

# Hypernuclear $\gamma$ -ray spectroscopy via the $(K^-, \pi^0)$ reaction

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# Motivation

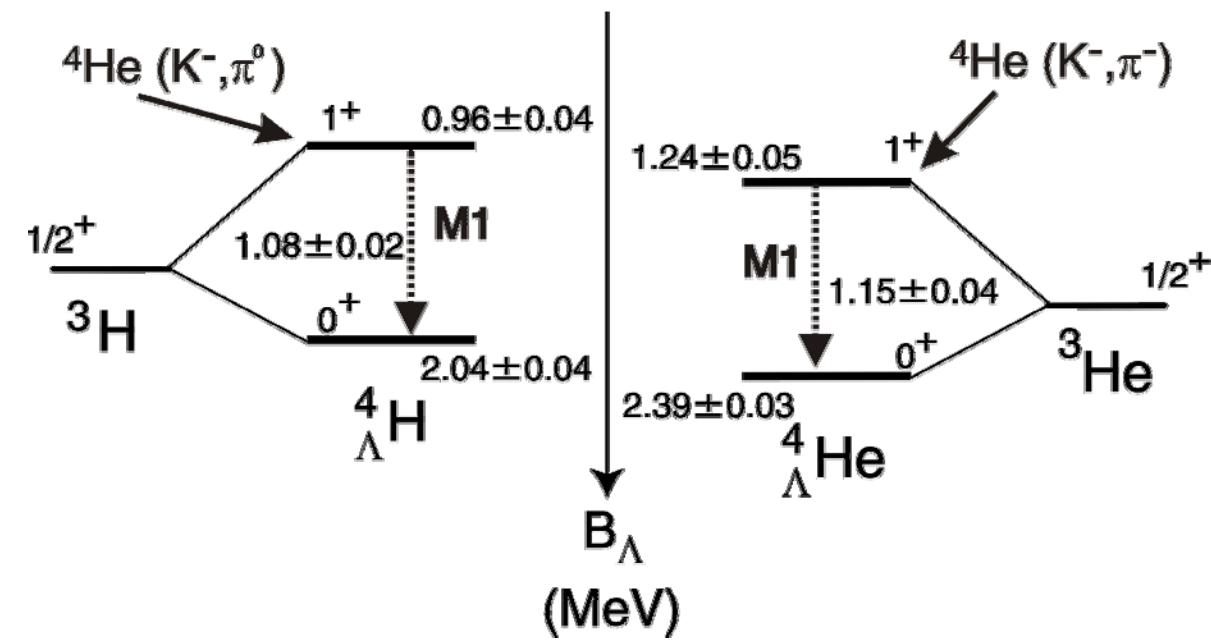
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- Mirror hypernuclei
  - Neutron-rich hypernuclei
  - sd-shell hypernuclei

