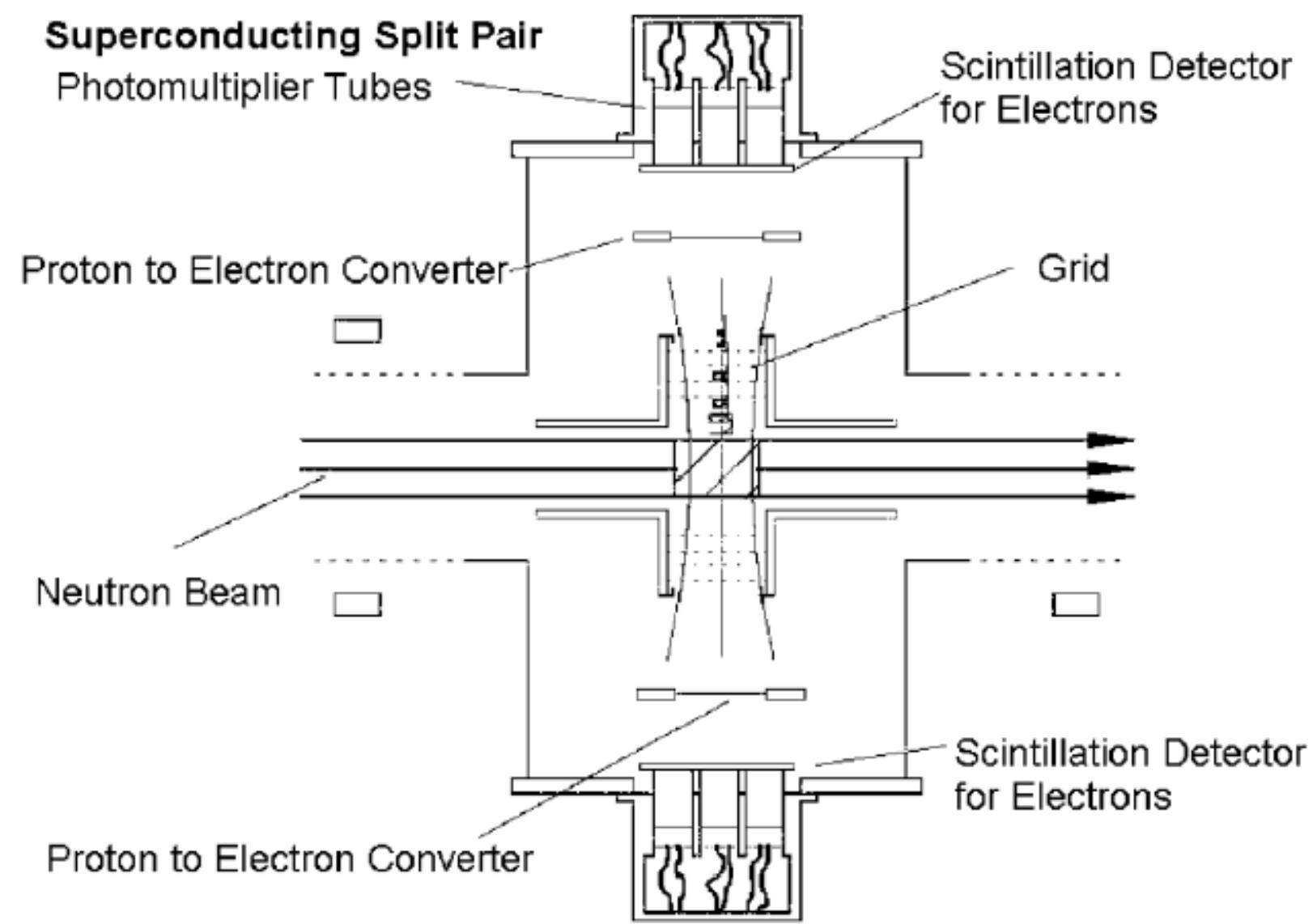


X      no wall loss  
negligible Majorana  
transition

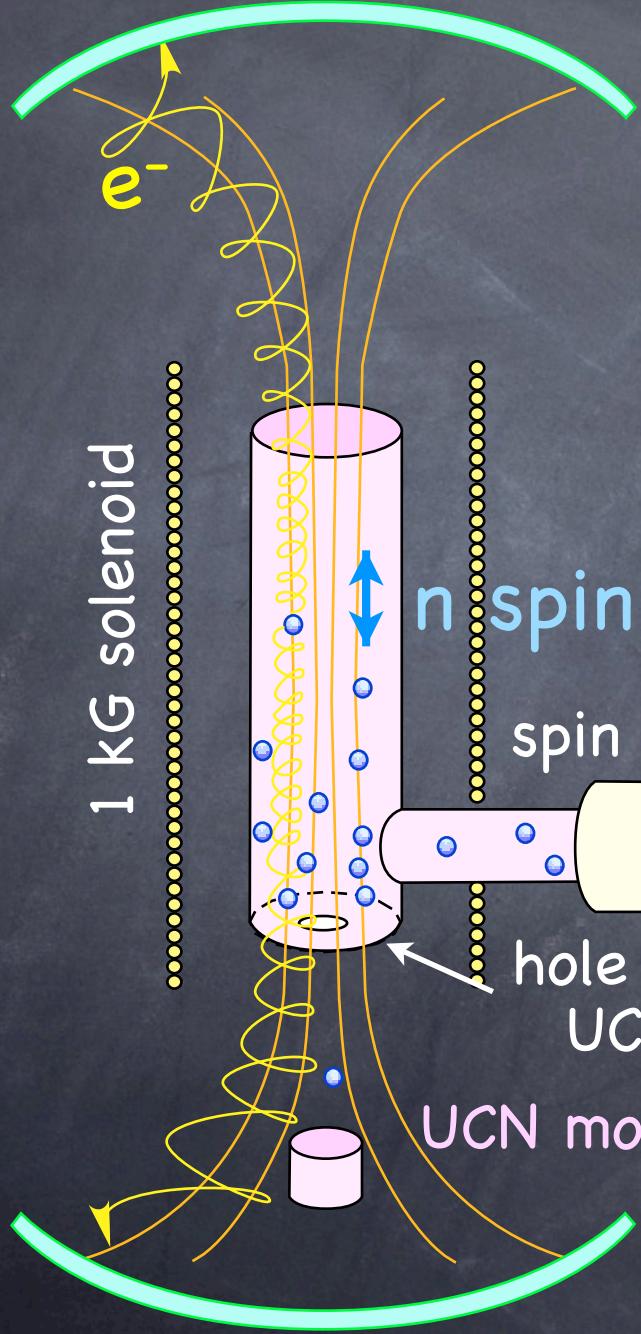
Measure  
decay of  $\beta$  count

# $\beta$ asymmetry

PERKEO



## Segmented $\beta$ counter



# Asymmetry measurement in a gravitational trap with a vertical solenoid

$$W(\theta) \propto 1 + v/c \cdot A \cdot P_n \cdot \cos\theta$$
$$\delta A/A < 10^{-3}$$

