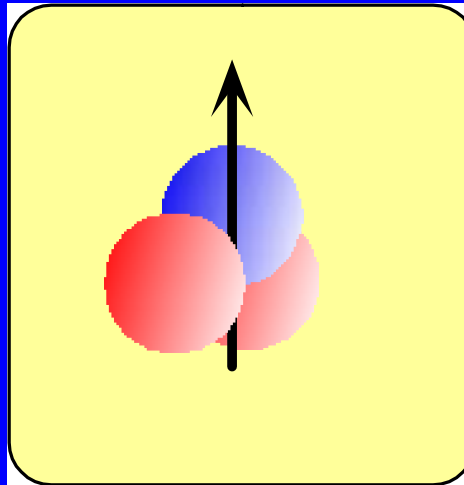


# *Development of polarized $^3\text{He}$ ion source and a design for practical use*

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**M. Tanaka**

*Kobe Tokiwa College, Kobe, JAPAN*

# Contents

## 1) Introduction

a) Collaborators

b) A list of refereed publication

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## 3) **EPPIS** (Electron pumping polarized ion source)

## 4) **SEPPIS** (Spin-exchange polarized ion source)

## 5) Future plan

## Collaborators

**1. RCNP, Osaka Univ:**

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**3. Dept. Physics, Konan Univ.:**

*T. Takeuchi, Y. Yamamoto, T. Yamagata, K. Yonehara,*

**4. Dept. Physics, Tokushima Univ.:**

*S. Nakayama*

**5. Dept. Chemistry, Niigata Univ.:**

*N. Shimakura*

**6 Dept. Physics, Wisconsin Univ., Madison, USA**

*L.W. Anderson*

**7. KVI, Groningen Univ., The Netherlands:**

*R. Morgenstern*

**8. Dubna, Moscow, Russia:**

*Yu. Plis*

**9. TRIUMF, Vancouver, Canada:**

*A. Zelenski, C.P. Levy*

**10. Centre d'Etudes Nucleaires de Grenoble, France:**

*R. Geller, G. Melin*

**11. Dept. Physics, Sungkyunkwan Univ., Korea:**

*B. T. Kim*

**12. Dept. Physics, Univ. Texas, USA:**

*T. Udagawa*

**13. Kobe Tokiwa, Kobe:**

*M. Tanaka*

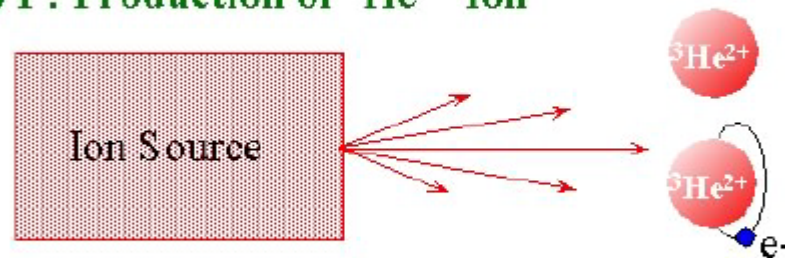
**13 Institutes  
24 Participants**

# A List of refereed papers showing our activity on the development of polarized $^3\text{He}$ ion source at RCNP

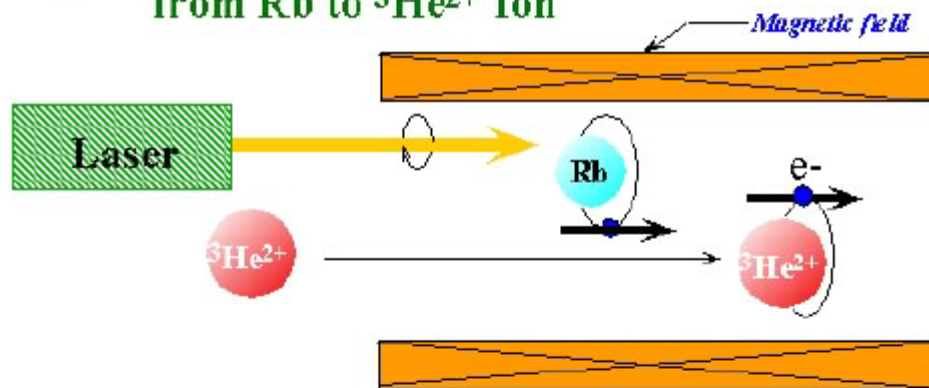
- [1] M. Tanaka et al., Colloque de Physique **C6** (1990).
- [2] M. Tanaka et al., Phys. Rev. **A41** (1990) 496.
- [3] M. Tanaka et al., Nucl. Instr. & Meth. **A302** (1991) 460.
- [4] T. Ohshima et al., Phys. Lett. **B279** (1992) 163.
- [5] M. Tanaka et al., Hyperfine Interactions **74** (1992) 205.
- [6] M. Tanaka et al., Hyperfine Interactions **78** (1993) 251.
- [7] M. Tanaka et al., Phys. Rev. **A50** (1994) 1184.
- [8] M. Tanaka et al., Phys. Rev. **A52** (1995) 392.
- [9] T. Yamagata et al., Nucl. Instr. Meth. **A402** (1998) 199.
- [10] M. Tanaka, Nucl. Instr. Meth. **A402** (1998) 492.
- [11] T. Takeuchi et al., Rev. Sci. Instr. **69** (1998) 412.
- [12] M. Tanaka et al., Phys. Rev **A60** (1999) R3354.
- [13] Y. Arimoto et al, Eur. Phys. J. **D8** (2000) 305.
- [14] Y. Arimoto et al., Nucl. Instr. Meth. **B173** (2001) 370.
- [15] K. Yonehara et al., Nucl. Instr. Meth. **B184** (2001) 391
- [16] Y. Arimoto et al. Phys. Rev. **A64** (2001) 062714-1.

# Principle of OPPIS applied for Polarization of $^3\text{He}$

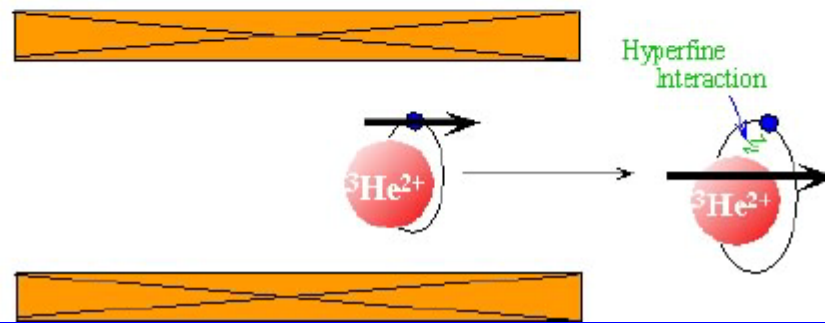
## Step I : Production of $^3\text{He}^{2+}$ Ion