# Mirror hypernuclei

## Charge symmetry breaking in hypernuclei

⇒ Systematic data by precise measurement by  $\gamma$  ray spectroscopy

Target

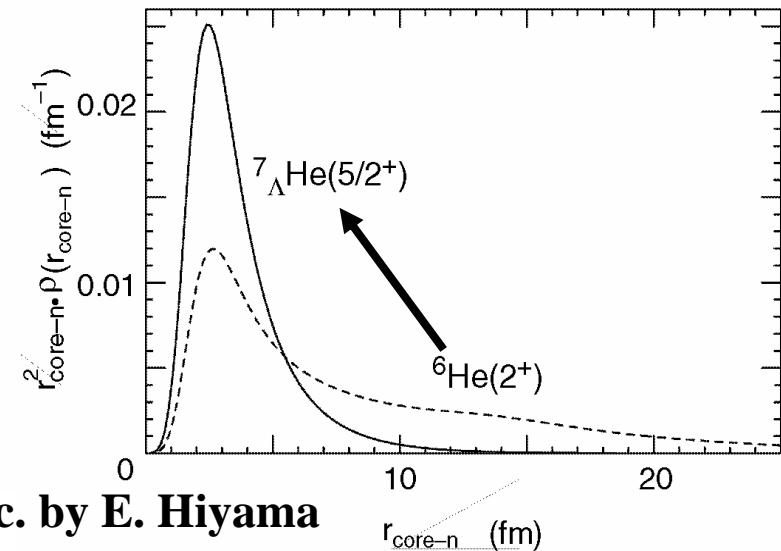
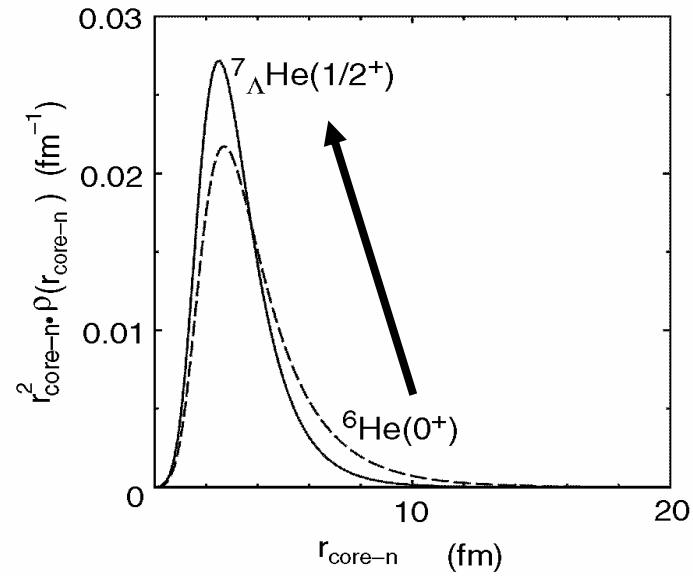
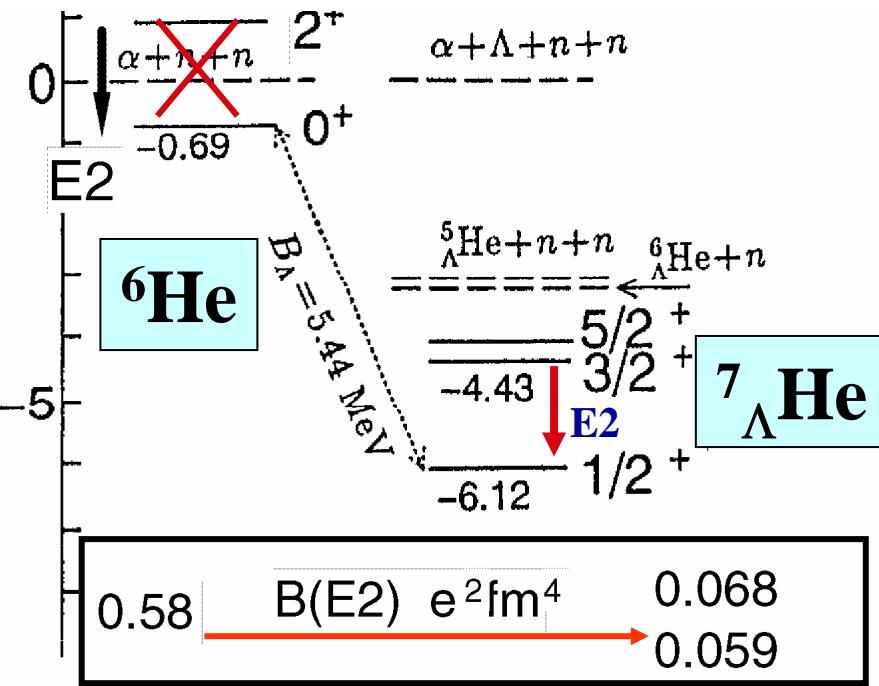