UCN  
spin filter  
dipole or quadrupol

e<sup>-</sup> back scattering correction  
timing of e<sup>-</sup> counts

# Gravity

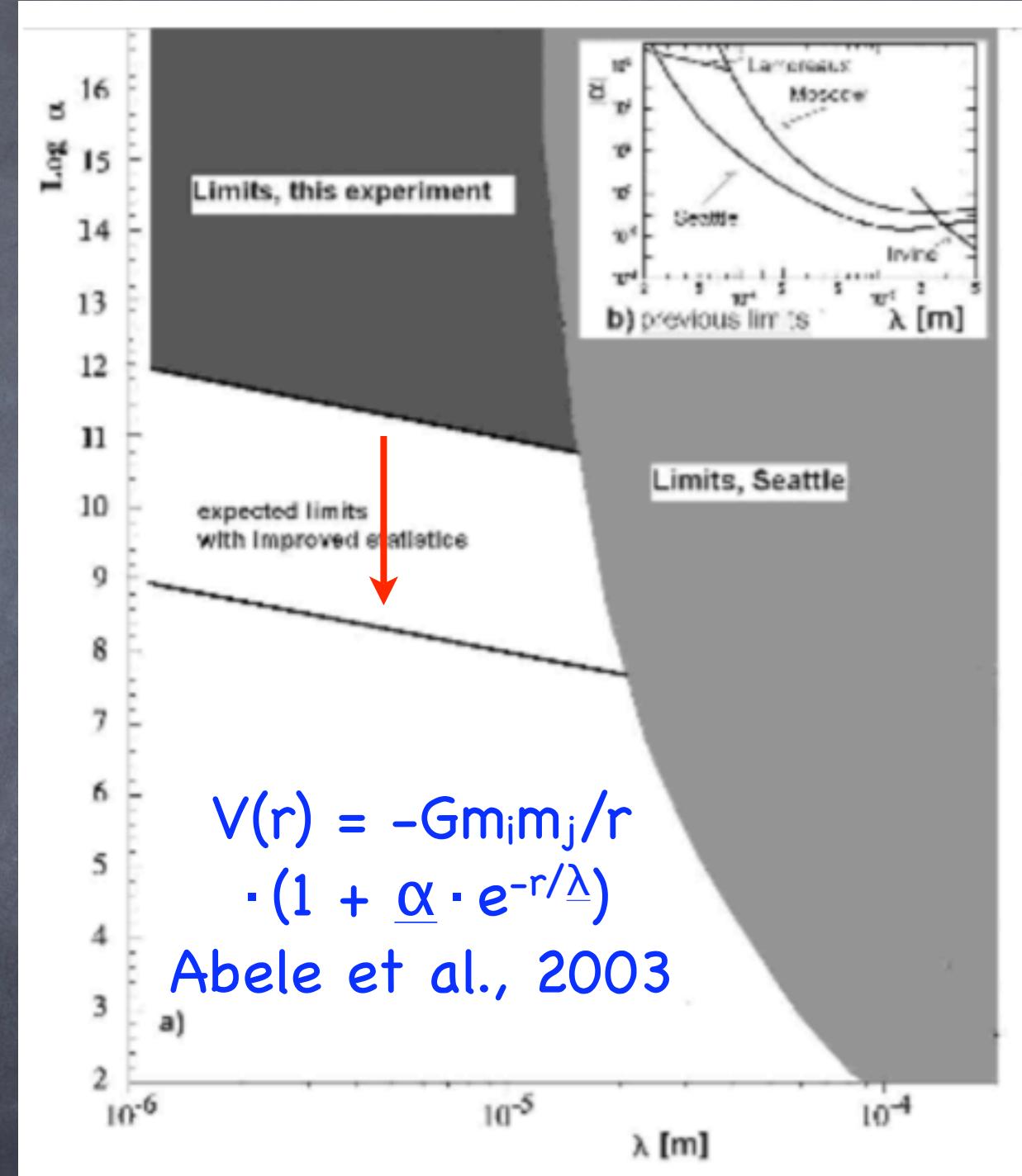
Newtonian gravity  
is valid at  
submillimeter  
distance?

Gauge fields in extra dimension mediate repulsive force  $10^6\text{--}10^8$  times stronger than gravity at submillimeter distance.