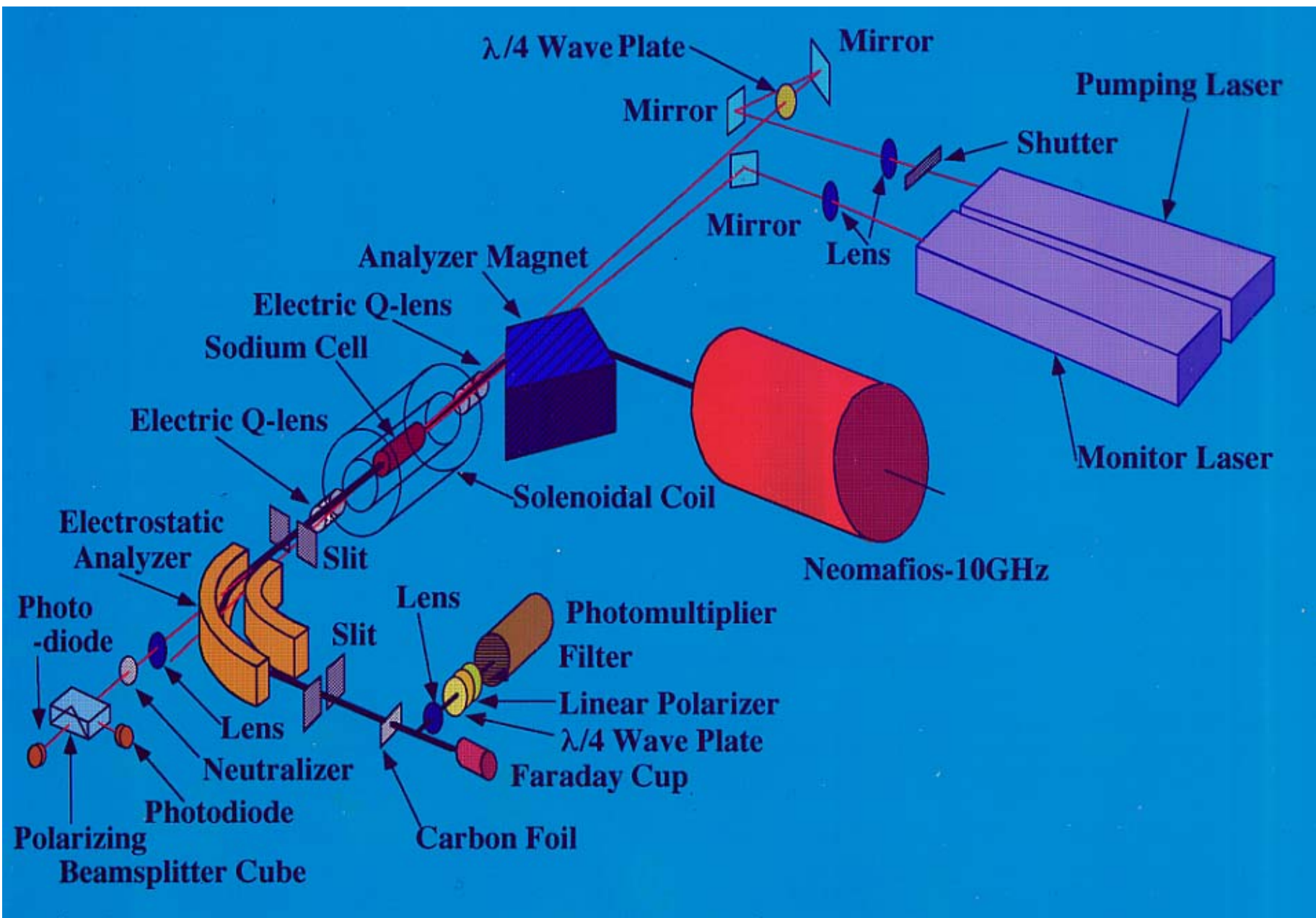


## Step II : Polarized Electron transfer from Rb to $^3\text{He}^{2+}$ Ion

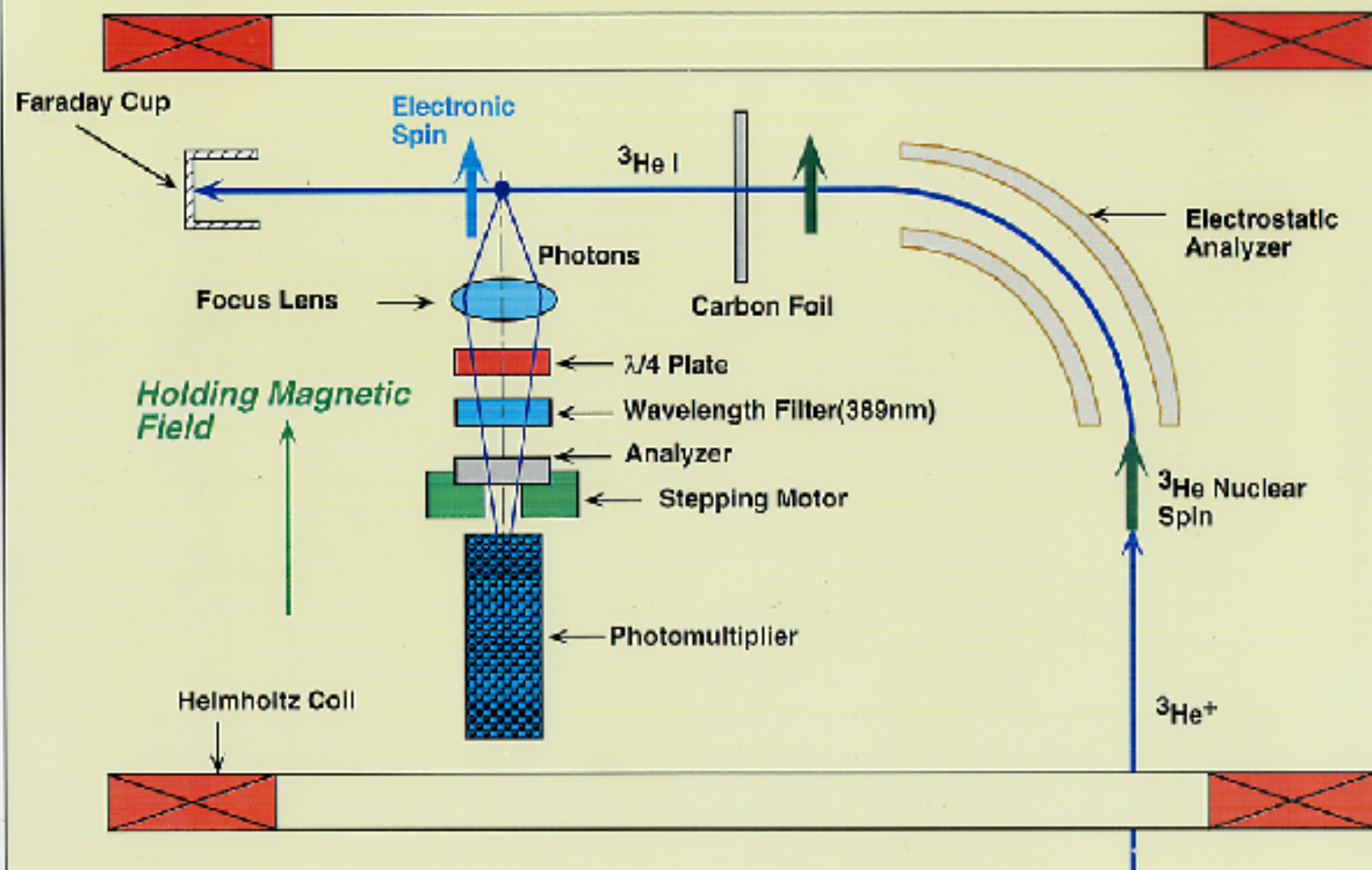


## Step III : Conversion of Electron Polarization to Nuclear Polarization

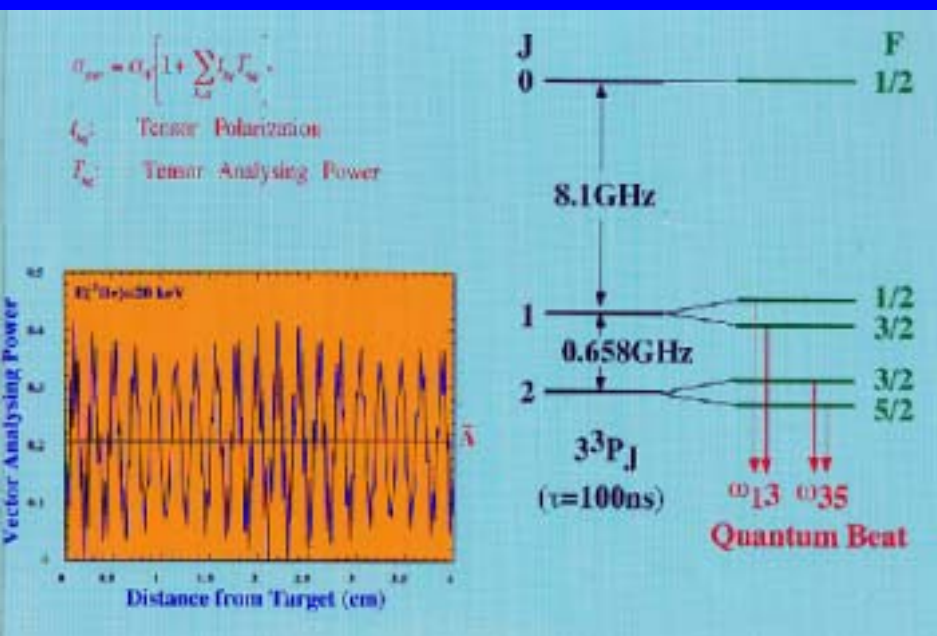




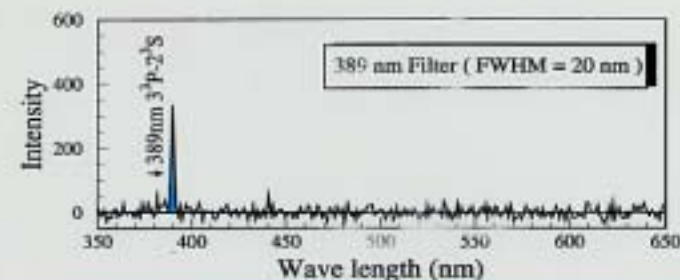
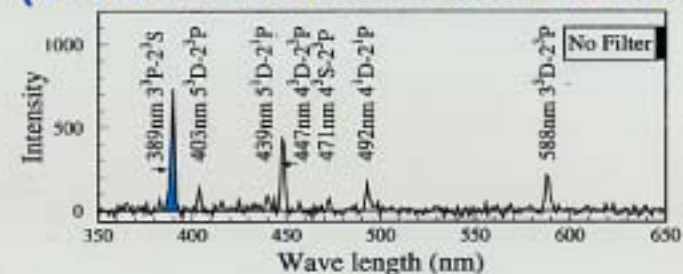




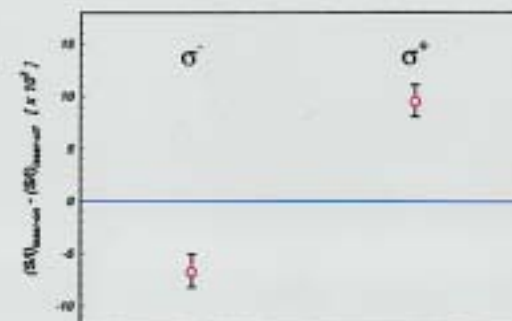
**Schematic view of the Polarimeter**



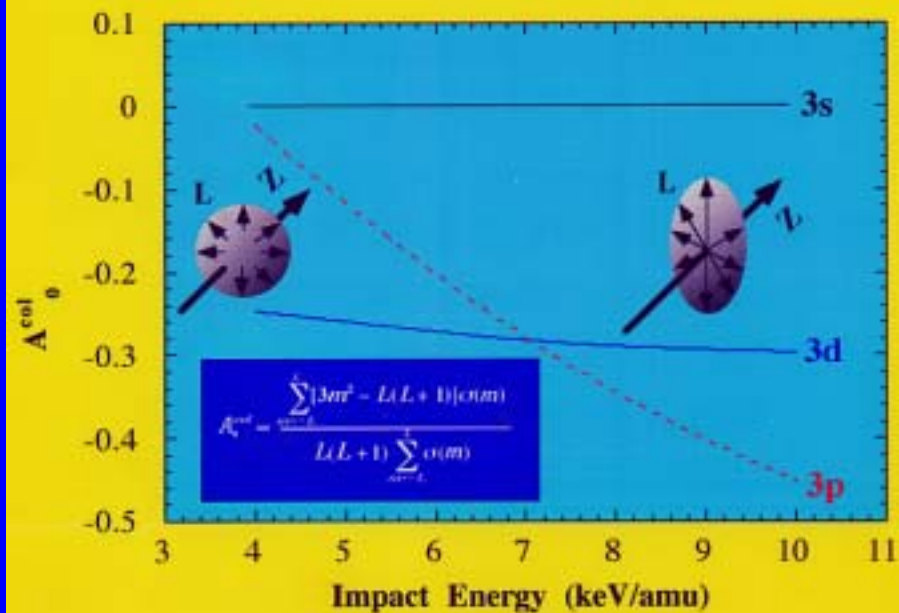
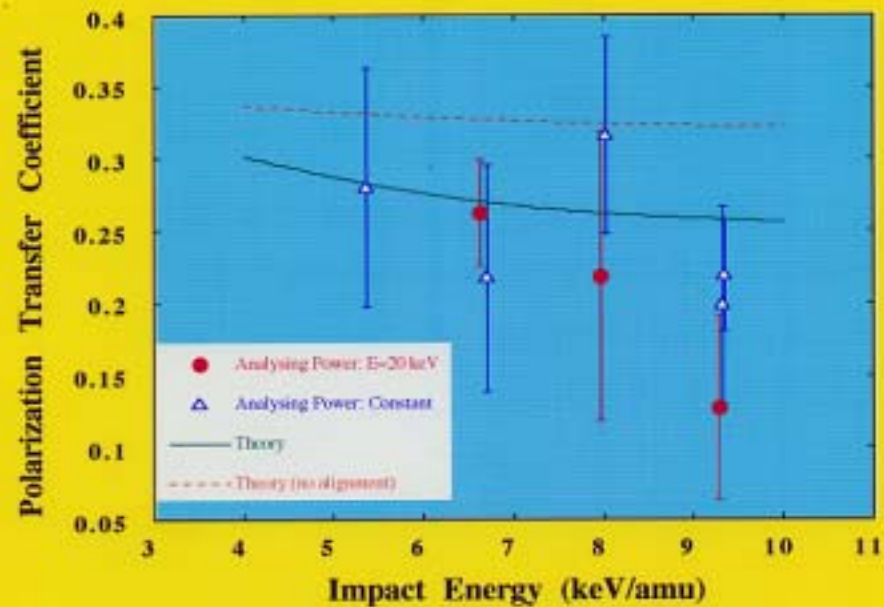
## Photon Spectrum of He I (He II Incident on Carbon Foil)



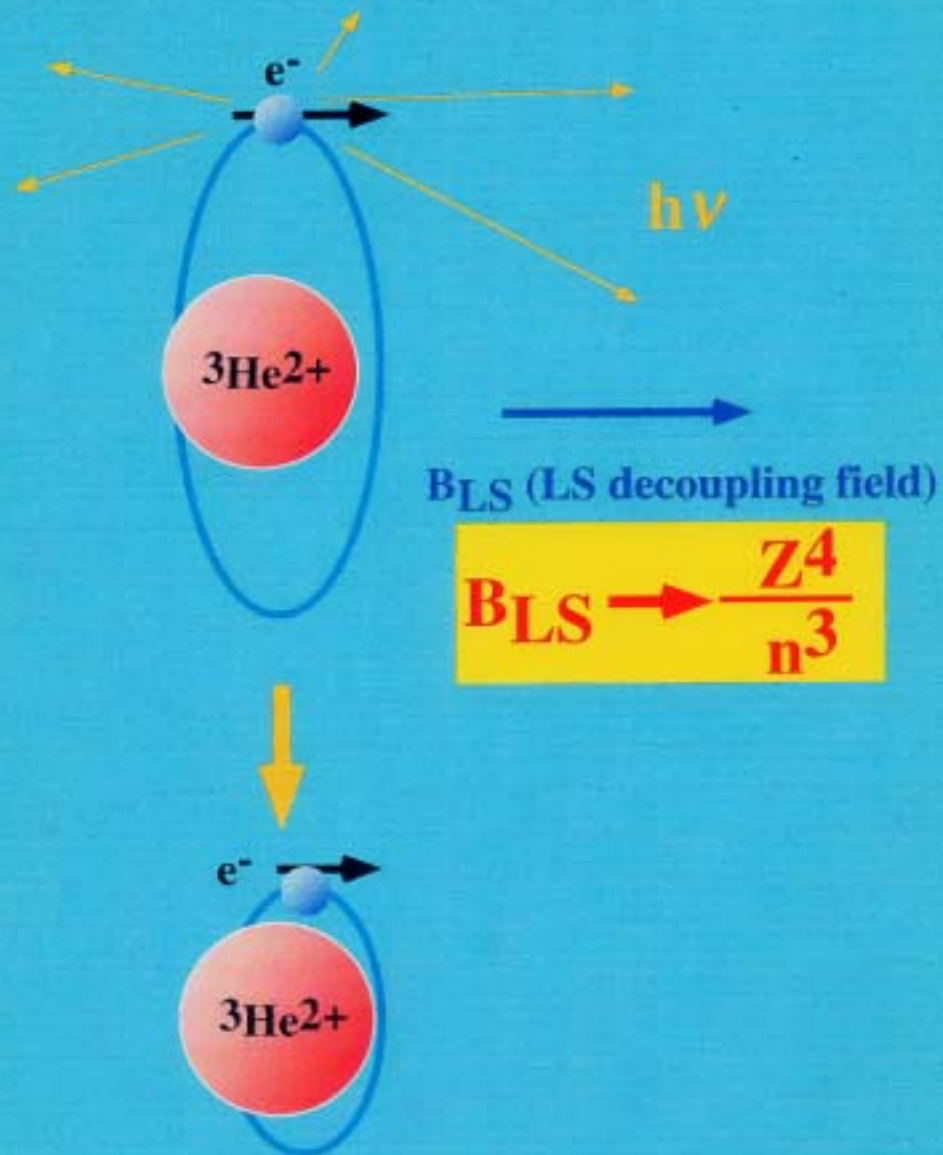
## Observed Circular Polarization



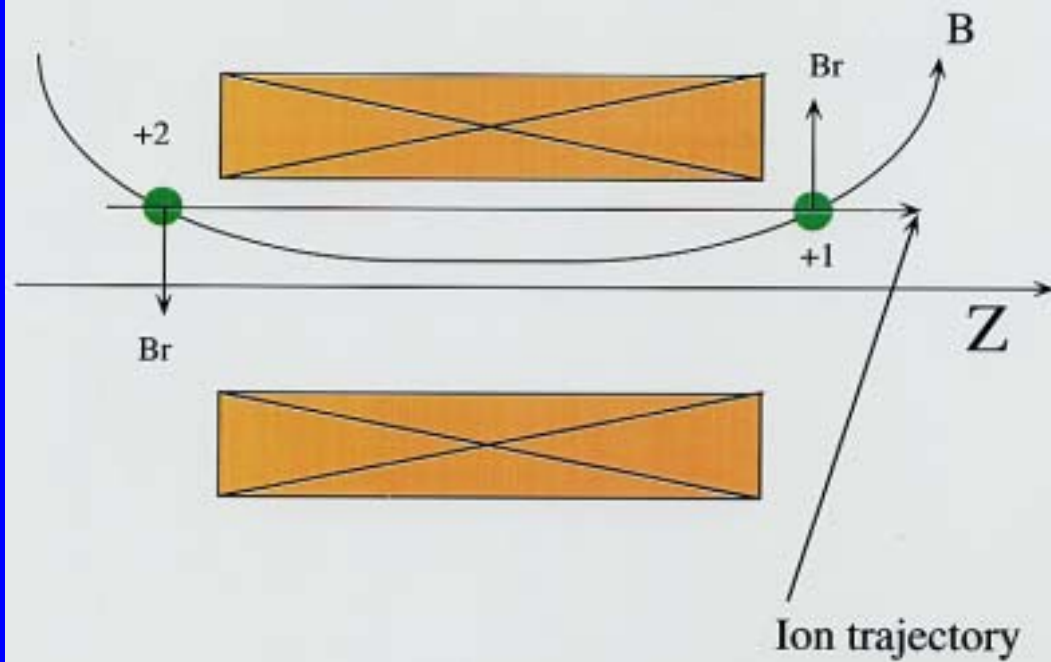




# Origin of Depolarization



## Transversal Emittance growth due to the fringing field



## Failure of OPPIS

In contrast with the success of the proton OPPIS, the  $^3\text{He}$  OPPIS was unsuccessful in the following points:

- 1) Large depolarization  
due to insufficient LS  
decoupling field,
- 2) Emittance growth  
due to charge changing  
collision in the magnetic  
field.