# Neutron-rich hypernuclei

$^7_{\Lambda}\text{He}$

: Disappearance of neutron-halo

Drastic B(E2) change



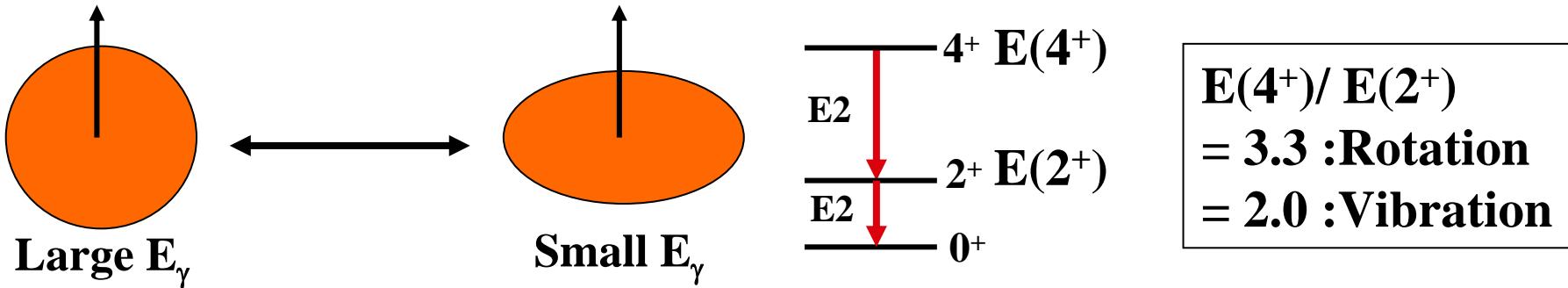
Calc. by E. Hiyama

# sd-shell hypernuclei

## Even-even core hypernuclei

Even-even core  $B(E2)$  transition :  $4^+ \rightarrow 2^+$ ,  $2^+ \rightarrow 0^+$

$\Rightarrow$  Moment of inertia :  $E_{\text{rot}} = I(I+1)/2\vartheta$



The energy of those transition has the information of the nuclear deformation/collectivity.

➤ Energy spacing and  $B(E2)$  measurement

$\Rightarrow$  Effects of  $\Lambda$  on the collective motion

# Even-even core hypernuclear production

-Advantages of the ( $K^-$ ,  $\pi^0$ ) reaction-

➤ ( $K^-$ ,  $\pi^-$ ) reaction (NCX)

Difficult to produce hypernuclei with even-even core

- Direct :  $^{25}\text{Mg}$ (10%),  $^{29}\text{Si}$ (4.7%) : enrich target

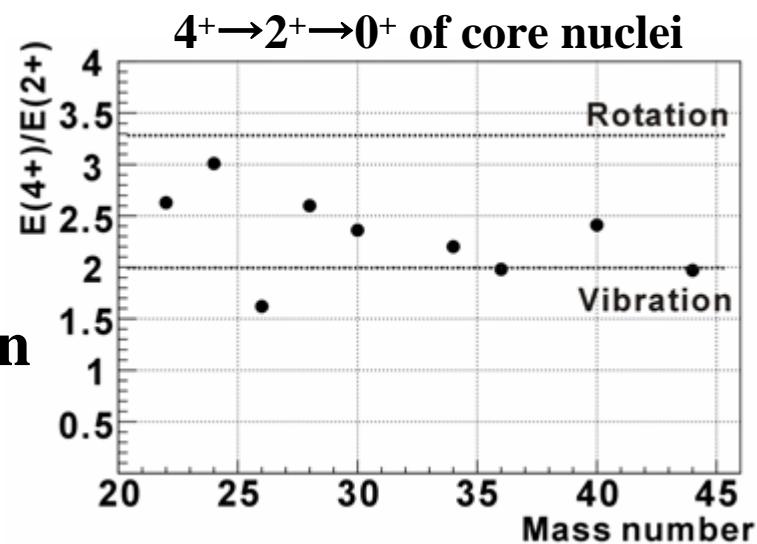
⇒ Hyperfragment (need unique identification method and how about DSAM difficulty ?)