Arkani et al., 1999

$$V(r) = -Gm_i m_j / r \cdot (1 + \underline{\alpha} \cdot e^{-r/\underline{\lambda}})$$

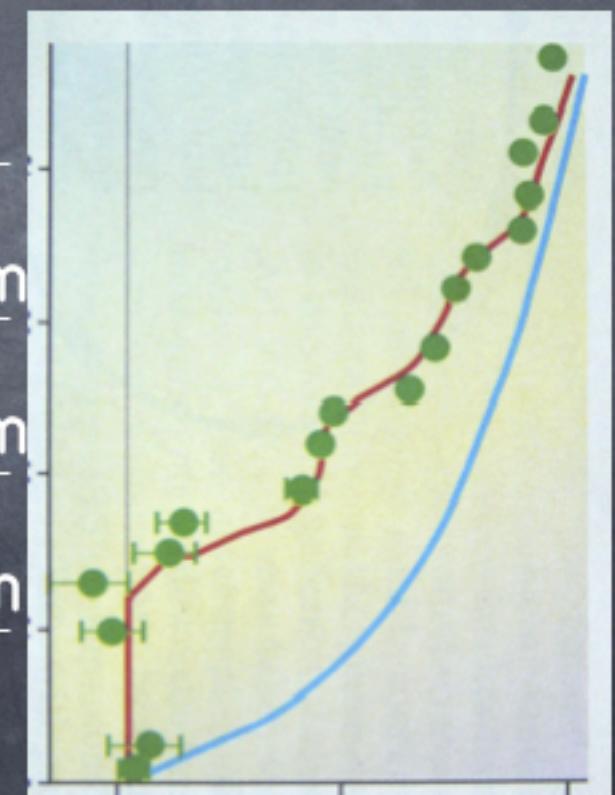
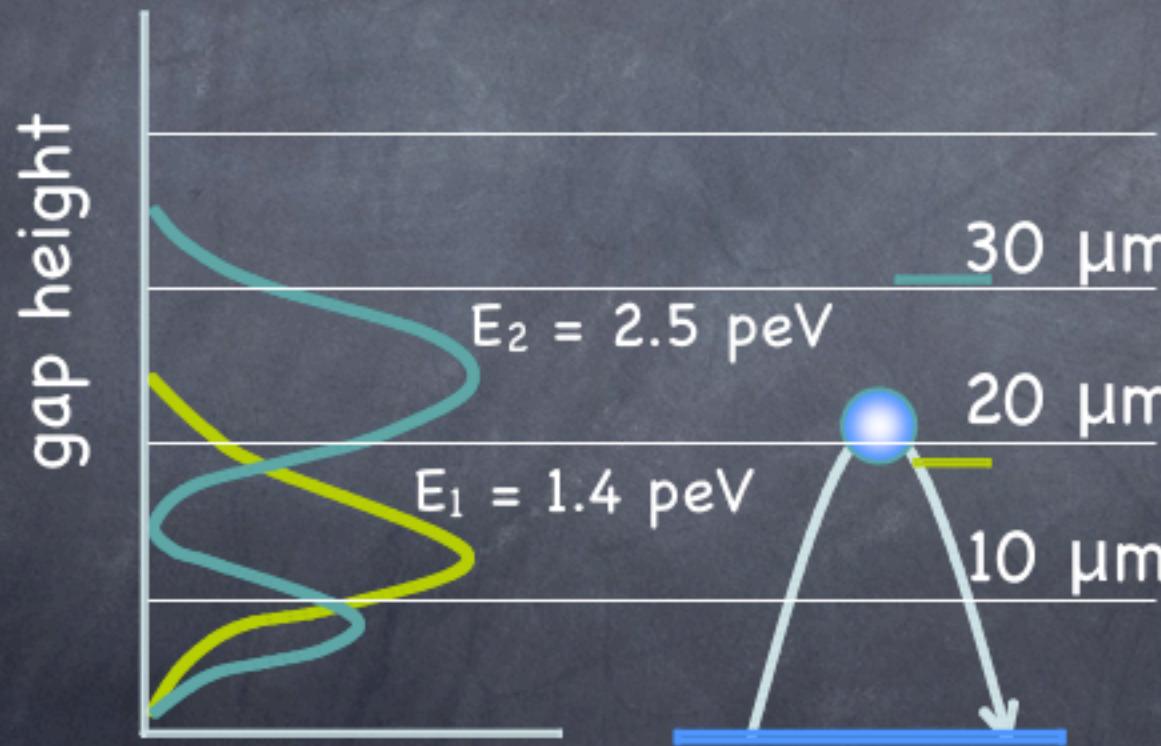
Abele et al., 2003