We must look for

an avenue to an innovative  
method how to produce  $^3\text{He}$   
beam with

- 1) fully polarized,
- 2) no sizable beam emittance  
growth

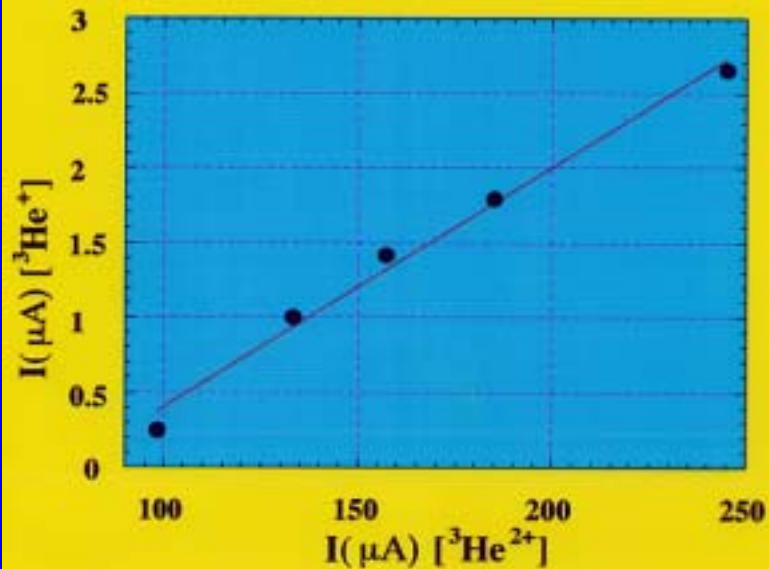
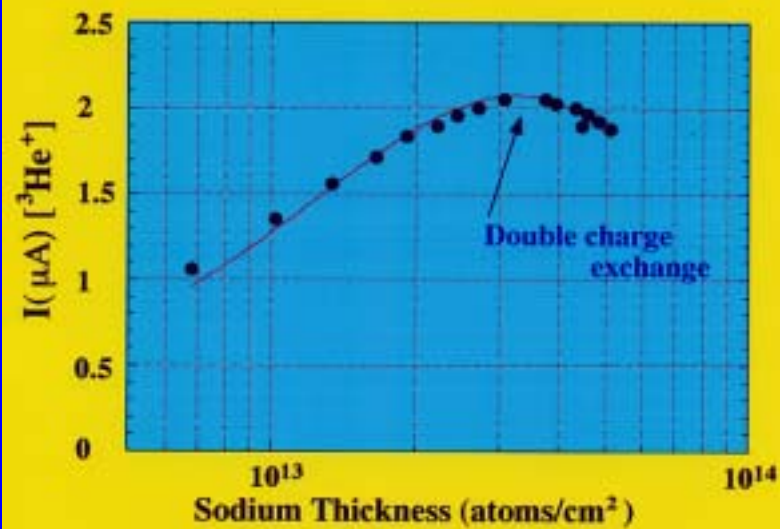
This is a second step of our  
development.

**E P P I S**

(Electron Pumping Polarized Ion Source)

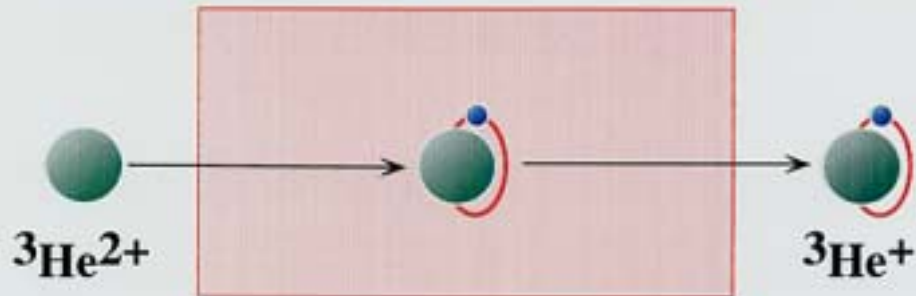


# Charge Exchange Collisions

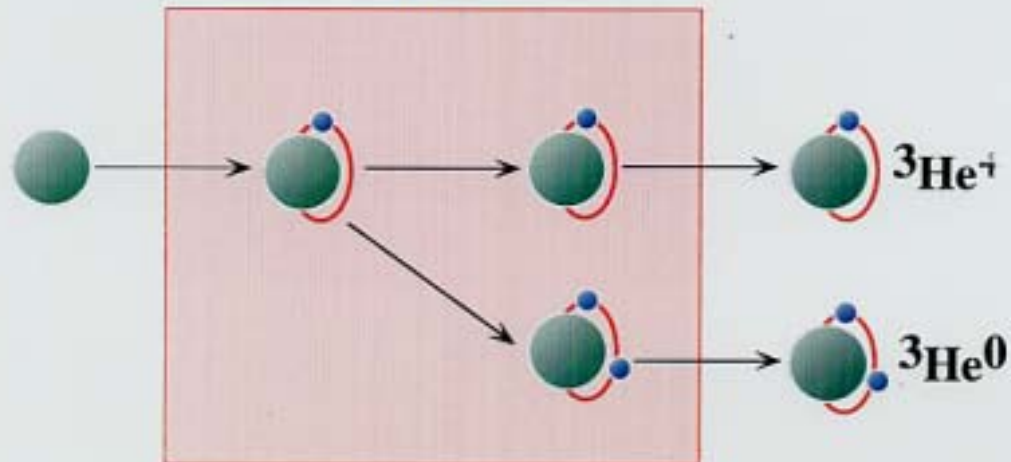


# To understand the strange phenomenon

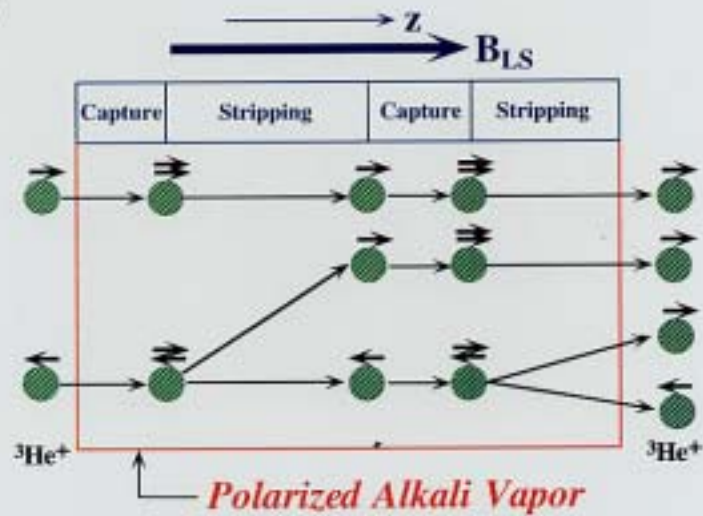
*Thin Alkali vapor*



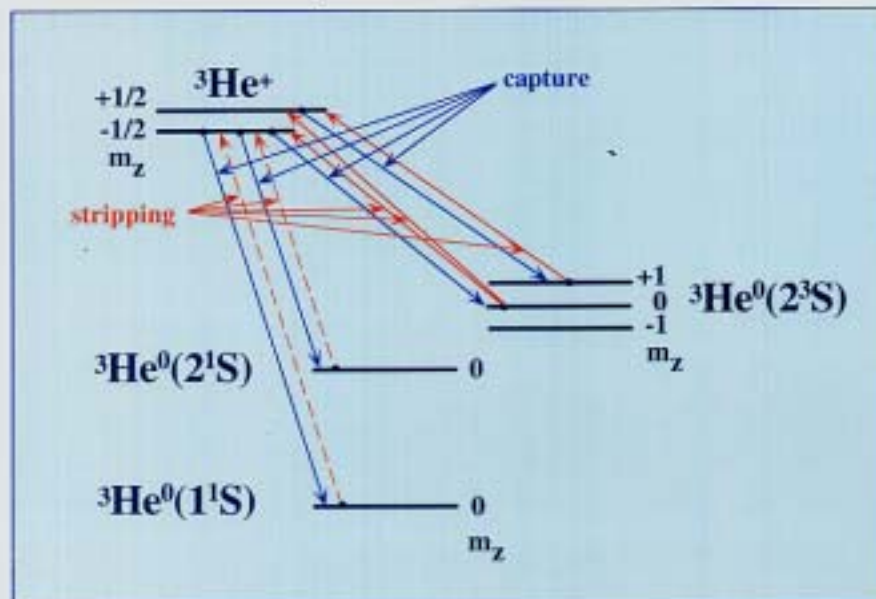
*Thick Alkali vapor*

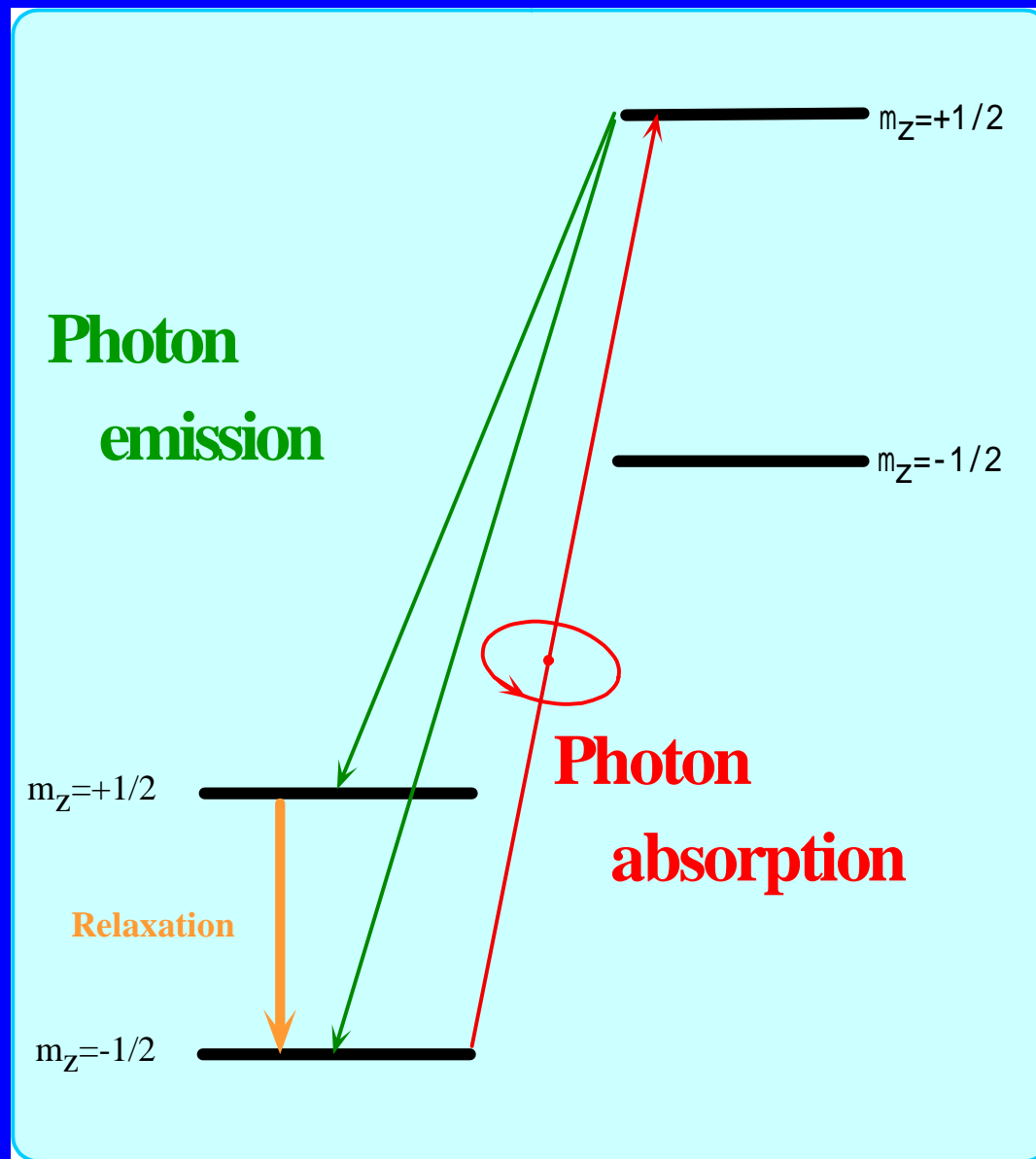


a)



b)





## Optical Pumping

## Characteristic of **EPPIS**

### 1) Generalized concept of the optical pumping

Open up a new field as a powerful tool for the nuclear spectroscopy for which the pumping laser light is not available.

### 2) No need for powerful ion source which provides $^3\text{He}^{2+}$ ions

### 3) No beam emittance growth

because of no charge changing collisions

---

## Prerequisite conditions imposed for **EPPIS**

### 1) Production of highly **polarized dense alkali vapor** homogenously distributed throughout the Rb cell.

An areal polarization distribution was investigated by the time differential measurement.