➤ ( $K^-$ ,  $\pi^0$ ) reaction (SCX)

Possible direct production

⇒ Systematic study of  $2^+ \rightarrow 0^+$  transition

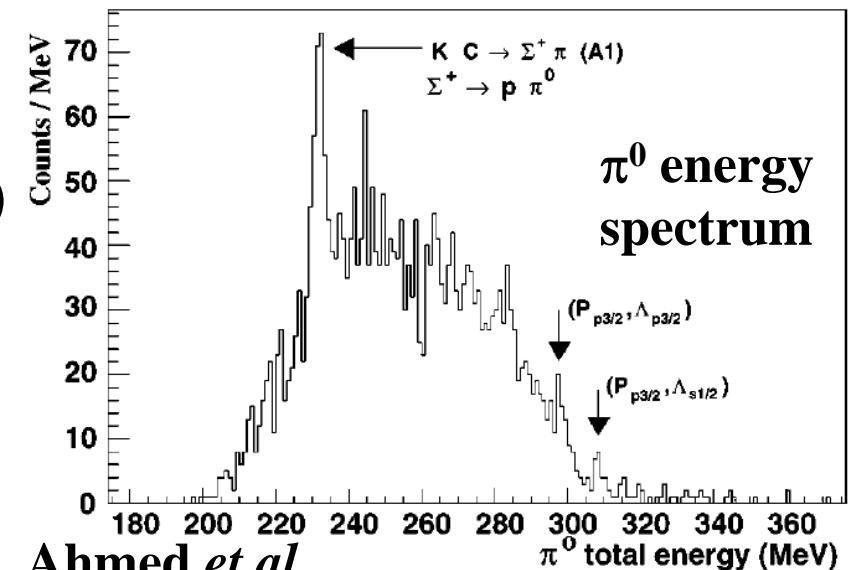
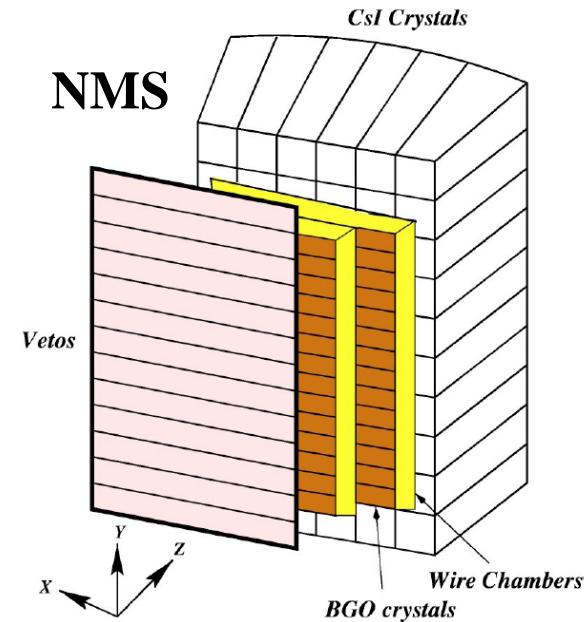
- $^{23}\text{Na}({}^{23}_{\Lambda}\text{Ne})$ ,  $^{27}\text{Al}({}^{27}_{\Lambda}\text{Mg})$ ,  $^{31}\text{P}({}^{31}_{\Lambda}\text{Si})$ ,  
 $^{35,37}\text{Cl}({}^{35,37}_{\Lambda}\text{S})$ ,  $^{39}\text{K}({}^{39}_{\Lambda}\text{Ar})$ ,  $^{45}\text{Sc}({}^{45}_{\Lambda}\text{Ca})$