# Quantization under Gravity

$mgh: 1.02 \text{ peV}/10\mu\text{m}$

Nesvizhevsky et al.  
*Nature* 415(2002)297



# Required UCN density 1

- n lifetime

$885.7 \pm 0.8$  s (PDG)  $\leftrightarrow 878 \pm 0.7 \pm 0.3$  s (Serebrov et al.)

For  $10^{-4}$  measurement: 50 UCN/cm<sup>3</sup>

- n β decay asymmetry

Test of CKM unitarity,

$V_{ud}$  with  $10^{-3}$ : 16 UCN/cm<sup>3</sup> at  $\tau_s = 2.6$  s

# continued

- n EDM

$\delta d_n \sim 10^{-28}$  cm: SUSY, Multi-Higgs, Left-Right  
 $E = 50$  kV/cm,  $\tau_c = 130$  s,  $\rho = 300$  UCN/cm<sup>3</sup>

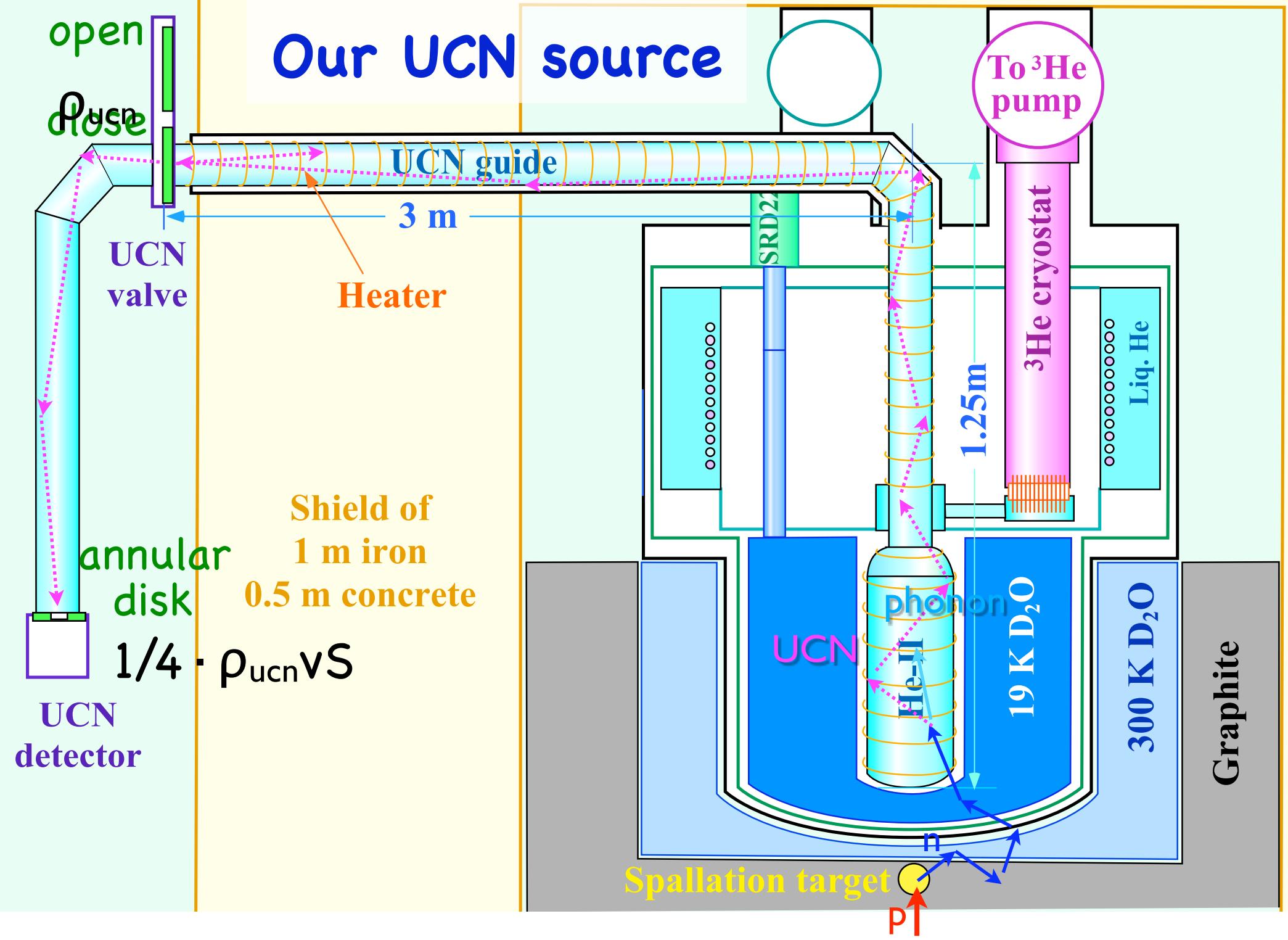
- n-nbar oscillation

>  $8.8 \times 10^7$  s cold n beam (1994), >  $1.2 \times 10^8$  s Fréjus (1990), >  $1.2 \times 10^8$  s Kamioka (1986)

$10^9 \sim 10^{10}$  s SUSY with ν mass and See-Saw model

$1.3 \times 10^8$  UCN/s ( $5 \times 10^5$  UCN/cm<sup>3</sup> in 40 liter) →  $10^{10}$  s