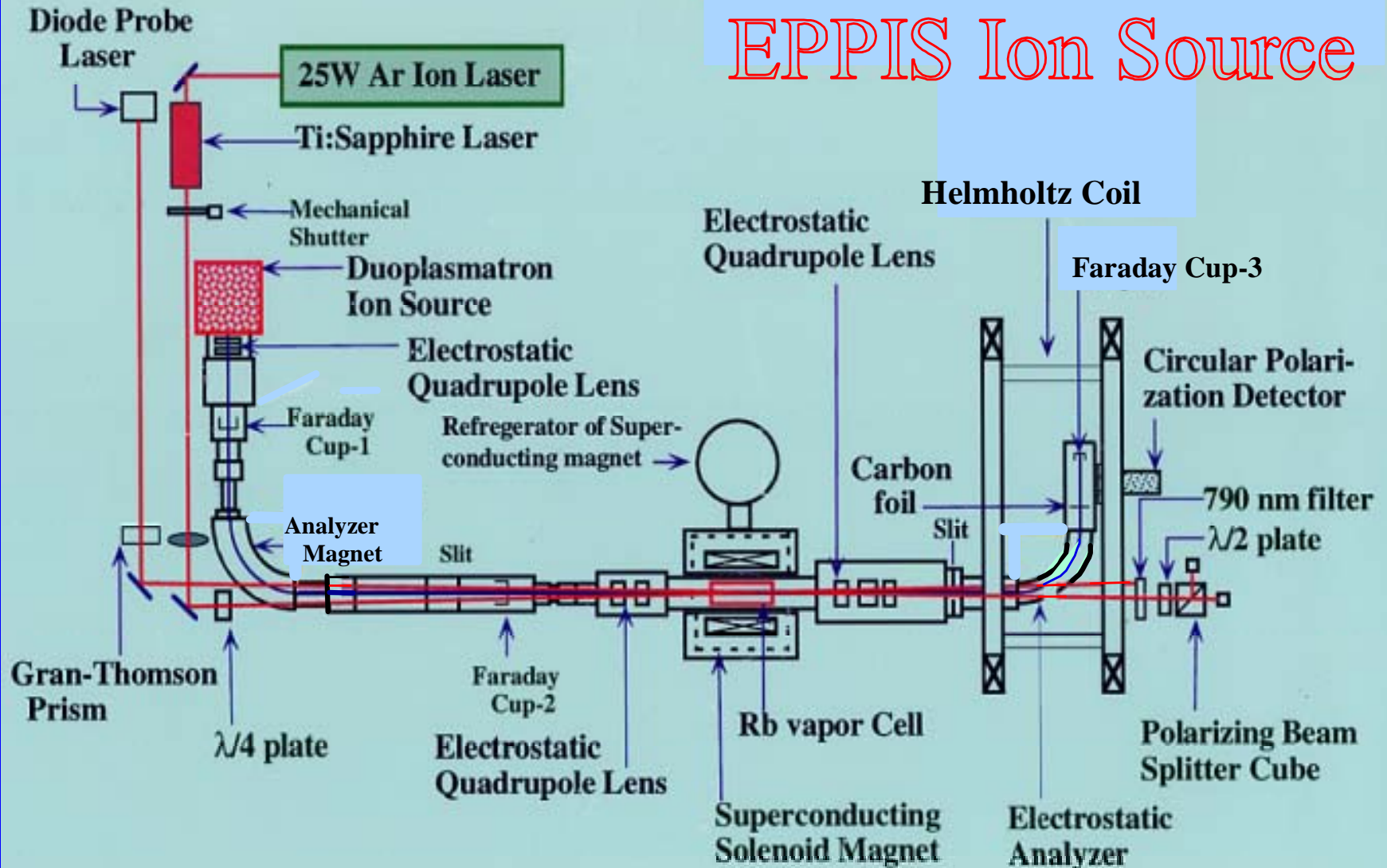
### 2) Evaluation of the **Spin-exchange** cross section.

This term helps the EPPIS create an additional polarization.

—————> **SEPIS (Spin-exchange)**



# EPPIS Ion Source



# Electron Pumping Rate Equation

Rb polarization = +1

$$\frac{d}{dx}H = Rb_+H$$

$$\frac{d}{dx} \begin{pmatrix} H_{1/2}^+ \\ H_{-1/2}^+ \\ H_{11} \\ H_{10} \\ H_{1-1} \\ H_{10} \end{pmatrix} = \begin{pmatrix} -\sigma_{12} & \sigma_{SE1} & \sigma_{11} & \frac{\sigma_{11}}{2} & 0 & \frac{\sigma_{11}}{2} \\ 0 & -\sigma_{12} - \sigma_{SE1} & 0 & \frac{\sigma_{11}}{2} & \sigma_{11} & \frac{\sigma_{11}}{2} \\ \kappa_+ \sigma_{10} & \frac{\kappa_- \sigma_{10}}{2} & -\sigma_{11} & \sigma_{SEA} & 0 & 0 \\ \frac{\kappa_- \sigma_{10}}{2} & \frac{\kappa_+ \sigma_{10}}{2} & 0 & -\sigma_{11} - \sigma_{SEA} & \sigma_{SEA} & 0 \\ 0 & \frac{\kappa_- \sigma_{10}}{2} & 0 & 0 & -\sigma_{11} - \sigma_{SEA} & 0 \\ \frac{\kappa_- \sigma_{10}}{2} & \frac{\kappa_+ \sigma_{10}}{2} & 0 & 0 & 0 & -\sigma_{11} \end{pmatrix} \begin{pmatrix} H_{1/2}^+ \\ H_{-1/2}^+ \\ H_{11} \\ H_{10} \\ H_{1-1} \\ H_{10} \end{pmatrix}$$

Rb polarization =  $P_{Rb}$

$$\frac{d}{dx}H = (\epsilon_+ Rb_+ + \epsilon_- Rb_-)H$$

$$Rb_- = T Rb_+ T^T, \quad T = \begin{pmatrix} 0 & 1 & 0 & 0 & 0 & 0 \\ 1 & 0 & 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 & 1 & 0 \\ 0 & 0 & 0 & 1 & 0 & 0 \\ 0 & 0 & 1 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 & 0 & 1 \end{pmatrix}, \quad \begin{cases} \epsilon_+ = \frac{1+P_{Rb}}{2} \\ \epsilon_- = \frac{1-P_{Rb}}{2} \end{cases}, \quad \begin{cases} \kappa_+ = \frac{1+P_{LS}}{2} \\ \kappa_- = \frac{1-P_{LS}}{2} \end{cases}$$

$$\sigma_{10} = \sigma_{11} + \sigma_{12}$$

$x$  : vapor thickness of Alkali atom

$P_{Rb}$  : Rb Polarization

$H_{1/2}^+, H_{-1/2}^+$  :  $^3\text{He}^+$  intensity for the  $m_s = \frac{1}{2}, m_s = -\frac{1}{2}$  levels

$H_{11}, H_{10}, H_{1-1}$  :  $^3\text{He } 2^3\text{S}$  intensity for the  $m_s = 1, 0, -1$  levels

$H_{10}$  :  $^3\text{He } 2^1\text{S}$  intensity

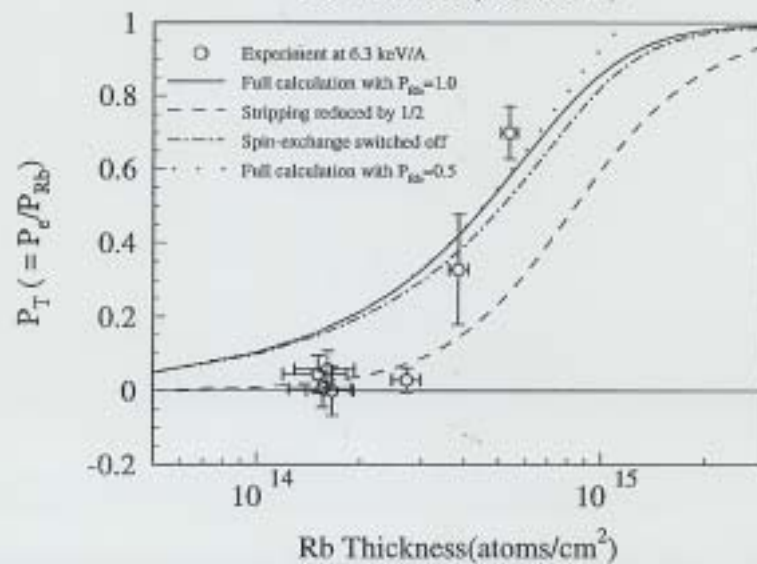
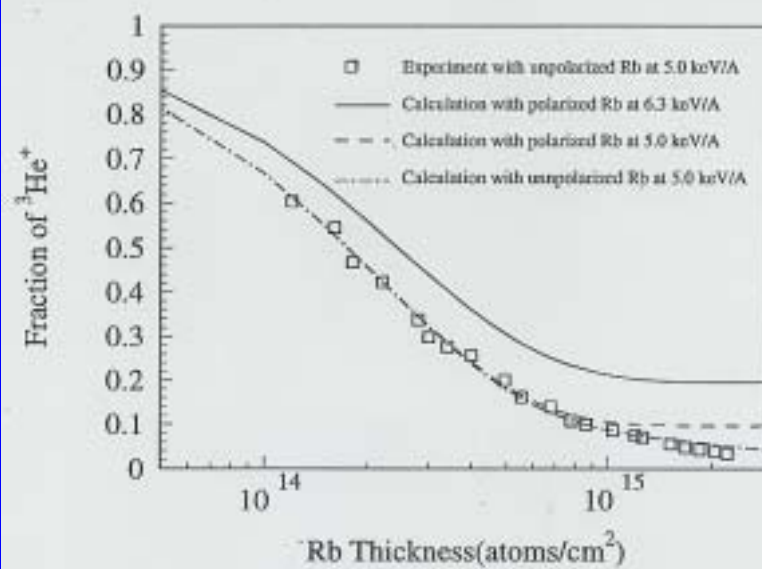
$\sigma_{11}$  : Capture cross section from the doubly to singly charged state

$\sigma_{+1}, \sigma_{10}$  : Capture cross section from the singly charged state to the  $2^3\text{S}$  level and vice versa

$\sigma_{+s}, \sigma_{s+}$  : Capture cross section from the singly charged state to the  $2^1\text{S}$  level and vice versa

$\sigma_{SE1}, \sigma_{SEA}$  : Spin-exchange cross section for an ion and atom

$\sigma_{1s}, \sigma_{s1}$  : Cross section from the triplet to singlet and vice versa



### Results obtained for EPPIS

- 1)  $^3\text{He}$  nuclear polarization       $\sim 7\%$   
(Rb polarization  $\sim 20\%$ )
- 2)  $^3\text{He}^+$  beam intensity       $\sim 2\ \mu\text{A}$   
(Primary beam  $\sim 100\ \mu\text{A}$ )

---

### Problems associated with EPPIS using high density polarized Rb vapor

Smallness of the nuclear polarization attainable is caused by

- 1) Small Rb polarization due to
  - a) Absorption of pumping laser
  - b) Radiation trapping effect
- 2) Non uniform distribution of the Rb vapor in the Rb vapor cell due to
  - a) Effusion
  - b) Polarization sheath formed by radiation trapping

---

### How to overcome above difficulties

- 1) Development of high Rb polarization
- 2) Spin-exchange polarized ion source (**SEPI**S) which uses a highly polarized Rb vapor with a low density.

# A way to obtain highly polarized Rb vapor homogeneously distributed in the cell

**An areal uniformity** of the Rb polarization depends on the relaxation mechanism occurring in the vapor cell.

For this purpose, the Rb relaxation times were measured by observing the polarization time-differentially with **chopped laser lights**.

## **Changing parameters:**

- 1) the external magnetic field
- 2) the cell temperature
- 3) the pumping laser frequency