# Experiment

# Past experiment : BNL E907

- $^{12}\Lambda\text{B}$  reaction spectroscopy via the ( $\text{K}^-\text{stop}$ ,  $\pi^0$ ) reaction
  - NMS
- : Neutral Meson Spectrometer
- Pre-shower BGO detector
  - Shower tracking DC
  - CsI calorimeter
- $\Delta E_{\text{mass}} \sim 2.2 \text{ MeV}$  ( $^{12}\Lambda\text{B}$  g.s)



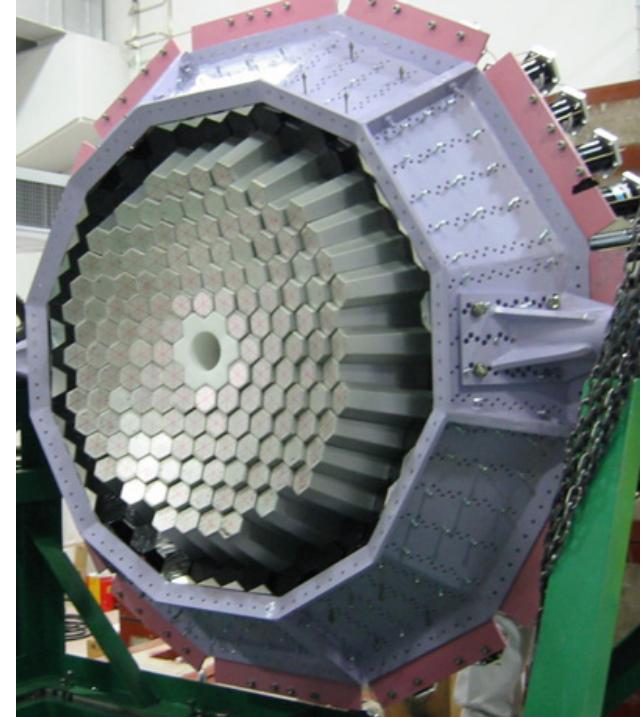
M. W. Ahmed *et al*

# Requirements of the ( $K^-$ , $\pi^0$ ) reaction spectroscopy

- Mass resolution : A few MeV @  $E_1=E_2$
- Position resolution and Vertex resolution
  - Energy resolution by measuring opening angle
  - Doppler correction
  - Angular selection
    - $\theta < 5^\circ$  ( $\Delta L = 0$ ) : substitutional states  $\Rightarrow$  Hyperfragment
    - $\theta > 5^\circ \sim 15^\circ$  ( $\Delta L = 1$  or  $2$ ) : bound states  $\Rightarrow$  s, p, sd-shell
  - Spin-flip cross section at large angles ( $\theta > 10^\circ$  )
- Good efficiency
  - To keep large production rate (/beam) : order of mb

# Detector type

- Size : Beam momentum
  - 0.9, 1.1, 1.5, 1.8 GeV/c ?
- Energy resolution
  - Inorganic-scintillator : CsI
- Position resolution
  - With position detector ?