# Our UCN source



# World comparison

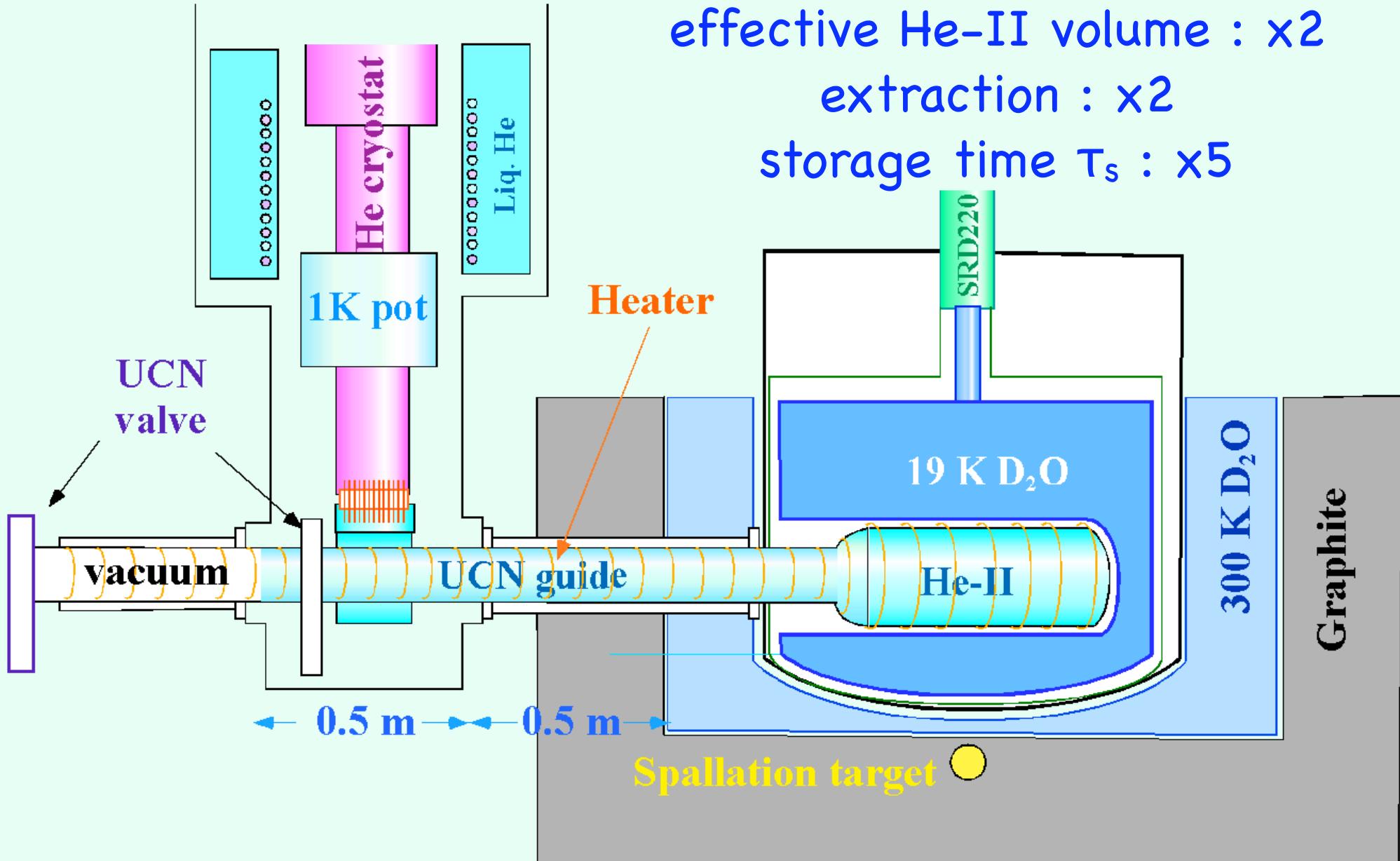
	Source type	$E_c$ and $\tau_s$	UCN density $\rho_{UCN}(UCN/cm^3)$
Ours vertical 100 W proton	0.96K He-II in D <sub>2</sub> O	$E_c = 90$ neV $\tau_s = 30$ s	10 in experiment
Grenoble 60MW reactor	Turbine	$E_c = 335$ neV	50 in source
Munich 20MW reactor	SD <sub>2</sub>	$E_c = 250$ neV	$10^4$ in source
North Carolina 1 MW reactor	SD <sub>2</sub>	$E_c = 335$ neV	1300 in source
PSI 12 kW proton	SD <sub>2</sub>	$E_c = 250$ neV $\tau_s = 888$ s	2000 in source
Los Alamos 2.4 kW proton	SD <sub>2</sub>	$E_c = 250$ neV $\tau_s = 2.6$ s	120 in source
SNS cold neutron beam	0.3K He-II	$E_c = 134$ neV $\tau_s = 500$ s	430 in He-II

# World comparison

	Source type	$E_c$ and $\tau_s$	UCN density $\rho_{UCN}(UCN/cm^3)$
Ours vertical 100 W proton	0.96K He-II in D <sub>2</sub> O	$E_c = 90$ neV $\tau_s = 30$ s	10 in experiment
Grenoble 60MW reactor	Turbine	$E_c = 100$ neV	2~3 in experiment
Munich 20MW reactor	SD <sub>2</sub>	$E_c = 250$ neV	$10^4$ in source
North Carolina 1 MW reactor	SD <sub>2</sub>	$E_c = 335$ neV	1300 in source
PSI 12 kW proton	SD <sub>2</sub>	$E_c = 250$ neV $\tau_s = 888$ s	2000 in source
Los Alamos 2.4 kW proton	SD <sub>2</sub>	$E_c = 250$ neV $\tau_s = 2.6$ s	120 in source
SNS cold neutron beam	0.3K He-II	$E_c = 134$ neV $\tau_s = 500$ s	430 in He-II