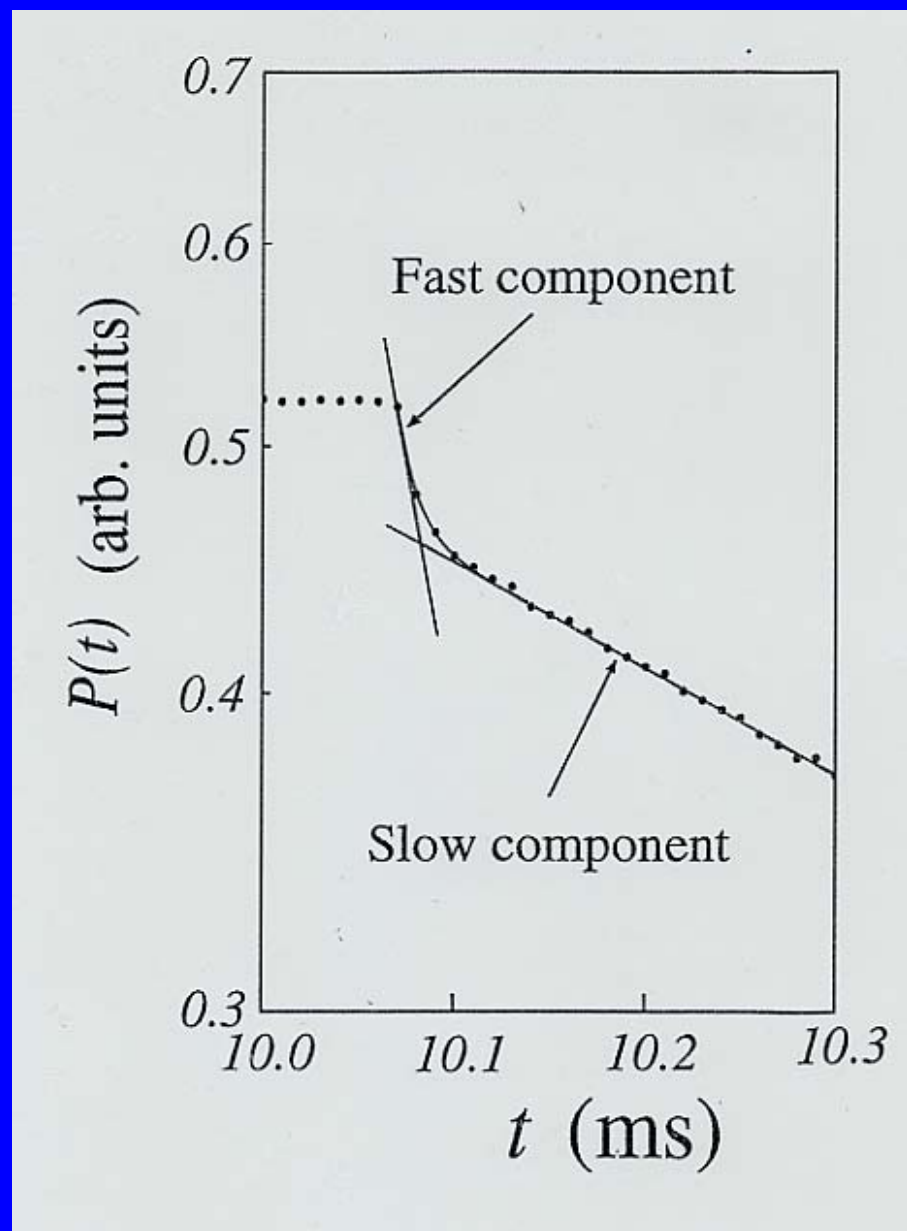
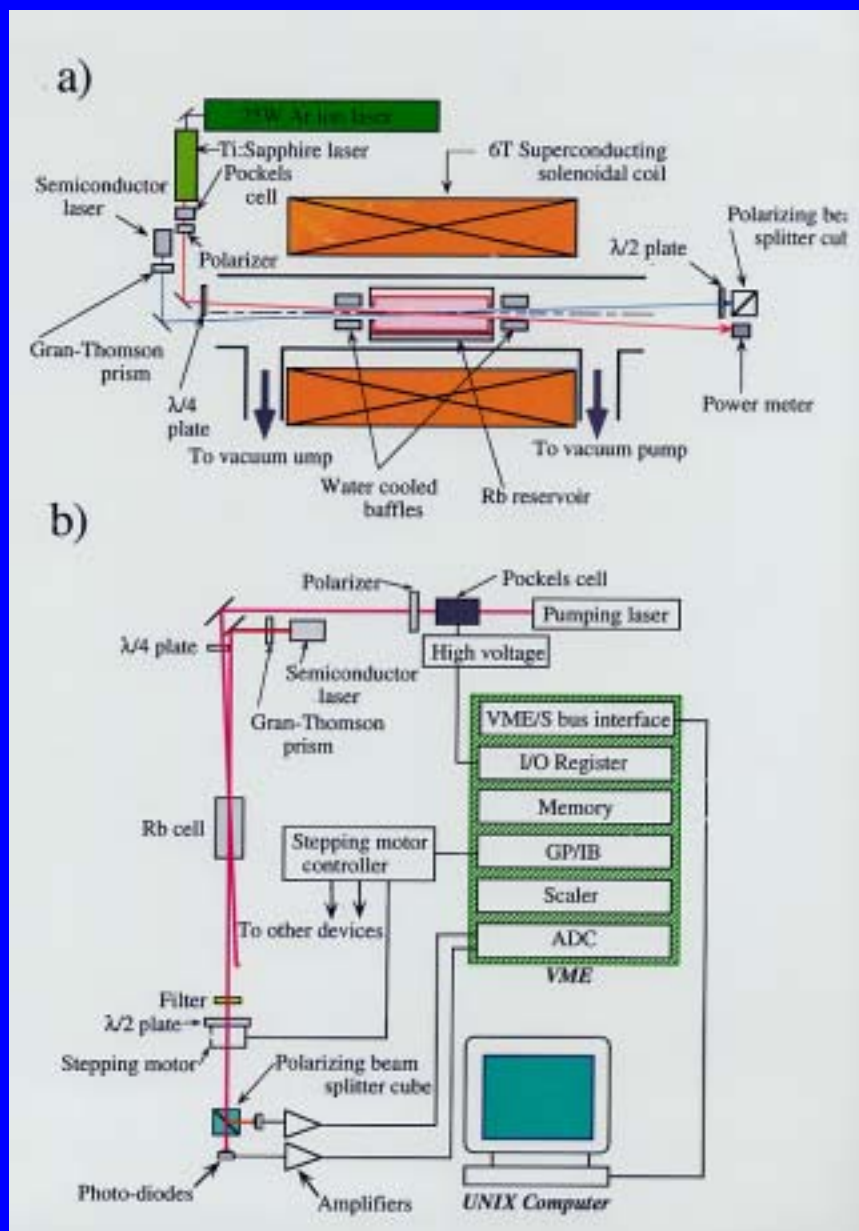
A simple model and Monte Carlo simulation were compared with the observed quantities to discuss the relaxation mechanisms.

As a result, the relaxation mechanism is found to mainly be determined by

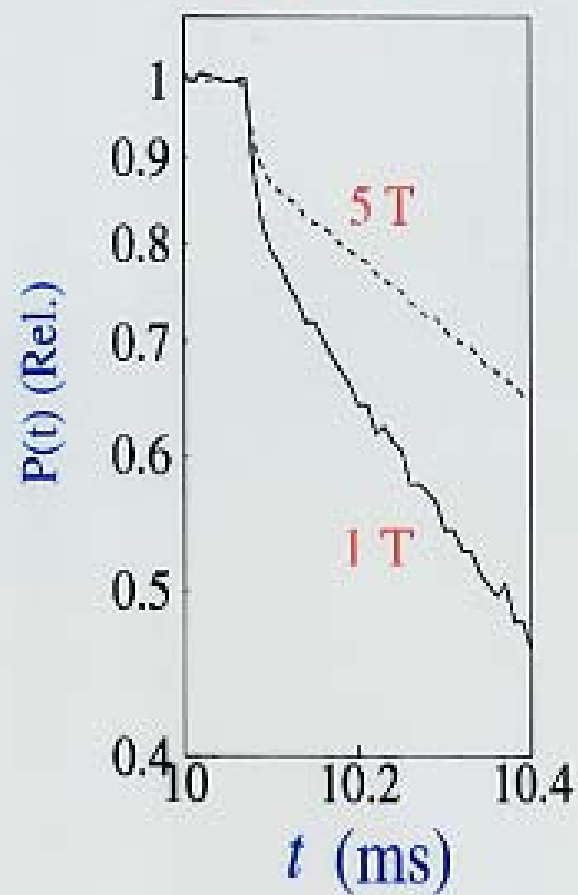
- 1) Wall relaxation
- 2) Effusion
- 3) Radiation trapping

**This finally gave insight into how to realize uniform distribution of the Rb polarization.**

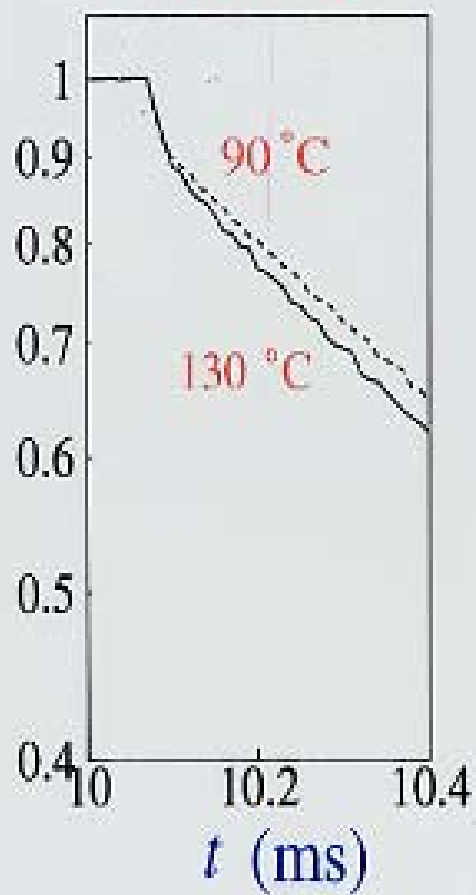




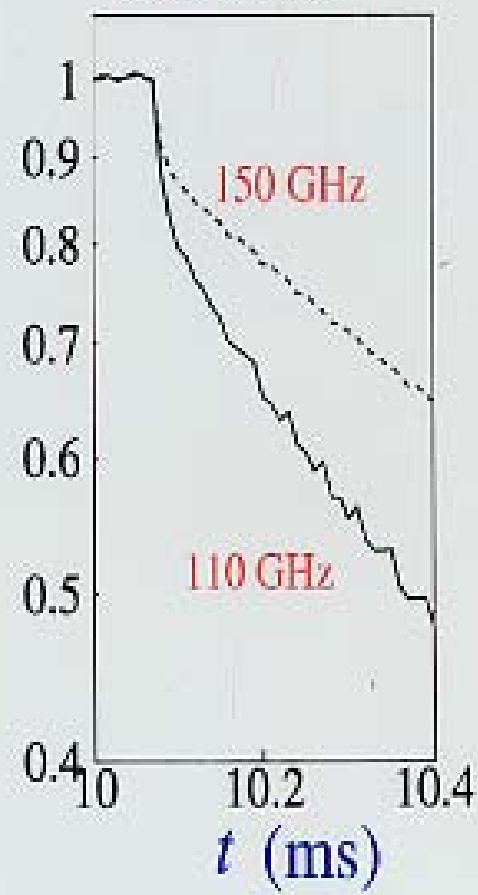
*Magnetic field  
dependence*



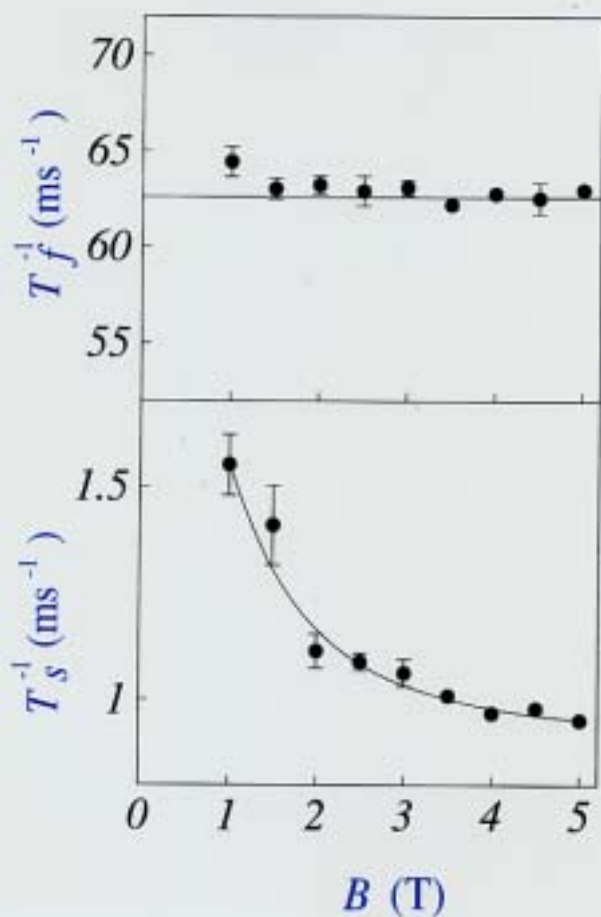
*Wall temperature  
dependence*



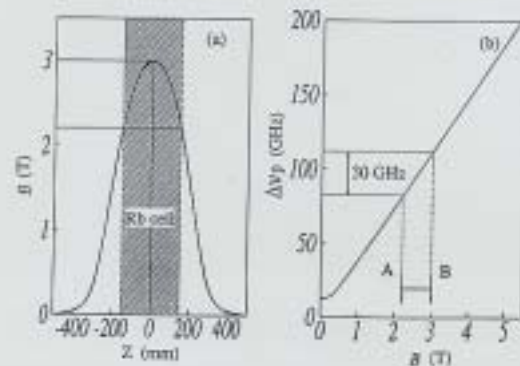
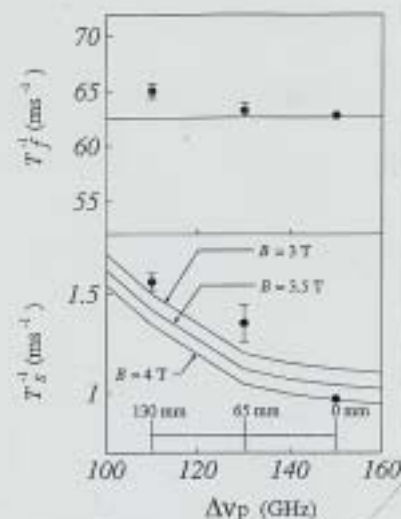
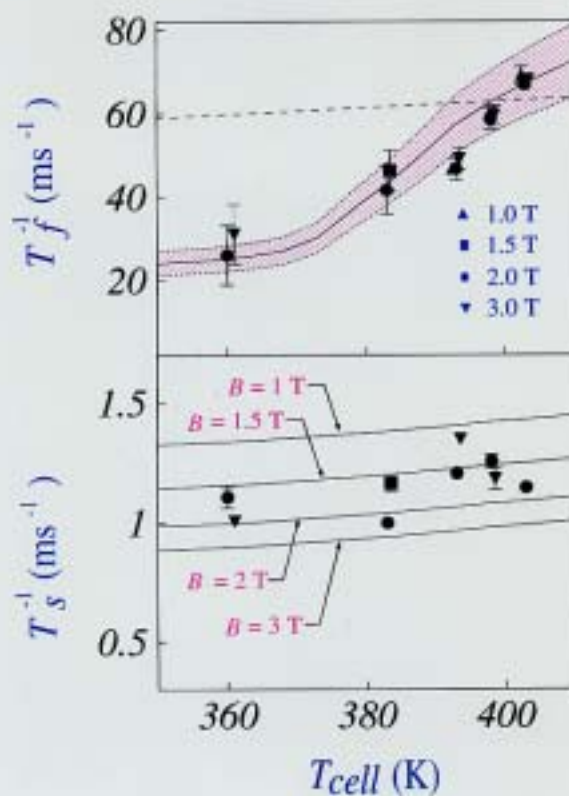
*Pumping laser  
frequency  
dependence*



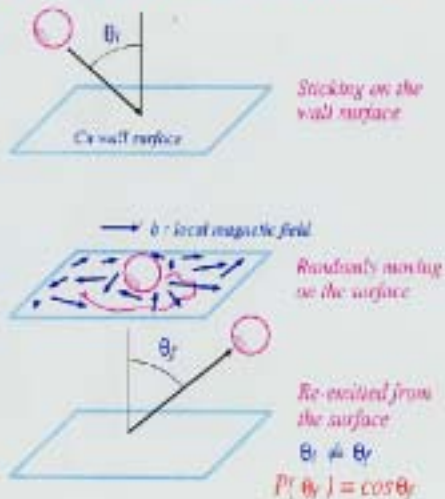
# B, $T_{\text{cell}}$ , and $\nu_{\text{laser}}$ dependences of decay constants for fast and slow components



## Cell temperature dependence



### Concept of the wall relaxation mechanism



#### 1. Motivation

#### Wall relaxation rate

This effect has been quantitatively investigated

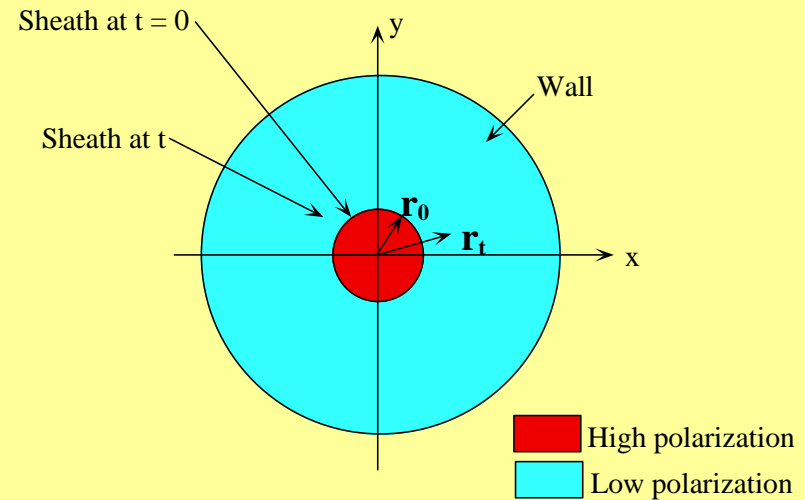
Decay rate due to the wall relaxation

$$T_w^{-1} = \frac{A}{1 + \left( \frac{e \tau_c}{m_e} \right)^2 B^2}$$

$$A = \frac{2}{3} \frac{\tau_s}{\tau_s + \tau_w} \tau_c \gamma^2 b^2$$

This effect is strongly affected on the external magnetic field.