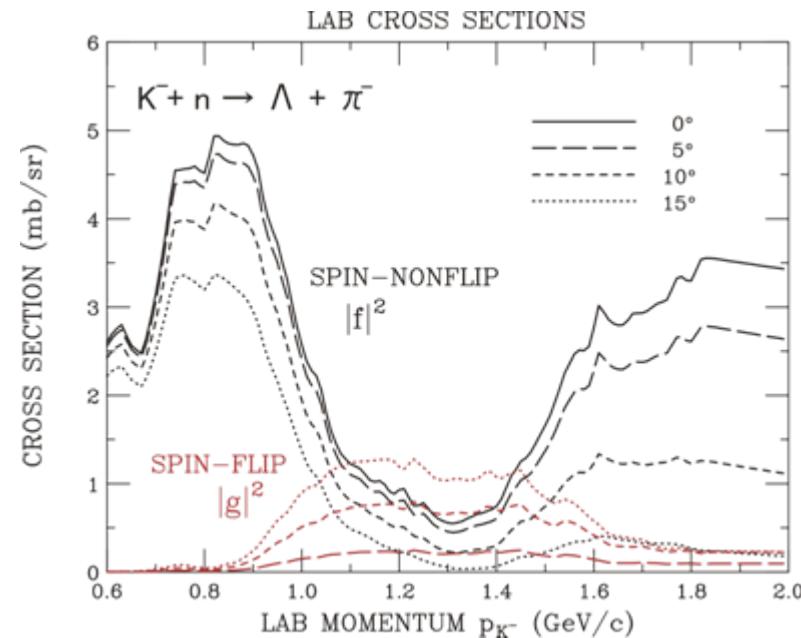


SCISSORS III @ LNS

Homogeneous inorganic-scintillator  
OR  
Inorganic-scintillator with position detectors

# Beam momentum

- Large production  
0.9 GeV/c or 1.8 GeV/c
- Spin-flip and non-spin-flip  
1.1 GeV/c or 1.5 GeV/c
- ⇒ K1.1 or K1.8 ?



Deeply-bound for sd-shell : K1.8

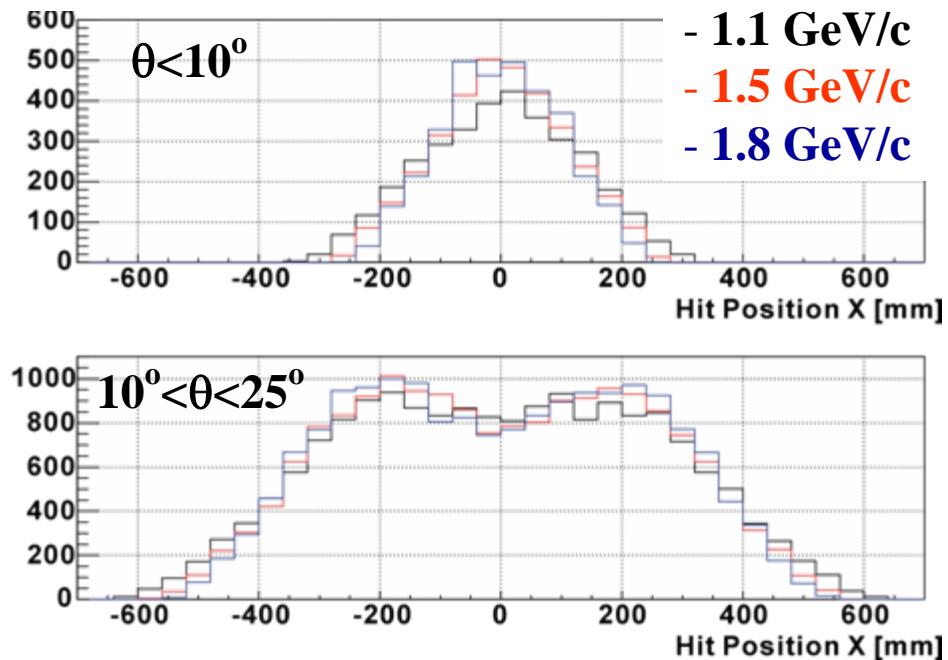
Both NCX and SCX with spin-flip : K1.1

⇒ Both K1.1 and K1.8 are available.

# Acceptance of both two decay $\gamma$ rays

- No large difference by changing the beam momentum
  - Hit position of two  $\gamma$  rays are averaged within  $\pi^0$  scattering angles.
- The size of detector cannot be optimized to each beam momentum.
- The detector can be used at both K1.1 and K1.8.