# Horizontal cryostat

p beam power  $E_p \times I_p$  : x5  
effective He-II volume : x2  
extraction : x2  
storage time  $T_s$  : x5



# World comparison

	Source type	$E_c$ and $\tau_s$	UCN density $\rho_{UCN}(UCN/cm^3)$
Ours horizontal 500 W proton	0.6K He-II in D <sub>2</sub> O	$E_c = 90$ neV $\tau_s = 150$ s	1000 in experiment
Grenoble 60MW reactor	0.5K He-II	$E_c = 250$ neV $\tau_s = 150$ s	1000 in He-II
Munich 20MW reactor	SD <sub>2</sub>	$E_c = 250$ neV	$10^4$ in source
North Carolina 1 MW reactor	SD <sub>2</sub>	$E_c = 335$ neV	1300 in source
PSI 12 kW proton	SD <sub>2</sub>	$E_c = 250$ neV $\tau_s = 888$ s	2000 in source
Los Alamos 2.4 kW proton	SD <sub>2</sub>	$E_c = 250$ neV $\tau_s = 2.6$ s	120 in source
SNS cold neutron beam	0.3K He-II	$E_c = 134$ neV $\tau_s = 500$ s	430 in He-II

# World comparison

	Source type	$E_c$ and $\tau_s$	UCN density $\rho_{UCN}(UCN/cm^3)$
Ours horizontal 500 W proton	0.6K He-II in D <sub>2</sub> O	$E_c = 90$ neV $\tau_s = 150$ s	1000 in experiment
Grenoble 60MW reactor	0.5K He-II	$E_c = 90$ neV $\tau_s = 150$ s	216 in He-II
Munich 20MW reactor	SD <sub>2</sub>	$E_c = 90$ neV	2160 in source
North Carolina 1 MW reactor	SD <sub>2</sub>	$E_c = 90$ neV	181 in source
PSI 12 kW proton	SD <sub>2</sub>	$E_c = 90$ neV $\tau_s = 888$ s	432 in source
Los Alamos 2.4 kW proton	SD <sub>2</sub>	$E_c = 90$ neV $\tau_s = 2.6$ s	26 in source
SNS cold neutron beam	0.3K He-II	$E_c = 90$ neV $\tau_s = 150$ s	71 in He-II

# World comparison

	Source type	$E_c$ and $\tau_s$	UCN density $\rho_{UCN}(UCN/cm^3)$
Our future 12.5 kW proton	0.6K He-II in D <sub>2</sub>	$E_c = 210$ neV $\tau_s = 150$ s	$7 \times 10^5$ in experiment
Grenoble 60MW reactor	0.5K He-II	$E_c = 250$ neV $\tau_s = 150$ s	1000 in He-II
Munich 20MW reactor	SD <sub>2</sub>	$E_c = 250$ neV	$10^4$ in source
North Carolina 1 MW reactor	SD <sub>2</sub>	$E_c = 335$ neV	1300 in source
PSI 12 kW proton	SD <sub>2</sub>	$E_c = 250$ neV $\tau_s = 888$ s	2000 in source
Los Alamos 2.4 kW proton	SD <sub>2</sub>	$E_c = 250$ neV $\tau_s = 2.6$ s	120 in source
SNS cold neutron beam	0.3K He-II	$E_c = 134$ neV $\tau_s = 500$ s	430 in He-II

# He-II or SD<sub>2</sub>

	He-II	D <sub>2</sub>
production rate	$\sigma_{coh} = 0.76 \text{ b}$	$\sigma_{coh} = 2.48 \text{ b}$
$\tau_a = 1/(\rho v \sigma_a)$	$\infty$	0.2 s
operating temperature	< 1 K	5 K
mean free path	$\gg 1 \text{ m}$	several cm
structure	almost vacuum	dislocation, defect
heat conduction	excellent, no local heating	local heating
Fermi potential	negligibly small	109 neV