### Temperature dependence of the fast component



Polarization nonuniformity is induced by the Radiation Trapping Effect

$$r_t = r_0 + vt \quad (v \text{ is a velocity of Rb atom})$$

$$P_t r_t^2 = P_0 r_0^2$$

$$P_t = P_0 \frac{r_0^2}{(r_0 + vt)^2}$$

$$T_f^{-1} = \sqrt{\frac{2k}{\pi M}} \frac{1}{\sqrt{e} - 1} \frac{\sqrt{T_{\text{cell}}}}{r_0 (T_{\text{cell}})}$$

# Beam emittance growth really suppressed in the **EPPIS**?

To investigate this point, behavior of  $^3\text{He}$  ions colliding with polarized/unpolarized Rb gas under a strong magnetic field has been studied by means of the Monte Carlo simulation method.

- ◆ **Study with unpolarized gas:**

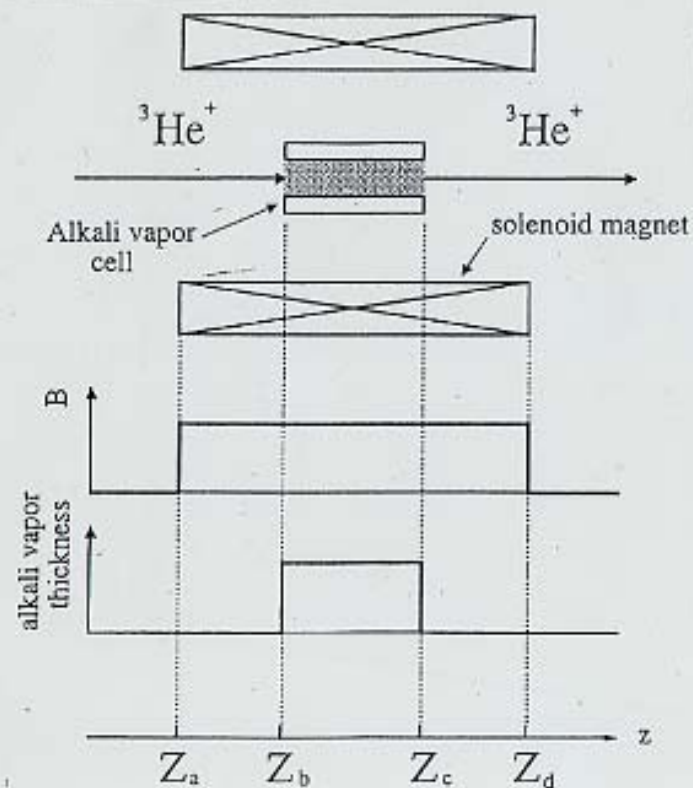
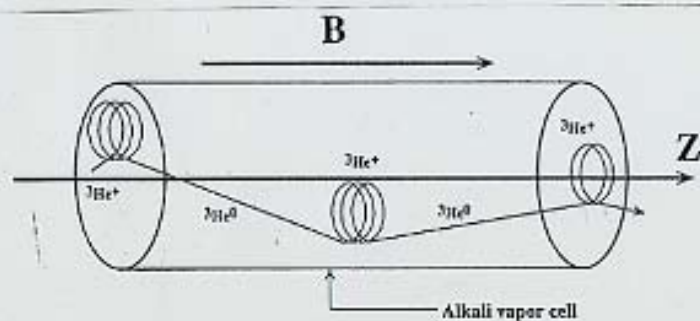
- A new concept of **effective magnetic field**

- ◆ **Study with polarized gas:**

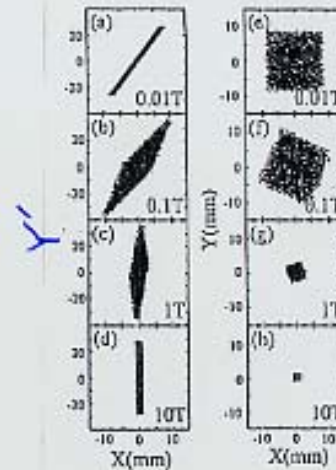
- A new concept of **polarization hole**.



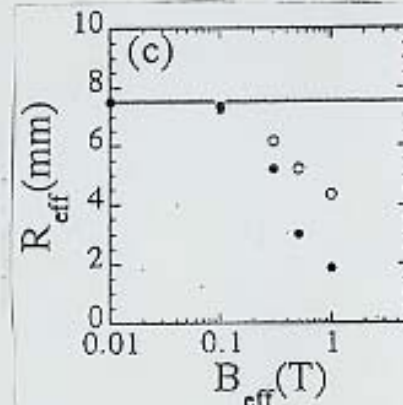
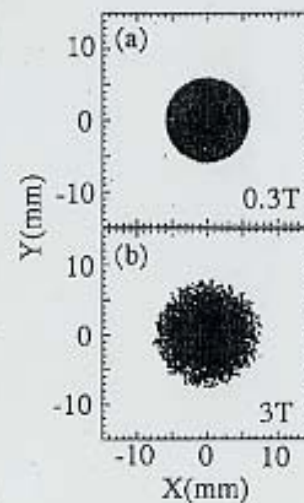
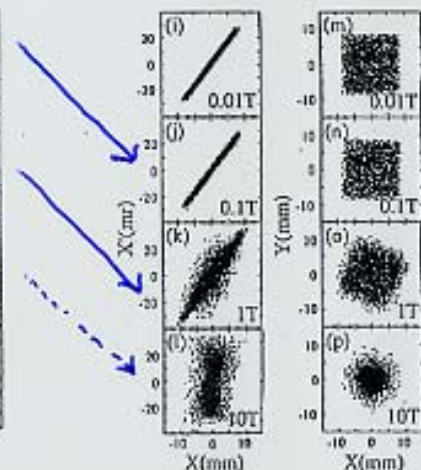
# Unpolarized beam



no alkali vapor (case A)



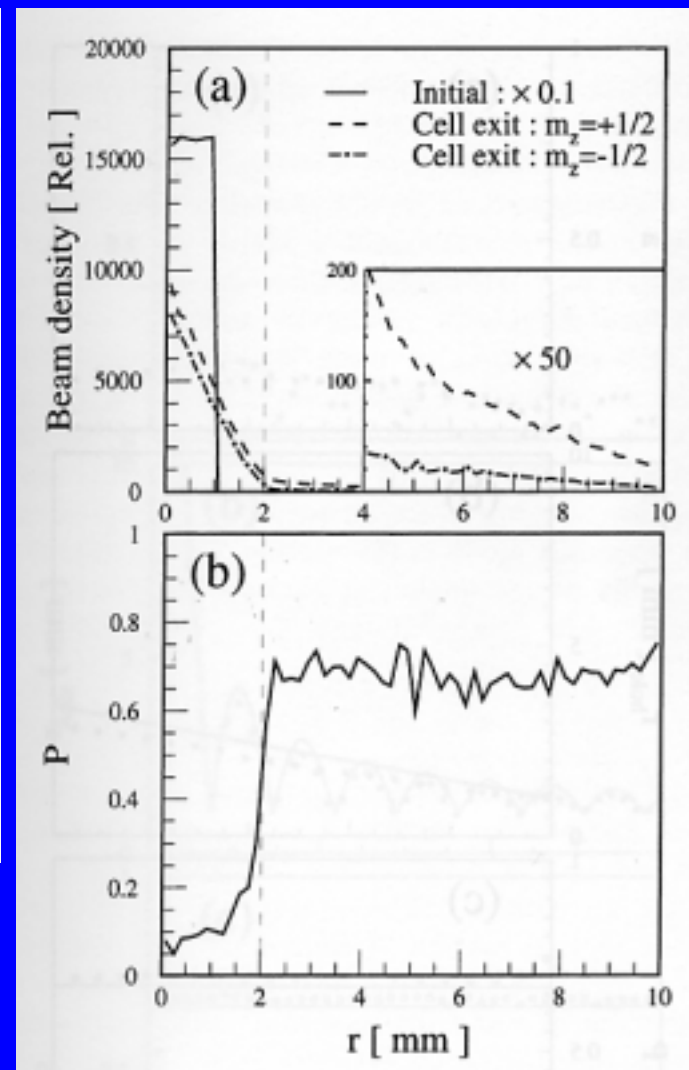
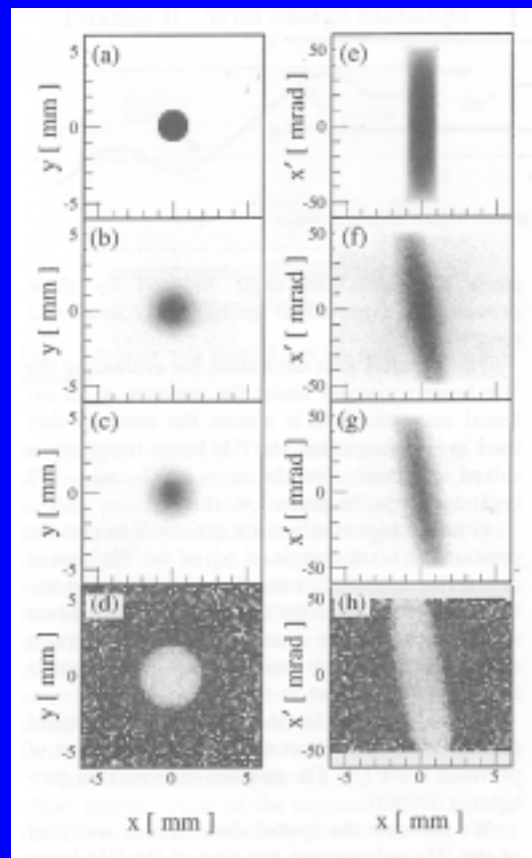
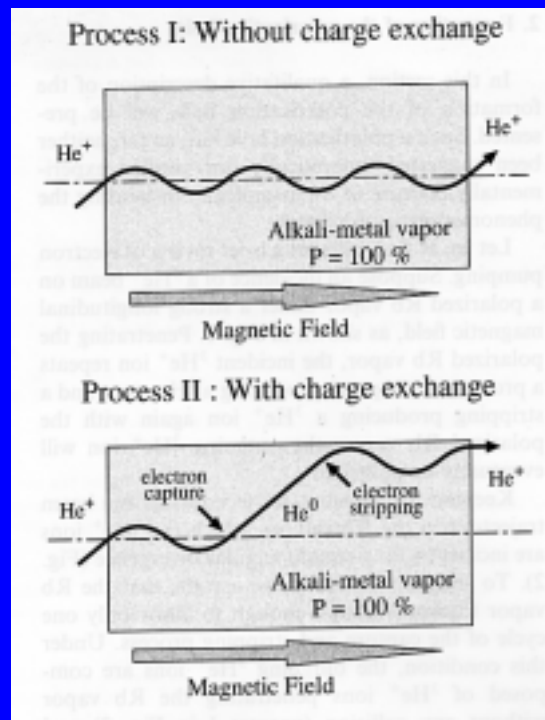
dense alkali vapor (case B)