Size : 1000 mm × 1000 mm  
(with beam through hole)



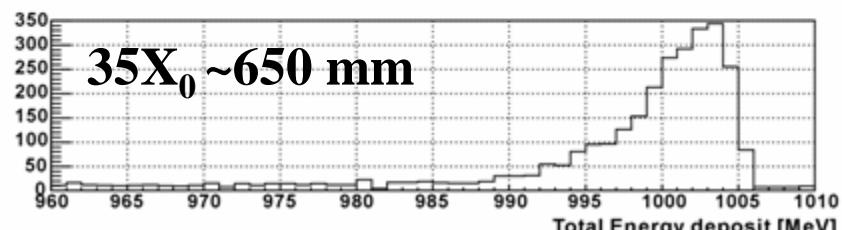
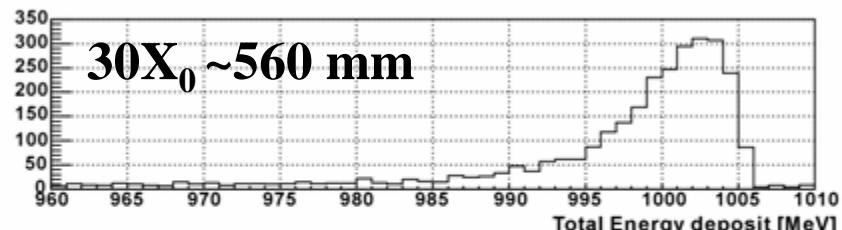
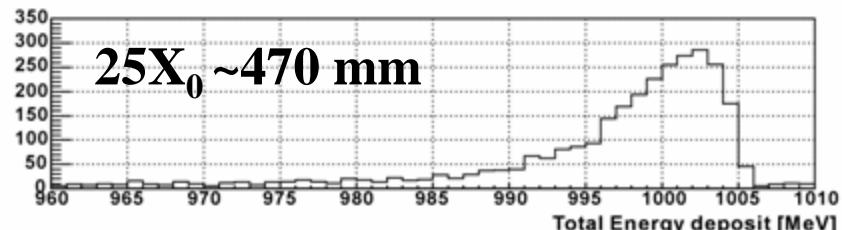
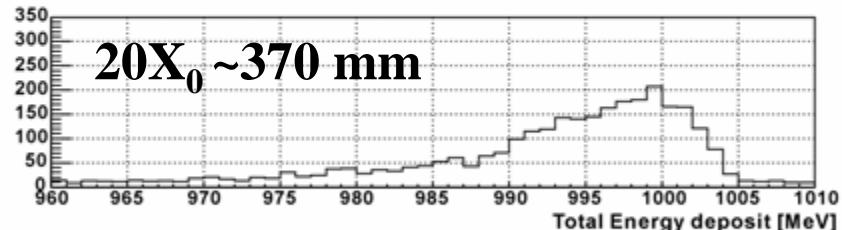
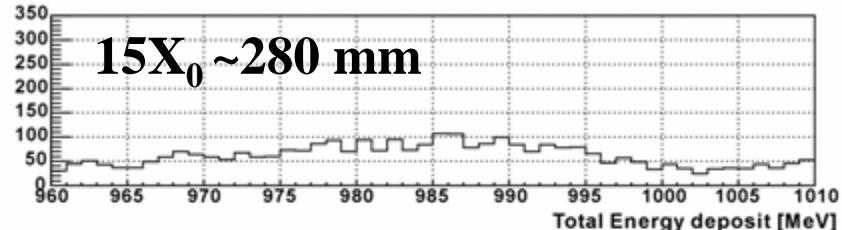
$\gamma$ -ray hit position on the detector  
@  $|E_1 - E_2|/(E_1 + E_2) < 0.3$   
(1 m from the target, w/o the angular correlation of the cross section)

# Detector thickness

- The simulation shows that the thickness of detector is needed to be more than  $20X_0$  by using the CsI crystal.
  - CsI :  $X_0 = 18.6$  mm
- The scattered  $\pi^0$  has large energy because the ( $K, \pi$ ) reaction is the endoergic reaction.