$$B_{\text{eff}} \sim \frac{\lambda_{+0}}{\lambda_{+0} + \lambda_{0+}} B.$$

$$\sim \frac{1}{10} B$$

# Polarized Rb gas

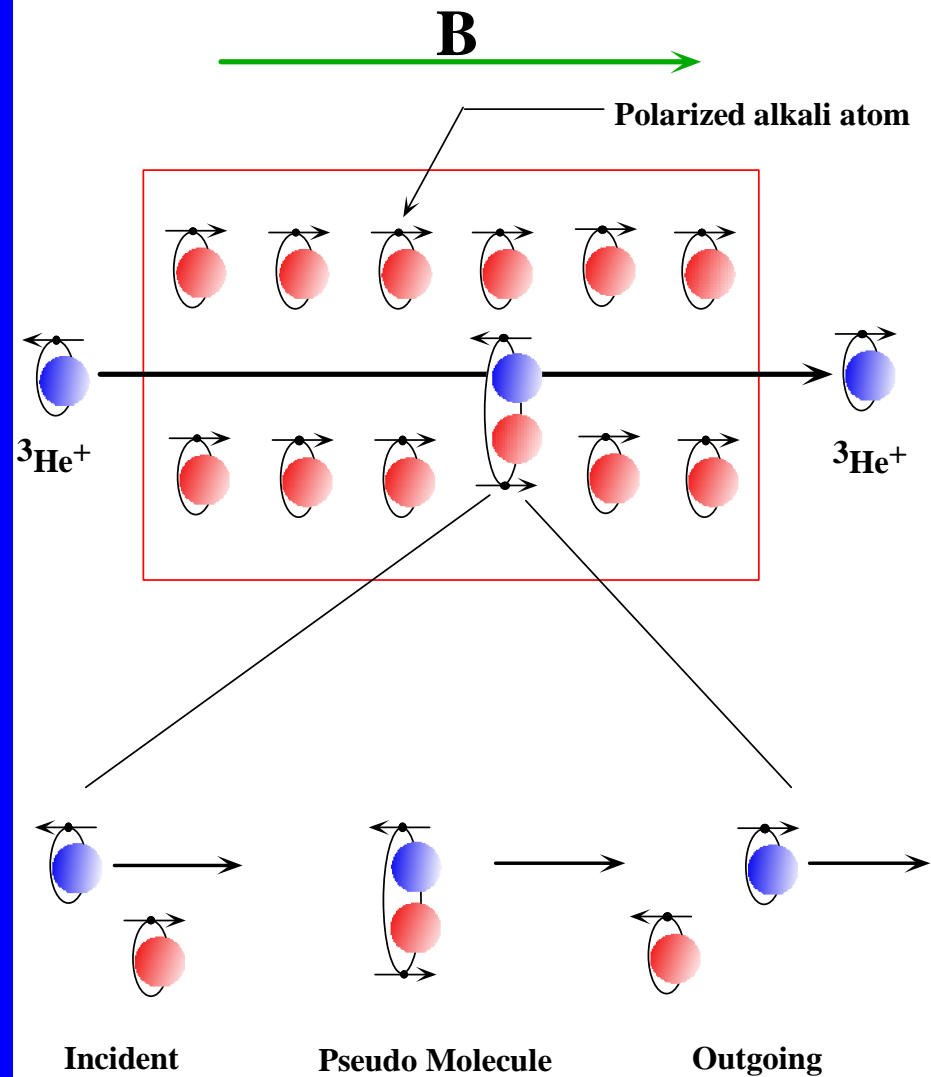


# **SEPIS $^3\text{He}$ Ion Source**

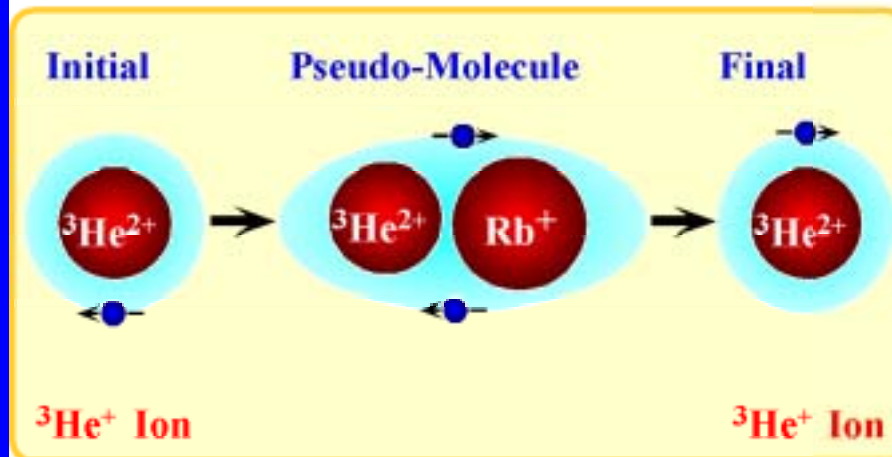
**(Spin-exchange polarized ion source)**

**This ion source was invented to  
overcome the difficulties in EPPIS**

# Principle of **SEPI**S



## Spin-exchange process between $^3\text{He}^+$ and Rb



### Estimation of the spin-exchange cross section

- 1) Formation of the **pseudo-molecule**
- 2) The **semiclassical impact parameter method**
  - Transitions: Quantum mechanics
  - Ion trajectories: Classical orbits



# Quantum Mechanical Principle of electron spin-exchange

$\Phi_{1\Sigma}$

$\Psi_1 = \Phi_{1\Sigma} + \Phi_{2\Sigma}$   
(Rb :  $m=-1/2$ ;  
 $^3\text{He}^+$  :  $m=1/2$ )

$\Phi_{2\Sigma}$

$\Psi_2 = \Phi_{1\Sigma} - \Phi_{2\Sigma}$   
(Rb :  $m=1/2$ ;  
 $^3\text{He}^+$  :  $m=-1/2$ )

Rb :  $m=-1/2$ ,  $^3\text{He}^+$  :  $m=1/2$

$R \gg 20$  a.u. : Two waves go ahead with a same velocity.  
Wave function of this system is expressed by  $\Psi_1$ .

( Incoming )

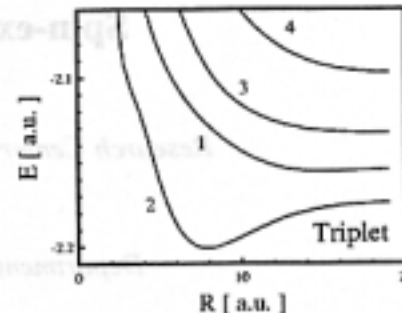
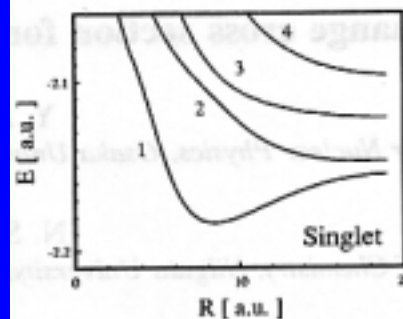
$R < 20$  a.u. : Two waves have different potential energies, so go ahead with different velocity when  $^3\text{He}^+$  ion and Rb atom are forming a pseudomolecule.  
Wave function of this system is expressed by  $c_1\Psi_1 + c_2\Psi_2$ .

( Interaction )

Rb :  $m=1/2$ ,  $^3\text{He}^+$  :  $m=-1/2$

$R \gg 20$  a.u. : Two waves go ahead with a same velocity. But phase difference is  $\pi$ .  
Wave function of this system is expressed by  $\Psi_2$ .

( Outgoing )



$$\Phi_{1\Sigma} = \frac{1}{2} \{ \alpha(1)\beta(2) - \beta(1)\alpha(2) \} \\ \times \{ \phi_{\text{Rb}}(1)\phi_{\text{He}}(2) + \phi_{\text{He}}(1)\phi_{\text{Rb}}(2) \}, \quad (\text{A2})$$

$$\Phi_{3\Sigma} = \frac{1}{2} \{ \alpha(1)\beta(2) + \beta(1)\alpha(2) \} \\ \times \{ \phi_{\text{Rb}}(1)\phi_{\text{He}}(2) - \phi_{\text{He}}(1)\phi_{\text{Rb}}(2) \}, \quad (\text{A3})$$

$$\Psi_{\text{I}} = \frac{1}{\sqrt{2}} \begin{vmatrix} \alpha(1)\phi_{\text{Rb}}(1) & \beta(1)\phi_{\text{He}}(1) \\ \alpha(2)\phi_{\text{Rb}}(2) & \beta(2)\phi_{\text{He}}(2) \end{vmatrix} \quad (\text{A4})$$

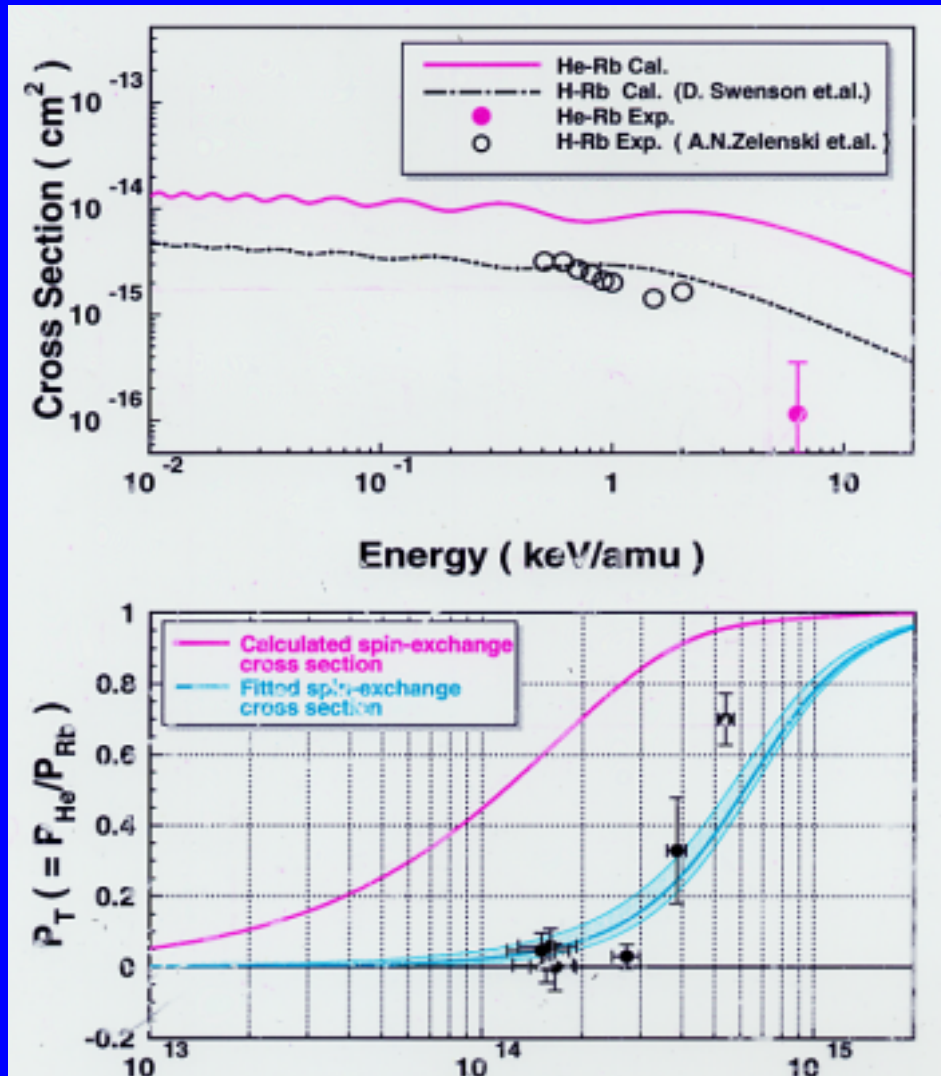
$$= \frac{1}{\sqrt{2}} \{ \alpha(1)\phi_{\text{Rb}}(1)\beta(2)\phi_{\text{He}}(2) \\ - \alpha(2)\phi_{\text{Rb}}(2)\beta(1)\phi_{\text{He}}(1) \}. \quad (\text{A5})$$

$$\Psi_{\text{II}} = \frac{1}{\sqrt{2}} \begin{vmatrix} \beta(1)\phi_{\text{Rb}}(1) & \alpha(1)\phi_{\text{He}}(1) \\ \beta(2)\phi_{\text{Rb}}(2) & \alpha(2)\phi_{\text{He}}(2) \end{vmatrix} \quad (\text{A6})$$

$$= \frac{1}{\sqrt{2}} \{ \beta(1)\phi_{\text{Rb}}(1)\alpha(2)\phi_{\text{He}}(2) \\ - \beta(2)\phi_{\text{Rb}}(2)\alpha(1)\phi_{\text{He}}(1) \}. \quad (\text{A7})$$

$$\begin{pmatrix} \Psi_{\text{I}}(t) \\ \Psi_{\text{II}}(t) \end{pmatrix} = \begin{pmatrix} \cos \theta & \sin \theta \\ -\sin \theta & \cos \theta \end{pmatrix} \begin{pmatrix} E(t, V_s) & 0 \\ 0 & E(t, V_d) \end{pmatrix} \begin{pmatrix} \cos \theta & -\sin \theta \\ \sin \theta & \cos \theta \end{pmatrix} \begin{pmatrix} \Psi_{\text{I}} \\ \Psi_{\text{II}} \end{pmatrix} \\ = \begin{pmatrix} E(t, V_s)\cos^2 \theta + E(t, V_d)\sin^2 \theta & [-E(t, V_s) + E(t, V_d)]\sin \theta \cos \theta \\ [-E(t, V_s) + E(t, V_d)]\sin \theta \cos \theta & E(t, V_s)\cos^2 \theta + E(t, V_d)\sin^2 \theta \end{pmatrix} \begin{pmatrix} \Psi_{\text{I}} \\ \Psi_{\text{II}} \end{pmatrix} \\ = U \begin{pmatrix} \Psi_{\text{I}} \\ \Psi_{\text{II}} \end{pmatrix}.$$

# Spin-exchange cross sections for He-Rb and H-Rb systems



Theory : Semiclassical Impact Parameter Method

$$\sigma_{se} = 5.9 \times 10^{-15} \text{ cm}^2$$

Experimental Results :

$$\sigma_{se} = 0.12^{+0.3}_{-0.2} \times 10^{-15} \text{ cm}^2$$

Thickness (atoms/cm<sup>2</sup>)