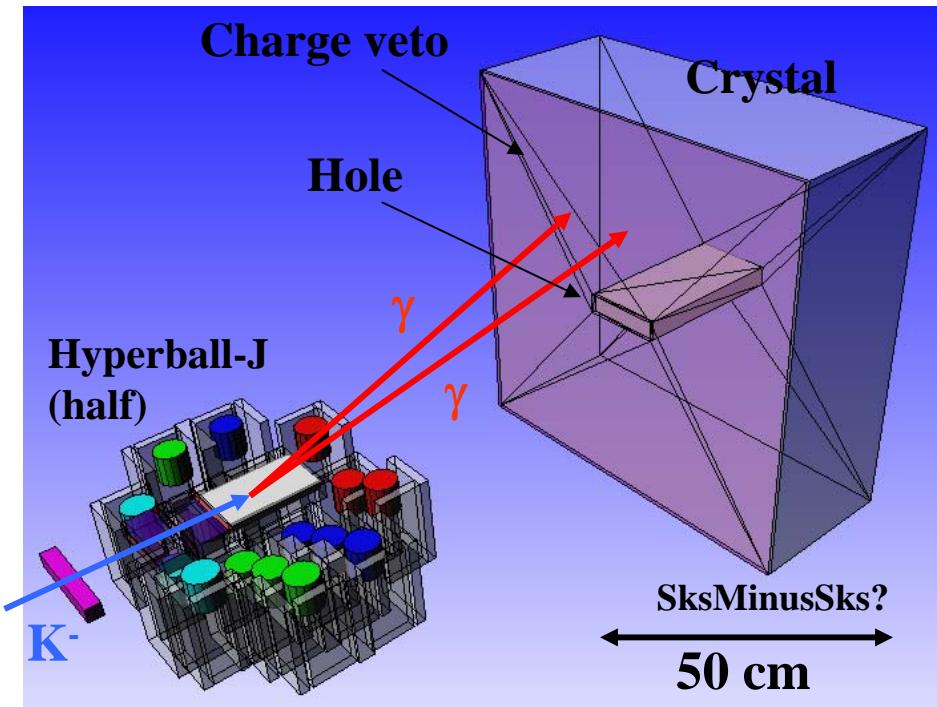
Thickness 300~400 mm

Energy deposit of both two  $\gamma$  rays from the  $\pi^0$  of 1.0 GeV/c.



# Choice of detector type

- Large target size
- Wide scattering angle
  - ⇒ Homogeneous crystal calorimeter
  - + Shower Tracker ?(to determine the precise position)
- Pre-shower detector
  - Converter : BGO, PWO
  - Tracker : DC
  - Calorimeter : CsI
- Segmented target sandwiched by scintillation counter
  - ⇒ Need to study



Rough setup figure

Cost of the crystal : ~1 cm<sup>3</sup>/\$5  
→  $100 \text{ cm} \times 100 \text{ cm} \times 40 \text{ cm} = 4 \times 10^5 \text{ cm}^3$   
→ ~¥  $2.4 \times 10^8$  @ \$1 = ¥120

# Future plan

- **Detector type selection**
  - Homogeneous crystal : Vertex resolution ?
  - Pre-shower + tracker : Efficiency ?
  - Target segmentation
- **Realistic simulation**
  - Vertex resolution
  - Energy resolution
  - Doppler correction
- **Background estimate**
- **Trigger, DAQ .....**

# Summary

- Purposes of  $\gamma$ -ray spectroscopy via the  $(K^-, \pi^0)$  reaction
  - Mirror hypernuclei : Charge symmetry breaking
  - neutron-rich hypernuclei : Disappearance of neutron-halo
  - sd-shell hypernuclei : The effects of  $\Lambda$  on the collective motion
- Detector for the  $(K^-, \pi^0)$  reaction spectroscopy
  - Both K1.1 and K1.5 can be available.
  - Large CsI detector array +  $\alpha$
- Need to study the experimental feasibility