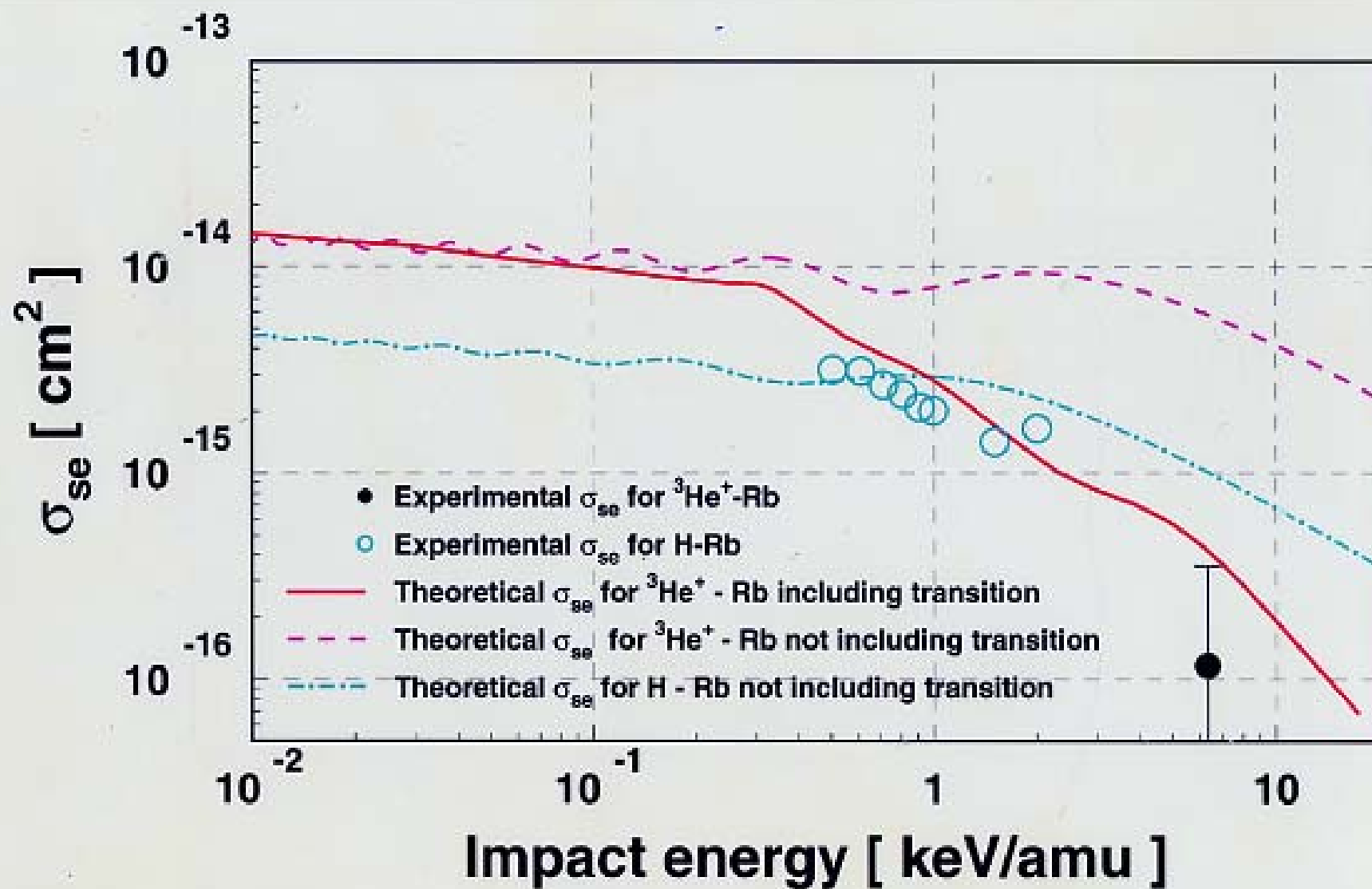
A simple model could not reproduce the smallness of the spin exchange cross sections.

What is the origin of this failure?

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Improvement of the theory is desired.

State	Symmetry	Asymptotic limit
1	$1,3\Sigma$	$\rightarrow {}^3\text{He}^+(1s\ ^2S) + \text{Rb}(5s\ ^2S)$
2	$1,3\Sigma$	$\rightarrow {}^3\text{He}(1s2s\ ^1,3S) + \text{Rb}^+$
3	$1,3\Sigma$	$\rightarrow {}^3\text{He}(1s2p\ ^1,3P) + \text{Rb}^+$
4	$1,3\Sigma$	$\rightarrow {}^3\text{He}^+(1s\ ^2S) + \text{Rb}(5p\ ^2P)$





**Observed anomaly of the spin-exchange cross sections was qualitatively reproduced by taking the target excitations and target ionizations.**

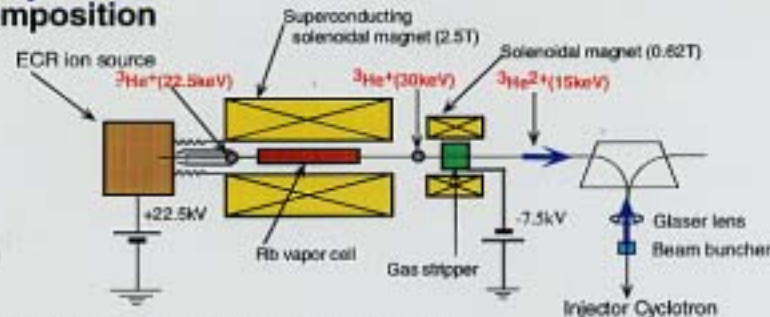
**A more important aspect is that the spin-exchange cross sections at a low energy region are two orders of magnitude larger than that at a high energy region.**

**This is practically important particularly in designing the polarized  $^3\text{He}$  ion source.**

# Expected Performance for the polarized $^3\text{He}$ ion source based on electron pumping

## I. First phase

### a) Composition



### b) Beam current and Polarization

$$I_{inj}(^3\text{He}^+) \sim I_{ECR} \times 0.36 \times 7 \cdot 10^{-3} = 4\text{mA} \times 0.36 \times 7 \cdot 10^{-3} = 10\mu\text{A}$$

$$I_{target}(^3\text{He}^{2+}) \sim I_{inj}(^3\text{He}^{2+}) / 1000 = 10\mu\text{A} / 1000 = 10\text{nA}$$

$$\text{Polarization} \sim 0.3$$

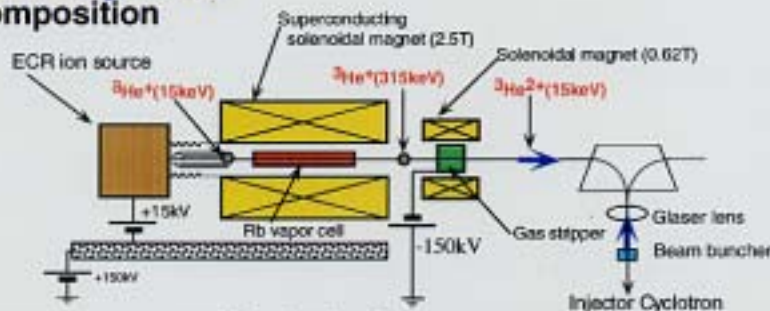
assuming that a Rb vapor thickness is  $5 \times 10^{14}$  atoms/cm<sup>2</sup> and  $P_{Rb}$  is 0.6.

### c) Beam emittance

$$\eta_{inj} \sim \sqrt{\eta_{ECR}^2 + \eta_{Rb}^2 + \eta_{SONA}^2} \sim \sqrt{(50\pi)^2 + (100\pi)^2 + (179\pi)^2} \sim 211\pi \text{ mm} \cdot \text{mr}$$

## II. Second phase

### a) Composition



### b) Beam current and Polarization

$$I_{inj}(^3\text{He}^+) \sim I_{ECR} \times 0.2 \times 3 \cdot 10^{-1} = 4\text{mA} \times 0.2 \times 3 \cdot 10^{-1} = 240\mu\text{A}$$

$$I_{target}(^3\text{He}^{2+}) \sim I_{inj}(^3\text{He}^{2+}) / 1000 = 240\mu\text{A} / 1000 = 240\text{nA}$$

$$\text{Polarization} \sim 0.63$$

assuming that a Rb vapor thickness is  $7 \times 10^{14}$  atoms/cm<sup>2</sup> and  $P_{Rb}$  is 0.85.

### c) Beam emittance

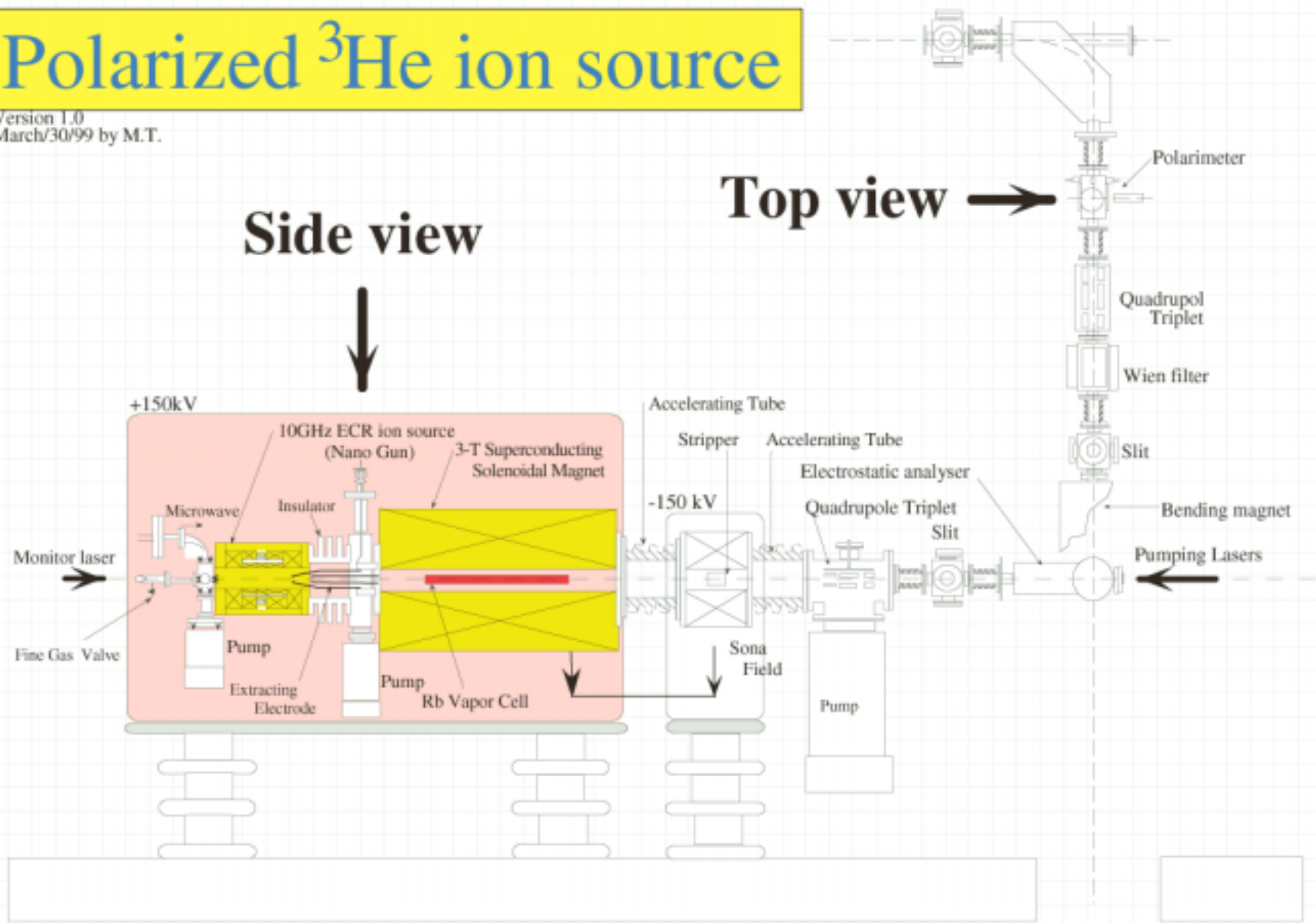
$$\eta_{inj} \sim \sqrt{\eta_{ECR}^2 + \eta_{Rb}^2 + \eta_{SONA}^2} \sim \sqrt{(50\pi)^2 + (100\pi)^2 + (179\pi)^2} \sim 211\pi \text{ mm} \cdot \text{mr}$$

# Polarized $^3\text{He}$ ion source

Version 1.0  
March/30/99 by M.T.

**Side view**

**Top view** →



## Summary and future direction

### We have developed a polarized $^3\text{He}$ ion source.

The OPPIS offers a very convenient method to simply polarize nuclei as far as we don't say an amount of the polarization degree. Let me show, for example, the polarization of  $^{14}\text{N}$  recently observed by Shimoda.

The EPPIS is an extended concept of the optical pumping invented by Prof. Kastler. We hope in future there would be versatile applications in the field of science.

Further technical progress is needed for its full performance particularly in realizing high alkali polarization uniformly distributed.

The SEPIS is one of the most convenient methods to produce a fully polarized  $^3\text{He}$  beam without further development.

Another important aspect imposed for the polarized ion sources is a beam intensity.

In fact, Ramsey said that

**Intensity is everything.**

For this purpose, we have examined carefully beam emittances and theoretically predicted a strange effect named polarization hole which will be useful in future.

**Roma non uno die aedificata est.**

# Beam emittance growth really suppressed in the **EPPIS**?

For this purpose, Behavior of  $^3\text{He}$  ions colliding with polarized/unpolarized gas under a strong magnetic field has not well been investigated by means of the Monte Carlo simulation method.

## 1. Study with unpolarized gas:

Come up to concept of  
**effective magnetic field**

## 2. Study with polarized gas:

Come up to concept of  
**polarization hole**



## How to realize highly polarized Rb vapor uniformly distributed

An areal uniformity of the Rb polarization depends on the relaxation mechanism occurring in the vapor cell.

For this purpose, the Rb relaxation times were measured by observing the polarization time-differentially with chopped laser lights.

### Changing parameters:

- 1) the external magnetic field
- 2) the cell temperature
- 3) the pumping laser frequency

A simple model and Monte Carlo simulation were compared with the observed quantities to discuss the relaxation mechanisms.

As a result, the relaxation mechanism is found to mainly be determined by

- 1) Wall relaxation
- 2) Effusion
- 3) Radiation trapping

**This finally gave insight into how to realize uniform distribution of the Rb polarization.**





